

A SYSTEMS SIMULATOR PROGRAMMING LANGUAGE  
FOR THE IBM 1620 COMPUTER

by

445

THOMAS ALLEN WEBB III

B. S., Kansas State University, 1965

---

A MASTER'S THESIS

submitted in partial fulfillment of the

requirements for the degree

MASTER OF SCIENCE

Department of Industrial Engineering

KANSAS STATE UNIVERSITY  
Manhattan, Kansas

1966

Approved by:

L E Grosch  
Major Professor

LD  
2668  
T4  
1966  
W 368  
C.2  
Document

#### TABLE OF CONTENTS

INTRODUCTION.....	1
FORTRAN II.....	4
DECISION SYSTEMS.....	17
RANDOM NUMBERS.....	27
IMPLEMENTATION OF THE MODIFIED PROCESSOR.....	30
TRIAL PROGRAMS.....	36
CONCLUSION.....	40
FIGURES.....	42
APPENDIX 1.....	91
APPENDIX 2.....	109
BIBLIOGRAPHY.....	137

## INTRODUCTION

Through simulation the performance of an organization or some part of an organization can be represented over a certain period of time (Martin, 1961). This is accomplished by devising mathematical models representing the components of the organization and providing decision systems for these components to represent the various interrelationships. A digital computer may be used to progress through the model for various intervals of time, pausing at the end of each interval to compute the interactions between certain components. In this way it is possible to obtain a "simulated" history of the organization under certain specified conditions. By changing the conditions and repeating the process it is possible to compare various parameters or decision systems. In this manner it is possible to experiment with changes in an organization without affecting the actual organization being studied.

Random variations are characteristic of many organizations. In many situations, the randomness is so essential that the common simplifying technique of using average values simply "assumes away" the problem. Whenever uncertainty is an essential consideration in an organization, a method must be available to produce a similar uncertainty in the simulation model of the organization.

The use of a computer in such problems depends to a great extent on one's ability to structure a simulation in a machine or systems language. More specifically, it depends a great deal

on the conformance of certain programming languages to the needs of simulation problems. For the programmer the most important need is that the language be problem oriented, since an organization will be reduced to a mathematical model.

Inherent in all organizations are many and varied decisions, i. e. rules of action. Decisions may more accurately be described as decision systems since a single decision may be dependent on many factors. Decision systems, due to their complexities, normally occupy the greatest portion of the simulation routing. Thus, the ability of a programming language to implement decision systems is important.

Speed and efficiency are also primary factors. Speed refers to the time required by a compiled decision system to make the correct decision. This time must be minimized without occupying excessive amounts of computer memory.

Efficiency refers to the amount of computer memory required. Since the memory must provide room for the compiled mainline program, and many, sometimes large, areas for working and storage, the amount occupied by any one of these should be minimized. The size of the mainline program and, to a certain extent, the size of the working areas are variable and depend upon the simulation being performed. However, since the subroutines do the bulk of the work, it seems only natural to make them as efficient as possible. This is true especially for the decision process.

Another important and sometimes over-looked factor, is flexibility. The process of trying several different conditions or changes within the organization is inherent to simulation. These

changes are typically within the decision process itself. Thus, provisions should be made to make these changes in the form of data on the object level. This should reduce the need to recompile a program each time a change must be made.

Three important factors in the selection of a programming language for use with simulation problems have been discussed. They are speed, efficiency in the size of compiled programs and their subroutines, and flexibility on the object level of the compiled programs. Another requirement in Monte Carlo simulations is the ability to generate and use of random numbers<sup>1</sup> (Hull, 1962).

Chance variation is generally introduced into systems models by probability distributions. The distribution function may be a standard one (i.e. normal, exponential, Poisson, etc.) or an arbitrary observed distribution derived from historical data. The most important of these distributions is the rectangular or uniform distribution because any distribution may be represented by random numbers drawn from a rectangular distribution by use of a probability integral transformation (Freund, 1963).

IBM 1620 Fortran II is not a programming language that satisfies all of the above needs. Thus it is the objective of this thesis to augment the Fortran II programming language so that the needs specified above are satisfied.

---

<sup>1</sup>Random numbers generated on a computer are called "pseudo-random" numbers and only appear to be drawn at random from certain probability distributions. However, they are expected to be non-repeating for a "long" sequence of numbers.

## FORTRAN II

Fortran ("formula translation") II is a language that closely resembles algebra (IBM, 1962). It is a programming language designed primarily for scientific and engineering calculations. Since it is problem oriented, it provides engineers with a method of communication that is more familiar, easier to learn, and easier to use than actual machine language. In this light, Fortran II meets one of the aforesaid qualifications for a programming language that is suited for simulation problems.

In addition, Fortran II object programs are generally as efficient as those which might be written by an experienced programmer (IBM, 1962). A bank of efficient subroutines is included in every Fortran program. These subroutines are used throughout the entire program. The mainline program consists of branches to the subroutines. Since the subroutines occupy such an important position and make up the majority of the object program, great pains have been taken to make them as short and as fast as possible.

In addition to speed and brevity, Fortran II is equipped with floating point capabilities. Although this is not necessary, it is convenient and makes programming considerably easier.

Perhaps the greatest disadvantage associated with Fortran II, is the complexity of the decision process for multiple decisions. The basic element of the decision process is the "IF" statement which permits the programmer to change the sequence of statement execution, depending upon the value of an arithmetic expression.

The general form is:

IF(a)N1,N2,N3

where (a) is an expression, and N1, N2, and N3 are statement numbers. Control is transferred to statement number N1, N2, or N3 depending on whether the value of (a) is less than, equal to, or greater than zero respectively (IBM, 1962). The "IF" statement will test only one decision parameter at a time.

As long as only one parameter need be tested at a time, the "IF" statement is quite sufficient. However, the number of "IF" statements required increases exponentially with the number of parameters in the decision system. As an example, suppose A and B need to be tested independently. A flow diagram of the process is as in figure 1.

This means that there are nine possible configurations of the two variables. In tabular form these are as follows.

A + + + - - 0 0 0

B + - 0 + - 0 + - 0

Each possible configuration will require a separate branch to a separate or identical position within the program. A program following the logical flow listed above would contain the following "IF" statements:

IF (A) 11,12,13

11 IF (B) 1, 2, 3

12 IF (B) 4, 5, 6

13 IF (B) 7, 8, 9

It is possible to generalize the number of possible paths as follows:

$$\text{Number of Paths} = 3^n,$$

where  $n$  = the number of decision parameters. The number of "IF" statements necessary to program a decision on ( $n$ ) parameters would be

$$\sum_{i=1}^n 3^{i-1}.$$

This can be seen by summing the following series, representing a decision tree.

$$1 + 3^1 + 3^2 + \dots + 3^{n-1}$$

Thus if twenty parameters are necessary, there would be 3,486,784,401 possible paths and 1,743,392,110 "IF" statements would be necessary to make the decision as to which path should be followed. In addition to this difficulty in implementing complex decisions, the machine language programs resulting from "IF" statements are relatively slow and inefficient.

Another disadvantage to Fortran II is that random numbers are not readily available. Certainly, there are several models by which random number generators may be inserted into Fortran programs, but these are relatively time consuming if they are programmed in the Fortran language. The same models when programmed in SPS (Symbolic Programming System) are much faster and occupy much less space.

The choice of Fortran II for further study and implementation is quite logical since it is "easily implemented to problem solving applications and still compiles relatively efficient machine

language programs". It remains, however, to implement a method by which decisions may be made more efficiently, both in terms of the memory occupied and in terms of the time necessary for execution. Implementation of an efficient "random number generator" will also be necessary.

Fortran II is capable of using "functions" or subroutines.

Functions are divided into three types:

1. Library functions
  - a. Non-relocatable library functions
  - b. Relocatable library functions
2. Arithmetic statement functions
3. Fortran subprograms
  - a. Subprogram functions
  - b. Subprogram subroutines.

The most elementary type of function is the "non-relocatable" library function. These, along with the relocatable library functions, occupy the subroutine deck of the Fortran II compiler. This type of subroutine is used for the input and output functions as well as the basic arithmetic operations (such as add or multiply). They are under the control of the processor only and may not be called directly from a Fortran source program.

Non-relocatable library functions occupy a fixed area in core storage. They will be present in all Fortran programs and in the same location unless the processor is changed. These subroutines may be changed only with direct changes to the processor. It would be better to rewrite the entire processor than to attempt to work at the level of the "non-relocatable" library function. The rewards

for direct work on the processor would be about the same for a greater investment in time and effort. Hereafter, when reference is made to library functions, it will be to the exclusion of the non-relocatable variety.

Relocatable library functions will be compiled into the object program only if they are called from within the source program (with the exception of the exponential and logarithm library functions), and they will not occupy a fixed location. Certain functions, for instance the square root function, are not always required and would only occupy space in the computers memory. These are included as relocatable library functions so that core storage is not needlessly taken up.

Library functions are preprogrammed and exist in a prepared deck, referred to as the subroutine deck of Fortran II. Instead of appearing in the object program every time they are called, they appear only once and only if they are called. They may be called by including the name of the function in an arithmetic statement within the source program. The name is followed by a single argument enclosed in parentheses which may be a constant, a variable (subscripted or not subscripted), or an expression.

An example of a statement which will call two of the library functions, *Viz*, SINF and SQRTF, is:

$$Y = A - SINF(B * SQRTF(C)).$$

In this case, the assembled instructions of the object program will:

1. Branch to the square root subroutine to compute the value

- of the square root of C.
2. Multiply the value of the square root of C by B.
  3. Branch to the SINF subroutine to compute the value of the sine of the product.
  4. Subtract this value from A.
  5. Replace the present value of Y with the value obtained in step 4.

Only one value is produced by a library function and only one value may be used as an argument. Fortran II has the capability of using up to fifty library functions. The compiler furnished by IBM has seven. The process by which a user may add library functions will be discussed later.

An arithmetic statement function is defined by one arithmetic statement and applies only to the program in which it appears. The name of the function determines the mode of the value that is computed. The mode must be either fixed point or floating point as determined by the first letter in the name of the function.

The arithmetic statement function is defined as follows:

NAME (ARG) = EXPRESSION

where NAME is the name of the function, ARG is the argument and consists of one or more variable names of non-subscripted variables; and EXPRESSION is an arithmetic expression that must conform to the rules for forming expressions. Examples of arithmetic statement functions are as follows:

FIRST(X) = A \* X + B

```
SECOND(X,B) = COS(X) * FIRST(B)
Y = SECOND(C,D).
```

This sequence of functions could be replaced (losing a great deal of versatility but saving much space and computing time) by the following statement.

$$Y = \text{COS}(C) * (A * D + B)$$

The appearance of the name of an arithmetic statement function in an arithmetic statement serves to call the function.

As many of the variables appearing within the expression of a function as desired may be stated on the left hand side of the arithmetic statement function as arguments. The arguments are really only dummy variables so their names are unimportant except to specify the mode. They may even be the same as names appearing later in the program.

Those variables which are not stated as arguments are treated as parameters. Thus, if FIRST is defined in a function statement as

$$\text{FIRST}(X) = A * X + B,$$

then a later reference to FIRST(Y) will cause

$$A * Y + B,$$

based on the current values of A, B, and Y, to be computed.

The arguments of an arithmetic statement function may be expressions and may involve subscripted variables. Thus, a reference to

$$\text{FIRST}(Z + Y(I)),$$

as a result of the previous definition of FIRST, will cause

$$A * (Z + Y(I)) + B,$$

to be computed on the basis of the current values of A, B, Y(I), and Z.

Functions defined by arithmetic statements are always compiled as closed subroutines. A closed subroutine is used only by calling for it in the source program and will be used only in the program in which it was compiled. This means that the machine language instructions are compiled only once in the object program. Calling is accomplished either with the use of a "CALL" statement or by mentioning the name of a subroutine in the source program.

Fortran subprograms consist of subroutines that are not used frequently enough to be library functions, yet due to their size or complexity, they cannot be defined in a single arithmetic statement.

Fortran subprograms are compiled separately but the object program cannot be executed by itself. For execution they must be called and loaded by a main program. For this reason they are called subprograms. Since each subprogram is compiled separately, the arithmetic function and variable names used in the main program are completely independent of the function and variable names used in the subprogram. This means that very general subprograms can be created and used with any main Fortran II program.

Subprograms may be divided into two types; function subprograms and subroutine subprograms. Four statements are necessary for their definition and use. They are:

FUNCTION,  
SUBROUTINE,  
CALL, and  
RETURN,

and will be described later.

Although function and subroutine subprograms are similar and are treated together in this thesis, they differ in two significant respects:

1. Function subprograms can compute only one value, whereas subroutine subprograms can compute many values and return them to the main program.
2. Function subprograms may be called by an expression containing its name but subroutine subprograms are called by the use of a CALL statement. This means that function subprograms may be used in arithmetic statements.

The FUNCTION statement is always the first in a function subprogram and defines it as such. The general form of a FUNCTION statement is as follows:

FUNCTION "Name" (a<sub>1</sub>, a<sub>2</sub>, . . . , a<sub>n</sub>).

"Name" is the symbolic name of a single-valued function, and each argument (a<sub>1</sub>, a<sub>2</sub>, . . . , a<sub>n</sub>) is a non-subscripted variable name, i.e. must not be a member of a dimensioned array.

In a function subprogram, the name of the function must appear in an input list or on the left-hand side of an arithmetic statement. An example indicating the use of a FUNCTION statement and a RETURN statement and which conforms to this rule is as follows:

```
FUNCTION SUM (A,B)
SUM = A + B
RETURN.
```

The RETURN statement terminated the function subprogram and returns the value of the function to the calling program. Any number of these statements may be used but control must end with one of them.

The arguments which follow the function reference in the calling program must agree in number, mode, and order with the arguments listed in the FUNCTION statement in the function subprogram. When the argument in the reference statement is an array name the corresponding argument in the FUNCTION statement must also be an array name and both must be dimensioned within their respective programs. None of the dummy variables may appear in EQUIVALENCE statements in the function subprogram.

The SUBROUTINE statement is used in a subroutine subprogram in the same manner a FUNCTION statement is used in a function subprogram. The general form of the statement is as follows:

```
SUBROUTINE "Name" (a1, a2, . . . . , an).
```

"Name" is the symbolic name of a subprogram, and each argument, if any is specified, is a non-subscripted variable name. The SUBROUTINE statement defines the subroutine subprogram and must be the first statement in the subprogram. The subprogram must be a Fortran program and may use any Fortran II statement except a FUNCTION statement or another subroutine statement.

A calling program may refer to a subroutine subprogram by a

CALL statement which specifies the name of the subprogram and its arguments. The subroutine subprogram uses one or more of its arguments to return results. Therefore, the arguments that are used for this purpose must appear on the left-hand side of an arithmetic statement in the subprogram or in an input list within the subprogram.

The correspondence between arguments applies in the case of the subroutine subprogram just as it did for the function subprogram. That is, the arguments listed in the CALL statement must correspond in number, order, mode, and dimension.

The CALL statement refers only to the subroutine subprogram whereas the RETURN statement is used by both the function and subroutine subprograms. The general form of the CALL statement is as follows:

CALL "Name" (a<sub>1</sub>, a<sub>2</sub>, ..., a<sub>n</sub>) .

Name is the name of the subroutine subprogram being called and (a<sub>1</sub>, a<sub>2</sub>, ..., a<sub>n</sub>) are the arguments. Each argument may be a fixed or floating point constant or variable (with or without subscripts), or an expression.

A priority list of the functions in order of their power and flexibility would be as follows:

1. Non-relocatable Functions
2. Library Functions
3. Subroutine Subprograms
4. Function Subprograms
5. Arithmetic Statement Functions.

This list would have the same priority of difficulty of programming, the first being difficult and the last being normal Fortran programming.

A symbol table is a straightforward list of all encountered symbols such as subroutine names, variable names, and statement numbers (Leeson, 1962). A symbol table look-up operation occurs each time a constant, variable, or a statement number is encountered. If the symbol is in the table its object time address is found in the corresponding "Table of Addresses of Encountered Symbols" and is used in the generated object program. If the symbol is not in the table it is placed there and its object time address is determined and stored in the corresponding address table. The address is then used as above.

A brute force comparison is used to determine if a symbol is in the symbol table until a successful comparison is made, the temporary end of the symbol table is found, or the symbol table is found to be full. This way, the mere mention of a symbol defines it.

The first symbols in the symbol table are the names and alternate names of the library functions.

With the use of the symbol table and the table of encountered addresses, Fortran II generates a series of branch and transmit instructions, of the regular, immediate, and floating varieties, for the mainline program. The P address depends upon the operation desired and directs control to a subroutine. The Q address depends upon which symbol wants action at that time. Both will come from the table of addresses with the exception of operations requiring

the use of non-relocatable subroutines. These have a fixed location and their addresses may be found more directly. The symbol table and the table of addresses are both compiling aids and therefore are not used in an object program.

If the basic processor is changed we lose the ability of incorporating revisions furnished by IBM. If we work at the library function level or higher with very little additional work our developed subroutines may be used by a different processor (on a machine other than the 1620). For this reason, alterations and additions will be made in the form of library functions.

## DECISION SYSTEMS

A decision system is the algorithm for relating interacting variables in a problem solution. Decision systems can be simplified and put in a logical flow. For this discussion, then, a decision system will be described as a logical and orderly method by which decisions may be made.

The inefficiencies of a decision tree have already been demonstrated in the discussion of the "IF" statement. For simplification, this discussion will be reduced to one of "limited entry", or binary decisions. Even when using "IF" statements in Fortran, the two-way decision is often adequate.

The decision tree, for limited entry decisions, is shown in figure 2, where Y and N stand for Yes and no respectively. The use of two decision parameters yields four paths and requires three "IF" statements to accurately describe the system. Thus 20 parameters yield 1,048,576 possible paths and requires 1,048,575 "IF" statements to describe the system.

An example of a decision system is the problem of credit approval (Kirk, 1965). In this case three parameters are chosen on which to base a decision. They are:

1. Is the credit limit OK?
2. Is the pay experience favorable?
3. Has special clearance been obtained?

The decision tree to describe these parameters is shown in figure 2. The three parameters yield eight possible branches and

require seven comparisons to describe the system.

Structure tables are an advantageous method for unambiguously describing complex, multi-variable, multi-rule decision systems (Schmidt, 1964). Each table is a precise statement of the logical and quantitative relationships supporting a particular elementary process. They are developed in terms of the criteria or parameters affecting the problem and the various outcomes which may result. An example of a decision table incorporating the above parameters is described in figure 3.

This table may be shortened by introducing another symbol other than the Y or N. This symbol is "--" and means "not pertinent". Whenever this symbol is used, the parameter in question (the row) has no significance in that rule (the column). Using this new symbol the decision table in figure 3 is reduced to figure 4. Using this new decision table we may shorten the tree in figure 4 to that shown in figure 5. This shortens the problem to one of four paths and three "IF" statements by eliminating redundancies.

Another economy in the decision table is gained by introducing the concept of "ELSE". This concept merely states: if no rule in a decision table can be matched then the action specified by "ELSE" will be executed. Using this idea we may reduce the decision table above to two rules, one a formal rule and the second an implied rule (figure 6).

The conversion of a decision table into a decision tree is not always as easy as above. The usual case has been to construct the general tree with all of its redundancies and inefficiencies. Several algorithms by which a fairly consistant and efficient tree

may be constructed have been devised. One such algorithm will be presented here. This algorithm minimizes computer storage space required for the resultant program. It is also designed to pinpoint any contradictions or redundancies among the rules in a table (Pollack, 1965).

Figure 7 presents an example of a limited-entry decision table that could easily present redundancies and inefficiencies in the normal procedure of constructing a tree. The  $A_1$  are the actions, the  $C_1$  are the conditions or parameters, and the  $R_1$  are the rules. Before converting the decision table to individual comparisons and the series of branches associated with each path, the number of written decision rules should be reduced to a minimum to simplify the use of the algorithm. As an example, figure 7 may be reduced to the table described by figure 8.

It would be helpful to present a general description of how to convert the decision table to tree form before the algorithm due to Pollack is presented. The procedure is as follows.

One row of the original decision table is selected. The criterion for selection is given in the algorithm. The condition in that row becomes the first comparison of the flowchart. The original decision table is then decomposed into two subtables (containing one less row), or a subtable and a rule, or only two rules; and each of these is associated with each branch of the comparison.

This is continued with each subtable until the branches lead only to completed rules or "ELSE", or until a subtable indicates that the original table contained redundant or contradictory rules.

The algorithm is presented without proof, however when applied, it has proven to be effective (Pollack, 1965). The objective of the algorithm is to convert a decision table to a computer program and have this program use the minimum number of storage locations, and still be relatively fast.

Step one of the algorithm is a check for redundancy or contradiction. If at any stage, a pair of rules does not contain at least one (Y, N) pair in any of its row, redundancy or contradiction exists. Such is the case for rules 1 and 2 in figure 9. If the actions for rules 1 and 2 are identical a redundancy exists and rule 2 may be eliminated. Figure 10 presents an example of this. Where the actions for rule 1 differ from those of rules 2 and 3, a contradiction exists. Where the actions of rule 1 are identical with those of rules 2 and 3, a redundancy exists.

Step two of the algorithm is to make a dash count and determine those rows which have a minimum dash count. A dash that appears in a rule (column) that contains  $r$  dashes is counted as  $2^r$  dashes. For each rule,  $2^r$  is denoted as the column count. In each row, the sum of the column counts corresponding to the dashes in that row is called the dash count. A row dash count is the sum of the column counts of those rules that have dash entries in the row. This is illustrated in figure 11 in which row 2 has the minimum dash count.

Step three is used in the event that more than one row has a minimum dash count. It is to select that row which has a maximum delta, which is the absolute value of the difference of the Y-count and the N-count. The Y-count is the sum of the column-

counts corresponding to the Y's in the row. The N-count is similar. Figure 12 is an example of a decision table with a minimum dash count in all of the rows. Since  $C_1$  had the maximum delta, it was selected. The selected row is called k. In figure 12  $C_1=C_k$ .

Step four is to discriminate on the condition in row k. This discrimination has two branches, each of which leads to a subtable which contains one or more rules, with one row less than the original table (row k is deleted). The Y-branch had a Y in row k. The N-branch works similarly. In addition both subtables contain those rules that had a dash in row k of the previous table.

Step five is to go back to step one if the subtable of interest contains more than one rule.

Step six may be divided into four smaller steps each of which handles a different situation. They are as follows:

- a. If a branch leads to a subtable containing one rule, and if that rule contains all dashes, then replace the subtable with the rule itself.
- b. If a branch leads to a subtable with one rule, and that rule does not have all dashes but has more than one Y, N, or a combination of Y or N, choose as row k any row that has no dash. The selected branch will indicate a subtable with one less row in it. The opposing branch will indicate "ELSE".
- c. If a branch does not lead to a subtable, it leads to "ELSE".
- d. If a branch leads to a subtable containing only one rule,

and that rule contains only one condition whose value is Y or N, then one branch of the discrimination on that condition leads to the rule, the other branch leads to "ELSE".

As an example of the use of this algorithm, refer to the table in figure 8. The application of the algorithm yields figure 13.

Using this algorithm one may reduce a decision table to the minimum tree and program it in Fortran. This is then a valuable programming aid. This does not, however, allow a programmer to program decision tables into his Fortran program. This means, also, that the programmer must recalculate the entire decision tree, re-program it, and reprocess the program in order to make any change in the decision process. A possible program might perform the process of reducing the table to a tree, and might even generate the completed "IF" statements on cards. The compiling process would remain, however. It would be more desirable to change the decision table at object level.

It is possible to program decision tables into Fortran with the use of the computed "GO TO" statement and a simple arithmetic statement (Veinott, 1966). The computed "GO TO" statement indicates the statement that is to be executed next. However, the statement number that the program control is transferred to can be altered during the program. The general form of the computed "GO TO" statement is

GO TO (N<sub>1</sub>,N<sub>2</sub>,...,N<sub>m</sub>), I

where N<sub>1</sub>, N<sub>2</sub>, ..., N<sub>m</sub> are statement numbers and I is a non-subscripted fixed point variable. This statement causes transfer of control to the first, second, third, etc., statement in the list depending on whether the value of I is 1, 2, 3, etc.

The approach taken considers a decision table as a multiple branch within a program. The procedure is to calculate a unique number for each possible set of conditions. The unique numbers must be an unbroken series of consecutive numbers in order to be used as a branching variable. Figure 4 will serve as an example. A new table is constructed, adding a "value" column. Since there are  $2^3=8$  possible combinations of three conditions, 8 columns will be provided, one for each possible combination. The 8 columns are numbered from 0 to 7 inclusive. X's are placed in the columns so that the corresponding "values" add to the number heading the column. This is represented in figure 14. This provides a unique number for each possible combination with a consecutive order. Since the series contains a zero it is necessary to add one to make it a branching variable. Ordinarily yes is denoted by 1 and no is denoted by 0. This convention is carried over in this case. In the above table the following notation is used:

I1=1,	Credit Limit OK
=0,	Otherwise
I2=1,	Pay Experience OK
=0,	Otherwise
I3=1,	Special Clearance
=0,	Otherwise

N1=	Statement number to initiate the action "do not approve order"
N2=	Statement number to initiate the action "approve order"

The Fortran program for this table is as follows:

```
JUMP=1+I1+2*I2+4*I3
GO TO (N1,N2,N2,N2,N2,N2,N2,N2),JUMP
```

It may be desirable to represent one or more conditions by more than two states. Again, let there be  $m$  conditions, the states of each of which is indicated by the value of variables  $I_1, I_2, \dots, I_m$ . Let the various conditions have  $K_1, K_2, \dots, K_m$  mutually exclusive states. That is, the conditions themselves are represented by the "I" variables: each of these "I" variables can take on different values, starting with zero, to express the state of this particular condition. The number of states of any condition.

Since the states, for any condition, are mutually exclusive, by definition, only one state can exist at a time for any given condition. The number of combinations or "rules" that exist will be:

$$\text{Number of rules} = (K_1) (K_2) \dots (K_m) = R. \quad (\text{Veinott, 1966})$$

For convenience, let  $K_{NL}$  equal the number of states of the next-to-the-last condition.

The procedure in programming such a table is to set up  $R$  rules and identify each combination. To each combination a statement number must be assigned. The Fortran program would be:

```
JUMP=1+I1+K1*I2+K1*K2*I3+....+(K1*K2...*KNL)*Im  
GO TO (N1,N2,.....,Nr),JUMP
```

For an example, see figure 15.

This technique requires the exclusion of the "--" or "not pertinent" element as well as the use of "ELSE". This means that a table must be expanded to cover all possible combinations of conditions. For the limited entry decision table  $2^n$  rules are required for n decision parameters. Finally, changes in the decision table cannot be made on the object level. The user must recompile his program to make any such changes.

A more efficient and faster method is desirable, as well as one which will allow changes on the object level. An algorithm which should best fit these requirements was presented by Kirk in January, 1965. It is as follows.

The first step is to prepare a binary image of the condition portion of the decision table. This image, called the "table vector" and consisting of "rule vectors" is shown in figure 16 for the credit-approval table in figure 3.

The table matrix and the data vector alone do not have sufficient information for solving the problem because of the use of a zero for nonpertinent conditions in the table matrix. A masking matrix is used to screen out nonpertinent conditions from the data vector prior to scanning the table matrix. The masking matrix is produced by replacing a Y and an N with a 1, and "--" with 0. Therefore, a logical multiplication will insure a zero in the element of the data vector corresponding with a nonpertinent element in the original table. The masking matrix for the credit

approval table is as in figure 17.

A table of logical multiplication, shown in figure 18 is used to multiply the data vector, element by element, by the appropriate masking vector prior to scanning. The result is then compared to the corresponding table vector. If a match is found the resulting action is executed; if not the next masking vector and table vector are tried until the table is exhausted. If the table is exhausted then "ELSE" is executed.

Since the IBM 1620 computer is not a binary computer, the use of characters is necessary. The logic used in the programming of this algorithm is presented in a subsequent section of this thesis.

## RANDOM NUMBERS

A Monte Carlo calculation makes systematic use of random numbers. The simulation is provided with internally generated data that has the same characteristics as the actual data (Bowman and Fetter, 1961). A schematic diagram of a process might consist of a jagged, irregular figure representing the collection of facts as observed. An idealized model, represented by a smooth curve may be derived from the schematic diagram of observations. This model, used with a random number generator, produces an artificially irregular figure, representing the simulated experience. The simulated data is used in mathematical models for further simulations. In addition to providing more extensive data, you can generate your data according to any known rule or give it any special characteristics that you wish in order to study the effects on your simulation model.

The scheme chosen for generating random numbers has the following features: (a) the numbers generated are uniformly distributed between 0 and 1; (b) there is no serial correlation between successive numbers in the sequence; (c) about 50 million numbers can be generated before the sequence repeats itself; (d) the calculation is easy to perform on an electronic computer (Hull, 1962).

The scheme is this: Start with any ten-digit number of the form xyz0000001; call it  $R_0$ . Thereafter

$$R_n = K \cdot R_{n-1} \pmod{10^{10}}$$

where K is a fixed multiplier, which should be a ten digit odd power

of a prime that is relatively prime to 10. Possible values for K include (Hull, 1962),

$$3^{19} = 1,162,261,467$$

$$7^{11} = 1,977,326,743$$

$$11^9 = 2,357,947,691.$$

The recursion relation expressed above in symbols can be translated: To get the next number in the sequence, multiply the previous number by K. The result will be a 20 digit number. Take the last (right-hand) ten digits of the product as the next number in the sequence. Treat the number as a ten-digit decimal.

This scheme will generate rectangular or uniform random numbers which in turn may be used to sample from any distribution desired. It was coded in the Symbolic Programming System (SPS) language for the 1620 and compiled as a library function for Fortran II (see page ).

Non-uniform random numbers are occasionally needed in order to more properly describe a particular process. For one dimensional distributions we need only to solve the equation  $x=F(y)$  for y, where x is uniformly distributed, and where  $F(y)$  is the required (cumulative) distribution function. For example, if y is to be exponentially distributed, the following distribution function is used:

$$x = 1 - e^y \quad \text{and}$$

$$y = \ln(1 - x).$$

An arithmetic statement function to generate random numbers representing an exponential distribution could be as follows.

```
EXPRN(X) = LOGF(1. - RNDM(X))
```

The use of these functions has been previously described.

Many simulations require the use of arbitrary distributions, which may be used with a table look-up operation. For a detailed study on the use of arbitrary distributions, see Starr and Miller (12).

Since its development, the random number generator has been tested by Wichlan (14). The numbers were found to be rectangular on the five per-cent level. The Chi-squared and Serial Correlation tests were used.

## IMPLEMENTATION OF THE MODIFIED PROCESSOR

The Decision Table subroutine has been coded into a relocatable library subroutine. There is present a need for the capability to set up data vectors, i.e. present the conditions as they actually exist in the form of a vector. This capability must be in the form of relocatable subroutines to be compatible with the Decision Table subroutine. A one parameter data vector, with the help of the proper subroutine, could be set up with the following Fortran statement.

```
DATA = EQ(T-S)
```

If T and S are equal, a 1 will become the entire data vector; if not a 0 will be produced. The functions available for constructing the data vector are:

EQ	Equal
UN	Not equal
GE	Greater than
LE	Less than
GE	Greater than or equal
LE	Less than or equal
NC	No change (for data vectors that have already been produced)
YES	Always generates a 1
NO	Always generates a 0
RDATA	The entire data vector will be read in.

An example of the use of these functions is illustrated by the

following Fortran statement.

```
DATA=EQ(T-S)+GR(U-T+LRU-S)+GE(T-U)+LE(U-T)
```

if T=1, S=2, and U=3 the following data vector will be produced.

```
011000
```

The data vector may then be tested after a table has been read into core. This is accomplished by the following statement.

```
ACTION=RDTB(1)
```

This will cause a decision table to be read into the proper place in core (common). It will also be named table number 1. Thereafter a table may be referred to by its number in testing as follows:

```
JUMP=TEST(1).
```

The last data vector produced will then be tested by decision table number 1. The resulting value will be assigned to the branching variable, JUMP. JUMP is then used in a computed GO TO statement.

The credit approval table will serve as an example (figure 4). The following variables will be used in the example:

JUMP =	the branching variable
ORDLMT =	the customers credit limit
CUSDBT =	the amount owed by the customer
ORDAMT =	the dollar amount of the order
X =	a dummy variable

The Fortran program is as follows:

```
DATA=GE(CRDLMT-(CUSDBT+ORDAMT))+YES(X)+NO(X)
ACTION=RDTB(1)
JUMP=TEST(1)
GO TO (1,1,1,2),JUMP
```

The DATA statement may vary and options may be placed under switch control. When DATA is executed a data vector is produced and stored in core according to the function names and the values of their arguments. When the function RDTB(1) is executed a table will be read into common and labeled with a 1. In this case the table will look like the following:

```
0403
1--‡
01-‡
001‡
000‡
```

where 0403 means that there are four rules and three conditions in the table. For each table the limit on conditions is 79 and the limit on rules is 99. The rules may be presented in any order but the desired actions must be expressed in the same order in the computed GO TO statement used in the source program. ACTION and DATA are dummy variables but must be floating point variables. The data vector must fit the table it is intended for. The decision table and data vector must be based on the same number of conditions or parameters. In addition, the data vector must be used before another data vector is produced. However, a decision system may contain more than one decision table. Tables may also

vary in length.

When the arithmetic statement defining JUMP is encountered a value will be assigned to the variable, JUMP. Assuming this particular customer has exceeded his credit limit, the value of the data vector is as follows.

010

The resulting value of JUMP will be 2 and statement number 1 will be the next statement executed within the program.

If a data vector is to be read in, the entire data vector must be ready and must be right justified on the data card with a flag over the left-most element on the card as follows.

columns 78-80

010

The data vector should have the same number of conditions as does the table used for testing.

The purpose of the "data arranging" subroutines is to set up the data vectors in a place in core which is accessable to all of the relocatable subroutines. In this way any subroutine can make changes to or use the data vector as it must. The purpose of the "table reading and testing" subroutine is to read a table into core, label it and set up the table and masking matrices. At the time of testing the logical multiplication is performed on the data vector to mask it and the result is compared to the table vector. Each time a comparison is made a counter is incremented by one. When a comparison is successfully made this counter becomes the value of the branching variable. The subroutines and

their flow-charts are presented in the appendix.

In order to implement relocatable library functions, they must first be coded into a 1620 SPS source program. The origin is assigned at location 10,000. All P and Q addresses that are relative to the origin must be labeled as such by placing a flag in the  $O_1$  and  $O_2$  positions of that same instruction, respectively.

The resulting condensed object, with the first 2 and last 7 cards removed, must be preceded by a header card punched with the following information:

Columns 1- 5       XXXXX     Total number of storage locations required by the subroutine. This number must be even.

Columns 11-12     YY         The alternate subroutine number if any.

Columns 16-20     WWWWW     The alternate entry point if any.

Column 63            A record mark.

Columns 75-80      XX0001    Card sequence number, where XX is the subroutine number.

The object deck, minus the header card, must be renumbered starting with XX0002, where XX is the subroutine number.

If a subroutine contains two entry points the card sequence numbering does not change and is done as if no alternate entry were in effect. The information given on the header is sufficient for the use of the alternate entry point. The packet of cards can be inserted between any two subroutines in the library subroutine deck.

It is also necessary to increase the number in columns 1-2 of card 03000 of the Pass I deck to reflect a new total number of relocatable subroutines. Then add the subroutine name(s) at the end of the last card. If a new card is required, it must be numbered consecutively.

Linkage into the subroutine is provided with one of the "Branch and Transmit" instructions. For instance:

BTM SUBR, A

will branch to SUBR and carry A with it. It will place the field represented by A into core just before the entry point of SUBR. When the subroutine is finished a "Branch Back" will be encountered and control will be transferred back to the mainline program.

## TRIAL PROGRAMS

In order to test the effectiveness of the decision processes and illustrate the use of the random number generator, a system was chosen for simulation. This system entails a pump and a tank. The pump is used to fill the tank and may have various capacities. The capacity of the pump is stated in terms of the depth of liquid replaced in the tank per pass through the simulation. Thus, a continuous process is simplified into a discrete process. The pump will also have a tendency to heat during the process of pumping. It is assumed that the process of pumping will increase the temperature of the pump by one degree during one pass through the simulation. Initially the pump is 70 degrees and the upper safety limit is 180 degrees. It is assumed that the atmosphere is 70 degrees.

The loss of heat from the pump depends upon the temperature of the pump. The computer program removes heat from the pump by finding the temperature gradient between the pump and the atmosphere and subtracting one hundredth of it from the pump temperature during each pass through the simulation when the pump is inactive.

The tank has a valve which may be used to remove liquid from the tank at the rate of "B" feet per pass through the simulation. The control of this valve is placed under a user of users. The program places the control of this valve under a switch on the 1620 console or will simulate the use of the valve with the random number generator at the discretion of the operator. It is

considered desirable to keep the level of the tank between four and five feet.

In addition, two alarms are provided. The first is a heat alarm and will be turned on when the temperature of the pump exceeds 180 degrees. The second is a "tank level high" alarm and will be turned on when the liquid level in the tank exceeds five feet. The decision table used to govern the pump and the alarms is depicted by figure 19.

This entire process has been simulated in four different ways each of which differs in the decision process. The general flow diagram is as presented in figure 20. They are as follows:

1. Using a tree constructed by eliminating the table (figure 19) one condition at a time in the order of their occurrence.
2. Using a tree constructed by eliminating the table according to the "dash count" of the conditions (thus constructing an optimal tree).
3. Programming the table in the Fortran language.
4. Using the table on the object level, thus using the aforementioned library subroutines.

The tree which resulted from reducing the table one condition at a time is illustrated in figure 21. This reduction was accomplished by first discriminating on condition number one (tank in use) and progressing directly through the rest of the conditions until the conversion was complete. The resulting program is illustrated by figure 22.

The tree which resulted from the reduction of the table

according to the dash count is as described by figure 23. According to the proponents of the algorithm used, this is the smallest tree that can be produced. The resulting program is illustrated by figure 24.

Programming the decision table in the Fortran language is accomplished by expanding the decision table into the form indicated in figure 25. This is then programmed with the use of a single arithmetic statement and a computed "GO TO" statement. The resulting program is illustrated by figure 26.

The use of the decision table on the object level calls for a reduction for the decision table as depicted in figure 27. The resulting program is illustrated by figure 28.

The resulting programs are compared in figure 29. This comparison is made to illustrate the difference in programming, time and core storage necessary to perform the simulation with 1000 passes. Although the tank use was controlled by the random number generator, the same tank usage was experienced since the same argument controlled the random number generator in all of the programs in the comparison.

The fastest programs were the programs which used the decision trees. Both had times of 1.901 minutes. The slowest program was the program using the SPS subroutines with a time of 5.222 minutes. The shortest mainline program is the program using the SPS subroutines. However, when the subroutines are taken into consideration this program becomes the longest. The shortest program (including the required subroutines) is the decision tree produced by Pollack's algorithm. However, the subroutines are of a constant

length and the mainline programs are of a variable length. For programs requiring more complicated decision systems the program produced with Pollack's algorithm would soon prove to be shorter. There would be a break-even point where the length of the improved decision tree program would be the same as the length of a program utilizing the decision table subroutines. Any larger systems would yield a shorter program with these subroutines.

## CONCLUSION

The comparison of the different trial programs yields the following information.

- 1) Small to medium decision systems yield shorter programs when reduced to a tree with Pollack's algorithm<sup>2</sup>.
- 2) Larger decision systems would probably yield the shortest programs using decision tables and the special subroutines.
- 3) The particular example shown above indicates that faster programs are feasible, using a decision tree. There is, however, nothing on which to base a generalization about the speed of resulting programs.

In addition, the SPS subroutines allow changes to be made on the object level of compiled programs, thus allowing a greater flexibility. This is important for simulations because you can try several different rules and arrangements and study the effects they have on an organization without recompiling any programs.

The SPS subroutines are of the following lengths.

Random Number Generator.....	240
Read Table and Test.....	2164
Greater than or equal and Less than equal.....	290
Greater than and Less than.....	290
Equal and Unequal.....	280

---

<sup>2</sup>Pollack has met with recent criticism of his algorithm. His assumption has been proven not infallable by Sprague (11).

Yes and No.....	194
No Change.....	90
Read Data.....	36

Some of these are quite small and efficient; others (due to their complexity) are large and bulky. It is quite probable that some of the subroutines could be shortened and/or made to operate faster by another approach, either to the problem solution or to the techniques used in programming the solution. Due to its length and bulk the "Read Table and Test" subroutine could probably be shortened considerably.

## FIGURES

PLATE I

Figure 1 is an example of a decision tree in which each condition has three states. Figure 2 illustrates a binary or limited-entry decision tree.

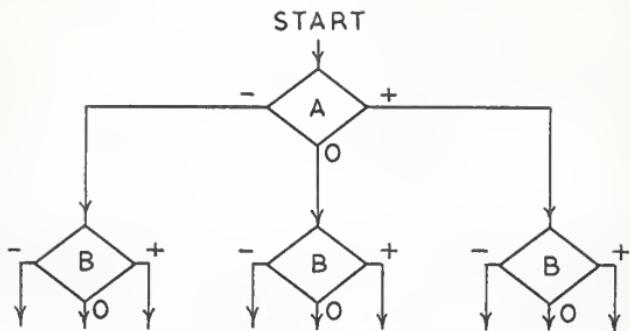


Fig. 1

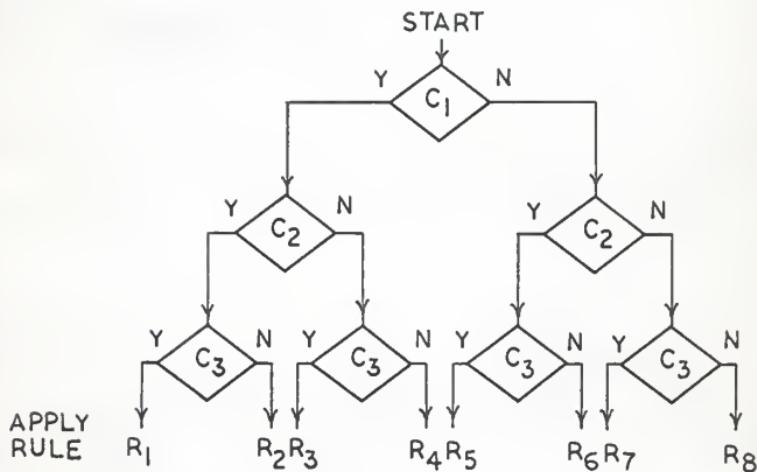


Fig. 2

## PLATE II

Figure 3 is a credit approval decision table which is expanded to include all possible cases. Figure 4 is the same table after the rules have been combined with "not-pertinent" elements. Figure 5 is the credit approval table illustrated in the form of a tree.

CONDITIONS	Logic Rules							
	1	2	3	4	5	6	7	8
C <sub>1</sub> Credit Limit OK	Y	Y	Y	Y	N	N	N	N
C <sub>2</sub> Pay Experience OK	Y	Y	N	N	Y	Y	N	N
C <sub>3</sub> Special Clearance	Y	N	Y	N	Y	N	Y	N
ACTIONS								
A <sub>1</sub> Approve Order	X	X	X	X	X	X	X	
A <sub>2</sub> Disapprove Order								X

Fig. 3

CONDITIONS	Logic Rules			
	1	2	3	4
C <sub>1</sub> Credit Limit OK	Y	N	N	N
C <sub>2</sub> Pay Experience OK	-	Y	N	N
C <sub>3</sub> Special Clearance	-	-	Y	N
ACTIONS				
A <sub>1</sub> Approve Order	X	X	X	
A <sub>2</sub> Disapprove Order				X

Fig. 4

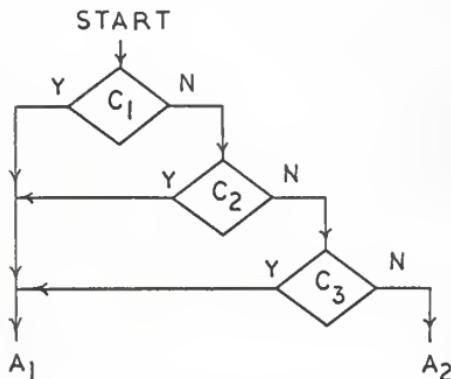


Fig. 5

PLATE III

Figure 6 is the credit approval table simplified by using the implied decision rule - "ELSE". Figure 7 is any decision table. Figure 8 is the simplified version of figure 7 after the introduction of the "not-pertinent" element.

CONDITIONS		Logic Rules 1 E
$C_1$ Credit Limit OK		N
$C_2$ Pay Experience OK		N
$C_3$ Special Clearance		N
ACTIONS		
$A_1$ Approve Order		X
$A_2$ Disapprove Order		X

Fig. 6

	R <sub>1</sub>	R <sub>2</sub>	R <sub>3</sub>	R <sub>4</sub>	R <sub>E</sub>
$C_1$	Y	Y	N	N	
$C_2$	N	Y	Y	N	
$C_3$	Y	N	Y	Y	
$A_1$	X			X	
$A_2$		X	X		
$A_E$					X

Fig. 7

	R <sub>1,4</sub>	R <sub>2</sub>	R <sub>3</sub>	R <sub>E</sub>
$C_1$	-	Y	N	
$C_2$	N	Y	Y	
$C_3$	Y	N	Y	
$A_1$	X			
$A_2$		X	X	
$A_E$				X

Fig. 8

PLATE IV

Figures 9 and 10 illustrate decision tables which contain redundant or inconsistant rules. Figure 11 is a decision table which indicates the use of a dash count. Figure 12 illustrates the use of a dash count and the delta of each condition.

	R <sub>1</sub>	R <sub>2</sub>
C <sub>1</sub>	-	N
C <sub>2</sub>	N	N

Fig. 9

	R <sub>1</sub>	R <sub>2</sub>	R <sub>3</sub>
C <sub>1</sub>	-	Y	N

Fig. 10

Column Count	4	4	2	Dash Count
	R <sub>1</sub>	R <sub>2</sub>	R <sub>3</sub>	
C <sub>1</sub>	N	-	Y	4
C <sub>2</sub>	N	Y	-	2
C <sub>3</sub>	-	Y	N	4
C <sub>4</sub>	-	-	N	8

Fig. 11

Column Count	1	2	1	2	2	2	Dash Count	Delta	Y Count	N Count
	R <sub>1</sub>	R <sub>2</sub>	R <sub>3</sub>	R <sub>4</sub>	R <sub>5</sub>	R <sub>6</sub>				
C <sub>1</sub>	Y	N	N	N	N	-	2	6	1	7
C <sub>2</sub>	Y	N	Y	-	Y	N	2	0	4	4
C <sub>3</sub>	N	N	N	Y	-	Y	2	0	4	4
C <sub>4</sub>	N	-	N	N	Y	Y	2	0	4	4

Fig. 12

PLATE V

Figure 13 illustrates the application of Pollack's algorithm for the expansion of decision tables into minimum decision trees.

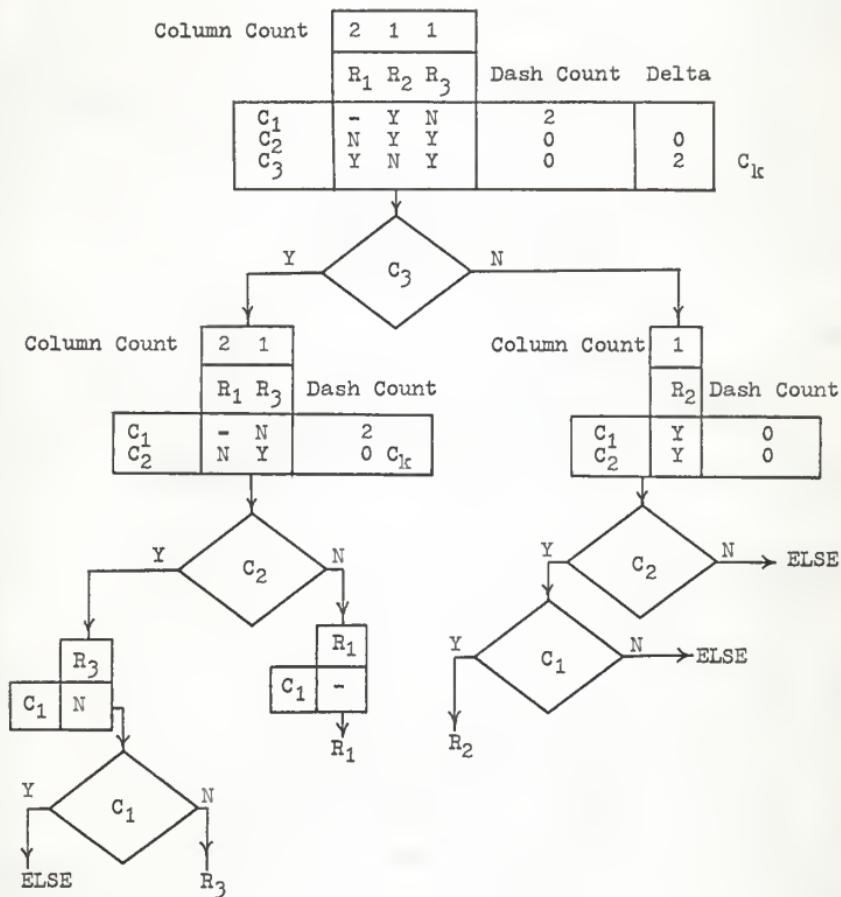


Fig. 13

PLATE VI

Figure 14 illustrates the credit approval table modified for programming in Fortran. Figure 15 illustrates a table containing conditions with more than two states modified for Fortran programming.

Fig. 14

Fig. 15

PLATE XII

Figure 16 is the table matrix for the credit approval table. Figure 17 is the masking matrix for the credit approval table. Figure 18 illustrates a table of logical multiplication.

CONDITIONS	Logic Rules			
	1	2	3	4
C <sub>1</sub> Credit Limit OK	1	0	0	0
C <sub>2</sub> Pay Experience OK	0	1	0	0
C <sub>3</sub> Special Clearance	0	0	1	0

Fig. 16

CONDITIONS	Logic Rules			
	1	2	3	4
C <sub>1</sub> Credit Limit OK	1	1	1	1
C <sub>2</sub> Pay Experience OK	0	1	1	1
C <sub>3</sub> Special Clearance	0	0	1	1

Fig. 17

1	0
1	0
0	0

Fig. 18

PLATE VIII

Figure 19 is the decision table for the "pump and tank" simulation.

CONDITIONS	Logic Rules									
	1	2	3	4	5	6	7	8	9	10
C <sub>1</sub> Tank In Use	-	-	-	-	0	1	1	1	1	0
C <sub>2</sub> Pump Running	1	0	1	0	1	0	0	1	1	0
C <sub>3</sub> Level Below 4 Feet	-	-	-	-	1	0	1	0	0	-
C <sub>4</sub> Level Above 5 Feet	1	1	0	0	0	0	0	0	0	0
C <sub>5</sub> Pump Temperature Above 180 F	-	-	1	1	0	0	0	0	0	0
ACTIONS										
A <sub>1</sub> Start Pump	-	-	-	-	1	-	-	-	-	-
A <sub>2</sub> Stop Pump	1	-	1	-	1	-	-	1	-	-
A <sub>3</sub> Tank Level High Alarm	1	1	0	0	0	0	0	0	0	0
A <sub>4</sub> Pump Temperature High Alarm	-	1	1	0	0	0	0	0	0	0
Action Set Number	1	2	3	4	5	6	7	7	5	7

Fig. 19

PLATE IX

Figure 20 is the flow logic used to simulate the pump and tank.

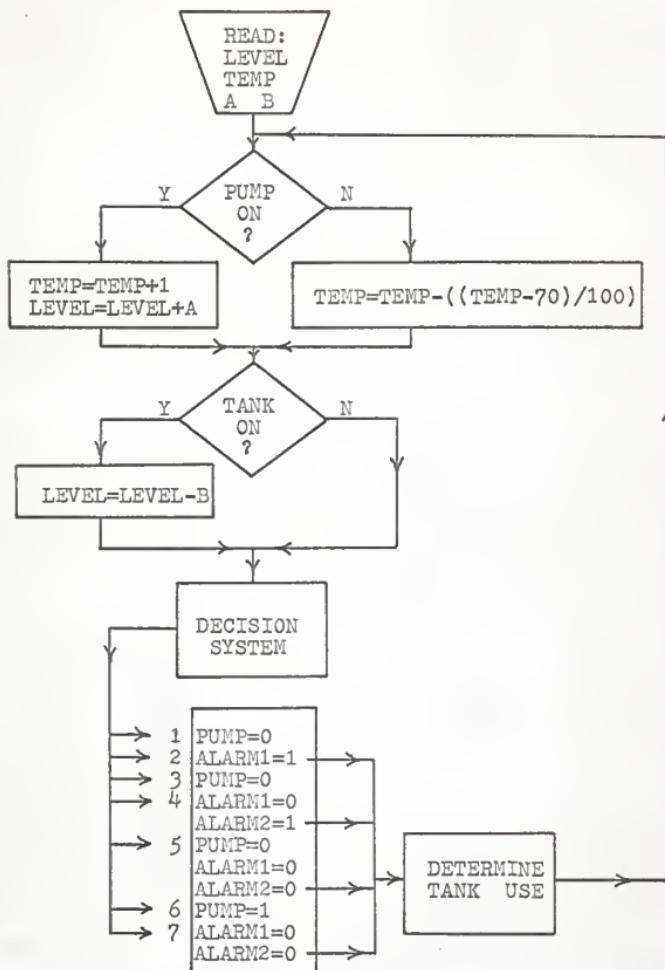


Fig. 20

PLATE X

Figure 21 is the unimproved decision tree for the pump simulation table.

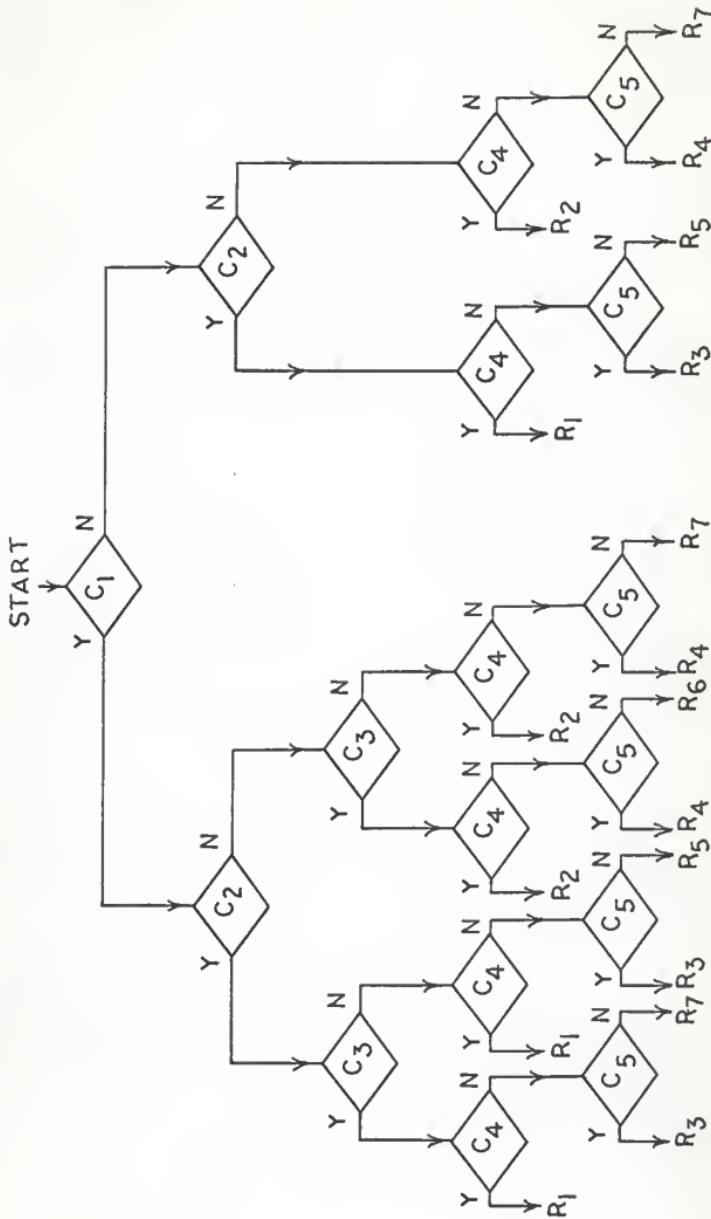


Fig. 21

PLATE XI

Figure 22 (3 pages) is the program for the unimproved decision tree for the pump simulation.

```

** PUMP AND TANK SIMULATION (UNIMPROVED DECISION TREE)
17 FORMAT(F7.0,F12.0,F13.1,F12.0,F11.0,F12.0)
23 FORMAT(F6.3,F6.3,F6.0,F6.0,F6.3)
60 FORMAT(3X7HTANK ON5X7HPUMP CN6X5HLEVEL 7X4HTEMP5X11HLEVEL ALARM2X10
1HTEMP ALARM)
80 FORMAT(2HA=F6.3,5X2HB=F6.3)

C
C   A IS THE CAPACITY OF THE PUMP
C   B IS THE CAPACITY OF THE TANK VALVE
C   SIZE IS THE SIZE OF THE SIMULATION
C

71 READ 23,A,SIZE,B,TEMP,ALEVEL
PUNCH 80,A,B
PUNCH 60
TANK=0.
PUMP=0.
CCOUNT=0.

70 IF(CCOUNT-SIZE)22,71,71
22 IF(PUMP)8,8,9
9 TEMP=TEMP+1.

ALEVEL=ALEVEL+A
GO TO 24
8 TEMP=TEMP-((TEMP-70.)/100.)
24 IF(TANK)10,10,11
11 ALEVEL=ALEVEL-B
10 IF(ALEVEL)12,13,13
12 ALEVEL=0.

C
C DECISION SYSTEM
C
13 IF(TANK)52,52,41
41 IF(PUMP)47,47,42
42 IF(ALEVEL=-4.)43,45,45
43 IF(ALEVEL=-5.)44,44,1
44 IF(TEMP-180.)7,3
45 IF(ALEVEL=-5.)46,46,1
46 IF(TEMP-180.)5,5,3

```

PLATE XII

Figure 22 continued.

```

47 IF (ALEVEL-4.) 48,50,50
48 IF (ALEVEL-5.) 49,49,2
49 IF (TEMP-180.) 6,6,4
50 IF (ALEVEL-5.) 151,51,2
51 IF (TEMP-180.) 7,7,4
52 IF (PUMP) 55,55,53
53 IF (ALEVEL-5.) 54,54,1
54 IF (TEMP-180.) 5,5,3
55 IF (ALEVEL-5.) 56,56,2
56 IF (TEMP-180.) 7,7,4

C CHANGE THE VARIABLES ACCORDING TO THE DECISION
C
C
1 PUMP=0.
2 ALARM1=1.
GC TC 14
3 PUMP=0.
4 ALARM1=0.
ALARM2=1.
GC TC 14
5 PUMP=0.
ALARM1=0.
ALARM2=0.
GC TC 14
6 PUMP=1.
7 ALARM1=0.
ALARM2=0.
14 COUNT=COUNT+1.

C
C SWITCH 1 ON TO PUNCH STATUS
C SWITCH 2 ON - TANK USE IS RANDOM
C CFF - TANK CONTROLLED BY SWITCH 3
C SWITCH 3 ON - TANK IN USE
C CFF - TANK NOT IN USE

C
C
15 IF (SENSE SWITCH 1) 15,16
15 PUNCH 17,TANK,PUMP,ALEVEL,TEMP,ALARM1,ALARM2

```

PLATE XIII

Figure 22 concluded.

```
16 IF(SENSE SWITCH 2)18,19
18 IF(•5-RAN(•243))20,20,21
20 TANK=0.
20 GO TO 70
21 TANK=1.
21 GO TO 70
19 IF(SENSE SWITCH 3)21,20
END
```

PLATE XIV

Figure 23 is the improved decision tree for the pump simulation.

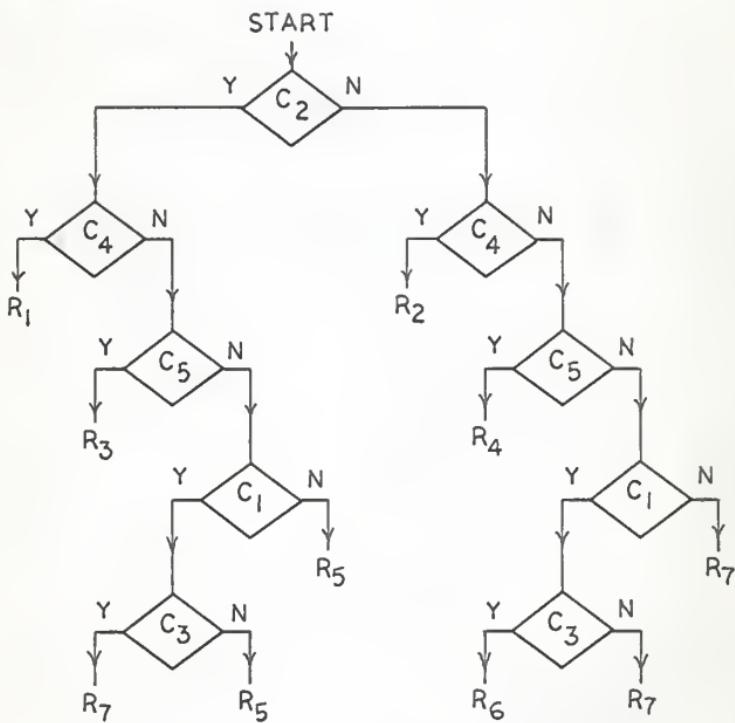


Fig. 23

PLATE XV

Figure 24 is the Fortran program for the improved decision tree for the pump simulation.

```

** PUMP AND TANK SIMULATION (IMPROVED DECISION TREE)
17 FORMAT( F7.0,F12.0,F13.1,F12.0,F11.0,F12.0 )
23 FORMAT(F6.3,F6.3,F6.0,F6.0,F6.0,F6.0 )
60 FORMAT(3X7HTANK CN5X7HPUMP CN6X5HLEVEL7X4HTEMP5X11HLEVEL ALARM2X10
1HTEMP ALARM)
80 FORMAT(2HA=F6.3,5X2HB=F6.3)

C A IS THE CAPACITY OF THE PUMP
C B IS THE CAPACITY OF THE TANK VALVE
C SIZE IS THE SIZE OF THE SIMULATION
C

71 READ 23,A,SIZE,B,TEMP,ALEVEL
    PUNCH 80,A,B
    PUNCH 60
    TANK=0.
    PUMP=0.
    CCOUNT=0.

70 IF(CCOUNT-SIZE)22,71,71
22 IF(PUMP)8,8,9
9   TEMP=TEMP+1.

ALEVEL=ALEVEL+A
GC TC 24
8   TEMP=TEMP-((TEMP-70.)/100.)
24 IF(TANK)10,10,11
11 ALEVEL=ALEVEL-B
10 IF(ALEVEL)12,13,13
12 ALEVEL=0.

C DECISION SYSTEM
C
13 IF(PUMP)30,30,31
30 IF(ALEVEL-5.)33,33,2
33 IF(TEMP-180.)35,35,4
35 IF(TANK)7,7,36
36 IF(ALEVEL-4.)16,7,7
31 IF(ALEVEL-5.)32,32,1
32 IF(TEMP-180.)34,34,3

```

PLATE XVI

Figure 24 concluded.

```

34 IF(TANK5,5,37
37 IF(ALEVEL-4,17,7,5
C CHANGE THE VARIABLES ACCORDING TO THE DESIGN
C
1 PUMP=0.
2 ALARM1=1.
GC TC 14
3 PUMP=0.
4 ALARM1=0.
ALARM2=1.
GC TC 14
5 PUMP=0.
ALARM1=0.
ALARM2=0.
6 PUMP=1.
7 ALARM1=0.
ALARM2=0.
14 COUNT=COUNT+1.

C SWITCH 1 CN TC PUNCH STATUS
C SWITCH 2 CN - TANK USE IS RANDOM
C CFF - TANK CCNTRILLED BY SWITCH 3
C SWITCH 3 CN - TANK IN USE
C CFF - TANK NOT IN USE
C
C IF(SENSE SWITCH 1) 15,16
15 PUNCH 17,TANK,PUMP,ALEVEL,TEMP,ALARM1,ALARM2
16 IF(SENSE SWITCH 2)18,19
18 IF((•5-RAN(•243))120,20,21
20 TANK=0.
GC TC 70
21 TANK=1.
GC TC 70
19 IF(SENSE SWITCH 3)21,20
END

```

PLATE XVII

Figure 25 is the expanded decision table for programming the pump simulation decision table in Fortran.

	Logic Rules									
value	0	1	2	3	4	5	6	7	8	9
C <sub>1</sub>	1	0	1	0	1	0	1	0	1	0
C <sub>2</sub>	2	0	0	1	1	0	0	1	0	0
C <sub>3</sub>	4	0	0	0	1	1	0	0	1	0
C <sub>4</sub>	8	0	0	0	0	0	1	1	1	1
C <sub>5</sub>	16	0	0	0	0	0	0	0	1	1
Action Set	7	7	5	5	7	6	5	7	2	2
	1	1	2	2	1	1	4	4	3	3
	3	3	4	4	3	3	2	2	1	1
	2	2	2	2	2	2	2	2	2	3

Fig. 25

PLATE XVIII

Figure 26 is the program for the pump simulation using the decision table in Fortran.

```

** PUMP AND TANK SIMULATION (DEC TABLES WITHOUT MCD. PROCESSOR)
 17 FORMAT(1I6,1I2,F14.1,F12.0,F11.0,F12.0)
 23 FORMAT(F6.3,F6.0,F6.3,F6.0,F6.3)
 60 FORMAT(3X7HTANK CN5X7HPUMP CN6X5HLEVEL 7X4HTEMP5X11HLEVEL ALARM2X10
        1:TEMP ALARM)
 80 FORMAT(2HA=F6.3,5X2HB=F6.3)

C
C A IS THE CAPACITY OF THE PUMP
C B IS THE CAPACITY OF THE TANK VALVE
C SIZE IS THE SIZE OF THE SIMULATION
C
C 71 READ 23,A,SIZE,B,TEMP,ALEVEL
    PUNCH 80,A,B
    PUNCH 60
    ITANK=0
    IPUMP=0
    COUNT=0.
    70 IF((COUNT-SIZE)22,71,71
    22 IF((PUMP)8,8,9
    9 TEMP=TEMP+1.
    ALEVEL=ALEVEL+A
    GO TO 24
    8 TEMP=TEMP-((TEMP-70.)/100.)
    24 IF((TANK)10,10,11
    11 ALEVEL=ALEVEL-B
    10 IF((ALEVEL)12,13,13
    12 ALEVEL=0.

C DECISION SYSTEM
C
    13 IF((ALEVEL-4.)140,41,41
    40 I3=1
    GO TO 42
    41 I3=0
    42 IF((ALEVEL-5.)43,43,44
    44 I4=1
    GO TO 45

```

PLATE XIX

Figure 26 continued.

```

43 I4=0
45 IF(TEMP-180.)46,46,47
47 I5=1
48 GO TO 48
46 I5=0
48 JUMP=1+I TANK+2*I PUMP+4*I3+8*I4+16*I5
      GO TO (7,7,5,5,7,6,5,7,2,2,1,1,2,2,1,1,4,4,3,3,4,4,3,3,2,2,1,1,2,2
1,1,1),JUMP
C CHANGE THE VARIABLES ACCORDING TO THE DECISION
C
1 IPUMP=0
2 ALARM1=.*
GO TO 14
3 IPUMP=0
4 ALARM1=0.
ALARM2=.1.
GO TO 14
5 IPUMP=0
ALARM1=0.
ALARM2=0.
GO TO 14
6 IPUMP=1
7 ALARM1=0.
ALARM2=0.
14 COUNT=COUNT+1.
C
C SWITCH 1 CN TC PUNCH STATUS
C SWITCH 2 CN - TANK USE IS RANDOM
C CFF - TANK CONTROLLED BY SWITCH 3
C SWITCH 3 CN - TANK IN USE
C CFF - TANK NOT IN USE
C
C
15 IF(SENSE SWITCH 1) 15,16
15 PUNCH 17, ITANK,IPUMP,ALEVEL,TEMP,ALARM1,ALARM2
16 IF(SENSE SWITCH 2)18,19
18 IF(.5-RAN(.243))20,20,21

```

PLATE XX

Figure 26 concluded.

```
20 ITANK=0
    GO TO 70
21 ITANK=1
    GO TO 70
19 IF (SENSE SWITCH 3)21,20
      END
```

PLATE XXI

Figure 27 is the pump decision table simplified by the use of "ELSE" for use by the modified processor.

	Logic Rules							
	1	2	3	4	5	6	7	E
C <sub>1</sub>	-	-	-	-	0	1	1	
C <sub>2</sub>	1	0	1	0	1	0	1	
C <sub>3</sub>	-	-	-	-	-	1	0	
C <sub>4</sub>	1	1	0	0	0	0	0	
C <sub>5</sub>	-	-	1	1	0	0	0	
A <sub>1</sub>	-	-	-	-	-	1	-	-
A <sub>2</sub>	1	-	1	-	1	-	1	-
A <sub>3</sub>	1	1	0	0	0	0	0	0
A <sub>4</sub>	-	-	1	1	0	0	0	0

Fig. 27

PLATE XXII

Figure 28 is the program for simulating the pump and tank with the modified processor.

```

** PUMP AND TANK SIMULATION (DEC TABLES WITH MODIFIED PROCESSOR)
17 FFORMAT(F7.0,F12.0,F13.1,F12.0,F11.0,F12.0)
23 FFORMAT(F6.3,F6.0,F6.3,F6.0,F6.3)
60 FFORMAT(2X7HTANK CN5X7HPUMP 3N6X5HLEVEL7X4HTEMP5X11HLEVEL ALARM2X10
1HTEMP ALARM)
80 FFORMAT(2HA=F6.3,5X2HB=F6.3)

C A IS THE CAPACITY OF THE PUMP
C B IS THE CAPACITY OF THE TANK VALVE
C SIZE IS THE SIZE OF THE SIMULATION
C

71 READ 23,A,SIZE,B,TEMP,ALEVEL
PUNCH 80,A,B
PUNCH 60
ACTION=RDIB(1)
TANK=0.
PUMP=0.
CCOUNT=0.
70 IF (CCOUNT-SIZE)22,71,71
22 IF (PUMP)8,8,9
9 TEMP=TEMP+1.
ALEVEL=ALEVEL+A
60 TC 24
8 TEMP=TEMP-((TEMP-70.)*.01)
24 IF (TANK)10,10,11
11 ALEVEL=ALEVEL-B
10 IF (ALEVEL)12,13,13
12 ALEVEL=0.

C DECISION SYSTEM
C
13 DATA=UNTANK)+UN(PUMP)+LR(ALEVEL-4.)*GR(ALEVEL-5.)*GR(TEMP-180.)
JUMP=TEST(1)
60 TC (1,2,3,4,5,6,5,7),JUMP
C CHANGE THE VARIABLES ACCORDING TO THE DECISION
C

```

PLATE XXIII

Figure 28 continued.

```
1 PUMP=0.
2 ALARM1=1.
3 GC TC 14.
4 PUMP=0.
5 ALARM1=0.
6 PUMP=1.
7 ALARM1=0.
8 ALARM2=0.
9 COUNT=COUNT+1.

C   SWITCH 1 CN TC PUNCH STATUS
C   SWITCH 2 CN - TANK USE IS RANDOM
C   OFF - TANK CONTROLLED BY SWITCH 3
C   SWITCH 3 CN - TANK IN USE
C   OFF - TANK NOT IN USE

C IF(SENSE SWITCH 1) 15,16
15 PUNCH 17,TANK,PUMP,ALEVEL,TEMP,ALARM1,ALARM2
16 IF(SENSE SWITCH 2)18,19
18 IF(.5-RAN(.243))20,20,21
20 TANK=0.
21 GC TC 70
22 TANK=1.
23 GC TC 70
24 IF(SENSE SWITCH 3)21,20
25 END
```

PLATE XXIX

Figure 28 concluded. Decision table input for the modified processor. Figure 29 is a comparison of the four different pump simulations.

0705  
 -1-1-\*  
 -0-1-\*  
 -1-01-\*  
 -0-01-\*  
 01-00-\*  
 10100-\*  
 11000\*

Fig. 28 (concluded)

	Time for 1000 Passes (Minutes)	Length of Mainline Program	Length of Subroutines	Total Length
Program 1	1.901	14134	240	14374
Program 2	1.901	13590	240	13830
Program 3	2.762	13872	240	14112
Program 4	5.222	13514	3066	16580

Fig. 29

APPENDIX 1  
Subroutines

1) Random Number Generator

Figure A1.....Flowchart

Program A1.....SPS Source Program

2) Read Table and Decision Subroutine

Figure A2(a).....Read Table

Figure A2(b).....Set Up Matrices

Figure A3(a).....Determine Branching Variable

Figure A3(b).....Mask Data Vector

Program A2.....Read Table and Decision Subroutine

3) Set Up Data Vector Subroutines

Program A3...Greater Than or Equal, Less Than or Equal

Program A4.....Greater Than, Less Than

Program A5.....Equal, Unequal

Program A6.....Yes, No

Program A7.....No Change

Program A8.....Read Data

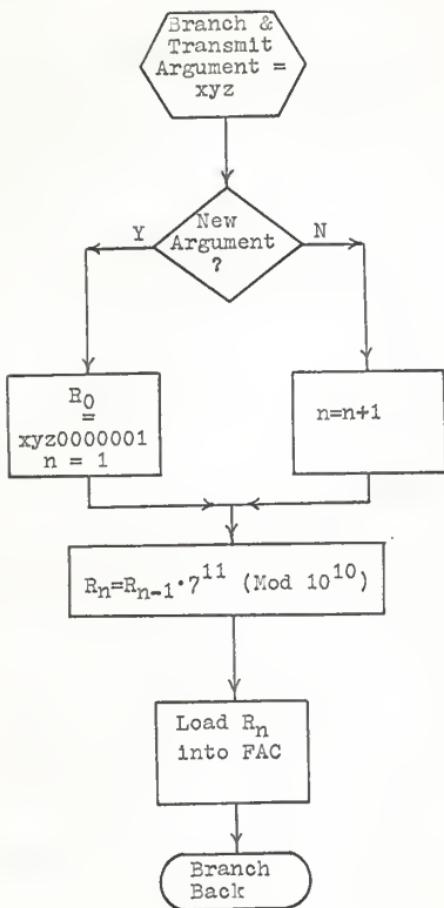


Fig. A1



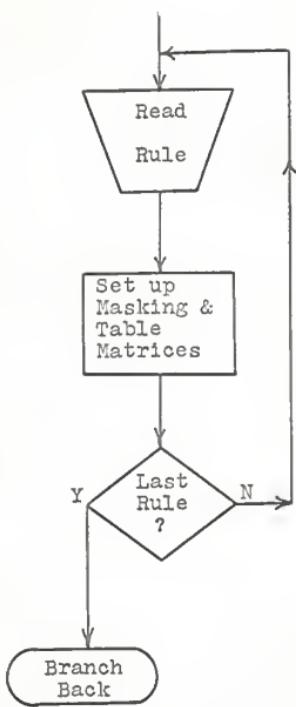


Fig. A2(a)

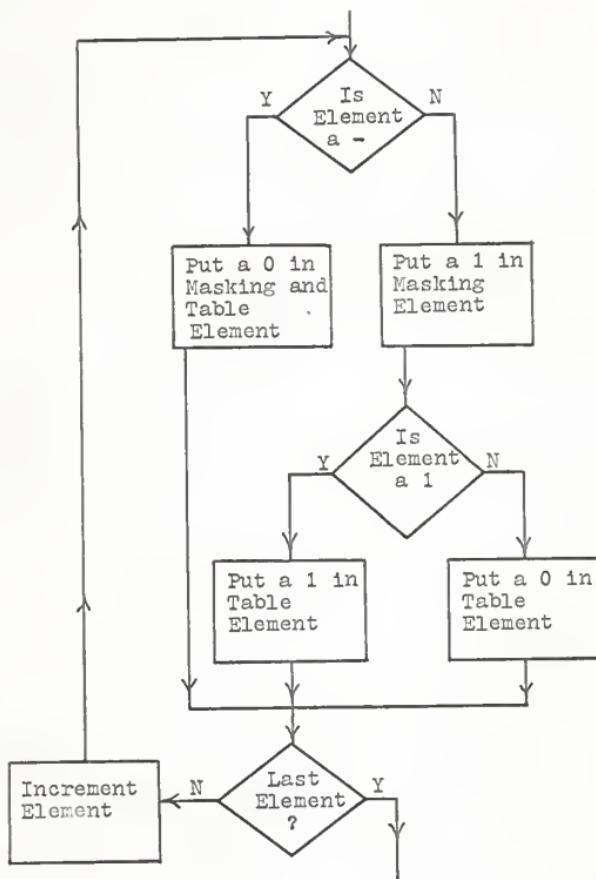


Fig. A2(b)

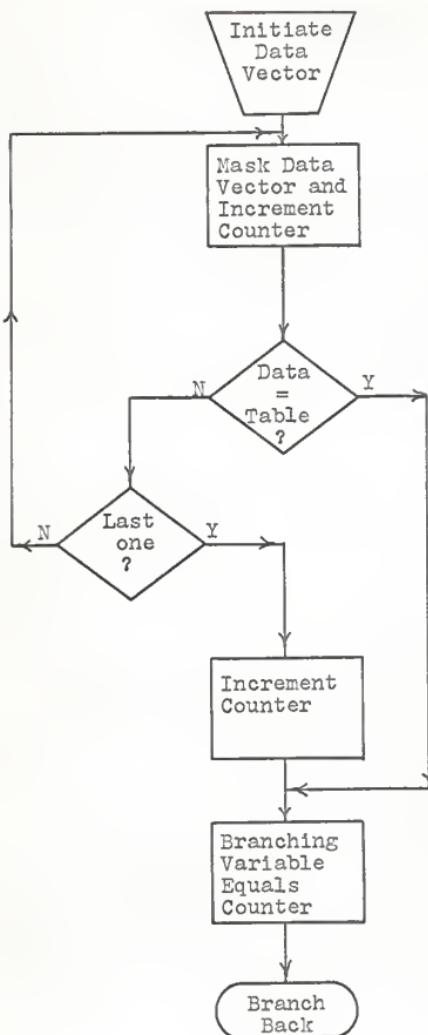


Fig. A3(a)

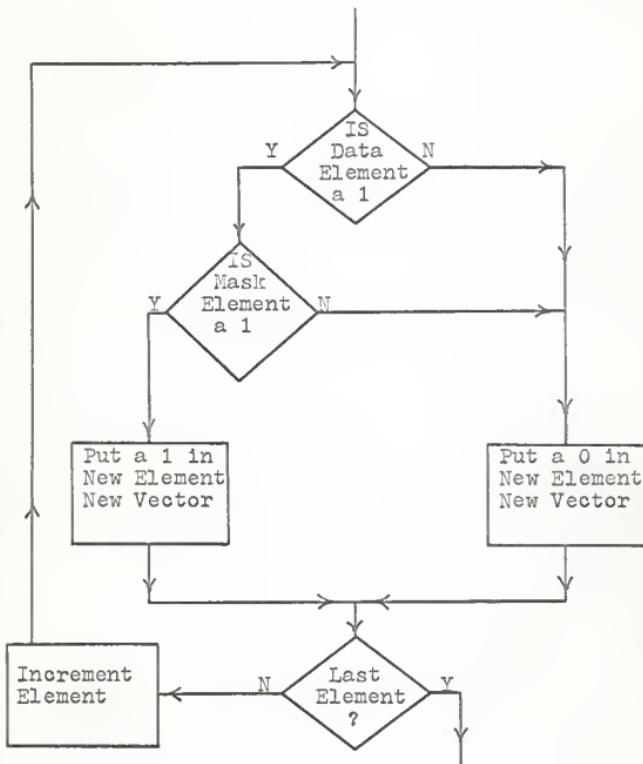


Fig. A3(b)

```

10000 00000 2 RDTB DCRG 10000 **** PROGRAM A2 ****
10000 26 09999 09999 4 TF *-1 *0111,
10012 32 09997 00000 6 SF RDTB-3 *0 , IF THIS IS NOT THE FIRST TABLE
10024 34 12240 00001 8 CM CNT *1 ,
10036 47 10084 01200 10 BNE ENDBLK-12 *0 ,
10048 +1 12240 00001 12 AM CNT *1 ,
10060 15 59999 00000 14 TDM 59999 *0 ,
10071 00001 16 DC 1 *- ,
10072 15 59998 00000 19 TDM 59998 *0 ,
10083 00001 21 DC 1 *- ,
10084 45 10116 59998 24 BNR XX *0 ,
10096 26 12250 59999 26 ENDBLK -EVEN *0 ,
10108 49 10204 00000 28 B RDHD *0 ,
10116 00000 30 DCRG *-3 ,
10116 45 10172 12245 32 XX BNR X *01 ,
10128 45 10148 12250 34 ENDTBL BNR COMP *01 ,
10140 49 10096 00000 36 B ENDBLK *0 , IF THIS IS THE END OF
10148 00000 38 DCRG *-3 , THE BLOCK GO TO ENDBLK. IF NOT
10148 24 12250 09999 40 COMP C -EVEN *01 ,
10160 46 10204 01200 42 BE RDHD *01 ,
10172 +2 12245 00002 44 X SM CDD *0 , SAME AS THIS ONE GO TO RDHD.
10184 +2 12250 00002 46 SM EVEN *01 ,
10196 49 10116 00000 48 B XX *0 , IF NOT CHANGE YOUR POSITION IN
10204 00000 50 DCRG *-3 , THE TABLE. GO TO xx.
10204 +2 12250 00004 52 RDHD SM EVEN *4 ,
10216 +2 12245 00004 54 SM CDD *4 ,
10228 26 10434 12245 56 TF B1+6 *01 ,
10240 26 10446 12250 58 TF B2+6 *01 ,
10252 26 10466 12250 60 TF TN+6 *01 ,
10264 26 10490 12245 62 TF B3+6 *01 ,
10276 26 10510 12245 64 TF TY+6 *01 ,
10288 26 10698 12245 66 TF FLAG+6 *01 ,
10300 +1 10693 00001 68 AM FLAG+6 *01 ,
10312 26 10766 12245 70 TF MARK+6 *01 ,
10324 36 11906 00500 72 RNCD CHK2-1 *01 ,
10336 32 11906 00000 74 SF CHK2-1 *01 ,
10348 32 11908 00000 76 SF CHK2+1 *01 ,

```

10360	22	10766	11909	78	S	MARK+6	*CHK2+2	*01
10372	22	10766	11909	80	S	MARK+6	,CHK2+2	*01
10384	36	11910	00500	82	RDR	RNCD RULE	,READ A RULE*	,
10396	45	10416	+1910	84	A1	BNR TX	,SET UP THE TABLE AND MASKING	,
10408	49	10620	00000	86	B	CUT	,MATRICES UNTIL A RECRD MARK	,
					DCRG	*-3	,STCPS YCU.	,
10416		00000		88				
10416	44	10460	+1910	90	TX	BNF TN	RULE	*017
10416	28	15	59995	00000	92	B1	TDM 59995	*0
10440	15	59994	00000	94	B2	TDM 59994	*0	*2
10452	49	10516	00000	96	B	NWEL	,	,
10460		00000		98	DCRG	*-3	,	
10460	15	59994	00001	100	TN	TDM 59994	*1	*2
10472	43	10504	+11910	102	A2	BD TY	RULE	*017
10484	15	59995	00000	104	B3	TDM 59995	*0	*2
10496	49	10516	00000	106	B	NWEL	,	,
10504		00000		108	DCRG	*-3	,	
10504	15	59995	00001	110	TY	TDM 59995	*1	*2
10516	12	10434	00002	112	NWEL	SM B1+6	*010	,
10528	12	10446	00002	114		SM B2+6	*010	,
10540	12	10466	00002	116		SM TN+6	*010	,
10552	12	10490	00002	118		SM B3+6	*010	,
10564	12	10510	00002	120		SM TY+6	*010	,
10576	11	10407	00001	122		AM A1+1	*010	,
10588	11	10427	00001	124		AM TX+1	*010	,
10600	11	10483	00001	126		AM A2+1	*010	,
10612	49	10396	00000	128	B	A1	,	
10620		00000		130	DCRG	*-3	,	
10620	11	11991	00001	132	CUT	AM CHK1	*1	*010
				134	TFM	A1+1	*RULE	*017
10644	15	10407	+1910	136	TFM	TX+1	*RULE	*017
10656	15	10427	+1910	138	TFM	A2+1	*RULE	*017
10668	22	10698	11909	140	GCBK	S FLAG+6	*CHK2+2	*01
10680	22	10698	11909	142	S	FLAG+6	*CHK2+2	*01
10692	32	59996	00000	144	FLAG	SF 59996	*2	IF THIS IS THE LAST RULE GC T
10704	24	11991	11907	146	C	CHK1	*CHK2	0
10716	46	10760	01200	148	BE	MARK	,CHK2+2	,
10728	22	10766	11909	150	S	MARK+6	,CHK2+2	,

10740 22 10766 11909	152	S	MARK+6	*CHK2+2	*01	*
10752 49 10384 00000	154	B	RDRL	*-3	*0	,
10760 00000	156	DCRG				
10760 15 59997 00000	158	MARK	TDM	59997	*	
10771 00001	160	DC	1		*2	
10772 26 10802 10766	163	TF	*+30		**	
10784 ±2 10802 00001	165	SM	*+18		INDICATE THE END OF THE BLOCK.	
10796 15 60000 00000	167	TDM				
10807 00001	169	DC	1			
10808 ±2 10434 00062	172	SM	*-2			
10820 ±2 10446 00062	174	SM	B1+6			
10832 ±2 10466 00062	176	SM	B2+6			
10844 ±2 10490 00062	178	SM	TN+6			
10856 ±2 10510 00062	180	SM	B3+6			
10868 ±6 11991 00060	182	SM	TY+6			
10880 16 00485 00060	184	TFM	CHK1	*0		
10892 16 00483 00111	186	FAC	*0			
10904 42 00000 00000	188	TFM	*111			
10916 26 10915 10915	190	DEC	FAC-2			
10928 32 10913 00000	192	TF	*-1			
10940 24 10915 59998	194	SF	DEC-3			
10952 46 11024 01200	196	BE	DEV1			
10964 49 10992 00000	198	B	INC			
10972 00000	200	DCRG	*-3			
10972 45 10992 59999	202	Y	BNR	*59999	*07	
10984 49 10928 00000	204	B	DEC+12			
10992 00000	206	DCRG	*-3			
10992 ±2 10951 60002	208	INC	SM	DEC+35	*2	
11004 ±2 10983 00002	210	SM	Y+11	*2	*07	
11016 49 10972 00000	212	B	Y	,	*07	
11024 00000	214	DCRG	*-3			
11024 32 11096 00000	216	DEV1	SF	11090	*6	
11036 26 12231 11080	218	TF	REG4	*11080	*0	
11048 ±2 11174 60001	220	SM	INV+6			
11060 ±2 11083 60001	222	SM	*+23	,1	*07	
11072 44 11048 +1081	224	BNF	DEV+24	*11081	*07	
11084 26 11275 10951	226	TF	DET+11	,DEC+35	,01	

11096	+2	11275	00004	228	SM	DET+11	*4	*07
11108	25	11319	11275	230	TF	NEXT+11	*DET+11	*01
11120	26	11419	11275	232	TF	TEST+11	*DET+11	*01
11132	+1	11419	00001	234	AM	TEST+11	*1	*07
11144	26	11467	11275	236	TF	RECMRK+11	*DET+11	*01
11156	+1	11467	00002	238	AM	RECMRK+11	*07	*
11168	25	+1081	+22231	240	INV	TD	11081	*REG4
11180	+2	11179	00001	242	SM	INV+11	*1	*127
11192	+1	11174	00001	244	AM	INV+6	*1	*07
11204	+2	11227	00001	246	SM	*+23	*1	*07
11216	44	11168	+22232	248	BNF	INV	*REG4+1	*017
11228	26	11246	11090	250	TF	*+18	*11090	*0
11240	32	00000	00000	252	SF	0	*	*
11252	33	11080	00000	254	CF	11080	*	*
11264	43	11296	59994	256	DET	BD	DIG	*59994
11276	+5	+2071	00000	258	B4	TDM	REG1	*0
11288	49	11308	00000	260	B	NEXT	*0	*02
11296	00000	262	DGRG	*-3	,	,	,	*
11298	25	+2071	+2231	264	DIG	TD	REG1	*0127*
11308	44	11340	59994	266	BNF	C	*59994	*07
11320	26	11080	12231	268	NEXT	TF	REG4	*1
11332	49	11408	00000	270	B	TEST	,	*
11340	00000	272	DGRG	*-3	,	,	,	*
11340	+2	11275	00002	274	C	SM	DET+11	*2
11352	+2	11282	00001	276	SM	B4+6	*1	*010
11364	+2	11307	00001	278	SM	DIG+11	*1	*010
11376	+2	11302	00001	280	SM	DIG+6	*1	*010
11388	+2	11319	00002	282	SM	NEXT+11	*2	*010
11400	+9	11264	00000	284	B	DET	,	*
11408	00000	286	DGRG	*-3	,	,	,	*
11408	25	+2151	59995	288	TEST	TD	REG3	*59995
11420	+2	11419	00002	290	SM	TEST+11	*2	*027
11432	+2	11467	00002	292	SM	RECMRK+11	*2	*SET UP THE TABLE VECTOR IN REG3.
11444	+2	11414	00001	294	SM	TEST+6	*1	*07
11456	44	11408	59996	296	RECMRK	BNF	*59996	*07
11468	26	11498	11414	298	TF	D1+6	*TEST+6	*01
11480	+1	11498	00001	300	AM	D1+6	,1	*101 ,

```

11492 32 00000 00000 302 D1 SF 0 , , , , , , 
11504 26 11522 11282 304 D2 SF D2+6 , , , , , , 
11516 32 00000 00000 306 D2 SF U , , , , , , 
11528 24 12071 12151 308 C REG3 , , , , , , 
11540 46 11700 01200 310 BE CUT1 , , , , , , 
11552 26 11587 11467 312 TF E+11 , , , , , , 
11564 32 11587 00001 314 SM E+11 , , , , , , 
11576 45 11608 00000 316 E BNR F , , , , , , 
11588 31 12235 00001 318 AM SVE3 , , , , , , 
11600 49 11700 00000 320 B CUT1 , , , , , , 
11608 00000 322 DCRG *-3 , , , , , , 
11608 +6 11307 +2231 324 F TFM DIG+11 , , , , , , 
11620 +6 11302 +2071 326 TFM DIG+6 , , , , , , 
11632 +6 11414 +2151 328 TFM TEST+6 , , , , , , 
11644 +2 11644 60002 330 SM DET+11 , , , , , , 
11656 +2 11319 60002 332 SM NEXT+11 , , , , , , 
11668 +6 11282 +2071 334 TFM B4+6 , , , , , , 
11680 +1 12235 00001 336 AM SVE3 , , , , , , 
11692 49 11264 00000 338 B DET , , , , , , 
11700 00000 340 DCRG *-3 , , , , , , 
11700 +6 11282 +2071 342 CUT1 TFM B4+6 , , , , , , 
11712 +6 11307 +2231 344 TFM DIG+11 , , , , , , 
11724 +6 11302 +2071 346 TFM DIG+6 , , , , , , 
11736 +6 11414 +2151 348 TFM TEST+6 , , , , , , 
11748 16 00485 00002 350 TFM FAC , , , , , , 
11760 16 00483 00000 352 TFM FAC-2 , , , , , , 
11772 16 00478 00000 354 TFM FAC-7 , , , , , , 
11784 +6 11003 +1081 356 TFM DEV+59 , , , , , , 
11796 +6 11179 +2231 358 TFM INV+11 , , , , , , 
11808 +6 11227 +2232 360 TFM DET-37 , , , , , , 
11820 +6 10951 59998 362 TFM DEC+35 , , , , , , 
11832 +6 10983 59999 364 TFM Y+11 , , , , , , 
11844 +6 11174 +1081 366 TFM INV+6 , , , , , , 
11856 33 00479 00000 368 CF FAC-6 , , , , , , 
11868 26 00485 12235 370 TF FAC , , , , , , 
11880 +6 12235 00001 372 TFM SVE3 , , , , , , 
11892 16 11090 +1080 374 TFM 11090 , , , , , , 

```

, ADVANCE SVE3 FOR EACH ITERATION

, COMPARE REG1 TO REG3.

, IF THEY ARE EQUAL GC TC CUT1.

, IF NOT TRY THE NEXT SET OF VECTORS.

, SET UP THE BRANCHING VARIABLE.

, THEN RESTORE SVE3.

, RESTORE THE SUBROUTINES.

11904	42	00000	00000	376	BACK	BB	*	*	,	BRANCH	BACK
11905		00000		378		DORG	*-9				
00485		00001		380	FAC	DS	1,485				
11080		00080		382	REG2	DS	80				
11907		00002		384	CHK2	DS	2,				
11909		00002		386		DS	2,				
11910		00080		388	RULE	DSS	80				
11991		00002		390	CHK1	DC	2,0				
12071		00080		393	REG1	DS	80				
12151		00080		395	REG3	DS	80				
12231		00080		397	REG4	DS	80				
12235		00004		399	SVE3	DC	4,1				
12240		00005		402	CNT	DC	5				
12245		00005		405	DDD	DC	5,59999				
12250		00005		408	EVEN	DC	5,59998				
10000		00000		411		DEND	RDIB				

```

10000 00000 ***** PROGRAM A3 *****
10000 06 00485 09999 2 GE      *,-1   ,111 ,IF ARG IS POSITIVE
10012 32 11086 00000 6          *     ,    ,
10024 14 11090 00000 8          *     ,    ,
10036 47 10060 01200 10         BNE   *+24  ,0    ,
10048 16 11090 +1080 12         TFM   11090 ,11080
10060 44 10220 00483 14         BNF   YES   ,483  ,0    ,
10072 49 10188 00000 16         B     NC   ,    ,0    ,GC TC YES.
10084 06 00485 10083 18         LE    TFL   485  ,0    ,GC TC NC.
10096 32 11086 00000 20         SF    11086 ,    ,0    ,
10108 14 11090 00000 22         CM    11090 ,0    ,0    ,
10120 47 10144 01200 24         BNE   *+24  ,0    ,0    ,
10132 16 11090 +1080 26         TFM   11090 ,11080
10144 44 10164 00483 28         BNF   SEE   ,483  ,0    ,IF ARG IS POSITIVE
10156 49 10220 00000 30         B     YES   ,    ,0    ,GC TC SEE.
10164 00000 32         DCRG  *-3   ,    ,0    ,GC TC YES.
10164 14 00483 00000 34         SEE   CM   483  ,0    ,IF ARG IS ZERO GC
10176 46 10220 01200 36         BE    YES   ,    ,0    ,TC YES. IF NOT GC TO NC.
10188 26 10206 11090 38         NC    TF   *+18  ,HCLD1 ,0    ,GENERATE A ZERO.
10200 15 00000 00000 40         TDM   ,    ,0    ,
10212 49 10244 00000 42         B     YES+24 ,    ,0    ,
10220 00000 44         DCRG  *-3   ,    ,0    ,GENERATE A ONE.
10220 26 10238 11090 46         YES   TF   *+18  ,HCLD1 ,0    ,
10232 15 00000 00001 48         TDM   ,1    ,    ,
10244 12 11090 00001 50         SM    HCLD1 ,1    ,10   ,DECREMENT HCLD1
10256 16 00485 00000 52         TFM   485  ,0    ,10   ,
10268 16 00483 00+11 54         TFM   483  ,111 ,9    ,
10280 42 00000 00000 56         BB    ,    ,    ,BRANCH BACK
10281 00000 58         DCRG  *-10 ,    ,0    ,
11090 00005 60         HCLD1 DC   5    ,11080
10000 00000 63         DEND GE ,    ,11090

```

10000 00000	DCRG 10000	*****	PROGRAM A4	*****
10000 06 00485 09999	TFL 485	*-1	,111 ,IF ARG IS NEGATIVE	
10012 32 11086 00000	SF 11086			
10024 14 11090 00000	CM 11090			
10036 47 10060 01200	BNE *+24			
10048 16 11090 +1080 12	TFM 11090	,11080	,GC TC NC. IF NCT	
10060 44 10164 00483	BNF SEE	,483	,GC TC SEE.	
10072 49 10188 00000	B NC			
10084 06 00485 10089	TFL 485	*-1	,111 ,IF ARG IS POSITIVE	
10096 32 11086 00000	SF 11086			
10108 14 11090 00000	CM 11090	,0		
10120 47 10144 01200	BNE *+24			
10132 16 11090 +1080 26	TFM 11090	,11080	,GC TC NC.	
10144 44 10188 00483	BNF NC	,483	,0 ,IF NCT GC TC YES.	
10156 49 10220 00000	B YES			
10164 00000	DCRG *-3			
10164 14 00483 00000	CM 483	,0	,IF ARG IS ZERO GC TC YES.	
10176 47 10220 01200	BNE YES			
10188 26 10266 11090	TF *+18			
10200 15 00000 00000	TDM ,U			
10212 49 10244 00000	B YES+24			
10220 00000	DCRG *-3			
10220 26 10238 11090	TF *+18			
10232 15 00000 00001	TDM ,1			
10244 12 11090 00001	SM HCLD1			
10256 16 00485 00000	HCLD1 ,1			
10268 16 00483 00+11	TFM 485	,00	,DECREMENT HCLD1	
10280 42 00000 00000	TFM 483	,111	,10 ,	
10281 00000	BB ,			
11090 00005	DCRG *-10			
11090 00000	HCLD1 DC 5			
110000 00000	DEND GR			
	,11080			
	,11090			

```

10000 00000 DCRG 10000 *****
2 EQ   TFL 485 *****
4 00485 09999 *-1 ,111 ,IF ARG IS ZERO GC TC YES.
6 SF   11086 ,
8 CM   11090 ,
10 BNE *+24 ,7 ,
12 TFM 11090 ,0 ,
14 CM   483 ,7 ,
16 BNE NC ,9 ,
18 B  YES ,0 ,
20 UN  TFL 485 ,0 ,
22 SF   11086 ,111 ,IF ARG IS ZERO GC TC NO.
24 CM   11090 ,7 ,
26 BNE *+24 ,0 ,
28 TFM 11090 ,7 ,
30 CM   483 ,9 ,
32 BNE YES ,0 ,
34 NC  TFM *+18 ,0 ,
36 TDM 11080 ,0 ,
38 B  YES+24 ,0 ,
40 DCRG *-3 ,0 ,
42 YES  TF  *+18 ,HCLD1 ,0 ,
44 TDM ,1 ,GENERATE A ONE.
46 SM   HCLD1 ,1 ,DECREMENT HCLD1.
48 TFM 485 ,0 ,
50 TFM 483 ,111 ,9 ,
52 BB   ,9 ,
54 DCRG *-10 ,11080 ,11090 ,
56 HCLD1 DC  5 ,11090 ,
59 DEND EQ
10000

```

```

10000 00000 DORG 10000 **** PROGRAM A6 ****
10000 32 11086 00000 4 NC SF 11086 ,
10012 14 11090 00000 6 CM 11090 ,
10024 47 10048 01200 8 BNE *+24 ,
10036 16 11090 +1080 10 TFM 11090 ,
10048 26 10066 11090 12 TF *+18 ,
10060 15 00000 00000 14 TDM ,0 ,
10072 49 10152 00000 16 B YES5+24 ,
10080 00000 18 DORG *-3 ,
10080 32 11086 00000 20 YES SF 11086 ,
10092 14 11090 00000 22 CM 11090 ,
10104 47 10128 01200 24 BNE *+24 ,
10116 16 11090 +1080 26 TFM 11090 ,
10128 26 10146 11090 28 YES5 TF *+18 ,
10140 15 00000 00001 30 TDM ,1 ,
10152 12 11090 00001 32 SM HCLD1 ,
10164 16 00485 00000 34 TFM 485 ,
10176 16 00483 00+11 36 TFM 483 ,
10188 42 00000 00000 38 BB ,
10189 00000 40 DORG *-10 ,
11090 00005 42 HCLD1 DC 5 ,11080 ,
10000 00000 45 DEND NC ,11090

```

***** PROGRAM A7 *****							
10000	00000	DORG	10000				
10000	32 11086	NC	SF	11086	,	,	
10012	14 11090	00000	CM	11090	,0	,	
10024	*7 10048	01200	BNE	*+24	,	,	
10036	16 11090	*1080	TFM	11090	,7	,	
10048	12 11090	00001	SM	HCLD1	,1	,	DECREMENT HCLD1.
10060	16 00485	00000	TFM	FAC	,0	,	LOAD DUMMY INTC FAC.
10072	16 00483	00+11	TFM	FAC-2	,11	,	
10084	42 00000	00000	BB	,	,	,	
11090	00005	20 HCLD1	DC	5	,11080	,	
00485	00001	23 FAC	DS	1	,00485	,	
10000	00000	25	DEND	NC			
***** PROGRAM A8 *****							
10000	00000	DORG	10000				
10000	36 11001	00500	RNCD	11001	,	,	
10012	16 00485	00000	6 TFM	485	,00	,10	,
10024	16 00483	00+11	8 TFM	483	,11	,9	,
10036	42 00000	00000	10 BB	,	,	,	BRANCH BACK
10000	00000	12	DEND	RDATA			

## APPENDIX 2

### Pump and Tank Simulation Results

A= Pump Capacity

B= Tank Valve Capacity

A =	TANK	CN	B =	•100	LEVEL	TEMP	LEVEL	TEMP	ALARM
0.	0.	0.	0.	0.	4.5	99.	0.	0.	0.
1.	1.	0.	0.	0.	4.4	99.	0.	0.	0.
1.	1.	0.	0.	0.	4.3	99.	0.	0.	0.
0.	0.	0.	0.	0.	4.3	98.	0.	0.	0.
1.	1.	0.	0.	0.	4.2	98.	0.	0.	0.
1.	1.	0.	0.	0.	4.1	98.	0.	0.	0.
0.	0.	0.	0.	0.	4.1	97.	0.	0.	0.
1.	1.	0.	0.	0.	4.0	97.	0.	0.	0.
0.	0.	1.	0.	0.	4.0	97.	0.	0.	0.
1.	1.	0.	0.	0.	3.9	97.	0.	0.	0.
0.	0.	0.	0.	0.	4.0	98.	0.	0.	0.
1.	1.	1.	0.	0.	3.9	97.	0.	0.	0.
1.	1.	1.	0.	0.	3.9	98.	0.	0.	0.
0.	0.	1.	0.	0.	4.0	99.	0.	0.	0.
0.	0.	1.	0.	0.	3.9	99.	0.	0.	0.
0.	0.	0.	0.	0.	4.0	100.	0.	0.	0.
1.	1.	1.	1.	1.	3.9	100.	0.	0.	0.
1.	1.	1.	1.	1.	3.9	101.	0.	0.	0.
0.	0.	0.	0.	0.	4.0	102.	0.	0.	0.
1.	1.	1.	1.	1.	3.9	101.	0.	0.	0.
0.	0.	0.	0.	0.	4.0	102.	0.	0.	0.
0.	0.	0.	0.	0.	4.0	102.	0.	0.	0.
1.	1.	1.	1.	1.	3.9	102.	0.	0.	0.
1.	1.	1.	1.	1.	3.9	103.	0.	0.	0.
0.	0.	0.	0.	0.	4.0	104.	0.	0.	0.
1.	1.	1.	1.	1.	3.9	103.	0.	0.	0.
0.	0.	0.	0.	0.	4.0	104.	0.	0.	0.
1.	1.	1.	1.	1.	3.9	104.	0.	0.	0.
1.	1.	1.	1.	1.	3.9	105.	0.	0.	0.





A =	TANK CN	B =	PUMP CN	LEVEL		TEMP	ALARM	TEMP	ALARM
				• 150	• 100				
0.	0.	0.	0.	4.0 5	99.	99.	0.	0.	0.
1.	1.	0.	0.	4.0 4	99.	99.	0.	0.	0.
1.	1.	0.	0.	4.0 3	99.	99.	0.	0.	0.
0.	0.	0.	0.	4.0 3	98.	98.	0.	0.	0.
1.	1.	0.	0.	4.0 2	98.	98.	0.	0.	0.
0.	0.	0.	0.	4.0 2	98.	98.	0.	0.	0.
1.	1.	0.	0.	4.0 1	97.	97.	0.	0.	0.
1.	1.	0.	0.	4.0 0	97.	97.	0.	0.	0.
1.	1.	0.	0.	3.0 9	97.	97.	0.	0.	0.
0.	0.	0.	0.	4.0 0	98.	98.	0.	0.	0.
1.	1.	0.	0.	3.0 9	98.	98.	0.	0.	0.
1.	1.	0.	0.	4.0 0	99.	99.	0.	0.	0.
1.	1.	0.	0.	3.0 9	98.	98.	0.	0.	0.
0.	0.	0.	0.	4.0 0	99.	99.	0.	0.	0.
0.	0.	0.	0.	4.0 0	99.	99.	0.	0.	0.
0.	0.	0.	0.	4.0 0	98.	98.	0.	0.	0.
1.	1.	0.	0.	3.0 9	98.	98.	0.	0.	0.
0.	0.	0.	0.	4.0 1	99.	99.	0.	0.	0.
1.	1.	0.	0.	4.0 0	99.	99.	0.	0.	0.
1.	1.	0.	0.	3.0 9	99.	99.	0.	0.	0.
1.	1.	0.	0.	3.0 9	100.	100.	0.	0.	0.
0.	0.	0.	0.	4.0 1	101.	101.	0.	0.	0.
0.	0.	0.	0.	4.0 1	100.	100.	0.	0.	0.
1.	1.	0.	0.	4.0 0	100.	100.	0.	0.	0.
1.	1.	0.	0.	3.0 9	100.	100.	0.	0.	0.
0.	0.	0.	0.	4.0 0	101.	101.	0.	0.	0.
0.	0.	0.	0.	3.0 9	100.	100.	0.	0.	0.
1.	1.	0.	0.	4.0 1	101.	101.	0.	0.	0.
0.	0.	0.	0.	4.0 1	101.	101.	0.	0.	0.
0.	0.	0.	0.	4.0 1	101.	101.	0.	0.	0.
0.	0.	0.	0.	4.0 0	100.	100.	0.	0.	0.





A =	B =	TANK	CN	PUMP	CN	LEVEL	TEMP	ALARM	TEMP	ALARM
• 200	• 100	0.	0.			4•5	99•	0•	0•	0•
		1•	1•			4•4	99•	0•	0•	0•
		1•	0•			4•3	99•	0•	0•	0•
		0•	0•			4•3	98•	0•	0•	0•
		1•	0•			4•2	98•	0•	0•	0•
		1•	0•			4•1	98•	0•	0•	0•
		0•	0•			4•1	97•	0•	0•	0•
		0•	0•			4•0	97•	0•	0•	0•
		1•	0•			4•0	97•	0•	0•	0•
		0•	0•			3•9	97•	0•	0•	0•
		1•	1•			4•0	98•	0•	0•	0•
		1•	0•			4•0	98•	0•	0•	0•
		0•	0•			4•0	97•	0•	0•	0•
		0•	0•			4•0	97•	0•	0•	0•
		1•	1•			3•9	97•	0•	0•	0•
		1•	0•			4•1	98•	0•	0•	0•
		0•	0•			4•1	98•	0•	0•	0•
		0•	0•			4•1	98•	0•	0•	0•
		1•	0•			4•0	97•	0•	0•	0•
		1•	1•			3•9	97•	0•	0•	0•
		1•	0•			4•0	98•	0•	0•	0•
		0•	0•			4•0	98•	0•	0•	0•
		0•	0•			4•0	97•	0•	0•	0•
		0•	0•			4•0	97•	0•	0•	0•
		0•	0•			4•0	97•	0•	0•	0•
		0•	0•			4•0	97•	0•	0•	0•
		0•	0•			4•0	97•	0•	0•	0•
		0•	0•			3•9	96•	0•	0•	0•
		1•	1•			4•1	97•	0•	0•	0•
		0•	0•			0•	97•	0•	0•	0•
		0•	0•			0•	97•	0•	0•	0•
		1•	0•			0•	97•	0•	0•	0•
		0•	0•			0•	96•	0•	0•	0•
		0•	0•			0•	96•	0•	0•	0•
		0•	0•			0•	96•	0•	0•	0•
		0•	0•			0•	96•	0•	0•	0•





A =	TANK	CN	B =	• 100	PUMP	CN	LEVEL	TEMP	ALARM	TEMP	ALARM
0.	0.	0.	0.	0.	4.	5	99.	0.	0.	0.	0.
1.	1.	0.	0.	0.	4.	4	99.	0.	0.	0.	0.
0.	0.	0.	0.	0.	4.	4	99.	0.	0.	0.	0.
1.	1.	0.	0.	0.	4.	3	98.	0.	0.	0.	0.
1.	1.	0.	0.	0.	4.	2	98.	0.	0.	0.	0.
0.	0.	0.	0.	0.	4.	2	98.	0.	0.	0.	0.
1.	1.	0.	0.	0.	4.	1	97.	0.	0.	0.	0.
1.	1.	0.	0.	0.	4.	0	97.	0.	0.	0.	0.
1.	1.	0.	0.	0.	3.	9	97.	0.	0.	0.	0.
0.	0.	0.	0.	0.	4.	1	98.	0.	0.	0.	0.
0.	0.	0.	0.	0.	4.	1	98.	0.	0.	0.	0.
0.	0.	0.	0.	0.	4.	1	98.	0.	0.	0.	0.
0.	0.	0.	0.	0.	4.	1	97.	0.	0.	0.	0.
1.	1.	0.	0.	0.	4.	0	97.	0.	0.	0.	0.
0.	0.	0.	0.	0.	4.	0	97.	0.	0.	0.	0.
0.	0.	0.	0.	0.	4.	0	97.	0.	0.	0.	0.
0.	0.	0.	0.	0.	4.	0	96.	0.	0.	0.	0.
1.	1.	0.	0.	0.	3.	9	96.	0.	0.	0.	0.
1.	1.	0.	0.	0.	4.	1	97.	0.	0.	0.	0.
1.	1.	0.	0.	0.	4.	0	97.	0.	0.	0.	0.
0.	0.	0.	0.	0.	4.	0	97.	0.	0.	0.	0.
1.	1.	0.	0.	0.	3.	9	96.	0.	0.	0.	0.
1.	1.	0.	0.	0.	4.	2	96.	0.	0.	0.	0.
1.	1.	0.	0.	0.	4.	1	97.	0.	0.	0.	0.
0.	0.	0.	0.	0.	4.	1	97.	0.	0.	0.	0.
0.	0.	0.	0.	0.	3.	9	97.	0.	0.	0.	0.
0.	0.	0.	0.	0.	4.	2	98.	0.	0.	0.	0.
1.	1.	0.	0.	0.	4.	1	97.	0.	0.	0.	0.
1.	1.	0.	0.	0.	4.	0	97.	0.	0.	0.	0.
0.	0.	0.	0.	0.	4.	1	97.	0.	0.	0.	0.
0.	0.	0.	0.	0.	4.	1	96.	0.	0.	0.	0.
0.	0.	0.	0.	0.	4.	1	96.	0.	0.	0.	0.



A horizontal row of 20 small circles, each containing a dot, representing a sequence of 20 data points.

.....

95. •  
95. •  
95. •  
95. •  
96. •  
95. •  
95. •  
95. •  
95. •  
96. •  
96. •  
95. •  
95. •  
95. •  
95. •  
95. •  
94. •  
94. •  
94. •  
95. •  
95. •  
95. •  
94. •  
94. •  
94. •  
95. •  
95. •  
95. •  
96. •  
96. •  
96. •  
96. •

4.0	4.0
4.0	4.0
3.9	3.9
4.1	4.1
4.1	4.1
4.0	4.0
3.9	3.9
4.1	4.1
4.0	4.0
4.0	4.0
3.9	3.9
4.2	4.2
4.1	4.1
4.0	4.0
4.0	4.0
3.9	3.9
4.0	4.0
4.1	4.1
4.1	4.1
4.0	4.0
3.9	3.9
4.2	4.2
4.1	4.1
4.0	4.0
3.9	3.9

A =	B =	TANK	CN	PUMP	CN	LEVEL	TEMP	ALARM	TEMP	ALARM	TEMP	ALARM
0.	0.	0.	0.	0.	0.	4•5	99•	0•	0.	0•	0.	0•
1•	1•	0•	0•	4•4	4•4	99•	99•	0•	0•	0•	0•	0•
0•	0•	0•	0•	4•4	4•4	99•	99•	0•	0•	0•	0•	0•
1•	1•	0•	0•	4•3	4•3	98•	98•	0•	0•	0•	0•	0•
0•	0•	0•	0•	4•3	4•3	98•	98•	0•	0•	0•	0•	0•
1•	1•	0•	0•	4•2	4•2	98•	98•	0•	0•	0•	0•	0•
0•	0•	0•	0•	4•2	4•2	97•	97•	0•	0•	0•	0•	0•
1•	1•	0•	0•	4•1	4•1	97•	97•	0•	0•	0•	0•	0•
0•	0•	0•	0•	4•1	4•1	97•	97•	0•	0•	0•	0•	0•
1•	1•	0•	0•	4•0	4•0	97•	97•	0•	0•	0•	0•	0•
0•	0•	0•	0•	4•0	4•0	96•	96•	0•	0•	0•	0•	0•
1•	1•	1•	0•	3•9	3•9	96•	96•	0•	0•	0•	0•	0•
0•	0•	0•	0•	4•2	4•2	97•	97•	0•	0•	0•	0•	0•
0•	0•	0•	0•	4•2	4•2	97•	97•	0•	0•	0•	0•	0•
0•	0•	0•	0•	4•2	4•2	97•	97•	0•	0•	0•	0•	0•
0•	0•	0•	0•	4•2	4•2	96•	96•	0•	0•	0•	0•	0•
0•	0•	0•	0•	4•2	4•2	96•	96•	0•	0•	0•	0•	0•
1•	1•	1•	0•	4•1	4•1	96•	96•	0•	0•	0•	0•	0•
0•	0•	1•	0•	4•1	4•1	95•	95•	0•	0•	0•	0•	0•
1•	1•	0•	0•	4•0	4•0	95•	95•	0•	0•	0•	0•	0•
0•	0•	0•	0•	4•0	4•0	95•	95•	0•	0•	0•	0•	0•
1•	1•	1•	0•	3•9	3•9	95•	95•	0•	0•	0•	0•	0•
1•	1•	1•	0•	4•1	4•1	96•	96•	0•	0•	0•	0•	0•
0•	0•	1•	0•	4•0	4•0	95•	95•	0•	0•	0•	0•	0•
0•	0•	1•	0•	4•0	4•0	95•	95•	0•	0•	0•	0•	0•
1•	1•	1•	0•	3•9	3•9	95•	95•	0•	0•	0•	0•	0•
0•	0•	0•	0•	4•2	4•2	96•	96•	0•	0•	0•	0•	0•

A horizontal row of 20 small circles, each containing a dot, representing a sequence of 20 data points.



A = 350      B = 100

TANK CN	PUMP SN	LEVEL	TEMP	ALARM	TEMP	ALARM
0.	0.	4.*5	99.	0.	0.	0.
1.*	0.*	4.*4	99.	0.	0.	0.
0.*	0.*	4.*4	99.	0.	0.	0.
0.*	0.*	4.*4	98.*	0.	0.	0.
1.*	0.*	4.*3	98.*	0.	0.	0.
1.*	0.*	4.*2	98.*	0.	0.	0.
0.*	0.*	4.*2	97.*	0.	0.	0.
0.*	0.*	4.*2	97.*	0.	0.	0.
0.*	0.*	4.*1	97.*	0.	0.	0.
1.*	0.*	4.*0	96.*	0.	0.	0.
1.*	0.*	4.*0	96.*	0.	0.	0.
0.*	0.*	3.*9	96.*	0.	0.	0.
1.*	1.*	4.*1	97.*	0.	0.	0.
1.*	0.*	4.*0	97.*	0.	0.	0.
1.*	0.*	3.*9	96.*	0.	0.	0.
1.*	1.*	4.*3	97.*	0.	0.	0.
0.*	0.*	4.*3	97.*	0.	0.	0.
0.*	0.*	4.*3	97.*	0.	0.	0.
0.*	0.*	4.*3	96.*	0.	0.	0.
0.*	0.*	4.*3	96.*	0.	0.	0.
0.*	0.*	4.*3	96.*	0.	0.	0.
1.*	0.*	4.*2	96.*	0.	0.	0.
1.*	0.*	4.*1	95.*	0.	0.	0.
1.*	0.*	4.*0	95.*	0.	0.	0.
0.*	0.*	4.*0	95.*	0.	0.	0.
0.*	0.*	4.*0	94.*	0.	0.	0.
0.*	1.*	3.*9	94.*	0.	0.	0.
1.*	0.*	4.*2	95.*	0.	0.	0.
0.*	0.*	4.*2	95.*	0.	0.	0.
1.*	0.*	4.*1	95.*	0.	0.	0.



A horizontal row of 20 small circles, each containing a dot, representing a sequence of 20 data points.

995 • 994 • 994 • 994 • 994 • 995 • 994 • 994 • 993 • 993 • 993 • 994 • 994 • 993 • 993 • 993 • 992 • 992 • 992 • 992 • 991 • 992 • 992 • 991 • 991 • 992 • 992 • 992

2  
-1  
0  
9  
2  
1  
1  
1  
0  
0  
0  
0  
1  
9  
1  
2  
2  
2  
2  
2  
1  
1  
1  
0  
9  
1  
0  
0  
0  
3  
9  
3  
2  
2  
1

.....

$A = 4.00$	TANK CN	B = 100	PUMP SN	LEVEL	TEMP	LEVEL ALARM	TEMP ALARM	ALARM
0.	0.	0.	0.	4.*5	99.*	0.*	0.*	0.
0.	0.	0.	0.	4.*5	99.*	0.*	0.*	0.
0.	0.	0.	0.	4.*5	99.*	0.*	0.*	0.
1.	0.	0.	0.	4.*4	98.*	0.*	0.*	0.
0.	0.	0.	0.	4.*4	98.*	0.*	0.*	0.
0.	0.	0.	0.	4.*4	98.*	0.*	0.*	0.
1.	0.	0.	0.	4.*3	97.*	0.*	0.*	0.
1.	0.	0.	0.	4.*2	97.*	0.*	0.*	0.
1.	0.	0.	0.	4.*1	97.*	0.*	0.*	0.
1.	0.	0.	0.	4.*0	97.*	0.*	0.*	0.
0.	0.	0.	0.	4.*0	96.*	0.*	0.*	0.
0.	0.	0.	0.	3.*9	96.*	0.*	0.*	0.
1.	1.	0.	0.	4.*2	97.*	0.*	0.*	0.
1.	1.	0.	0.	4.*2	97.*	0.*	0.*	0.
0.	0.	0.	0.	4.*2	97.*	0.*	0.*	0.
0.	0.	0.	0.	4.*2	96.*	0.*	0.*	0.
0.	0.	0.	0.	4.*1	96.*	0.*	0.*	0.
1.	1.	0.	0.	4.*1	96.*	0.*	0.*	0.
0.	0.	0.	0.	4.*1	95.*	0.*	0.*	0.
1.	1.	0.	0.	4.*0	95.*	0.*	0.*	0.
0.	0.	0.	0.	4.*0	95.*	0.*	0.*	0.
0.	0.	0.	0.	4.*0	95.*	0.*	0.*	0.
0.	0.	0.	0.	4.*0	94.*	0.*	0.*	0.
0.	0.	0.	0.	4.*0	94.*	0.*	0.*	0.
1.	1.	1.	0.	3.*9	94.*	0.*	0.*	0.
0.	0.	0.	0.	4.*3	95.*	0.*	0.*	0.
1.	1.	0.	0.	4.*2	95.*	0.*	0.*	0.
1.	1.	1.	0.	4.*1	94.*	0.*	0.*	0.
1.	1.	1.	0.	4.*0	94.*	0.*	0.*	0.
1.	1.	1.	0.	3.*9	94.*	0.*	0.*	0.
0.	0.	0.	0.	4.*3	95.*	0.*	0.*	0.
1.	1.	0.	0.	4.*2	95.*	0.*	0.*	0.



91. •  
91. •  
92. •  
92. •  
92. •  
92. •  
91. •  
91. •  
91. •  
91. •  
91. •  
92. •  
92. •  
91. •  
91. •  
91. •  
91. •  
91. •  
90. •  
90. •  
90. •  
90. •  
90. •  
91. •  
90. •  
90. •  
90. •  
90. •  
90. •  
89. •  
89. •  
90. •  
90. •  
90. •  
89. •  
89. •

• •

A = TANK CN  
 B = PUMP CN      B = PUMP CN

	LEVEL	TEMP	ALARM	TEMP	ALARM
0.	4.5	99.	0.	0.	0.
0.	4.5	99.	0.	0.	0.
1.	4.4	99.	0.	0.	0.
0.	4.4	98.	0.	0.	0.
0.	4.3	98.	0.	0.	0.
1.	4.3	98.	0.	0.	0.
0.	4.3	98.	0.	0.	0.
1.	4.2	97.	0.	0.	0.
1.	4.1	97.	0.	0.	0.
1.	4.0	97.	0.	0.	0.
0.	4.0	97.	0.	0.	0.
0.	3.9	96.	0.	0.	0.
1.	3.9	96.	0.	0.	0.
1.	4.2	97.	0.	0.	0.
0.	4.2	97.	0.	0.	0.
0.	4.1	97.	0.	0.	0.
1.	4.1	97.	0.	0.	0.
1.	4.0	96.	0.	0.	0.
0.	4.0	96.	0.	0.	0.
0.	3.9	96.	0.	0.	0.
1.	3.9	96.	0.	0.	0.
0.	4.4	97.	0.	0.	0.
1.	4.3	96.	0.	0.	0.
1.	4.3	96.	0.	0.	0.
0.	4.3	96.	0.	0.	0.
0.	4.0	96.	0.	0.	0.
1.	4.0	96.	0.	0.	0.
1.	4.2	95.	0.	0.	0.
1.	4.1	95.	0.	0.	0.
0.	4.1	95.	0.	0.	0.
1.	4.0	95.	0.	0.	0.
0.	4.0	94.	0.	0.	0.
0.	0.	94.	0.	0.	0.
0.	0.	94.	0.	0.	0.
1.	3.9	94.	0.	0.	0.
0.	4.3	95.	0.	0.	0.

A decorative horizontal border consisting of a series of small circles connected by lines.

$\begin{pmatrix} 1 & 0 \\ 0 & 1 \end{pmatrix}$	$\begin{pmatrix} 0 & 1 \\ 1 & 0 \end{pmatrix}$	$\begin{pmatrix} 0 & -1 \\ -1 & 0 \end{pmatrix}$
$\begin{pmatrix} 1 & 0 \\ 0 & 1 \end{pmatrix}$	$\begin{pmatrix} 0 & 1 \\ 1 & 0 \end{pmatrix}$	$\begin{pmatrix} 0 & -1 \\ -1 & 0 \end{pmatrix}$
$\begin{pmatrix} 1 & 0 \\ 0 & 1 \end{pmatrix}$	$\begin{pmatrix} 0 & 1 \\ 1 & 0 \end{pmatrix}$	$\begin{pmatrix} 0 & -1 \\ -1 & 0 \end{pmatrix}$
$\begin{pmatrix} 1 & 0 \\ 0 & 1 \end{pmatrix}$	$\begin{pmatrix} 0 & 1 \\ 1 & 0 \end{pmatrix}$	$\begin{pmatrix} 0 & -1 \\ -1 & 0 \end{pmatrix}$
$\begin{pmatrix} 1 & 0 \\ 0 & 1 \end{pmatrix}$	$\begin{pmatrix} 0 & 1 \\ 1 & 0 \end{pmatrix}$	$\begin{pmatrix} 0 & -1 \\ -1 & 0 \end{pmatrix}$

.....

A horizontal row of 20 small circles, each containing a dot, representing a sequence of 20 data points.

0 9 2 1 1 1 0 0 9 3 2 2 1 0 9 3 2 1 1 1 0 0 9 3 2 1 1 1 1 1 1 1 1 1 1 1 1

.....

A = TANK CN      B = PUMP CN      C = 100

	LEVEL	TEMP	ALARM	TEMP	ALARM
0.	4.5	99.	0.	0.	0.
1.	0.	4.4	99.	0.	0.
0.	0.	4.4	99.	0.	0.
0.	0.	4.4	98.	0.	0.
0.	0.	4.4	98.	0.	0.
0.	0.	4.4	98.	0.	0.
0.	0.	4.4	97.	0.	0.
0.	0.	4.4	97.	0.	0.
0.	0.	4.4	97.	0.	0.
0.	0.	4.4	97.	0.	0.
0.	0.	4.4	96.	0.	0.
0.	0.	4.4	96.	0.	0.
0.	0.	4.4	96.	0.	0.
0.	0.	4.3	96.	0.	0.
0.	0.	4.3	95.	0.	0.
0.	0.	4.3	95.	0.	0.
0.	0.	4.2	95.	0.	0.
0.	0.	4.2	95.	0.	0.
0.	0.	4.2	94.	0.	0.
0.	0.	4.2	94.	0.	0.
0.	0.	4.2	94.	0.	0.
0.	0.	4.2	94.	0.	0.
0.	0.	4.1	93.	0.	0.
0.	0.	4.1	93.	0.	0.
0.	0.	4.1	93.	0.	0.
0.	0.	4.0	93.	0.	0.
1.	1.	1.	92.	0.	0.
1.	1.	1.	92.	0.	0.
0.	0.	4.3	93.	0.	0.
0.	0.	4.3	93.	0.	0.
0.	0.	4.3	93.	0.	0.
0.	0.	4.3	93.	0.	0.
0.	0.	4.3	92.	0.	0.

.....

\*2  
\*2  
\*2  
\*1  
\*0  
\*9  
\*4  
\*3  
\*3  
\*2  
\*1  
\*1  
\*1  
\*0  
\*9  
\*4  
\*3  
\*3  
\*3  
\*2  
\*1  
\*1  
\*1  
\*0  
\*9  
\*3  
\*3  
\*3  
\*2  
\*1  
\*1  
\*1  
\*1  
\*0  
\*9  
\*3  
\*3  
\*3  
\*2  
\*2  
\*2  
\*1

.....



## BIBLIOGRAPHY

- 1 Bowman, Edward H. and Robert B. Fetter, Analysis for Production Management: Richard D. Irwin, Inc., 1961.
- 2 Brown, Robert C., Statistical Forecasting For Inventory Control: McGraw-Hill, 1959.
- 3 Freund, John E., Mathematical Statistics, Englewood Cliffs, New Jersey: Prentice-Hall, Inc., 1963.
- 4 Hull, T. E. and A. R. Dobell, "Random Number Generators". SIAM Review, Vol. 4, #3, July, 1962.
- 5 International Business Machines, IBM 1620 Fortran II Programming System, Reference Manual, File No. 1620-25: IBM, 1962.
- 6 Kirk, H. W., "Use of Decision Tables in Computer Programming". Communications of the ACM, January, 1965.
- 7 Leeson, Daniel N. and Donald L. Dimitry, Basic Programming Concepts and the IBM 1620 Computer, Holt, Rinehart & Winston, 1962.
- 8 Martin, E. Wainright Jr., Electronic Data Processing, An Introduction, Irwin, 1961.
- 9 Pollack, Solomon L., "Conversion of Limited Entry Decision Tables to Computer Programs". Communications of the ACM November, 1965.
- 10 Schmidt, D. T. and T. F. Kavanaugh, "Using Decision Structure Tables". Datamation, February, 1964.
- 11 Sprague, V. G., "Letters to the Editor-on Storage Space of Decision Tables". Communications of the ACM, May, 1966.
- 12 Starr, Martin K. and David W. Miller, Inventory Control: Theory and Practice, Englewood Cliffs, New Jersey: Prentice-Hall, Inc., 1962.
- 13 Veinott, Cyril G., "Programming Decision Tables in Fortran, Cobol or Algo". Communications of the ACM, January, 1966.
- 14 Wichlan, Daniel Josph, A Study of the Effect of Non-Normal Distribution Upon Simple Linear Regression, Kansas State University: Thesis, 1966.

A SYSTEMS SIMULATOR PROGRAMMING LANGUAGE  
FOR THE IBM 1620 COMPUTER

by

THOMAS ALLEN WEBB III  
B. S., Kansas State University, 1965

---

AN ABSTRACT OF A MASTER'S THESIS

Submitted in partial fulfillment of the  
requirements for the degree

MASTER OF SCIENCE

Department of Industrial Engineering

KANSAS STATE UNIVERSITY  
Manhattan, Kansas

1966

The objective of this thesis was to develop a system for the IBM 1620 computer which would facilitate the simulation of systems. The Fortran II programming language was chosen as a basis for further study and implementation. Four methods for programming decision systems were studied and implemented in Fortran either as Fortran programs or as subroutines to Fortran. The four methods were each used to program a simulation and the results were compared. The four methods were: normal Fortran Programming (using a decision tree), an algorithm for minimum Fortran programming (improved decision tree), a decision tables programmed in Fortran, and decision tables used with Fortran object programs (using SPS subroutines).

The results indicate that shorter and probably faster programs can be written using the minimum decision tree programmed in Fortran for small to medium decision systems. However, for large decision systems, shorter and possibly faster programs may be written if use is made of the SPS subroutines.