## by

## BARBARA WHITE

B. A., University of Kansas, 1965
M. A., University of Missouri, 1968

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KANSAS STATE UNIVERSITY
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## APPLICATION OF HALSTEAD'S COMPLEXITY

MEASURES TO PROGRAM DESIGN

### 1.1 Introduction to the Purpose of the Experiment

Warnier-Orr diagrams are the product of a program design technique invented by Jean-Dominique Warnier and extended by Kenneth Orr that is claimed to be far superior to other techniques such as flowcharting. A WO diagram is always structured and is progressively expandable as the program designer refines his work to the point where it is coded in a programming language. Kenneth Orr has marketed a commercial version of the Warnier-Orr technique, called STRUCTURE(S) (Langston Kitch, 1978), that produces printouts of wo diagrams; it is meant for use as a tool for the design of large, complex systems programs.

Maurice Halstead, on the other hand, was the inventor of a language-independent software metrics that he claimed to reveal the inherent complexity of a program; he is the father of software science, and a large number of studies have attempted to validate his theories. In spite of the difficulty of discovering the mathematical basis for Halstead's equations, they have been shown to be accurate predictors of such factors as number of program errors and time required to produce programs (Fitzsimmons and Love, 1978, p. 5).

One reason for continuing interest in Halstead's program complexity metrics is the possibility of applying them to practical problems in designing and coding. For example, Christensen, Fitsos, and Smith, in a review and analysis of software science, say that Halstead's complexity measures--i.e., on the first clean compile of a program--and that it is highly desirable "to use measurements that can lead to the optimization
of program organization while the program is being written or while it is being designed. . . . Software engineering. . . needs a measurement discipline that each programmer can understand and can relate to choices made while designing and coding a program" (Christensen et al., 1981, p. 373).

If, in fact, Halstead's metrics were to prove applicable to a stage of program design considerably earlier than the first clean Warnier-Orr diagrams--and to predict reasonably well the complexity of program written from the diagrams, then one more very useful feature would have been added to the $W 0$ diagram technique. As well, such results would tend to substantiate further the language-independent nature of Halstead's software science theories beyond the programming language realm.

These propositions were the motivation for the present study of ways to adapt Halstead's measurement techniques to a structured design language and of the resulting relationships, if any, between Halstead values for designs and those for programs based on the designs.

### 1.2 Derivation of Halstead's Formulas

Because Halstead's theories represent a novel approach to the definition and analysis of program complexity, they require a fairly elaborate explanation. Fortunately, Halstead himself took pains to make his derivations widely available. In Volume 18 of Advances in Computers, Halstead (1979a) defines the five components of a science--sound metrics, reproducible experiments, derivable relationships, ability to explain observed phenomena, and ability to
predict the result of an experiment. Software he defines as "any communication that appears in symbolic form in conformance with the grammatical rules of any language" (pp. 119-120). The function of software science is to provide the theoretical foundation for software engineering.

Although later in the same article, Halstead discusses at length the various applications of his metrics to technical English prose and to the psychology of reading and writing, his inferences seem to have no particular relevance to linguistic theory, and apparently most published studies of his theories deal with software as defined more conventionally, that is, computer programs.

All of Halstead's equations for measuring complexity are based on counts of operators and operands, the two mutually exclusive entity categories that constitute any computer program in any language. Halstead defines an operand as a variable or a constant and an operator as "an entity that can alter either the value of an operand of the order in which it is altered" (p. 121). His basic measures, from which the others are derived, are $N_{1}$, the total occurrences of operators in a program, $N_{2}$, the total occurrences of operands, $\eta_{1}$, the number of unique operators, and $n_{2}$, the number of unique operands.

The vocabulary of a program is simply

$$
\begin{equation*}
\eta=n_{1}+n_{2} \tag{1}
\end{equation*}
$$

and the length is

$$
\begin{equation*}
N=N_{1}+N_{2} \tag{2}
\end{equation*}
$$

According to Halstead, the concept of program volume is best derived from and $N$ on the basis of the minimum number of bits required to represent each operator and operand multiplied by total occurrences:

$$
\begin{equation*}
V=N \log _{2} n \tag{3}
\end{equation*}
$$

Volume is, in fact, dependent on the language in which a program is written, because a higher-level language can perform a given function in fewer instructions than a lower-level language.

This concept leads to the idea of the highest-level language, for which every result would be available by calling a built-in procedure or function and for which the volume would be smallest. For any program written in the highest-level language, only two operators would be needed, one for the name of the procedure and one to group the operands, of which a variable number would be required depending on the nature of the subroutine. Potential volume is written

$$
V^{*}=N^{*} \log _{2} \eta^{*}
$$

Because no operators or operands would have to be repeated in the highest-level language, $N^{*}=\eta^{*}$, so that

$$
V^{*}=\eta^{*} \log _{2} \eta^{*}
$$

In terms of operators and operands, this is

$$
V^{*}=\left(\eta_{1}^{*}+\eta_{2}^{*}\right) \log _{2}\left(\eta_{1}^{*}+\eta_{2}^{*}\right)
$$

and because $\eta_{1}^{*}=2$, potential volume becomes finally

$$
V^{*}=\left(2+\eta_{2}^{*}\right) \log _{2}\left(2+\eta_{2}^{*}\right)
$$

Representing as it does the minimum volume for an algorithm, the potential volume is language independent.

Halstead derives an equation for "implementation level" defined as the ratio of potential volume to the actual volume of a given implementation:

$$
L=V^{*} / V
$$

which means that another way of expressing potential volume is

$$
\begin{equation*}
V^{*}=L V \tag{4}
\end{equation*}
$$

This is the formula for potential volume used in the present study, with est. L substituted for $L$ because, according to Halstead, a close approximation of the actual level may be obtained by assuming that the more unique operators used in an implementation the lower the program level, with the minimum possible being, of course, $1^{*}=2$. Therefore,

$$
L \sim n_{2} / N_{2}
$$

Halstead proposes the following equation, because the "simplest combination of these two terms that will meet the condition that $L=1$ for a potential language is their product, where the constant of proportionality is one" (p. 124):

$$
\text { est. } L=\left(n_{1}{ }^{*} / \eta_{1}\right)\left(n_{2} / N_{2}\right)
$$

or

$$
\begin{equation*}
\text { est. } L=\left(2 / \eta_{1}\right)\left(\eta_{2} / N_{2}\right) \tag{5}
\end{equation*}
$$

Halstead says that est. $L$ has been proven by experiment to be close enough to $L$ for the former to be used interchangeably with the latter.

Because LV should be a language-independent constant value for a particular program, potential volume is a useful measurement for testing the application of Halstead's theories to program designs and the programs written from them. (However, there is some question whether two versions of a program written in two different languages can ever be exactly the "same" program.)

For different programs written in the same language, the potential volume $V^{*}$ must increase as program size increases. Halstead says that implementation level $L$ decreases proportionally with the increase in potential volume so that a language level

$$
\lambda=L V^{*}
$$

may be defined that "tends to remain nearly constant over a wide range
of program sizes" (p. 125). As should be expected if the concept of language level has any meaning, Halstead and others have found that language level increases from lower-level programming languages to higher-level programming languages to technical English prose. Although this increase is consistent, variances are large and grow larger as language level increases, so that there is considerable overlap.

In the present study the equation for language level used is that used by Fitzsimmons and Love (1978, p. 8)

$$
\begin{equation*}
\lambda=\left(\text { est. } L^{2}\right) V \tag{6}
\end{equation*}
$$

based on $V^{*}=L V$. It was chosen because $V$ can be measured precisely and because Halstead highly recommends the accuracy of est. L.

Halstead's first "counterintuitive" finding in software science was what he calls the vocabulary-length equation:

$$
\begin{equation*}
\text { est. } N=\eta_{1} \log _{2} \eta_{1}+\eta_{2} \log _{2} n_{2} \tag{7}
\end{equation*}
$$

which states that the length of a program may be approximated closely using only its vocabulary. Halstead attempts to explain this formula on the basis that operands and operators tend to alternate in a program and that because a program is "organized" the upper limit of program length must be its logarithm. According to Halstead, a correlation coefficient of greater than 0.98 was obtained for $N$ and est. $N$ in a large series of polished programs.

Because programs can be written whose estimated length is not at all close to the actual $N$, Halstead determined six "impurity classes" that could account for the discrepancies:

1. Complementary operations--e.g., adding a variable to another and then subtracting it with no intervening logical reason for the operations.
2. Ambiguous operands--e.g., using one variable name to serve different purposes in different parts of a program.
3. Synonymous operands--e.g., using more variable names than are necessary.
4. Common subexpressions--e.g., repeatedly using an expression rather than assigning a name to the result of the expression and using that repeatedly.
5. Unwarranted assignment--e.g., assigning a name to the result of an expression that is used only once.
6. Unfactored espressions--e.g., failing to factor the factorable terms in an expression.

Obviously the impurity classes represent carelessness in programming that should be eliminated by review. However, there are other causes of discrepancy between N and est. N. Christensen et al. (1981, p. 375) reports that one study found est. $N$ to be low for big programs and high for little ones and that another found est. $N$ to be high for 80 percent of a larger number of $\mathrm{PL} / \mathrm{I}$ programs. In the present study PL/I output formatting statements were found to have a strong confounding effect on est. $N$ if their built-in functions were considered operators on the output variables, and therefore they were eliminated from the counts.

It is also an interesting fact that Halstead's equations show internal consistency when applied to technical English prose, which must be "impure" in order to be readable.

Halstead attempted to determine how hard it must have been for a programmer to write a given program by reasoning that writing a program consists of instituting a binary search through the list of possibilities in the programming language for the $N$ symbols needed. Since each search must require an average of $\log _{2}$ "elementary mental discriminations," the total is simply the volume of the program:

$$
V=N \log _{2} n
$$

which means that mental effort may be defined as volume times number of elementary metal discriminations. And since elementary mental
discriminations is a measure of difficulty and abstraction level $L$ can be understood as the inverse of difficulty, a simple representation of mental effort is

$$
\begin{equation*}
E=V / L \tag{8}
\end{equation*}
$$

measured in units of elementary mental discriminations.
As with his other measures, Halstead first found a formula for estimated programming time that worked and then searched out a justification for his empirical result. Equation (9) is based on Halstead's "Stroud rate" of 18 emd's per second, named in honor of John Stroud, a psychologist who estimated that "the human mind is capable of between 5 and 20 mental discriminations per second" (Fitzsimmons and Love, 1978, p. 9):

$$
\begin{equation*}
T=E / S \tag{9}
\end{equation*}
$$

Halstead (1979a, p. 129) says that the rate at which the human brain makes emd's "is nearly constant, and does not vary significantly with intelligence." However desirable an intelligence-independent measure of programming time might be, it is difficult to agree with Halstead that a factor of between 5 and 20 is nearly constant and to understand why 18 is the number of choice other than that it works.

Equation (9) is included in the present study, converted to minutes, and its results are not unreasonable. But, as Fitzsimmons and Love state, Halstead's time equation is in no sense a proof that a programmer took or should have been granted a certain amount of time to write a program. (11) However, Halstead (1979a, p. 129) claims his
equation to be remarkably accurate in its "ability to predict observed programming times ranging from 5 min to 11,700 man months."

Halstead's speculations about the conclusions that may be drawn from his mental effort hypothesis are wide-ranging. For example, the mental effort value was found to decrease for a program after it had been revised to improve clarity. Someone whose job it was to decide whether a program should be revised might consider whether other programmers than the writer would be assigned to maintain it. If so, and if the mean for the language, the program would seem a likely candidate for revision.

Halstead also discusses the use of his software metrics to predict error rates in programs, the resolution or ambiguities in counting operators, the results of some highly theoretical experiments with his metrics, and the internal consistency of software metrics with respect to technical English prose. Only the last of these discussions is relevant to the purposes of the present study. Halstead's description of how Kulm (1975) and Miller et al. (1958) applied the concept of operators and operands to English provides a starting point for the counting technique used herein for the STRUCTURE(S) design language:

> - . words were divided into two classes, called function words and content words. The function words, are in general, all of those words that are classified grammatically as articles, pronouns, prepositions, conjunctions, or auxiliary verbs. All of the others are counted as content words. . . Kulm reasoned that the content words must be equivalent to operands, and that the function words are operators. . . [to which must be added], of course, the punctuation symbols. . . (Halstead, 1979a, p. 155)

The concept of function words and content words undoubtedly models the structure of the English language. However, a simpler classification of grammatical constructions into verb phrases and noun phrases follows the
function word - content word pattern while also in most English grammar textbooks. In the present experiment the prose operators were considered to be verb phrases (e.g., auxiliary and main verbs, infinitive phrases), prepositions, connectives, and punctuation symbols, and the prose operands to be noun phrases (i.e., nouns plus adjectival modifiers not including prepositional phrases).

In the conclusion of his article in Advances in Computers, Halstead invites skepticism of his theories and experimentation with them. He claims that the result will be the "inescapable conclusion" that they tap the natural laws that govern language.

### 1.3 Published Studies of the Practical Applications of Halstead's

 TheoriesMany large studies of Halstead!s theories have been done and have supported with statistics the overall ability of his equations to predict program complexity. Two articles are summarized here in some detail because they indicate the aspects of software science that are currently of interest. The first is a review, and the second is a study of the practical applications of Halstead's equations to program design.

### 1.3.1 Fitzsimmons and Love's Review of Software Science

Fitzsimmons and Love (1978), in "a review and evaluation of software science," published in Volume 10 of Computing Surveys, outline Halstead's theories much as has been done here already. They list the results of studies that have been done on Halstead's metrics using
programs and derive Halstead values for a brief interchange-sort algorithm implemented in Fortran and PDP-11 assembly language.

The computations for their example algorithm come out uniformly well: their 13-line Fortran routine has an $N$ of 50 and an est. $N$ of 52 ; the volume of the assembly language version of the routine ( 29 lines) is considerably greater than that of the Fortran version, "because the rich vocabulary of operators in high-level language allows more compact expression and produces shorter programs" (p.7); the abstraction level is 35 percent higher for the Fortran routine than for the assembler one; the two estimates of $V^{*}$ agree within 4 percent of each other; and the Fortran routine language level is within one standard deviation of the Fortran average.

Fitzsimmons and Love list mean language level, and standard deviation for the languages Halstead studied. Those of interest here are

| Language | Mean $n$ | S.D. |
| ---: | :---: | :---: |
| English prose | 2.16 | 0.86 |
| PL/I | 1.53 | 0.96 |

### 1.3.2 Christensen et al.'s Study of Halstead's Metrics and Program Design

"A perspective on software science," by Christensen, Fitsos, and Smith (1981), in Volume 20 of the IBM Systems Journal, discusses the practical uses that might be made of Halstead's metrics in designing a program and in improving it as it is being coded.

Their lists of operator and operand examples and of "some of the not-so-obvious" rules for counting operators were used in the present study for programs and were adapted for use with designs:

Variable name--operand.
Literal--operand.
Arithmetic symbol--operator.
Punctuation--operator.
End of statement delimiter--operator.

Parentheses and brackets always come in pairs, and a compiler diagnoses correct pairing. Each pair is counted as a single "grouping" operator.
GO TO statements are concatenated with the address of the GO TO to form a single operator.
If and THEN are combined into a single operator since one is unlikely without the other.
IF THEN and ELSE are also combined as a single operator. (thus, IF THEN ELSE and IF THEN are two separate and distinct operators.)
Each of the possible combinations of DO UNTIL, DO WHILE, etc. is combined as a single operator, but each combination is separate from the others. (p. 374)

Another rule perhaps not obvious from Halstead's definitions is that, whether explicit or implied, an end-of-line marker is always counted as present.

Christensen et al. (p. 375) list correlation coefficients for est. $N$ and $N$ from a series of experiments; the relevant ones are the following:

## Correlation <br> Language

| $\mathrm{PL} / \mathrm{I}$ | 0.98 |
| ---: | :--- |
| 370 assembler | $0.90+$ |
| $\mathrm{PL} / \mathrm{S}$ | $0.90+$ |

Programs for the present study were written in PL/I, in UC assembler (which is similar to but smaller than 370 assembler), and in PLDS (like $\mathrm{PL} / \mathrm{S}$, a subset of $\mathrm{PL} / \mathrm{I}$ ).

From Halstead's equations and the results of experimentation, Christensen et al. proposes two complexity rules:

1. Program size measured as lines of codes, $N$, or $V$ is a function of 7 .
2. For structured programs program size is a function of $\eta_{2}$. The second rule is based on studies of programs written in PL/S and 370 assembler only and may not be true for all languages; however, it should apply to the programs of the present study.

The difficulty of a program--which as mentioned earlier is the inverse of the implementation or abstraction level (equation 5)--is written

$$
\begin{equation*}
D=\left(n_{1} / 2\right) \quad\left(N_{2} / n_{2}\right) \tag{10}
\end{equation*}
$$

Christensen et al. analyzes the separate implications of the two terms on the right-hand side. $\eta_{1} / 2$ refers to the difficulty imposed by a large operator vocabulary, and $N_{2} / \eta_{2}$ represents the average number of times operands are changed in a program. A higher-level language requires fewer operators, which makes a program easier to write and understand. Frequently changed operands are hard for the reader of a program to keep track of. However, a high difficulty value does not necessarily imply that there is something wrong with a program; a complex algorithm will be implemented as a complex program.

The authors suggest that the strongest evidence in favor of a specific meaning for the various elements of the difficulty equation is that for PL/S a high $\eta_{1}$ value indicates unstructured programming and a high $N_{2} / \eta_{2}$ value may be caused by unusually high occurrence of one or more of the six types of impurities that Halstead classified.

With respect to Halstead's equations for mental effort, language level, and potential volume (which they call information content),

Christensen et al. say that experimental results are incomplete but interesting. Means for language level vary widely within a language, and "there is a suggestion that Language Level does not measure the language so much as it measures how the language is used in a program" (p. 385). Their cited $\lambda$ values (p. 384) are:

| Language | Mean $\boldsymbol{\lambda}$ | S.D. |
| :---: | :---: | :---: |
| $\mathrm{PL} / \mathrm{S}$ | 2.05 | 1.14 |
| $\mathrm{PL} / \mathrm{I}$ | 1.53 | 0.92 |
| 370 assembler | 0.91 | 0.79 |

Potential volume, $V^{*}$, not yet proven a "practical metric," is, if valid, a measure of how much function a program has--that is, its information content. For a series of eight programs implementing Euclid's algorithm and written in different languages, the mean $V^{*}$ was 11.45 , the variance 0.89 , and the standard deviation 0.94 (p. 386).

In their conclusion, Christensen et al. stress how important it is to have measurement techniques for analyzing programs and designs. However, they also stress that errors in the "measurement instrument" will have to produce worthless results and that "strict and rigorous calibration" is required for any experiment (p. 386).

### 1.4 Warnier-Orr Diagrams

Around 1970 Warnier and his colleagues at Honeywell-Bull in Paris developed as a design tool diagrams of input and output data sets that resembled engineering parts explosion diagrams (Figure 1 is an example of an output report and indicates the hierarchical structure of a Warnier diagram.) Warnier (1974) later published a book on his design technique called Logical Construction of Programs, which Orr, working in the United States, used as the basis for his extended design technique,


Figure 1
Higgins, 1979a, p. 2
called Warnier-Orr diagramming. Because Warnier-Orr diagrams are a practical tool for systems and data base design, they have become rather popular (Higgins, 1979b, p. 2).

### 1.4.1 Warnier-Orr Design Methodology

There are two fundamental types of Warnier-Orr diagrams produced at different stages in the Warnier-Orr design cycle, a cycle that repeats until the designers are confident that the program coding stage has been reached. The first type is the logical data structure diagram (Figure 2), which is deduced from the system requirements for the desired output; the second is the logical program structure diagram (Figure 3), which is deduced from the internal data structure needed to produce the output. Starting with desired outputs as the basis for finding the necessary inputs and proceeding from the general to the specific results in the cyclic construction of system flow.

The steps of the Warnier-Orr method--repeated from step 2 to step 9 until finished at some return to step 2--may be outlined as follows:

1. Discover the output requirements for the system as a whole.
2. Choose an undesigned part of the desired output.
3. Outline its system requirements.
4. Draw its logical data structure diagram.
5. Draw its preliminary logical program structure diagram.
6. Determine preliminary system flow.
7. Determine necessary input data for system flow.
8. Refine system flow.
9. Refine the logical program structure diagram.


> Figure 2
> Higgins, $1979 \mathrm{~b}, \mathrm{p} .191$


### 1.4.2 Theory of Warnier-Orr Structures

A Warnier-Orr diagram is laid out on the page using braces to show the expansion of a "universal" into its final "elements," which may be data elements or the Warnier-Orr process operators. Four basic structures corresponding to the concepts of structured programming make up the diagram (Higgins, 1979a, pp. 3-6) (see Figure 3 for examples of each) :

1. Hierarchy structure--braces show successive decomposition of universals into elements.
2. Sequence structure--elements are listed sequentially within each hierarchical level.
3. Repetition structure--numbers or variables in parentheses beneath a universal indicate the range of repetition for a repeating subgroup. The structure ( $1, \mathrm{x}$ ) corresponds to a "do until" loop, ( $0, \mathrm{x}$ ) to a "do while" loop, and, say, (50) to a "do $\mathrm{x}=1$ to 50" loop.
4. Alternation structure--the repetition structure in the from $(0,1)$ along with the exclusive or operator, + , represents alternative processes.

There are also two complex structures (not used in the present study because they are not implemented in the STRUCTURE(S) design package):
5. Concurrency structure--a + between two universals vertically shows concurrent operation.
6. Recursion structure--a broken brace following a universal name duplicating one to the left on the page indicates hierarchical repetition.

Four rules based on Warnier's programming theory determine the internal structure of the Warnier-Orr diagram for a program (Higgins, 1979a, p. 7):

1. The heirarchical structure of a program is deduced from the input data structure.
2. A repetitive input data structure produces a repetitive program structure.
3. An alternating input data structure produces an alternating program structure.
4. An alternating structure more than six levels deep must be determined from the output structure.

### 1.4.3 Present Usage of the Warnier-Orr Technique

The usefulness of Warnier-Orr diagrams to commercial custom-programming organizations is obvious: they are based on the needs of the user as outlined in a requirements document, they enforce data-driven structured programming, and they constitute an up-to-date record of the design cycle as they are being refined to the final stages. WO diagrams have not as yet been much used for designing other than business-type programs, although their potential usefulness in scientific applications and operating systems design is clear. If output requirements are well defined and system flow is complicated, wo diagrams will clarify and simplify the process of program design.

### 1.4.4 STRUCTURE(S): An Automated Warnier-Orr Diagram Drawing Package

It is easy to understand why Orr decided that a systen to produce a Warnier-Orr diagram on a series of computer output pages and to list cross-references as well as remaining undefined references could be marketed successfully--the Warnier-Orr diagram for a program of substantial size quickly blossoms into a large, unwieldy sheet on which refinements and corrections are made with some difficulty and remaining unresolved segments may be overlooked.

The component of $\operatorname{STRUCTURE}(S)$ of interest in the present study is the "source input list," which is the user's input data that produces the Warnier-Orr diagram and reference lists. The input list phrases and tokens have, of course, a 1:1 relationship with the four Warnier-Orr
structures and are suitable as input to the program written for this study that counts the operators and operands of a WO diagram.

All of the input lists used for designs in the present study may be found in the Appendix along with the program outputs. Following is a small segment from the input list for the Warnier-Orr diagram of the program that analyzes input lists; it shows the STRUCTURE(S) tokens:

```
COUNT;
    .BEGIN$;
    SETUP;
    SAVE DIAGRAM TITLE FOR OUTPUT TABLE$;
    SET HEAD OF LINKED LIST OF OPERANDS TO DIAGRAM TITLE$;
    SET HEAD OF LINKED LIST OF OPERATORS TO 'BRACE'$;
    FOR EVERY LINE 0-X;
    PRINT;
    .END$;
SETUP;
    .BEGIN$;
    CREATE LINKED LIST OF PREPOSITIONS/CONNECTIVES FROM INPUT FILES$;
    CREATE LINKED LIST OF INFINITIVE PHRASES FROM INPUT FILE$;
    .END$;
```

    -
    -
    FOR EVERY LINE;
READ INPUT LINE\$;
FIRST CHAR $=$ BLANK 0-1;
$+\quad$ FIRST CHAR $=$ BLANK $0-1$;
-
-
-

The dollar sign is a terminal symbol to indicate that no brace occurs to the right of a phrase; therefore, absence of a "\$" indicates that a brace is to be counted as present. The endine marker is obviously ";", the pair of parentheses around Warnier-Orr diagram repetition counts is represented by a "+". Sequence is indicated by the vertically arranged lists indented under headings which repeat the universal that the list is to appear within a brace.

These few tokens and the listed phrases are all that is needed to produce a Warnier-Orr diagram. Simple translation of the tokens as they are encountered in the input lists is all that must be done in order to count the actual Warnier-Orr process operators.

## CHAPTER 2

AN OPERAND AND OPERATOR COUNTING TECHNIQUE
FOR WARNIER-ORR DIAGRAMS

### 2.1 Experimental Assumptions

A basic assumption of the experiment which the rest of this paper will describe was that a Warnier-Orr program design diagram is composed of words and symbols that may be counted as operators and operands. As mentioned in Section 1.2, Halstead was sure that his software metrics were valid for technical English prose, and Kulm and Miller got good results for prose by counting "function words" as operators and "content words" as operands.

Since the design language of Warnier-Orr diagrams lies somewhere between technical prose and high-level programming languages with respect to "naturalness," there is little question that Halstead's software metrics should apply. The problem is to derive and justify an operator and operand counting technique. The approach taken in this experiment was the sample on of counting as operators the Warnier-Orr process operator symbols "\{", "()", ",", and "+" along with the other logical operators (the arithmetic operators must be expressed in words, e.g., as "add" or "subtract"), verb phrases, prepositions, connectives, and the implied end-of-line marker, and as operands numbers and noun phrases.

That Warnier-Orr process operators and logical operators should be counted as Halstead operators is obvious. However, counting whole verb phrases and noun phrases rather than words as individual operators is a less refined technique than Kulm's and Miller's for prose. As briefly
discussed at the end of Section 1.2, the assumption is that this relatively rough-grained approach is a suitable model of English prose structure as presently described by phrase structure grammars. Halstead noted that the operands and operators of English prose tend to alternate (see Section 1.2), and the importand implication of this fact is that operands--i.e., noun phrases, whose variations are endless--are positionally bracketed between operators--i.e., verb phrases, connectives, and punctuation symbols (possibly including an invisible end-of-line marker), whose variations may be conveniently limited in a design language. Therefore, it is reasonably rather than impossibly difficult to write a computer program to count the operators and operands of a Warnier-Orr diagram, and the arithretic and logical operators furthermore seem to represent about the same degree of semiotic "complexity" as the linguistic "complexity" represent by simple word phrases--that is, what is signaled by a symbolic operator may be expressed in words by a verb.

The purpose of writing a counting program is, of course, to produce more consistent results than hand-counting would and to take advantage of the ready-made input that $\operatorname{STRUCTURE}(S)$ design language provides. Also, a practical complexity predictor for programs at the wo diagramming stage--if such is possible--would have to be automated.

### 2.2 Restriction on STRUCTURE(S)-Style Input Lists for Program COUNT

In order to simplify the parsing of $\operatorname{STRUCTURE(S)-style~input~lists~}$ for program COUNT, a few restrictions were found to be necessary:

1. Simple phrase lines (i.e., those lines not representing the Warnier-Orr alternation or repetition structure) must be written in imperative voice, beginning with a one-word verb phrase, and be more than one word long.
2. All lines must be written in "telegraphic" stle, ilel, without articles. (Articles would be part of a noun phrase conted as one operand in any case.)
3. As much as convenient, the same noun phrase must be used repeatedly to describe repetitions of the same concept.
4. "Procedure names" must be one word long and appear as universals for the universals for the procedure elements at the first "call" in the design sequence.
5. A "procedure name" alone on a line with no following elements must be used to indicate subsequent repetitions of the sequence of lines it stands for.
6. Figures must always be used for numbers.
7. Except for figures and "\$" or ";" or both; a simple phrase line must contain words only.
8. Except for single quote marks (with the conventional meaning), punctuation must not be used in phrase lines; separate phrase lines are used instead.

These few restrictions make the grammar of the STRUCTURE(S) input language determinate enough to be processible by a relatively simple program such as COUNT. That is, which of the four basic Warnier-Orr structures are represented in a line is determinable from the presence or absence of the relevant $\operatorname{STRUCTURE}(S)$ process operators "\{"for hierarchy, "+" for alternation, " " without "+" for repetition, and none or "\{" only for sequence. If a line is a simple sequence lines, then the first word must be an operator, the followingwords up to the first preposition (or the end of the line if there is none) constitute a noun phrase, operand, and the preposition is an operator or the first word of a two-word infinitive phrase operator, followed by a noun phrase operator, followed by a noun phrase up to the nxt preposition or the end of the line. A one-word line represents a procedure name operand.

### 2.3 Structure of Program COUNT

The listing for program COUNT appears at the end of the Appendix to this paper; the program is written in $P L / I$ and makes extensive use of PL/I built-in string-processing functions. Input for COUNT, as described alrady, is the STRUCTURE(S) "source input list" for a WO diagram with the restrictions listed in Section 2.2. Output for COUNT, reproduced in the Appendix, consists of two tables--the first a list of the operators and $\eta_{1}$ and $N_{1}$ values for a WO diagram and the second a list of the operands and $Z_{2}$ and $N_{2}$ values-along with the set of values for the nine Halstead metrics of inerest in this study--vocabulary ( $n$ ), length ( $N$ ), estimated most compact (potential) volume ( $V^{*}$ ), language level ( $\lambda$ ), mental effort (E), and time ( $T$ ) in minutes.

Aside from the verb phrase - noun phrase alteration to the counting technique for prose, it initially seemed that Halstead's and Christensen's guidelines for counting program operators and operands could be followed closely for diagram operators and operands. However, it became apparent that a program procedure name, which is counted as an operator by Halstead, is not the same construction as its design representation in $a$ WO diagram. In the program the procedure name represents a transfer of control from one location in the code to another; in the diagram the "procedure name" represents a subheading (noun phrase operand) paired with its brace (symbolic operator) to indicate the first occurrence of $a$ named series of operations, and standing alone it represents subsequent occurrences ("procedure calls") of the named sequence. In this instance, for WO diagrams a natural language counting rule produces better internal consistency than Halstead's procedure call name rule for programming languages.

Otherwise, the diagram counting rules used in COUNT are straightforward implementations of the STRUCTURE(S)-to-W0-diagram transliterations described in Sections 1.4 .4 and 2.1. Separate lined lists of operators and operands are constructed as encountered in the input, and ocurrence counts are basic structures of a WO diagram (hierarchy, sequence, repetition, and alteration) are represented in an input line is easily determined by searching for the corresponding STRUCTURE(2) symbols (see Figure 4) for diagrammatic explanations): a brace (hierarchy) is logged for each line without a "\$", a "()" pair and a "," plus the other particular operands and operators (repetition) are logged for each line without $a$ "*" and $a$ "-" are encountederd, and logical operators, and the WO standard operators ".begin", ".end", and ".skip" are logged as found. A single word, other than one of the standard operators, appearing alone on a line must be a "perocedure name" and is logged in the oprands list on each such occurrence as well as on any mention in a simple phrase line. Simple phrase lines--representing the WO sequence structure--are distinguished by a lack of the symbols indicating a repetition or alteration structure. They are parsed one word at a time based on the rule that the first word in each such line must be an operator (verb). The line is searched for a preposition or connective by comparing each successive word to an already set up linked list of the prepositions and connectives most likely to appear in a WO diagram. If none is found, the unprocessed part of the input line is printed on the terminal screen for the program user to signal interactively how processing is to be completed. If no prepositions or connective unknown to COUNT appears in the line portion displayed on the screen, the user signals that portion is to be logged


Figure 4
Syntex diagrams for Warnier-Orr basic structure as implemented in this study using STRUCTURE(S) source input lists. Literals are in single quotes, variable tokens are in angular brackets. The Warnier-Orr diagram operators and operands logged are shown within braces and square brackets, respectively. Where the Warnier-Orr operator or operand loggea aiffers from the STRUCTURE(S) input token, the former follows the latter immediately.
as an operand (noun phrase) to the end and processing continues with the next input line. If an unknown preposition or connective appears in the problematic line portion, the user writes the word on the screen, and COUNT logs it and any preceding noun phrase in the operators and operands lists; processing of the line continues until the end is detected. The presence of the word "to" in a phrase line constitutes a particular problem; when found, it and the next word are compared to an already set up linked list of infinitive phrases most likely to be found in a WO diagram. Again, if no match is found the program user must signal whether the occurrence of "to" represents a preposition followed by its object (an operator followed by an operand) or of an infinitive phrase (a two-word opeator).

When the end of the input file has been reached, COUNT prints the tables or operators and operands and computes and prints the values of the nine Halstead metrics.

### 2.4 Program Operator and Operand Counting Programs

As already mentioned, a small program to list the tokens in each program source code listing was written that simply constructs an output file of each token along with the number of occurrences. These are combined by hand into a master list of program operators and operands usng Halstead's definitions with Christensen et al.'s clarifications. The master list provides values for the program $\eta_{1}, N_{1}, \eta_{2}$, and these
are the input for another small program that is basically the same as the code in COUNT that computes the nine Halstead values for a diagram. The Halstead metric outputs for the nine programs analyzed in this experiment appear in the Appendix after those for their corresponding diagrams.

## CHAPTER 3

## PREDICTIVE POWER OF HALSTEAD DESIGN VALUES

FOR PROGRAM VALUES

### 3.1 Experimental Hypothesis

As mentioned in Section 1.1, the purpose of this experiment was to find whether Halstead complexity values are derivable for WO diagrams and, if so, whether theses values can be used to predict the complexity of programs written from the diagrams.

It was hypothesized that Halstead metrics for WO diagrams should be internally consitent and that the values should have a fairly consistent relationship to the same values for programs. This, of course, is not to imply that the set of operators and operands for a WO diagram maps directly into the set of operators and operands for the program written from the diagram. While there is considerable overlap between the symbolic operators used for $W 0$ diagrams and for a high-level programming language, there are also several special-purpose operators for wo diagrams that do not translate straightforwardly into program operators (e.g., the hierarchical brace) and programming languages use many arithmetic, logical, and special-purpose operators not required by a design language. Furthermore, the alteration structure of a Warnier-Orr diagram (see Figure 3) is a quite different construct from the "IF THEN ELSE" of a high-level programming language, and with respect to the WO sequence structure a noun phrase in a Wo diagram can only rarely be translated into a single program variable name or a verb phrase (other than "add", "subtract", "multiply", or "divide" into a single arithmetic or logical operator. The hypothesized fairly consistent relationship
between Halstead values for diagrams and programs must be based on some consistency of their "deep structure" (a term used by phrase structure grammarians with reference to the still poorly understood psychology of language).

### 3.2 Experimental Procedure

Six WO diagrams for different program designs were prepared; five were worked up to the program coding point and one was left at a fairly abstract level for comparison. Two of the designs, BKB2PFGP and BKB2PIRW, were for modules that became part of a diskette file management system being considered for a small operating system. These designs and their resulting programs were subjected to an inspection and review process, and the programs were approximately 120 and 60 lines long, respectively. The largest design--for program COUNT, about 650 lines long--was the WO diagram for the program that counts operators and operands in WO diagrams; that is, this experiment's counting program design was used as input for the program it produced. Diagram LINKED LIST was for a demonstration program of modest length--about 300 lines--that produces and manipulates several singly linked lists. Diagrams SORT1 and SORT2 were for short programs (about 15 and 25 lines, respectively) to implement a bubble sort, the former for a fixed-length array of elements and the latter for a doubly linked list of undefined length. Diagram SORT1 was prepared to the coding point; diagram SORT2 was left at a preliminary high level of design and the program coded without a detailed design.

Programs BKB2PFGP, BKB2PIRW, and SORT1 were written in PLDS, a subset of PL/I used for systems programming; COUNT, LINKED LIST, and

SORT1 were written in PL/I. In addition, UC assembler language programs were produced for BKB2PFGP, BKB2PIRW, and SORT1; these programs were 440, 400, and 90 lines long, respectively.

The six diagrams were translated into STRUCTURE(S) - style lists for input to program COUNT. The nine programs were compiled or . assembled and run, after which the source file for each was used as input to a small token-counting program whose output was used to count program operators and small program essentially the same as procedure PRINT in program COUNT. Program operators and operands were hand-counted because the counting method is simple and well defined (Halstead's definitions described in Section 1.2 with Christensen et al.'s clarifications described in Section 1.3 .2 were followed) and because writing a program to do the counting would have required a good deal of time and was not of particular relevance to this study.

### 3.3 Results

The output tables and lists of Halstead values for diagrams and programs compose the raw data used to investigate the hypothesis that a program's complexity may be estimated from the complexity of the Warnier-Orr diagram used to design it.
3.3.1 Validity of the Diagram Operator and Operand Counting Technique

An important indicator of whether in fact the hypothesis of this experiment can be tested is some sign that Halstead's metrics have been successfully adapted to the analysis of Warnier-Orr diagrams--that is, whether program COUNT meets Christensen et al.'s standard as a well-calibrated measurement instrument.

Two ways of checking COUNT's calibration are available: comparison the published language level ( $\lambda$ ) values for natural and high-level programming languages with those for the WO diagrams, and comparison of Halstead's correlation coefficient for length (N) and estimated length (est. N) of a large sample of programs with the correlation coefficient for diagram $N$ and est. $N$ values (see Appendix for explanation of the correlation computations).

As listed in Section 1.3.1, Fitzsimmons and Love's cited $\lambda$ for English prose is $2.16+0.86$ and their $\lambda$ for PL/I is $1.53+0.96$, almost the same as that cited by Christensen et al. The obtained in this experiment for five WO diagrams (excluding the SORT2 diagram, which was intentionally left uncompleted) is $1.18+0.44$. This value is within one standard deviation of the mean for both English prose and PL/I, which is acceptable although one would prefer to have the mean value for diagrams between the two others rather than below them. The large standard deviations preclude using relative $\lambda s$ to reach a strong conclusion in any case. Christensen et al.'s $\lambda$ for 370 assembler language is $0.91+0.79$, which is within one standard deviation of that for $P L / I$.

What other investigators emphasize about values is that they tend to increase from low-level to high-level languages. The diagram and program values for this experiment are as follows:

| Language | Mean $\lambda$ | S.D. |
| ---: | :---: | :---: |
| PL/I, PLDS | 1.35 | 0.46 |
| Diagram | 1.18 | 0.47 |
| $U C$ assembler | 0.44 | 0.05 |

The implication is that diagram language may be somewhat more restricted than the high-level programming languages but both are approximately the
same and of distinctly higher level than the assembler language. As Christensen et al. point out, may be more of an indication of how a language has been used in a particular application than of the language's inherent "level" (see Section 1.3.2).

A better indication of the internal consistency of the Halstead values for diagrams is the correlation between N (equation 2) and est. N (equation 7). As cited previously, Halstead found a correlation coefficient of 0.98 between $N$ and est. $N$ for a large series of programs. The diagram correlation coefficient for $N$ and est. $N$ in the present experiment is 0.95 , which is significant at the 1 percent level for a sample size of 6 . With the COUNT program excluded because high usage of PL/I string-processing functions confounded the est. $N$ value, the correlation coefficient for the programs of this experiment is 0.96 , and that for programs and designs combined is also 0.96 . These values used in this experiment for diagrams and programs separately and combined do meet Halsted's criteria. They tend to strengthen the assumption that further conclusions may be drawn about relationships between diagram and program values for the other Halstead metrics.

### 3.3.2 Diagram:Program Ratios of the Halstead Metrics

To determine what the "fairly consistent" relationship between diagram values and program values is, diagram:program ratios were calculated for the Halstead metrics of this experiment. Table 3.1 lists the Halsted values for estimated length and actual length for all diagrams and programs along with the diagram:program length ratios. Tables 3.2 through 3.5 give the Halstead values and diagram:program ratios for the other metrics.

TABLE 3.1
Relationship of Estimated Length to Actual Length for Diagrams and Programs

| Title | Actual length <br> ( N ) | $\begin{gathered} \text { Estimated } \\ \text { length } \\ \text { (est. N) } \end{gathered}$ | Est. N error (\%) | Diagram: <br> program <br> ratio (N:N) |
| :---: | :---: | :---: | :---: | :---: |
| BKB2PFGP |  |  |  |  |
| diagram | 352 | 314.0 | -11 |  |
| PLDS | 542 | 541.1 | -17 | 65 |
| assembler | 957 | 740.0 | -23 | 37 |
| BKB2PIRRW |  |  |  |  |
| diagram | 182 | 238.6 | 31 |  |
| PLDS | 285 | 292.6 | 3 | 64 |
| assembler | 398 | 454.6 | 14 | 46 |
| LINKED LIST |  |  |  |  |
| diagram | 396 | 353.3 | -11 |  |
| PL/I | 508 | 382.9 | -25 | 78 |
| COUNT |  |  |  |  |
| diagram | 580 | 551.5 | - 5 |  |
| PL/I | 1845 | 233.1 | -87 | 31 |
| SORT1 |  |  |  |  |
| diagram | 76 | 128.8 | 69 |  |
| PLDS | 87 | 76.2 | -12 | 88 |
| assembler | 159 | 232.7 | 46 | 47 |
| SORT2 |  |  |  |  |
| diagram | 89 | 150.8 | 70 |  |
| PL/I | 222 | 155.8 | -30 | 70 |

TABLE 3.2
Volume and Volume Ratios for Diagrams and Programs

|  | Volume <br> $(\mathrm{V})$ | Diagram:program <br> ratio <br> $(\mathrm{V}: \mathrm{V})$ |
| :---: | :---: | :---: |
| Title |  |  |
| BKB2PFGP |  |  |
| diagram | 2095.9 |  |
| assembler | 3445.8 |  |
| BKB2PIRW | 6644.0 |  |

TABLE 3.3
Language Level and Language Level Ratios for Diagrams and Programs

| Title | Language Level (gamma) | ```Diagram:program ratio (gamma:gamma)``` |
| :---: | :---: | :---: |
| BKB2PFGP |  |  |
| diagram | 1.76 |  |
| PLDS | 1.79 | 0.98 |
| assembler | 0.51 | 3.45 |
| BKBWPIRW |  |  |
| diagram | 0.96 |  |
| PLDS | 1.55 | 0.62 |
| assembler | 0.38 | 2.53 |
| LINKED LIST |  |  |
| diagram | 1.63 |  |
| PL/I | 2.86 | 0.57 |
| COUNT |  |  |
| diagram | 0.93 |  |
| PL/I | 0.05 | 18.6 |
| SORT1 |  |  |
| diagram | 0.62 |  |
| PLDS | 0.71 | 0.87 |
| assembler | 0.43 | 1.44 |
| SORT2 |  |  |
| diagram | $0.59$ |  |
| PL/I | $0.62$ | 0.95 |

TABLE 3.4
Estimated Abstraction Level, Difficulty, Structure, and Abstraction Level Ratios for Diagrams and Programs

| Title | Estimated abstraction level (est. L) | $\begin{aligned} & \text { Difficulty* } \\ & \left(\mathrm{N} 2 /_{2}\right) \end{aligned}$ | Structure* $\left(n_{1}\right)$ | $\begin{gathered} \text { Diagram:program } \\ \text { ratio } \\ \text { (est. L:est. L) } \end{gathered}$ |
| :---: | :---: | :---: | :---: | :---: |
| BKB2PFGP |  |  |  |  |
| diagram | 0.0290 | 3.63 | 19 |  |
| PLDS | 0.0228 | 3.55 | 22 | 1.27 |
| assembler | 0.0088 | 4.58 | 43 | 3.29 |
| BKB2PIRW |  |  |  |  |
| diagram | 0.0304 | 2.86 | 23 |  |
| PLDS | 0.0304 | 3.12 | 20 | 1.00 |
| assembler | 0.0122 | 4.06 | 35 | 2.49 |
| LINKED LIST |  |  |  |  |
| diagram | 0.0260 | 3.65 | 21 |  |
| PL/I | 0.0302 | 2.98 | 20 | 0.86 |
| COUNT |  |  |  |  |
| diagram | 0.0156 | 4.02 | 21 |  |
| PL/I | 0.0022 | 7.79 | 28 | 7.09 |
| SORT1 |  |  |  |  |
| diagram | 0.0402 | 2.62 | 19 |  |
| PLDS | 0.0427 | 3.90 | 12 | 0.94 |
| assembler | 0.0218 | 3.27 | 28 | 1.84 |
| SORT2 |  |  |  |  |
| diagram | 0.0357 | 2.67 | 21 |  |
| PL/I | 0.0231 | 2.85 | 17 | 1.55 |

*According to Christensen et al. (1981).

TABLE 3.5
Mental Effort, Time, and Mental Effort Ratios for Diagrams and Programs

| Title | Mental effort* <br> (E) | $\begin{gathered} \text { time } \\ (\mathrm{T} \min ) \end{gathered}$ | Diagram:program ratio <br> (E:E) |
| :---: | :---: | :---: | :---: |
| BKB2PFGP |  |  |  |
| diagram | 72246.7 | 66.9 |  |
| PLDS | 151264.0 | 140.1 | 0.48 |
| assembler | 758445.9 | 702.3 | 0.09 |
| BKB2PIRW |  |  |  |
| diagram | 33926.4 | 31.4 |  |
| PLDS | 55149.8 | 51.1 | 0.62 |
| assembler | 208195.0 | 192.8 | 0.16 |
| LINKED LIST |  |  |  |
| diagram | 92645.5 | 85.8 |  |
| PL/I | 103785.5 | 96.1 | 0.89 |
| COUNT |  |  |  |
| diagram | 246012.2 | 227.8 |  |
| PL/I | 4733143.0 | 4382.5 | 0.05 |
| SORT1 |  |  |  |
| diagram | 9443.3 | 8.7 |  |
| PLDS | 9094.5 | 8.4 | 1.04 |
| assembler | 41201.7 | 38.1 | 0.23 |
| SORT2 |  |  |  |
| diagram | 12885.0 | 11.9 |  |
| PL/I | 50043.2 | 46.3 | 0.26 |

In calculating the means and standard deviations of the diagram:program ratios, it was decided that COUNT and SORT2 should be excluded because program values are distorted for the former by PL/I string-processing functions, and program and diagram values differ greatly for the latter, whose design was intentionally left at an abstract level to demonstrate that such would be the case. Excluding COUNT, SORT2 has the highest diagram:program ratio for estimated abstraction level of all the high-level-language diagrams (Table 3.4). Program COUNT has the highest "difficulty" value of all diagrams and programs--almost twice that of its diagram and considerably higher than the difficulty values of the assembler-language programs--but its "structure" value is not overly high, which is proper for a structured program (Table 3.4). Therefore, the "poor" diagram:program results for SORT2 and COUNT seem intuitively reasonable.

Means and standard deviations of the diagram:program ratios for which a statistically significant (or nearly so) relationship exists between the diagram and program values are listed below.

Those for length are:
Diagram:assembler
$43.3+4.5$
Diagram:high-level
$73.8+9.9$

Those for volume are:
Diagram:assembler
Diagram-high-level

$$
\begin{array}{r}
41.0+2.2 \\
74.3+14.6
\end{array}
$$

Those for estimated abstraction level are:
Diagram:assembler

$$
\begin{aligned}
& 2.54+0.59 \\
& 1.02+0.15
\end{aligned}
$$

Diagram:high-level
Correlation coefficients are 0.98 for length, 0.99 for volume, and 0.84 for estimated abstraction level. For a sample size of 4 , which is the number of high-level-language programs in this experiment, a
correlation coeffcient of 0.95 or above is significant at the 5 percent level. Only length and volume exceed this requirement, but because of the small sample size a significant relationship cannot be excluded for estimated abstraction level. Correlation coefficients could not be calculated for assembler-language programs because of small sample size ( $n=3$ ), but standard deviations of the mean for length and volume are relatively smaller for assembly-language programs, which is a good sign that a significant relationship between diagram values and program values could be shown in a larger study.

The correlation coefficient for diagram line counts and high-level-language program lines of code is 0.90 ( $n=4$ ), which fails significance at the 5 percent level although it is somewhat higher than the correlation coefficent for estimated abstraction level. This may be an indication that Halstead's length and volume metrics are rather more fundamental measures of program (and WO diagram) size than is the lines of code measure.

Although significant relationships between diagram and program values for Halstead's estimated length, language level, mental effort, and time are not indicated--perhaps because they are more vaguely conceived ideas--the values by themselves are of some interest. The mental effort and time values seem to indicate that a WO diagram requires about half as much work as its high-level-language program and that an assembler-language program is 3 or 4 times harder to write than a high-level-language one. With respect to the language level ( $\lambda$ ) results, the overlapping values for diagrams and high-level language are at least reasonable compared with the results of others, as already discussed.

### 3.3.3 The V* metric

According to Halstead, potential volume ( $V^{*}$ ) is a language-independent representation of the minimum size of a program and therefore should be approximately constant for versions of a program written in different languages.

This experiment did not produce constant $V^{*}$ values for the six diagrams and nine programs. $V^{*}$ values are lower for WO diagrams than for high-level-language programs, and assembler-language programs have the lowest $V^{*}$ values. Means and standard deviations of diagrams and programs combined are listed below.

| BKB2PFGP | $65.8+9.0$ |
| :--- | :--- |
| BKB2PIRW | $37.8+9.3$ |
| COUNT | $51.3+18.4$ |
| LINKED LIST | $78.7+16.0$ |
| SORT1 | $17.1+1.8$ |
| SORT2 | $21.6+5.2$ |

Even assuming that the figures for COUNT and SORT2 are worthless for computing $V^{*}$, these results compare rather unfavorably with Christensen et al.'s previously cited $V^{*}=11.45+0.94$ for eight implementations of Euclid's algorithm where the standard deviation was somewhat less than 10 percent of the mean. The relatively small size of this experiment (two or three versions of each program concept) may be one cause of poor results for $V^{*}$.

### 3.4 Conclusions

The hypothesis of this experiment--that there should be a fairly consistent relationship between Halstead values for WO diagrams and for the programs written from them-is borne out, with some reservations because of the small size of this experiment, for the Halstead metrics length ( $N$ ) and volume ( $V$ ) and possibly also estimated abstraction level
(est. L). Results for estimated length, language level, most compact volume, and the time are inconclusive. Fortunately, length and volume, based on the vocabulary of operators and operands in a program (or wo diagram) rather than the conventional "lines of code" size measurement, are the strongest and apparently most accepted of Halstead's metrics (Christensen et al., 1981, pp. 377-378). If the results of a much larger study were to bear out those of this small preliminary one, then masurements of $a$ WO diagram's length and volume might easily be calculated from the $\operatorname{STRUCTURE(S)~source~input~list~or~some~other~diagram~}$ adaptation to serve as a predictor of program length and volume.

A study of correlations between program Halstead values and diagram Halstead values produced by a finer-grained operator and operand counting program would also be of interest. Kulm's and Miller's techniques for counting operators and operands in technical English prose are far more involved than the simple verb phrase and noun phrase scheme used here for WO diagrams, but there is some indication that the simple method is accurate for the short phrases of a WO diagram and that a counting method which separately considered adjectives, adverbs, articles, and other grammatical constructions for diagrams and programs as a result of relatively higher operator counts for diagrams.

Aside from the large questions of whether Halstead's metrics do tap some fundamental "complexity" represented by a linguistic expression and whether knowldege of the "complexity" of a computer program is useful in engineering better software, some doubt will remain as to the accuracy of this experiment unless its results are independently corroborated. A preliminary study can do little more than be interesting and help to direct future study. Other investigations of Halstead's theories all
seem to be preliminary in nature, and it is unclear whether some or all of his metrics will one day be of practical use in software engineering. If so, and if the Warnier-Orr diagramming technique continues to prosper, the two approaches are apparently candidates for combination into a refined design methodology.

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APPENDIX A
Calculation of
Correlation Coefficients

Calculation of Correlation Coefficients for
Diagram and Program Halstead Values

Correlation coefficients for diagram and program Halstead values were computed from the formula given by Chapman and Schaufele (1970, p. 248):

$$
\begin{aligned}
& S_{x y}=\frac{1}{n-1} \sum_{i=1}^{n}\left(x_{1}-x\right)\left(y_{1}--y\right) \\
& S_{x}^{2}=\frac{1}{n-1} \sum_{i=1}^{u}\left(x_{1}--x\right)^{2}
\end{aligned}
$$

where
$\mathrm{n}=$ total number of observations
$X_{i}=i$ th $x$ value
$y_{i}=i$ th $y$ value
The sample correlation coefficient is

$$
r=\frac{S_{X Y}}{S_{X} S_{Y}}
$$

It is assumed for the purpose of computing $r$ values that diagram and program values are jointly normaly distributed so if $p=0$ the implication is that the two data sets are independent. Therefore, low r values suggest that diagram values and program values are not related. Rejection of the null hypothesis $H: p=0$ because of high $r$ values implies that diagram and program values are dependent.

Table A2.7 of Chapman and Schaufele (1970, p. 337) gives the critise levels for the distribution of $r$. Those of interest here are:

| Sample <br> Size | 5 percent <br> Significance <br> Level | 1 percen <br> Significan <br> Level |
| :---: | :---: | :---: |
|  |  |  |
| 4 | 0.950 | 0.990 |
| 6 | 0.811 |  |

In calculating correlation coefficients, diagram Halstead values were assumed to be the independent variable $X$ and program Halstead values to be the dependent variable $Y$. Following are the $X$ and $Y$ values for $N, V$, and est. L.

| Length (N) |  |  |  |  |
| :--- | :--- | :--- | :--- | :--- |
| $X$ | 396 | 76 | 352 | 182 |
| $Y$ | 508 | 87 | 542 | 285 |

Volume (V)

| $X$ | 2410.6 | 380.0 | 2095.9 | 1032.4 |
| :--- | :--- | :--- | :--- | :--- |
| $\mathbf{Y}$ | 3134.3 | 388.0 | 3445.8 | 1676.6 |

Estimated abstraction level (est. L)

| $X \quad 0.0260$ | 0.0402 | 0.0290 | 0.0304 |
| :--- | :--- | :--- | :--- | :--- |


| Y | 0.0302 | 0.0427 | 0.0228 | 0.0304 |
| :--- | :--- | :--- | :--- | :--- |

The computed $r$ values are listed in the Results section of the text.

## APPENDIX B

```
    HALSTEAD'S COMPLEXITY MEASURES FOR DIAGRAM LINKED LIST
YOCABULARY = ETA = ETA-1 + ETA-2 = 68
LENGTH = N = N1 + N2 = 396
EST. N = ETA-1 LOG2 ETA-1 + ETA-2 LOG2 ETA-2 = 353.3
VOLUME = V = N LOG2 ETA = 2410.6
EST. ABSTRACTION LEVEL = EST. L = (2/ETA-1)(ETA-2/N2) = 0.0260
MOST COMPACT VOLUME = V* = LV = 62.7
LaNGuAge LEVEL = GAMMA = (L**2)*V = 1.63
MENTAL EFFORT = E = V/L = 92645.5
TIME (IN MINUTES) = T = E/(S*60)=85.8
```

HALSTEAD'S COMPLEXITY MEASURES FOR LLIST PLI PROGRAM

VOCABULARY $=E T A=E T A-1+E T A-2=72$
LENGTH $=\mathrm{N}=\mathrm{N} 1+\mathrm{N} 2=508$
EST. N = ETA-1 LOG2ETA-1 + ETA-2 LOG2 ETA-2 $=382.9$
VOLUME $=\mathrm{V}=\mathrm{N}$ LOG2 ETA $=3134.3$
EST. ABSTRACTION LEVEL = EST. L $=(2 / E T A-1)(E T A-2 / N 2)=0.0302$
MOST COMPACT VOLUME $=\nabla *=L \nabla=94.7$
LANGUAGE LEVEL $=$ GAMMA $=(L * * 2) * V=2.86$
MENTAL EPPORT $=\mathrm{E}=\mathrm{V} / \mathrm{L}=103785.5$
TIME (IN MINUTES) $=T=E /(S * 1080) 96.1$

PABLE 1. OPEGATOKS OF DIAGRAX LINKLD LIST


TABLE 2. OPEFANDS OP DIAGRAM LINKED LIST

|  | OLEKA | $\operatorname{coun} T$ |
| :---: | :---: | :---: |
| 1 | DIAGKAM LINKLD LIST | 1 |
| 2 | Procelume ufcudes | 2 |
| 3 | OPCODES LIS | 1 |
| 4 | HEAD EOINTER | 16 |
| 5 | NuLi. | $y$ |
| 0 | OLCUDL | 11 |
| 7 | 'OUIT' | 3 |
| 8 | 0 | 27 |
| $y$ | 1 | 24 |
| 10 | X | 1 |
| 11 | 'INSERT* | 1 |
| 12 | - Locate' | 1 |
| 13 | - DELETE* | 1 |
| 14 | - PRINT* | 1 |
| 15 | 'OPCODES' | 1 |
| 16 | NEN ELE MENT KEy | 4 |
| 17 | NEW ELEMENT DA'Sa | 2 |
| 19 | Procenuke Insekt | 1 |
| 19 | LOC ATE ELEM CNH KEY | 2 |
| 20 | PROCEDUKE LUCATE | 1 |
| 21 | DeLETS ELEMENT KEY | 2 |
| 22 | EsOCEDURE DELETE | 1 |
| 23 | Procedure prima | 1 |
| 24 | ERKOREESSAG* | 0 |
| 25 | SPACE | 1 |
| 20 | NEW ELEMENT NODE | 3 |
| 27 | HRESENT POINTER | 4 |
| 28 | NEw ELEmENT POINTER | 2 |
| 29 | ELEMENT KEY | 1 |
| 30 | ELEMENT DATA | 1 |
| 31 | PUNCTIUA COMPLETE MESSAGE | 4 |
| 32 | FROCEDURE PIND | 3 |
| 33 | DUPLICATE KEY | 7 |
| 34 | -yES | 2 |
| 35 | - ${ }^{\text {c }}$ | 5 |
| 36 | ELEAENT NODE | 2 |
| 37 | E | 2 |
| 38 | LAG PUINTLK | 1 |
| 39 | HEAD LLLMENT KEY | 2 |
| 40 | LAG POINTRG LIN | 3 |
| 41 | PRESENT ELEAENI LINK | 2 |
| 42 | SEACE ALLOCATED | 1 |
| 43 | HRESENT ELEMENT | 1 |
| 44 | Present mentim dara | 1 |
| 45 | PGESEHT ELEMENT KEY | 1 |



FILE: WORRS DATA A

```
LINKED LIST;
    .BEGIN$;
    OPCODES;
    .END;
OPCODES;
    .BEGIN$;
    OISPLAY OPCODES LIST$;
    .END$;
LINKED LIST.END;
    SET HEAD POINTER TO NULL$;
    ASK USER TO ENTER OPCODES;
    GET OPCODES;
    OPCODE = 'GUIT' #O-1;
    + - OPCODE = 'QUIT' #0-1;
OPCODE = 'QUIT';
    SKIP$;
- OPCODE = 'QUIT';
    FOR EVERY OPCCDE #O-X;
FOR EVERY OPCODE;
    OPCODE = 'INSERT' #0-1;
    + OPCODE = 'LOCATE' #0-1;
    + OPCODE = 'DELETE' #O-1;
    + OPCODE = 'PRINT' #0-1;
    + OPCODE = 'OPCODES' #0-1;
    + - OPCODE = 'QUIT' #0-1;
    ASK USER TO ENTER OPCCDES;
    GET OFCODE$;
OPCODE = 'INSERT';
    ASK USER TO ENTER NEW ELEMENT KEY$;
    GET NEW ELEMENT KEY$;
    ASK USER TO ENTER NEN ELEMENT DATAS;
    GET NEH ELEMENT DATA$;
    INSERT;
OPCODE = 'LOCATE';
    ASK USER TO ENTER LOCATE ELEMENT KEY';
    GET LOCATE ELEMENT KEY$;
    lOCATE;
OPCODE = 'DELETE';
    ASK USER TO ENTER DELETE ELEMENT KEY$;
    get delete Element keys;
    DELETE;
OPCODE = 'PRINT';
    PRINT;
OPCODE = 'OPCODES';
    OFCODES;
- OPCODE = 'QUIT';
    DISPLAY ERRORMESSAGE$;
INSERT;
    .BEGIN$;
    allocate space for NEW ElEment NODE%;
    HEAD POINTER = NULL #O-1;
    + - HEAD FOINTER = NULL #O-1;
    .ENDS;
LOCATE;
    .BEGIN$;
```

```
FILE: WORRS DATA A CMS 6.0 PLC 11 - SCD COMSYS
    HEAD POINTER = NULL #0-1;
    + - HEAD POINTER = NULL #0-1;
    .END$;
DELETE;
    .BEGIN$;
    SET FRESENT POINTER TO HEAD POINTERS;
    HEAD POINTER = NULL #O-1;
    + - HEAD FOINTER = NULL #0-1;
    .ENDS;
PRINT;
    .BEGIN$;
    SET PRESENT POINTER TO HEAD POINTERS;
    HEAD FOINTER = NULL #O-1;
    + HEAD POINTER = NULL #0-1;
    .END$;
INSERT.HEAD POINTER = NULL;
    SET HEAD POINTER TO NEW ELEMENT POINTERS;
    ASSIGN ELEMENT KEY TO NEW ELEMENT NODES;
    ASSIGN ELEMENT DATA TO NEW ELEMENT NODE$;
    DISPLAY FUNCTION COMPLETE MESSAGE$;
INSERT.-HEAD POINTER = NULL;
    FIND;
    DUPLICATE KEY = 'YES' #0-1;
    + - DUPLICATE KEY = 'YES' #0-1;
LOCATE.HEAD FOINTER = NULL;
    DISPLAY ERRORMESSAGES;
LOCATE. HEAD POINTER = NULL;
    FIND;
    DUPLICATE KEY = 'NO' #O-1;
    + - DUPLICATE KEY = 'NO' #O-1;
DELETE.HEAD POINTER = NULL;
    DISPLAY ERRORMESSAGE;
DELETE.\negHEAD POINTER = NULL;
    FIND;
    DUPLICATE KEY = 'NO' #O-1;
    + - DUPLICATE KEY = 'NO' #O-1;
PRINT.HEAD POINTER = NULL;
    DISPLAY ERRORMESSAGE$;
PRINT.-HEAD POINTER = NULL;
    FOR EVERY ELEMSNT NODE #O-E;
FIND;
    .BEGIN$;
    SET DUPLICATE KEY TO 'NO'$;
    SET PRESENT FOINTER TO HEAD POINTER$;
    SET LAG FOINTER TO HEAD FOINTER$;
    FOR EVERY ELEMENT NODE #O-E;
    .END$;
INSERT.-HEAD POINTER = NULL.DUPLICATE KEY = 'YES';
    DISPLAY ERRCRMESSAGE$;
INSERT.~HEAD POINTER = NULL.~DUPLICATE KEY = 'YES';
    NEW ELEMENT KEY > HEAD ELEMENT KEY #O-1;
    + - NEW ELEMENT KEY > HEAD ELEMENT KEY #O-1;
LOCATE.नHEAD POINTER = NULL.DUPLICATE KEY = 'NO';
    DISPLAY ER员ORMESSAGES;
LOCATE.-HEAD POINTER = NULL.-DUPLICATE KEY = 'NO';
```

```
    SET LAG POINTER LINK TO PRESENT ELEMENT LINK$;
    FREE SPACE ALLOCATED FOR PRESENT ELEMENT$;
    OISPLAY FUNCTION COMPLETE MESSAGES;
FOR EVERY ELEMENT NODE;
    OISPLAY fRESENT ELEMENT DATA$;
    OISPLAY fPESENT ELEMENT KEY$;
    SET FRESENT POINTER TO FRESENT ELEMENT LINK$;
NEW ELEMENT KEY > HEAD ELEMENT KEY;
    SET NEW ELEMENT LINK TO LAG FOINTER LINK$;
    SET LAG FOINTER LINK TO NEW ELEMENT fOINTER$;
    OISPLAY FUNCTICN COMPLETE MESSAGE$;
- NEW ELEMENT KEY > HEAD ELEMENT KEY;
    SET NEW ELEMENT LINK TO HEAD POINTERS;
    SET HEAD POINTER TO NEW ELEMENTS;
    DISPLAY FUNGTION COMPLETE MESSAGES;
```

APPENDIX C
Data for program COUNT

HALSTEAD'S COMPLEXITY MEASURES FOR COUNT PLI PROGRAM

```
VOCABULARY = ETA = ETA-1 + ETA-2 = 50
LENGTH =N N N1 +N2 = N 1845
EST.N=ETA-1 LOG2 ETA-1 + ETA-2 LOG2 ETA-2 = 233.1
VOLUME =V = N LOG2 ETA = 10412.9
EST.ABSTRACTION LEVEL = EST. L = (2/ETA-1)(ETA-2/N2) = 0.0022
MOST COMPACT VOLUME = V* = LV = 22.9
LANGUAGE LEVEL = GAMMA = (L**2)*V = v 0.05
MENTAL EPFORT = E = V/L=4733143.0
TIME (IN MINUTES) = T = E/ (S* 1080) 4382.5
```

HALSTEAD'S COMPLEXITY MEASURES FOR COUNT PLI PROGRAM

```
VOCABULARY = ETA = ETA-1 + ETA-2 = 50
LENGTH = N = N1 + N2= 1845
EST.N = ETA-1 LOG2 ETA-1 + ETA-2 LOG2 ETA-2 = 233.1
VOLUME = V = N LOG2 ETA = 10412.9
EST. ABSTRACTION LEVEL = EST. L = (2/ETA-1)(ETA-2/N2) = 0.0022
MOST COMPACT VOLUME = V* = LV = 22.9
LANGUAGE LEVEL = GAMMA = (L**2) * V = 0.05
MENTAL EPPORT = E = V/L = 4733143.0
TIME (INMINOTES) = T = E/ (S * 1080) 4382.5
```

HALSTEAD'S COMPLEXITY MEASURES FOR DIAGRAM COUNT

VOCABULARY $=$ ETA $=E T A-1+E T A-2=97$
LENGTH $=\mathrm{N}=\mathrm{N} 1+\mathrm{N} 2=580$
EST. N = ETA-1 LOG2 ETA-1 + ETA-2 LOG2 ETA-2 $=551.5$
VOLUME $=V=N$ LOG2 ETA $=3827.9$
EST. ABSTRACTION LEVEL = EST. $L=(2 / E T A-1)(E T A-2 / N 2)=0.0106$
MOST COMPACT VOLUME $=V *=L V=59.6$
LANGUAGE LEVEL $=$ GAMMA $=(\mathrm{L} * * 2) * V=0.93$
MENTAL EPFORT $=E=V / L=246012.2$
TIME (IN MINUTES) $=T=E /(S * 60)=227.8$

TABLE 1. OPERATORS OF DIAGRAM COUNT

|  | OPERA TOR | COUN I |
| :---: | :---: | :---: |
| 1 | BKACE | 50 |
| 2 | -BEGIN | 9 |
| 3 | SAVE | 1 |
| 4 | FOR | 5 |
| 5 | SET | 5 |
| 6 | OP | 16 |
| 7 | TO | 12 |
| 8 | FOR EVERY/EACH/ALL | 2 |
| 9 | () | 35 |
| 10 | , | 35 |
| 11 | -END | 10 |
| 12 | Create | 2 |
| 13 | FBOM | 4 |
| 14 | READ | 2 |
| 15 | $=$ | 33 |
| 16 | On | 17 |
| 17 | NOT | 15 |
| 18 | GET | 3 |
| 19 | IN | 3 |
| 20 | CALL | 20 |
| 21 | WITH | 20 |
| 22 | . SKIP | 3 |
| 23 | REMOVE | 1 |
| 24 | SEARCH | 4 |
| 25 | PLUS | 1 |
| 26 | INCREMENT | 2 |
| 27 | ADD | 2 |
| 28 | ASK | 1 |
| 29 | TO INDICATE | 1 |
| 30 | ABORT | 1 |
| 31 | PRINT | 3 |
| $E T A-1=32$ | Cal culate | 1 |

TABLE 2. OPERANDS OF DIAGRAM COUNT

|  | OFERAND | COUNT |
| :---: | :---: | :---: |
| 1 | DIA GRAM COUNT | 1 |
| 2 | EROCEDO HE SETUP | 1 |
| 3 | dIAGRAM TITLE | 2 |
| 4 | OUTPUT ITABLES | 1 |
| 5 | HEAD | 2 |
| 6 | LINKED LIST | 10 |
| 7 | OPERANDS | 3 |
| 8 | OPERATORS | 5 |
| 9 | -brace* | 2 |
| 10 | LINE | 1 |
| 11 | 0 | 35 |
| 12 | X | 1 |
| 13 | PROCEDUKE PRINT | 1 |
| 14 | PREPOSITIONS/CONNECTIVES | 2 |
| 15 | INPUT PILE | 2 |
| 16 | INPINITIVE PHRASES | 2 |
| 17 | INPOT LINE | 6 |
| 18 | FIRST CHAK | 5 |
| 19 | BLA HK | 2 |
| 20 | 1 | 35 |
| 21 | BRACE INDICATOR | 2 |
| 22 | Tede | 15 |
| 23 | PIFST WORD | 12 |
| 24 | DOT OPERATOR | 3 |
| 25 | FROCEDUEE LOGOPR | 12 |
| 26 | * + | 4 |
| 27 | - 0 - | 1 |
| 28 | ${ }^{-1 \mathrm{FOR}}$ | 2 |
| 29 | 'POK EVERY/EACH/ALL' | 2 |
| 30 | PROCEDURE LUGOPD | 8 |
| 31 | OBJECT | 1 |
| 32 | PROCEDURE RANGE | 3 |
| 33 | RANGE SYMBOL | 2 |
| 34 | NEXT LINE | 2 |
| 35 | WORD | 1 |
| 36 | W | 1 |
| 37 | PROCEDUKE BHANCH | 1 |
| 38 | PROCEDURE NEXTWD | 5 |
| 39 | NEXT WORD | 7 |
| 40 | LAS' WORD | 6 |
| 41 | LEFTMOST WORD | 1 |
| 42 | Match | 12 |
| 43 | MATCHED WORD | 7 |
| 44 | "ro' | 2 |
| 45 | PROCEDURE PROBLEM | 2 |

```
    46 PROCEDURE FNDINF
    4% PHRASE 3
```



```
    48 PARAMETER 4
    4y OPEGATOK COUNT
        1
    5 0 ~ C O U N T
        2
        51 OHEKAND COUNT 1
        52 '0. 1
        53 "," 1
        54 FIRST RANGE VALUE 1
        55 SECOND RANGE VALUE 1
        56 ERANCH TEST VALUE
        1
        57 BRANCH TEST OPERATOG 1
        58 UNKNOWN PREFOSITION 1
        59 UNKNOWN INFINITIVE EHRASE
        60 UNPKOCESSIBLE LINE
        6 1 \text { PREPOSITION/CON HECTIVE}
        62 INFINITIVE PHKASE
        6 3 ~ P R O G R A M ~
        64 TABLE
        ETA-2 = 65 COMFLEXITY VALOES 2
        2
    261=N2
```

```
COUNT;
    .BEGIN$;
    SETUP;
    SAVE DIAGRAM TITLE FOR CUTPUT TABLES$;
    SET HEAD OF LINKED LIST OF OPERANDS TO DIAGRAM TITLE$;
    SET HEAD OF LINKED LIST OF OPERATORS TO 'ERACE'$;
    FOR EVERY LINE #O-X;
    PRINT;
        .END$;
SETUP;
    CREATE LINKED LIST OF FREFOSITIONS/CONNECTIVES FROM INPUT FILES;
    CREATE LINKED LIST OF INFINITIVE PHRASES FROM INPUT FILE$;
FOR EVERY LINE;
    READ INFUT LINE$;
    FIRST CHAR = BLANK #O-1;
    + - FIRST CHAR = BLANK #0-1;
FIRST CHAR = BLANK;
    BRACE INDICATOR #O-1;
    + - bRACE INDICATOR #0-1;
    GET FIRST HCRD IN INPUT LINE$;
    FIRST WORD = DOT OPERATOR #O-1;
    + - FIRST WORD = DOT OPERATOR #0-1;
BRACE INDICATOR #0-1;
    CALL PROCEDURE LOGOPR WITH 'BRACE'$;
    - BRACE INDICATCR;
    .SKIP$;
FIRST WORD = DOT OPERATOR;
    CALL PROCEDURE LOGOPR WITH DOT OPERATOR$;
- FIRST WORD = DOT OPERATOR;
    FIRST WORD = '+' #0-1;
    t - FIRST WORD = '+' #0-1;
FIRST WORD = '+';
    CALL PROCEDURE LOGOPR WITH 'OR'$;
- FIRST HORD = '+';
    FIRST WORD = 'FOR' #0-1;
    + - FIRST WORD = 'FOR' #0-1;
FIRST WORD = 'FOR';
    CALL FROCEDURE LOGOPR WITH 'FOR EVERY/EACH/ALL'$;
    CALL PROCEDURE LOGOPD WITH OSJECT OF 'FOR EVERY/EACH/ALL'$;
    RANGE;
- FIRST WORD = 'FCR';
    RANGE SYMBOL #0-1;
    + - RANGE SYMBOL #O-1;
RANGE SYMBOL;
    READ NEXT LINE$;
    GET FIRST CHAR OF NEXT LINES;
    FIRST CHAR = '+' #0-1;
    + ( FIRST CHAR = '+' #O-1;
    - RANge symsol;
    FOR EVERY WORD #O-W;
    FIRST CHAR = '+';
    ERANCH;
    - FIRST CHAR = '+';
    CALL PROCEDURE LOGOPD WITH FIRST WORDS;
    NEXTWD;
```

RANGE;
FOR EVERY KORD;
CALL PROCEDURE LCGOPR WITH FIRST WORDS;
NEXTWD;
NEXT WORD = LAST KORD \#O-1;

+     - NEXT WCRD = LAST WORD \#O-1;
NEXTWD;
.BEGINS;
GET NEXT WORD IN INPUT LINE\$;
REMOVE LEFTMOST WORD FROM INPUT LINES;
.END\$;
NEXT HORD = LAST WORD;
CALL PROCEDURE LOGOFD WITH LAST WORD\$;
- NEXT WORD = LAST LORD;

SEARCH LINKED LIST OF PREPOSITIONS/CONNECTIVES FOR MATCH TO NEXT WORD\$;
MATCH \#0-1;

+     - MATCH \#O-1;
MATCH;
MATCHED WORD $=$ 'TO' \#O-1;
+     - MATCHED WORD = 'TO' \#0-1;
- MATCH;

PROSLEM;
MATCHED WORD = 'TO';
FNDINF;

- MATCHED WORD = 'TO';

CALL PROCEDURE LOGOPR WITH MATCHED WORD\$;
MATCHED WORD = FIRST WORD \#O-1;

+     - MATCHED WORD = FIRST WORD \#O-1;
MATCHED WORD = FIRST WORD;
.SKIPS;
- MATCHED WORD = FIRST WORD;

CALL PROCEDURE LOGOFD WITH INPUT LINE FROM FIRST WORD TO MATCHED WORDS;
NEXTWD;
NEXT WORD = LAST WORD \#0-1;

+     - NEXT WORD $=$ LAST WORD \#O-1;
NEXT WORD = LAST WORD \#O-1;
CALL PROCEDURE LOGOPD WITH LAST WORDS;
-NEXT WORD = LAST WORD \#O-1;
.SKIP\$;
FNDINF;
.SEGINS;
SET PHRASE TO MATCHED WORD PLUS NEXT WORD IN INPUT LINE\$;
SEARCH LINKED LIST OF INFINITIVE PHRASES FOR MATCH TO PHRASE\$;
MATCH \#0-1;
+     - MATCH \#O-1;
.END
FNDINF.MATCH;
CALL PROCEDURE LOGOPR WITH PHRASE\$;
NEXTWD;
NEXTHD;
FNDINF. $\operatorname{MATCH}$;
PRCBLEM;
.END\$;
LOGOPR;
.BEGIN\$;

```
FILE: WORRS DATA A
    CMS 6.0 PLC 11 - SCD COMSYS
    SEARCH LINKED LIST OF OPERATORS FOR MATCH TO PARAMETERS;
    MATCH #O-1;
    + - MATCH ##-1;
    .END$;
LOGOPR.MATCH;
    INCREMENT OPERATOR COUNT$;
LOGOPR.- MATCH;
    ADD PARAMETER TO LINKED LIST OF OPERATORS$;
    SET COUNT TO 1$;
LOGOFD;
    .BEGIN$;
    SEARCH LINKED LIST OF OPERANDS FOR MATCH TO PARAMETER$;
    MATCH #0-1;
    + - MATCH #O-1;
    .END$;
LOGOPD.MATCH;
    INCREMENT OPERAND COUNTS;
LOSOPD." MATCH;
    ADD PARAMETER TO LINKED LIST OF OPERANDS$;
    SET COUNT TO 1$;
RANGE;
    .BEGINS;
    CALL PROCEDURE LOGOFR WITH '()'$;
    CALL PROCEDURE LOGOPR WITH ','$;
    CALL PROCEDURE LOGOFD WITH FIRST RANGE VALUE$;
    CALL PROCEDURE LOGOPD WITH SECOND RANGE ValuE$;
    .END$;
BRANCH;
    .BEGIN$;
    CALL PROCEDURE LOGOFD WITH ERANCH TEST VALUES;
    CALL PROCEDURE LOGOPR WITH BRANCH TEST OPERATOR$;
    RANGE;
    .ENDS;
PROBLEM;
    .BEGINS;
    ASK TERMINAL OPERATOR TO INDICATE PROBLEMS;
    UNKNOHN PREPOSITION #0-1;
    + UNKNONN INFINITIVE PHRASE #0-1;
    + UNPROCESSISLE LINE #O-I;
    .END$;
PROBLEM.UNKNOHN PREFOSITION/CONNECTIVE;
    CALL PROCEDURE LOGOPR WITH PREPOSITION/CONNECTIVE$;
PROSLEM.LNKNOKN INFINITIVE PHRASE;
    CALL PROCEDURE LOGOPR WITH INFINITIVE PHRASE$;
FROBLEM.UNPROCESSIBLE LINE;
    ABORT PROGRAMS;
PRINT;
    .EEGIN$;
    PRINT TABLE OF OPERATORS$;
    FRINT TABLE OF OPERATCRS$;
    CALCULATE COMPLEXITY VALUESS;
    FRINT COMPLEXITY VALUES$;
    .END$;
```


## APPENDIX D

Data for program SORTI

HALSTEAD'S COMPLEXITY MEASURES FOR DIAGRAM SORT1

DOCABULARY $=$ ETA $=$ ETA-1 $+E T A-2=32$
LENGTH $=N=N 1+N 2=76$
EST. N = ETA-1 LOG2 ETA-1 + ETA-2 LOG2 ETA-2 $=128.8$
VOLUME $=V=N$ LOG $2 E T A=380.0$
EST. ABSTRACTION LEVEL $=$ EST. $\mathrm{L}=(2 / E T A-1)(E T A-2 / N 2)=0.04 \cup 2$
MOST COMPACT VOLUME $=V *=L V=15.3$
LANGUAGE LEVEL = GAMMA $=(1 * * 2) * V=0.62$
MENTAL EFFORT $=\mathrm{E}=\mathrm{V} / \mathrm{L}=9443.3$
TIME (INMINUTES) $=T=E /(S * 60)=8.7$

HALSTEAD'S COMPLEXITY MEASURES FOR SORT1 PLDS PROGRAM

```
\nablaOCABULARY = ETA = ETA-1 + ETA-2 = 22
LENGTH=N=N1 + N2=
                                87
EST.N = ETA-1 LOG 2 ETA-1 + ETA-2 LOG2 ETA-2 = 76.2
VOLUME = V = N LOG2 ETA = 388.0
EST. ABSTRACTION LEVEL = EST. L = (2/ETA-1)(ETA-2/N2)=0.0427
MOST COMPACT VOLUME = V* = LV = 16.6
LANGUAGE LEVEL = GAMMA = (L**2)*V = 0.71
MENTAL EPFORT = E = V/L= 9094.5
TIME (IN MINUTES) = T = E/ (S * 1080) 8.4
```

HALSTEAD'S COMPLEXITY MEASURES FOR SORT1 ASSEMBLER PROGRAM

```
VOCABULARY = ETA = ETA-1 + ETA-2 = 50
LENGTH=N=N1 + N2 = 159
EST. N = ETA-1 LOG2 ETA-1 + ETA-2 LOG2 ETA-2 = 232.7
VOLUME = V = N LUG2 ETA = 897.4
EST. ABSTRACTION LEVEL = EST. L = (2/ETA-1)(ETA-2/N2)=0.0218
MOST COMPACT VOLUME = V* = LV = 19.5
LANGUAGE LEVEL = GAMMA = (L**2)*V = v 0.43
MENTAL EPFORT = E = V/L= = 41201.7
TIME (IN MINUTES) = T = E/ (S*1080) 38.1
```

TABLE 1. OPERATORS OP DIAGRAM SORT1


TABLE 2. OPRRANDS OF DIAGRAM SORT 1


```
PILL: SUKI! NuKNS A
```


## SURT1；

－LEGロッか；




－LHLD：
PUK EVENY SURLiNG EASS：
NATUAAL UaDEK $\sin I \mathrm{CH}=11 \mathrm{CH} 7 \mathrm{u}$－
＋MaTUnad Undir SNINCH＝U＇b \＃U－3；
NALUKAL URDER $5 W H 1 C H=10 ;$

D CCRE CL L L LoOr VAKIABLED；

SWLTCH＝U＇上；
－SK上トす；
FOh EVAR LIST ITEA；



SETUN NATUKAL OKDEK SWINCHA；


．SKLE $\$$

## APPENDIX E

Data for program SORT2

## HALSTEAD'S COMPLEXITY MEASURES POR DIAGRAM SORT2

```
VOCABULARY = ETA = ETA-1 + ETA-2 = 36
LENGTH = N = N1 + N2 = 89
EST.N = ETA-1 LOG2 ETA-1 + ETA-2 LOG2 ETA-2 = 150.8
VOLUME = V = N LOG2 ETA = 46U.1
EST. ABSTRACTION LEVEL = EST. L = (2/ETA-1) (ETA-2/N2)=0.0357
MOST COMPACT VOLUME = V* = LV = 16.4
LANGOAGE LEVEL = GAMMA = (L**2) * V = 0.59
MENTAL EFFORT = E = V/L = 12885.0
TIME (IN MINUTES) = T = E/ (S * 60) = 11.9
```

HALSTEAD'S COMPLEXITY MEASURES FOR SORT2 PLI PROGRAM

$$
\text { VOCABULARY }=E T A=E T A-1+E T A-2=37
$$

LENGTH $=\mathrm{N}=\mathrm{N} 1+\mathrm{N} 2=222$
EST. $N=E T A-1$ LOG $2 E T A-1+E T A-2$ LOG2 ETA-2 $=155.8$
VOLUME $=\mathrm{V}=\mathrm{N}$ LOG2 ETA $=1156.5$
EST. ABSTRACTION LEVEL $=$ EST. $L=(2 / E T A-1)(E T A-2 / N 2)=0.0231$ MOST COMPACT VOLDME $=\nabla *=L V=26.7$

LANGUAGE LEVEL $=$ GAMMA $=(L * * 2) * V=0.62$
MENTAL EPPORT $=\mathrm{E}=\mathrm{V} / \mathrm{L}=50043.2$
TIME (IN MINUTES) $=T=E /(S * 1080) 46.3$

TABLE 1. OPERATORS OP DIAGRAM SORT2

OFERATOR
COUNT

| 1 | BRACE | 7 |
| :---: | :---: | :---: |
| 2 | SETOPF | 2 |
| 3 | SET | 4 |
| 4 | TO | 4 |
| 5 | CALL | 2 |
| 6 | WITH | 2 |
| 7 | AND | 3 |
| 8 | $=$ | 2 |
| 9 | () | 5 |
| 10 | , | 5 |
| 11 | OR | 2 |
| 12 | NOT | 1 |
| 13 | -END | 2 |
| 14 | -BEGIN | 1 |
| 15 | POR EVERY/EACH/ALL | 1 |
| 16 | $<$ | 1 |
| 17 | > | 1 |
| 18 | SETUN | 1 |
| 19 | SWAP | 1 |
| 20 | DECREMENT | 1 |
| $E T A-1=21$ | .SK IP | 1 |

TABLE 2. OPEKANDS OF DIAGRAM SORT2

OPERAND
COUNT


```
FILE: SUKTL WUKaS A
```

```
DOLT<;
```

DOLT<;
SLHUFE DU AGAIN PLAG$;
    SLHUFE DU AGAIN PLAG$;
OLI FALSE\&'F FOINTEK TU LIST H-ALD;
OLI FALSE\&'F FOINTEK TU LIST H-ALD;
SET FhIL LUINILA LU LIST Lhu*;
SET FhIL LUINILA LU LIST Lhu*;
bubluL;
bubluL;
DO aGAMN FLAG ON BU-1;
DO aGAMN FLAG ON BU-1;
+ - du agalir flag un fulof;
+ - du agalir flag un fulof;
-LNL゙\&;
-LNL゙\&;
EULBLE;
EULBLE;
.ELGIMS;

```
    .ELGIMS;
```




```
    - LNLS;
```

    - LNLS;
    DULBLE.FUR EVEKY LIST FTLM;

```
DULBLE.FUR EVEKY LIST FTLM;
```




```
    + EnEscat IHEO > NEXT IHEA #U-i;
```

```
    + EnEscat IHEO > NEXT IHEA #U-i;
```




```
    SLTCN DU AGAI% ELAGN;
```

    SLTCN DU AGAI% ELAGN;
    SWAL゙ LEESENT 1TEN AND NLXT ITLES; .
    ```
    SWAL゙ LEESENT 1TEN AND NLXT ITLES; .
```






```
LO AGALN FLAG UN;
```

LO AGALN FLAG UN;
SETGYF LO AGEIN PLAGD;

```
    SETGYF LO AGEIN PLAGD;
```




```
    S~T &&NSENT PUMAIER TU LIこT HNALD;
```

    S~T &&NSENT PUMAIER TU LIこT HNALD;
    EUSEL-;
    EUSEL-;
    ~U agaIN flag UN;
~U agaIN flag UN;
.

```
    . 
```


## APPENDIX F

Data for program BKB2PFGP

HALSTEAD'S COMPLEXITY MEASURES EOR DIAGRAM BKB $\angle P F G P$

```
VOCABULARY = ETA = ETA-1 + ETA-2 = 02
LENGTH =N =N1 +N2 = N52
EST.N = ETA-1 LOG2 ETA-1 + ETA-2 LOG2 ETA-2 = 314.0
VOLUME =V = N LOG2 ETA = 2095.9
EST. ABSTRACTION LEVEL = EST. L = (2/ETA-1)(ETA-2/N2) = 0.0290
MOST COMPACT VOLUME = V* = LV = 60.8
LANGUAGE LEVEL = GAMMA = (L**2) *V = 1.76
MENTAL EFPORT = E = V/L = 72240.7
TIME (IN MINOTES) = T = E/ (S*60) = 06.9
```

HALSTEAD'S COMPLEXITY MEASURES FOR BKB2PFGP PLDS PROGRAM

VOCABULARY $=$ ETA $=E T A-1+E T A-2=82$
LENGTH $=\mathrm{N}=\mathrm{N} 1+\mathrm{N} 2=542$
EST. $N=E T A-1$ LOG2 ETA-1 $+E T A-2$ LOG2 ETA-2 $=451.1$
VOLUME $=\mathrm{V}=\mathrm{N}$ LOG $2 \mathrm{ETA}=3445.8$
EST. ABSTRACTION LEVEL =EST. $L=(2 / E T A-1)(E T A-2 / N 2)=0.0228$
MOST COMPACT VOLUME $=V *=L V=78.5$
LANGUAGE LEVEL $=$ GAMMA $=(L * * 2) * V=1.79$
MENTAL EPFORT $=E=\nabla / L=151264.0$
TIME (IN MINUTES) $=T=E /(S * 1080) 140.1$

HALSTEAD'S COMPLEXITY MEASURES FOR BKB2PFGP ASSEMBLER PROGRAM

```
VOCABOLARY = ETA = ETA-1 + ETA-2 = 123
LENGTH = N = N1 + N2 = 957
EST.N = ETA-1 LOG2 ETA-1 * ETA-2 LOG2 ETA-2 = 740.0
VOLUME = V = N LOG2 ETA = 6644.0
EST. ABSTRACTION LEVEL = EST. L = (2/ETA-1) (ETA-2/N2) = 0.0088
MOST COMPACT VOLUME = V* = LV = 58.2
LANGUAGE LEVEL = GAMMA = (L**2) * V = 0.51
MRNTAL EFFORT = E = V/L=758445.9
TIME (IN MINOTES) = T = E/ (S * 1080) 702.3
```

TABLE 1. OPEKATOKS OP DIAGRAM BKBZPFGP

|  | OFERATOK | COUNT |
| :---: | :---: | :---: |
| 1 | BRA CE | 32 |
| 2 | - BEGIN | 1 |
| 3 | $=$ | 28 |
| 4 | () | 29 |
| 5 | , | 29 |
| 6 | OR | 14 |
| 7 | NOT | 14 |
| 8 | FOR EVERY/EACH/ALL | 1 |
| 9 | -END | 1 |
| 10 | SEI | 3 |
| 11 | TO | 3 |
| 12 | SET ON | 7 |
| 13 | SETOPF | 9 |
| 14 | .SKIP | 11 |
| 15 | Cal culate | 3 |
| 10 | POS T | 4 |
| 17 | IN | 4 |
| 18 | USING | 2 |
| ETA-1 $=19$ | AND | 1 |

TABLE 2. OPERANDS OP DIAGRAM BKB2PPGP


```
BKB21FGI;
    - BE゙GIN&;
    PUNCTION KE&UEST = 'GFTT CUNID' U-1;
    * - FUNCTION KECUGST = 'GET CUNTD' (U-1;
    PUR EACH gEQUESTT OU-H;
    -ENLW:
FUNCIIUN KRQUEST = 'GET CONTD':
    SET F゙UNCTIUN KLOHEST TU 'NOT GET CONTD'$;
    SE'L RCD FUINTEK TO WOKKAKEA VALUES:
*UNCTIU: hE`)|EST = 'G&T CUNTD';
    SLT KCB QUINTER TU KEQUEST ELUCK VALUES;
    VALID KEQUEST #0-1;
    * - VALID KEQUESP *U-1;
VALIL KESUEST;
    SETUN VALID REQUEST FLAG$;
    SETUPF CAN KEAD AHEAD FLAG$;
    SETOFF KEADAHEFAD LONE PLAG$;
    SETOFF NUMBER HECUURDS PLAGS;
    SETOFY OPEN TYYE PLAG&;
    SETOFF KETUKN FLAG$:
    VALID OPEN #0-1;
    + - VALID OPEN #U-1;
    G上T CUNTD #U-1;
    * - GET CONTD #0-1;
~VALID KEQOEST:
    SETUPP VALID REOULST PLAG$;
VALID OFEN;
    -SKIP$;
~VALID ODEN:
    SETUN OREN TYPE PLAG$;
GE'& CONTD;
    .SKIP$;
GET CONTD:
    VALID RLCCRD NUMBER #0-1;
    * \ VALID KECOHD NUMBFR #U-T;
VALID RECUHD NIMMEAR;
    VERIFIABLE REOUUSS #U-1;
    * - VERIPIABLE fEOUEST *0-1;
~VALID KECORD NUMBER;
    .SKIP$;
VERIFIABLE REQUEST ;
    CALCULATE REQ!ESI IYTESS;
~VERIPIABLE REQUEST;
    .SK」P{;
GE'I KEYU:ST;
    OVERLAKGY GKT REQUEST *O-1;
    + - OVERLARGE GEI' REQUEST #U- ? ;
GET REQ|EST:
    .SKIP&;
OVLKLAKGEGGEJ KEOUSSI:
    SETUN NUMEEK RECOMDS PLAGS;
OVEHLAKGE GLT REOUEST;
    -SKIP$;
POR RACH KEQUEST:
    HEADAHEAD DONE* - |;
```

```
    * T KEADAHLAD DONE 0-1;
    VALID KLSURST (0-1;
    * - VALID K!iQUESI #U-1;
READAHEAD LORE:
    , SEMUFF CA it KEAL A!MEAD PLAG$;
    * Seturf r:EADaHEAD luUNE Flag$;
    BKB2IH#;
*KEALAHEAD [UNNE;
    . SKIP$;
VALID KEOUEST;
    G&T CONTD (U-1;
    * - GET COHTD *O-1;
    PUSI KEUUEST VALULS IN BCBS;
    BKB\anglePSKK:
    StTUN heTUKN PLAGS:
    GUST KETUGN CUDE IN FILE RESPUNSES:
    READAHEAD #U-1;
    + - KEADAHEAD #O-1;
    CLOSE IN PRUCESS 60-1;
    + - ClUSE IN froceiSS #U-1;
GET CONTD;
    CALCULAIE NUMEEK GECOKDS USING KCE$:
GET CONTD;
    CALCULATL NUMPER RECORDS USING SUEDIRECTORY AND REQUEST VALUES:
~VALID KEQUEST:
    RETURA UUNE #O-1;
    + - RETURN DUNE U-1;
    SETUFP CAN READ AHEAD FLAG$;
    OVERLARGE GET REQUEST #U-I;
    * ~ OVERLAKGE GET REQUEST #U- %;
    \triangleKB2PFRG$;
RETUGN DONE;
    .SKIPS;
~RETORN DUNE;
    PUST ERIOUR RETURN CODE IN PILE RESPONSE$;
OVERLAKGE GET KEUUEST;
    SETUN CAN KLAD AHFAD PLAG $:
    SETUN DELAYED PROEESSING FLAG%;
    POST 'GUT CONTC' IN WORKAREAS;
OVEKLAKGE GET REQUEST:
    .SKIPS;
READAHEAD;
    SETOR REAUAHEAD DUNE YLAGS;
~HEADAHEAD;
    .こKIPS;
    CLUSE I| PROCESS:
    BKB2PFCr;
~CLOSE IY FROCESS:
    .SKIPS:
```


## APPENDIX G

Data for program BKB2PIRW

HALSTEAD'S COMFLEXITY MEASURES POR DIAGRAM BKB2PIRW

```
VOCABULARY = ETA = ETA-1 + ETA-2 = 51
LENGTH = N = N1 + N2= 182
EST.N = ETA-1 LOG2 ETA-1 + ETA-2 LOG2 ETA-2 = 238.6
VOLOME = V = N LOG2 ETA = 1032.4
EST.ABSTRACTION LEVEL = EST. L = (2/ETA-1) (ETA-2/N2) = 0.0304
MOST COMPACT VOLOME = V* = LV = 31.4
LANGUAGE LEVEL = GAMMA = (L**2)*V = 0.96
MENTAL EPFORT = E = V/L = 33926.4
TIME (IN MINUTES) = T = E/ (S*60) = 31.4
```

HALSTEAD'S COMPLEXITY MEASURES FOR BKB2PIRW PLDS PROGRAM

VOCABULARY $=$ ETAETA-1 + ETA-2 $=59$
LENGTH $=\mathrm{N}=\mathrm{N} 1+\mathrm{N} 2=285$
EST. $N=E T A-1$ LOG $2 E T A-1+E T A-2$ LOG2 ETA-2 $=292.6$
VOLUME $=V=N$ LOG $2 E T A=1676.6$
EST. ABSTRACTION LEVEL = EST. L $=(2 / E T A-1)(E T A-2 / N 2)=0.0304$ MOST COMPACT VOLUME $=\mathrm{V}^{*}=\mathrm{LV}=51.0$

LANGUAGE LEVEL $=$ GAMMA $=(\mathrm{L} * * 2) * V=1.55$
MENTAL EPPORT $=\mathrm{E}=\mathrm{V} / \mathrm{L}=55149.8$
TIME (IN MINUTES) $=T=E /(S * 1080) 51.1$

HALSTEAD'S COMPLEXITY MEASURES FOR BKB2PIRW ASSEMBLER PROGRAM

```
VOCABULARY = ETA = ETA-1 + ETA-2 = 84
LENGTH =N = N1 +N2 = 398
EST.N = ETA-1 LOG2 ETA-1 + ETA-2 LOG2 ETA-2 = 454.6
VOLJME = V = N LOG2 ETA = 2544.1
EST.ABSTRACTION LEVEL = EST. L = (2/ETA-1) (ETA-2/N2) = 0.0122
MOST COMPACT VOLUME = V* = LV = 31.1
LANGUAGE LEVEL = GAMMA = (L**2) * \nabla=0.38
MENTAL EFFORT = E = V/L = 208195.0
TIME (IN MINUTES) = T = E/ (S * 1080) 192.8
```

TABLE 1. OPERATOKS OF DIAGRAM BKB2PIRW

|  | OPERA TOK |  | COUN T |
| :---: | :---: | :---: | :---: |
|  | 1 | BRACE | 14 |
|  | 2 | -BEGIN | 1 |
|  | 3 | SETOPF | 5 |
|  | 4 | = | 12 |
|  | 5 | () | 13 |
|  | 6 | , | 13 |
|  | 7 | OR | 6 |
|  | 8 | NOT | 6 |
|  | 9 | SET | 1 |
|  | 10 | TO | 1 |
|  | 11 | FOR EVERY/EACH/ALL | 1 |
|  | 12 | POST | 5 |
|  | 13 | IN | 5 |
|  | 14 | GET | 1 |
|  | 15 | FROM | 1 |
|  | 16 | -END | 1 |
|  | 17 | SET ON | 5 |
|  | 18 | . SKIP | 4 |
|  | 19 | DECREMENT | 1 |
|  | 20 | TO PROCESS | 2 |
|  | 21 | Calculate | 2 |
|  | 22 | SETUP | 1 |
| ETA-1 $=$ | 23 | POR | 1 |

TABLE 2. OPERANDS OF DIAGRAM BKB2PIRW

|  | OPERA ND | COUN T |
| :---: | :---: | :---: |
| 1 | NEW JOB PLAG | 2 |
| 2 | PIRST UNIT PLAG | 3 |
| 3 | ABORT REQUESTED FLAG | 2 |
| 4 | JOB END FLAG | 3 |
| 5 | ABORT REQUEST | 2 |
| 6 | TRUE | 12 |
| 7 | 0 | 13 |
| 8 | 1 | 12 |
| . 9 | NEXT TTHR | 3 |
| 10 | STARTING TTHR | 1 |
| 11 | SECTOR | 1 |
| 12 | S | 1 |
| 13 | SECTOR ADDRESS | 1 |
| 14 | RETURN REGISTER | 1 |
| 15 | RETURN ADDRESS | 1 |
| 16 | WOR KAREA | 1 |
| 17 | NEW JOB | 2 |
| 18 | WRITEREQUEST | 2 |
| 19 | ADAPTER ADDRESS | 1 |
| 20 | ACB | 4 |
| 21 | FIRST UNIT | 2 |
| 22 | SEC TORS | 2 |
| 23 | JOB END | 2 |
| 24 | ABORT | 2 |
| 25 | NEXT ADDRESS | 1 |
| 26 | OPERATION | 1 |
| 27 | -WRITE" REQUEST CODE | 1 |
| $E T A-2=28$ | 'READ* KEQUEST CODE | 1 |



```
BKE2!IKN;
    -BEGI:**;
    Sh'TuPY :IEH JO: PLAGD;
    Siturr riasia gnit plagb;
```



```
    SiTOEE E:ZL JP JUS FLAG%;
    ALOnT KLQUzST *u-I;
    + - ABUKI h:%OHESP qu-1;
```




```
    PGST SELTUR ADDRESS L& RE'TUSN REGISTEE،$;
    GET KETURN ADJRESS FRCM NURKAKEAS;
    BKB<PSXX$;
    -ancs;
ABUK?' RECUEST;
    SETUN AEUHT KLQURST FLAGS;
    BKS<IIE;
AAEOKT KEOUEST:
    .SKIPS;
YOK EVEKY SECTUR;
    NiN JUS #U-1;
    * व NPM JUS #u-1;
    WHINE REQリEST #O- ?;
    + つWHITE f=゙QUESL #U-7;
    PUS% aDAPTL! fDLRLSS I:A ACB%;
    PIKST UNI'Y qu-1;
    * - FISST 1:'I'T #O-1;
    FUST nexT 1TMG IN ACBS;
    BKE\anglePICIS;
    DlCHEaENT SlCTORS 'OU fRUClSSS;
    END UR UOE zu-1;
    + - EHD Or JOE %(1-1:
    AHO&T Mu-1; .
    + -abort #u-T;
HEW JOL;
    SLION NEW JJB FLAC5;
    CglCulatF; SrC!OFS TU yPOCiSSS ;
    Sltup Next adlehes: FOM upefatiulis:
    SETUN FIRDT UNIT FLAGS:
~NI:W JUB;
    .डKIP*:
HKITE KEVUEST;
    PUS". 'WEITE' yEQUEST CODE IN ACSS;
~HINE REOUEST:
    fuS: 'reas' RluUEST CODE I!: ACbs;
HIkST UNEF;
    SIITUPr rIMST UNIT PLAGE:
~PLSET MNIT:
    C゙aLCULATE NEXT TTMRS:
EHU UF Jus:
    SLTUN E:ID U? JO& FLAGE;
-&.dV UP JOR:
    -&KIPS:
Agurt;
    SHTUN END OY JOS flagy:
```

-ABUKT:
.SKIP\$:

APPENDIX G
Source Code for program COUNT

## SOURCE LISTING

NUMBER

| 10 | COUNT: PROCEDURE OPTIONS(MAIN); | MSP00010 |
| :---: | :---: | :---: |
|  |  | /MSP00020 |
|  | /* THIS program counts the number of unique operators and unique | */MSP00030 |
|  | /* operands and the total number of operators and operands in a | */MSP00040 |
|  | /* Program design that is a harnier-ori diagram frepared as input | */MSP00050 |
|  | /* FOR ORR'S Structures frogram. OUTPUT CONSISTS Of two tables, one | */MSP00060 |
|  | /* LISTING OPERATORS and the other operandos. In addition, halstead's | */MSP00070 |
|  | /* PROGRAM COMPLEXITY MEASURES FOR VOCASULARY, LENGTH, ESTIMATED | */MSP00080 |
|  | /* LENGTH, VOLUME, ESTIMATED LEVEL OF ABSTRACTION, MOST COMPACT | */MSP00090 |
|  | /* Volume, language level, mental effort, and time as adapted to | */MSP00100 |
|  | /* WARNIER-ORR DIAGRAMS ARE COMPUTED USING THE OPERATOR AND OPERAND | */MSP00110 |
|  | /* COUNTS and are listed gelow the output tables. | */MSP00120 |
|  |  | */MSP00130 |
|  |  | */MSP00140 |
|  | /* | */MSP00150 |
| 160 | DCL 1 OPERAND BASED(HEADOPD), | MSP00160 |
|  | 2 OPDEOF FIXED BINARY, | MSP00170 |
|  | 2 OPDCT FIXED BINARY, | MSP00180 |
|  | 2 OPDNEXT PTR, | MSF00190 |
|  | 2 A FIXED BINARY, | MSP00200 |
|  | 2 OPD CHAR(B REFER(A)], | MSP00210 |
|  | LAGOPD PTR; | MSP00220 |
| 230 | DCL B FIXED BINARY INIT(30); | MSP00230 |
| 240 | DCL 1 OPERATOR EASED(HEADOPR), | MSP00240 |
|  | 2 OfREOF FIXED BIMARY, | MSP00250 |
|  | 2 OPRCT FIXED BINARY, | MSP00250 |
|  | 2 OPRNEXT PTR, | MSP00270 |
|  | $2 \times$ FIXED BIMARY, | MSP00280 |
|  | 2 OfR CHAR(Y REFER(X)), | MSF00290 |
|  | LAGOPR PTR; | MSP00300 |
| 310 | DCL Y FIXED BINARY INIT(30); | MSP00310 |
| 320 | DCL 1 PREPOSITION_CONNECTIVE BASED(HEADPC), | MSP00320 |
|  | 2 PCECF FIXED BIMARY, | MSP00330 |
|  | 2 PCNEXT PTR, | MSP00340 |
|  | 2 R FIXED BINARY, | MSP00350 |
|  | 2 PC CHAR(S REFER(R)), | MSP00360 |
|  | LAGPC PTR; | MSP00370 |
| 380 | DCL 5 FIXED BINARY INIT(30); | MSP00380 |
| 390 | DCL 1 INFINITIVE BASED(HEADINF), | MSP00390 |
|  | 2 INFEOF FIXED BINARY, | MSP00400 |
|  | 2 INFNEXT PTR, | MSP00410 |
|  | 2 T FIXED BINARY, | MSP00420 |
|  | 2 INF CHAR(U REFER(T)), | MSP00430 |
|  | LAGINF PTR; | MSP00440 |
| 450 | DCL U FIXED 8INARY INIT(30); | MSP00450 |
| 460 | DCL (TXTLINE,NXTLINE) CHAR(30) VARYING; | MSP00460 |

MSP00700
720 OFRCT $=1$; MSP00720
730 READ FILE(INFILE) INTO(TXTLINE); MSFOOT30
740 DO WHILE(EOF = ' $0^{\prime} \mathrm{B}$ ); $\quad / *$ FROCESS INPUT FILE WHILE MORE TO */MSF00740
750 ENDLINE $=10$ '3; $/ *$ READ */MSFOOT50
760

DCL (EHOLINE,ENDLOOP,NXTREAD, ENDSRCH, EOF)
MSF00470
SIT(1) INIT('0'B);
MSP00430
OCL (PRCFILE,IFFILE,INFILE) FILE RECORD MSP00400
ENV(F RECSIZE(SO)); MSP00500
DCL CUTFILE FILE STREAM OUTFUT PRINT; MSP00510
DCL (FIRSTWD,SRCHHD,TXTWD,MATCHWD,MATCHFND,TITLE,SAVEOPD,SRCHLINE) MSFOO520 CHAR (60) VARYING; MSF00530
/* */MSP00540


/*
*/MSP00570
OPEN FILE(INFILE) INPUT; MSPOO5SO
ON ENDFILE(INFILE) EOF = '1'B; MSP00590
CALL SETUP; /* SET UP KEYWORDS LISTS */MSPOOSOO
READ FILE(INFILE) INTO(TXTLINE); MSP00610
TITLE = 'OIAGRAM ' || SUBSTR(TXTLINE,1,INDEX(TXTLINE,';') -1); MSP00620
allocate operand set headofd); /* SET up heads of operand and */mspooijo
A $=$ LENGTH(TITLE); $/ *$ OPERATOR LISTS */MSP00640
OFD $=$ TITLE; MSP00650
OPDEOF = 1; MSPOOSSO
OFECT = 1; MSP00670

- MSP00680
(.

```
OFREOF = 1; MSP00710
```

    IF SUBSTR (TXTLINE,1,1) = ' MSP00760
        THEN MSPO0770
                    /* SKIP IF STRUCTURES HEADER LINE */MSP00730
        READ FILE(INFILE) INTO(TXTLINE); MSF00790
    IF EOF = 'O'B /* EEGIN PROCESSING STRUCTURES INPUT */MSPOOSOO
        THEN DO; /* FILE */MSPOOS10
            ENDLINE = '0'S; MSPOOS20
            TXTLINE \(=\) SU'SSTR (TXTLINE,2); MSPOC350
            IF IMDEX(TXTLINE,'\$') \(=0 \quad\) MSFOOS40
                    THEN
                                    MSPOOS50
                                    CALL LOGOPR('bRACE'); ** LOG BRACE FOR EACH LINE THAT */MSP00860
        TXTWD \(=\) SUSSTR(TXTLINE,1,INDEX(TXTLINE, 1 1) - 1);
    */MSPOOS70
                            MSF00S80
        IF INDEX(TXTWD,';') \(n=0 \quad / *\) PICK OFF FIRST WORD IN
    */MSP00390
            THEN DO; /* LINE */MSP00900
                TXTWD = SUSSTR(TXTWD,1,LENGTH(TXTWO) - 1); MSP00910
                IF INDEX(TXTWD,'\$') \(\quad=0 \quad\) MSF00920
                    THEN MSF00930
                                    TXTWD \(=\) SUBSTR (TXTWD, 1 , LENGTH (TXTND ) - 1);
                                    MSP00940
                IF SUSSTR(TXTND, 1,1 ) \(=1.1 \quad i *\) LOG FROCEDURE NAME
    */MSP00950

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THEN DO;
MSP00960
CALL LOGOPD('PROCEDURE $\cdot \|$ TXTWD);
MSP00970
ENDLINE = '1'B; MSP00930

END;
END;
FIRSTHD $=$ TXTWD; MSP01010
IF FIRSTHD $=$ '.BEGIN' | FIRSTHD $=$ '.END' | FIRSTWD = '.SKIP' MSP01020
THEN DO; $/ *$ LOG STANDARD STRUCTURES OPERATORS */MSFO1030
CALL LOGCPR(FIRSTWD); MSFO1040
ENDLINE = '1'B;
MSP01050
END; $/ *$ LOG STRUCTURES 'OR' OPERATOR $\quad$ F/ MSPO1070
MSPO1050
IF FIRSTLD $={ }^{\prime}+1$ MELOG STRUCTURES OR MSPO1080
THEN DO;
MSPO1090
CALL NEXTHD; MSFO1100
IF TXTWD $=1.1 \quad / *$ LOG 'NOT' OPERATOR OCCURRING $\quad * / M S F 01110$
/* AFTER AN 'OR' */MSPO1120
THEN DO; MSP01130
CALL LOGOPR('NOT'); MSPO1140
CALL NEXTWD; MSP01150
END: MSFO1160
CALL BRANCH; $\quad$ * CALL SUSROUTINE TO FROCESS REST OF*/MSPO1170
ENDLINE = '1'B; $\quad 1 *$ AN 'OR' BRANCH STRUCTURES LINE */MSPO1180
END;
IF FIRSTHD = 'FOR' MSF01200
THEN DO; $/ *$ LOG 'FOR' LOOP OPERATCR */MSFO1210
CALL LOGOPR('FOR EVERY/EACH/ALL'); MSPO1220
DO I = 1 TO 2; $/ *$ GET PAST 'FOR ___ */MSPO1230
CALL NEXTWD; MSF01240
END; MSPO1250
CALL LOGOPD(SUBSTR(TXTLINE,1,INDEX(TXTLINE,'\#') - 1)]; MSP01260
CALL RANGE; $/ *$ CALL SUBROUTINE TO PROCESS REST OF*/MSPO1270
ENOLINE $=$ ' 1 'B; $\quad$ * 'FOR' LOCF LINE $\quad$ */MSPO1230
END;
MSFO1290
MSPO1500
/* I.E., IF FIRST WORD IN LINE IS NOT*/ MSPO1310
/* A STANDARD STRUCTURES OPERATCR AND*/MSFO1320
/* SO LINE HAS NOT SEEN PROCESSED YET*/MSPO1330
IF INDEX(TXTLINE,'\#') $-=0$
MSP01340
THEN DO; $\quad$ * IF THERE IS NO '\#' IN INPUT LINE, */MSPO1350
READ FILE(INFILE) INTO(NXTLINE);
MSFO1350
NXTREAD $=111 \mathrm{~B}$; /*THEN GET NEXT LINE*/MSP01370
IF SUESTR(NXTLINE,2,1) $=1+1$ MSFO13SO
THEN $/ *$ IF NEXT LINE IS AN 'OR' STATEMENT,*/MSPO1390
CALL ERANCH; /* THEN PROCESS AS A SRANCH */MSP01400
/* ELSE FROCESS AS A SUSROUTINE *MSP01410
/* CALL */MSPO1420
ELSE DO; MSPO1430
CALL LOGOPO(TXTWD); MSPO1440

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| CALL NEXTW'; | MSPO 1450 |
| :---: | :---: |
| Call range; | MSPO1460 |
| END; | MSPO1470 |
| ENO; | MSPO1430 |
| ELSE DO; ${ }^{\text {a }}$ IF NOT A GRANCH OR SUSROUTINE | */MSP01490 |
| NXTREAD $=$ 'O'S; $/ *$ CALL, THEN LOG FIRST HORD AS AN | */MSP01500 |
| ; OPERATOR | *MSP01510 |
| CALL LOGOPR(TXTHD); | MSP01520 |
| CALL NEXTH'S | MSP01530 |
| IF ENDLINE = '1'B /* THEN CONTINUE PROCESSING*/ | MSP0 1540 |
| THiEN | MSPO1550 |
| CALL LOGOPD (TXTWD); | MSPO1550 |
| DO WHILE (ENDLINE = '0'B); | MSFO1570 |
| SRCHLINE $=$ TXTLINE; | MSPO1580 |
| SRCHWD = TXTWD; | MSFO1590 |
| ENDLOOP $=10 \cdot \mathrm{~B}$; | MSP01600 |
| MATCHFND $=1018$; | MSFO1610 |
| ENDSRCH $=1018$; | MSF01620 |
| DO WHILE (EMDSRCH = 'O'B); | MSP01630 |
| ENDLOCP = '0'E; | MSPO1640 |
| /* SEARCH RESt Of LINE FOR MATCH TO | */MSFO1650 |
| /* LIST OF prepositions and | */MSF01660 |
| /* CONHECTIVES | */MSF01670 |
| LAGPC = HEADFC; | MSP01680 |
| OO WHILELENDLOOP $=101$ | MSP01690 |

DO WHILE (ENDLOOP = '0'B); MSP01690 /* SEARCH THROUGH LIST ONCE FOR EACH */MSFO1700 /* WORD */NSFO1710
IF TXTWD $=$ LAGFC->PC MSPO1720
THEN DO;
MSF01730
ENDLOOP = '1'8; MSF01740
MATCHFND = '1'B; MSPO1750
MATCHKD $=$ TXTWD; $\quad$ MSFO1760
ENDSRCH = '1'S; MSPO1770
END;
MSPO1780
IF LAGPC->PCEOF = 1 MSPO1790
THEN
MSPO1800
ENDLOOP = '1'8;
MSP01S10

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                                    ELSE MSPO1820
```

                                    LAGPC = LAGPC->PCNEXT; MSPO1330
            END; \(/ *\) DO WHILE ENDLOCP \(\left.=10^{\prime} \mathrm{B}\right) * /\) MSPO1340
            IF ENDLINE = \({ }^{\prime} \mathrm{O}^{\prime} \mathrm{B}\) \& ENDSRCH \(=10\) 's MSPOI 850
                    /* If previcus call to nextwd set the*/ MSpoleso
                    /* END OF LINE FLAG THEN THE SEARCH */ MSPOIS70
                            /* FOR A PREFOSITION OR CONNECTIVE IN*/ MSPOI8SO
                    /* THE LINE HAS FAILED */ MSP01890
                THEN CALL MEXTXD;
                            MSFO1900
                ELSE ENDSRCH = '1'8;
                            MSFO1910
    END; $/ *$ DO WHILE(ENESRCH $=10 \cdot 8) * /$
MSPO1920
IF MATCHFND $=1$ ' B
MSPO1930

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        THEN DO; /* IF MATCHED WORD IS */ MSPO1940
        IF MATCHWD = 'TO' /* 'TO', THEN CALL SUB- */ MSPO1950
        THEN CALL FNDINF;/* ROUTINE TO FIND OUT IF */ MSPO1960
                        /* IT IS THE EEGINNING OF */ MSP01970
                            /* AN INFINITIVE FHRASE */ MSPO1980
        ELSE DO;
            CALL LOGOFR(MATCHWD); MSPO2000
                            /* IF MATCHED WORD IS NOT */ MSPO2010
                            /* 'TO', THEN LOG IT AS */ MSFO2020
                            /* AN OPERATCR */ MSF02030
        IF INDEX(SRCHLINE,MATCHNO) > 1 MSPO2O40
        THEN MSPO2050
        /* IF MATCHED WORD IS NOT */ MSPO2OSO
        /* FIRST HORD IN THE LINE */ MSPO2070
        /* SEGMENT TESTED, THEN */ MSPO2OSO
        /* LOG THE LINE FRCM THE */ MSPO2090
    /* BEGINNING TO BEFORE THE*/ MSPO2100
    /* PREFOSITION OR CO:NECT-*/ MSFO2110
    /* IVE AS AN OPERAND */ MSPO2120
        CALL LOGOPD(SUBSTR(SRCHLINE,1,INDEX(SRCHLINE,MATCHND) -2)); MSFO2130
    /* SET TXTLINE AND */ MSP02140
    /* TXTWD TO UNFRCCESSED */ MSPO2150
    /* REMAINDER OF LINE */ MSF02160
                CALL NEXTKD;
                IF ENDLINE = '1'S
                            THEN CALL LOGOPD(TXTWD);
                                    MSP021S0
            *15
                MSP02210
                ElsE
                    CALL PROSLEM;
                                MSP02230
```



```
            END; /*IF FIRST WORD IN LINE NOT STRUCTURES STANDARD*/ MSPO226O
            /*OPERATCR*/ MSPO22TO
    F NXTREAD = '1'B
        THEN DO; 
        MSPO22SO
            TXTLINE = NXTLINE;
            END;
            ELSE
            READ FILE(INFILE) INTO(TXTLINE);
                            MSFOこ330
                                    MSFO2340
            END;/*IF STRUCTURES INPUT LINE AND NOT EOF */ MSPO2350
            END; /*DO WHILE(EOF = 'O'B)*/ MSFO235O
CALL PRINT; MSPO2370
/***************************************************************************MSNO23S0
1* SUSRCUTINE SETUP CREATES LINKED LISTS OF FREPOSITIONS AND */MSP02390
/* CONNECTIVES AND OF INFINITIVE PHRASES ALL LIKELY TO EE */MSPO2400
** FOUND IN STRUCTURES DESIGN CHARTS. THESE LISTS ARE USED AS */MSP02410
/* CHECKS AGAINST LORDS AND PHRASES OF THE INFUT LINES. */MSPO242O
```

|  |  |  |
| :---: | :---: | :---: |
| 2440 | SETUP: PROCECURE; | MSP02440 |
| 2450 | DCL (FLAG1,FLAG2) BIT(1) INIT('1'B); | MSF02450 |
| 2460 | ON ENDFILE(FRCFILE) FLAG1 = '0'B; | MSP02460 |
| 2470 | ON ENDFILE (IFFILE) FLAG2 = '0'8; | MSPO2470 |
| 2430 | ALLOCATE PREPOSITION_CONNECTIVE; | MSP02430 |
| 2490 | LAGFC = HEADPC; | MSF02400 |
| 2500 | OPEN FILE(FRCFILE) INFUT; | MSP02500 |
| 2510 | READ FILE(FRCFILE) INTO(TXTLINE); | MSP02510 |
| 2520 | CO WHILE(FLAG1 = '1'B); | MSPO2520 |
| 2530 | LAGPC->FCEOF $=0$; | MSP02530 |
| 2540 | TXTND = SUBSTR(TXTLINE, 1, INDEX(TXTLINE, ' ') - 1); | MSP02540 |
| 2550 | LAGPC->R = LENGGTH(TXTKD); | MSFO2550 |
| 2560 | LAGPC->PC =TXTND; | MSFO2560 |
| 2570 | READ FILE(PRCFILE) INTO(TXTLINE); | MSP02570 |
| 2580 | IF FLAG1 = '1'S THEN CO; | MSP025SO |
| 2590 | ALLCCATE PREFOSITION_CONNECTIVE SET(LAGPC->PCNEXT); | MSP02590 |
| 2500 | LAGPC = LAGPC->PCNEXT; | MSP02600 |
| 2510 | END; | MSP02610 |
| 2620 | END; | MSP02620 |
| 2530 | LAGPC->PCEOF = 1; | MSP02630 |
| 2640 | LAGPC = HEADFC; | MSP02640 |
| 2650 | allocate infinitive; | MSP02650 |
| 2660 | LAGINF = HEADINF; | MSPO2660 |
| 2670 | OPEN FILE(IFFILE) INFUT; | MSP02670 |
| 2680 | READ FILE(IFFILE) INTO(TXTLINE); | MEP026S0 |
| 2690 | DO WHILE(FLAG2 = '1'8); | rippo2690 |
| 2700 | LAGINF-> INFECF $=0$; | MSP02700 |
| 2710 | TXTND = SUBSTR(TXTLINE,1,INDEX(TXTLINE, ' ')-1); | MSP02710 |
| 2720 | LAGINF->T = LENGTH(TXTWD); | MSP02720 |
| 2730 | LAGINF->INF $=$ TXTHD; | MSP02730 |
| 2740 | PEAD FILE(IFFILE) INTO(TXTLINE); | MSF02740 |
| 2750 | IF FLAG2 = '1'8 Then 00; | MSP02750 |
| 2760 | allocate inkinitive set laginf->INFNEXT); | MSP02750 |
| 2770 | LAGINF = LAGINF->INFNEXT; | MSP02770 |
| 2730 | END; | MSP02780 |
| 2790 | END ; | MSF02790 |
| Esco | LAGINF->INFEOF $=1$; | MSF02S00 |
| 2810 | LAGINF = HEADINF; | MSF02S10 |
| 2320 | END SETUP; | MSFO2S20 |
|  |  |  |
|  |  |  |
|  | /* Procedure nexthid assigns to the variable texthd the next word in | */MSP02850 |
|  | /* the line after the fresent value of texthd. if the new value of | */MSF02S60 |
|  | /* TKTWD is the last word in the line, the 'endline' oferatcr is | */MSF02S70 |
|  | /* LOGGEd in the operators list. | */MSFOE8S0 |
|  |  |  |
| 2900 | NEXTWD: PROCEDURE; | MSF02900 |
| 2910 | TXTLINE $=$ SUBSTR(TXTLINE,LENGTH(TXTWD) + 2); | MSP02910 |

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TXTND = SUBSTR(TXTLINE,1,INDEX(TXTLINE,' ') - 1); MSP02920
IF INDEX(TXTK'D,';') == 0 MSPO29JO
    THEN DO;
        ENDLINE = '1'B;
        IF INDEX(TXTWD,'$') }=
            THEN TXTWD = SUSSTR(TXTWD,1,LENGTH(TXTWD) - 2);
            ELSE TXTWD = SUSSTR(TXTKD,1,LENGTH(TXTWD) - 1);
    END;
END NEXTWD;
```



/* PROCEDURE BRANCH LOGS THE OPERATORS AND OPERANDS IN A WARNIER-ORR *MMSOJOJO
/* 'EITHER/OR' STATEMENT OCCURRING EEFORE THE RANGE DESCRIPTICN. */MSPOJO4O
/* THE LATTER ARE LOGGED BY A CALL TO FROCEDURE RANGE. */MSPOJO50

BRANCH: FRCCEDURE;
MSP03070
DCL CHKSTRING CHAR(1);
MSP030S0
DCL SAVECFD CHAR (30) VARYING; MSF03090
DCL OFRINDEX FIXED BINARY INIT(O); MSPOS100
IF $\operatorname{INDEX}(T X T L I N E, '=1)=0 \& \operatorname{INDEX}(T X T L I N E, '>1)=0 \&$ MSPO3110
INDEX(TXTLINE,'<') $=0$ MSPO3120
THEN DO; $/ *$ IF NO COMPARISON OPERATOR IN LINE, THEN */MSPO3130
* CONSTRUCTION MUST SE, FOR EXATIPLE, */MSPO3140
/* 'MATCH FOLND \#0-1', WHICH IS LOGGED AS */MSPO 150
** 'MATCH FOUND = TRUE . . .' */MSPO3160
CALL LOGOPD(SUBSTR(TXTLINE,1,INDEX(TXTLINE,'\#') - 2)); MSP03170
CALL LOGOPR('=');
MSP03130
call logofd ('true');
MSFO3100
END;
MSPO3200
ELSE DO;
/* IF COMPARISON OPERATOR FOUND IN LINE, */MSFO3210
/* THEN LOG LINE UP TO OFERATOR IN OFERANDS*/MSPO3220
/* LIST, LOG OPERATOR OR OPERATORS IN OPERA*/MSPO3230
* TORS LIST (THERE MAY SE TWO, AS IN */MSFOJ240
$/ *$ '>='), AND MOVE BEGINNING OF TXTLINE */MSPOJ250
* VARIABLE FAST OPERATCR(S) */MSFO3250
SAVEOFD $=$ TXTLINE;
MSFO3270
DO WHILE(INDEX(TXTWD,'=') $\sim=1 \& \operatorname{INDEX}(T X T W D, '>1) ~==1 \&$
MSF03280
INOEX(TXTWD,'<') $\neg=1$; MSPOJ290
CALL NEXTWD;
MSFOJ300
END;
MSP03310
CALL LOGOPR(SUSSTR(TXTMD,1,1));
MSFO3320
OPRIMDEX = 1;
MSFOラ3J0
IF SUESTR(TXTWD,2,1) $=1=1 \quad \mid \operatorname{SUSSTR}(T X T W D, 2,1)=1>1$ MSPO3340
SUBSTR(TXTWD,2,1) = '<' MSPO3350
THEN DO; MSPOJ360
OFRINDEX $=2$;
CALL LOGOPR (SUSSTR(TXTWD,2,1)); MSPO3380
END: MSPOJ390
SAVEOPD $=\operatorname{SUBSTR}(S A V E O P D, 1, L E N G T H(S A V E O P D)-\operatorname{LENGTH}(T X T L I N E)-1) ;$ MSPOJ400

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3760 FHRASE = SUSSTR(TXTLINE, INOEX(TXTLINE,' ') + 1);

```
3760 FHRASE = SUSSTR(TXTLINE, INOEX(TXTLINE,' ') + 1);
PHRASE = 'TC ' || SUSSTR(PHRASE,1,INDEX(FHRASE,' ') - 1); MSF03770
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```
PHRASE = 'TC ' || SUSSTR(PHRASE,1,INDEX(FHRASE,' ') - 1); MSF03770
```

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            CALL LOGOPD(SAVEOPD); MSPO3410
    ```
            CALL LOGOPD(SAVEOPD); MSPO3410
            IF OFRINDEX > 0
            IF OFRINDEX > 0
        THEN DO;
        THEN DO;
            TXTLINE = SUSSTR(TXTLINE,OPRINDEX + 2);
            TXTLINE = SUSSTR(TXTLINE,OPRINDEX + 2);
            CALL LOGOPD(SUZSTR(TXTLINE,1,INDEX(TXTLINE,'#') - 2));
            CALL LOGOPD(SUZSTR(TXTLINE,1,INDEX(TXTLINE,'#') - 2));
            END;
            END;
            END;
            END;
            CALL RANGE;
            CALL RANGE;
RETURN;
RETURN;
END ERANCH;
END ERANCH;
MSP03490
MSP03490
MSFO3500
MSFO3500
****************************************************MSFO
****************************************************MSFO
/***************************************************************************/MSF05520
/***************************************************************************/MSF05520
/* PROCEDURE RANGE TRANSLATES STRUCTURES INPUT FOR 'EITHER/OR', */MSFO3530
/* PROCEDURE RANGE TRANSLATES STRUCTURES INPUT FOR 'EITHER/OR', */MSFO3530
/* DO WHILE, AND DO UNTIL RANGES INTO WARNIER-ORR FORM AND LOGS THE */MSPO3540
/* DO WHILE, AND DO UNTIL RANGES INTO WARNIER-ORR FORM AND LOGS THE */MSPO3540
/* OPERATORS AND QPERANDS. */MSPO3550
/* OPERATORS AND QPERANDS. */MSPO3550
*********************************************************************************/NSPO}356
*********************************************************************************/NSPO}356
RANGE: PROCEDURE;
RANGE: PROCEDURE;
MSP03570
MSP03570
TXTLINE = SUBSTR(TXTLINE,INDEX(TXTLINE,'#') + 1); MSPO3530
TXTLINE = SUBSTR(TXTLINE,INDEX(TXTLINE,'#') + 1); MSPO3530
CALL LOGOFD(SUSSTR(TXTLINE,1,INDEX(TXTLINE,'-') - 1)); MSF05590
CALL LOGOFD(SUSSTR(TXTLINE,1,INDEX(TXTLINE,'-') - 1)); MSF05590
TXTLINE = SUBSTR(TXTLINE,INDEX(TXTLINE,'-') + 1); MSPO3600
TXTLINE = SUBSTR(TXTLINE,INDEX(TXTLINE,'-') + 1); MSPO3600
CALL LOGOPD(SUSSTR(TXTLINE,1,INDEX(TXTLINE,';') - 1)); MSPO3610
CALL LOGOPD(SUSSTR(TXTLINE,1,INDEX(TXTLINE,';') - 1)); MSPO3610
CALL LOGCPR('()'); MSPO3620
CALL LOGCPR('()'); MSPO3620
CALL LOGOPR(','); MSFO3530
CALL LOGOPR(','); MSFO3530
ENDLINE = '1'R; MSPO3640
ENDLINE = '1'R; MSPO3640
RETURN; MSPOS550
RETURN; MSPOS550
NN RANGE; MSFOJOÓO
NN RANGE; MSFOJOÓO
/****************************************************************************)
/****************************************************************************)
/#************************************************************************************MSNOSOSO
/#************************************************************************************MSNOSOSO
/* FRCCEDURE FNOINF SEARCHES FOR A MATCH TO THE LIHKED LIST OF */MSPO3S90
/* FRCCEDURE FNOINF SEARCHES FOR A MATCH TO THE LIHKED LIST OF */MSPO3S90
/* INFINITIVE FHRASES AND LOGS IT IN THE LINKED LIST OF OFERATORS */MSPO3700
/* INFINITIVE FHRASES AND LOGS IT IN THE LINKED LIST OF OFERATORS */MSPO3700
/* IF A MATCH IS FOUND OR CALLS PROCEDURE FROSLEM IF NO MATCH IS */MSPO3710
/* IF A MATCH IS FOUND OR CALLS PROCEDURE FROSLEM IF NO MATCH IS */MSPO3710
** FOUD. MaTCH IS FOUND OR CALLS PROCEDURE FROSLEM IF NO MATCH IS
** FOUD. MaTCH IS FOUND OR CALLS PROCEDURE FROSLEM IF NO MATCH IS
*/MSPC3720
```

*/MSPC3720

```


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FHOINF: FROCEDURE; MSPOST4O

```
FHOINF: FROCEDURE; MSPOST4O
DCL PHRASE CHAR(40) VARYING; MSFO3750
DCL PHRASE CHAR(40) VARYING; MSFO3750
IF INOEX(FHRASE,';') っ= 0 MSPO37SO
IF INOEX(FHRASE,';') っ= 0 MSPO37SO
    THEN DO; MSPO3790
    THEN DO; MSPO3790
        ENDLINE = '1'B; MSPOZSOO
        ENDLINE = '1'B; MSPOZSOO
        FHRASE = SUSSTR(PHRASE,1,LENGTH(PHRASE) - 1); MSFOSSIO
        FHRASE = SUSSTR(PHRASE,1,LENGTH(PHRASE) - 1); MSFOSSIO
        IF INDEX(PHPASE,'$') -= 0 MSPOSS20
        IF INDEX(PHPASE,'$') -= 0 MSPOSS20
            THEN
            THEN
                    MSF03S30
                    MSF03S30
                PHRASE = SUBSTR(PHRASE,1,LENGTH(PHRASE) - 1); MSP030440
                PHRASE = SUBSTR(PHRASE,1,LENGTH(PHRASE) - 1); MSP030440
MSFO3S50
MSFO3S50
    IF FHRASE = LAGINF->INF MSPO38SO
    IF FHRASE = LAGINF->INF MSPO38SO
        THEN DO; MSFOJ390
```

        THEN DO; MSFOJ390
    ```

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4010

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\begin{tabular}{|c|c|}
\hline CALL LOGOFR(LAGINF->INF); & MSP03900 \\
\hline CALL NEXTWD; & MSF03910 \\
\hline CaLL NEXTLD; & MSP03920 \\
\hline RETURN; & MSP03930 \\
\hline END; & MSP03940 \\
\hline IF LAGINF->INFEOF \(=0\) & MSF03950 \\
\hline THEN & MSP03960 \\
\hline LAGINF \(=\) LAGINF - INNFNEXT; & MSP03970 \\
\hline  & MSP03980 \\
\hline IF PHRASE \(=\) LAGINF->INF & MSF03990 \\
\hline THEN DO; & MSP04000 \\
\hline CALL LOGOPR(LAGINF->INF); & MSPO4010 \\
\hline CALL NEXTWD; & MSFC4020 \\
\hline CALL NEXTWD; & MSPO4030 \\
\hline RETURN; & MSP04040 \\
\hline END; & MSP04050 \\
\hline ELSE DO; & MSP04060 \\
\hline CALL PROBLEM; & MSP04070 \\
\hline RETURN; & MSP04080 \\
\hline END; & MSP04090 \\
\hline END FNDINF; & MSP04100 \\
\hline  & MSPO4110 \\
\hline  & MSP04120 \\
\hline /* FROCEDURE PRCSLEM ALLO'NS THE TERMINAL OPERATOR TO INTERACTIVELY & */MSP04130 \\
\hline /* Parse the farts cf harnier-orr lines that cannot otiberwise se & */MSF04140 \\
\hline /* Parsed by this program because they contain prepositions, & */MSP04150 \\
\hline /* CONnectives, or infinitive fhrases not in the master list, & */MSP04160 \\
\hline /* because they are syntactically amsiguous, or eecause they contain & */MSP04170 \\
\hline /* AN ERRCR. & MSP04150 \\
\hline  & **/MSPO4190 \\
\hline FROSLEM: FRCCEDURE; & MSP04200 \\
\hline DCL (DSFLINE, WRITEVAR,FREP) CHAR(T2) VARYING; & MSPO4210 \\
\hline DISPLAY(SRCHLINE); & MSP04220 \\
\hline disflay 'if No prefositions, Connectives, CR InFINITIVES, Enter ' \(\mathrm{N}:\) " & );MSF04230 \\
\hline DISPLAY('IF "TO" AFFEARS, ENTER "I:" AND PHRASE IF INEINITIVE'); & MSP04240 \\
\hline OISPLAY''İ "TO" APPEARS, ENTER "P:TO" IF FREPOSITION'); & MSP04250 \\
\hline DISPLAY('IF OTHER FREPOSITION CR CONNECTIVE, ENTER "P:" AND WORD'); & MSP04250 \\
\hline DISFLAY('IF LIME IS UNFROCESSISLE, ENTER "U:"') REPLY(DSPLINE); & MSP04270 \\
\hline IF SUSSTR(DSPLINE, 1,2\()=\) ' N : ' & MSPO4280 \\
\hline THEN DO; \(/ *\) LOG REST OF LINE IN & */MSP04290 \\
\hline THEN \({ }^{\text {c }}\) /* OPERANDS LIST & */M5P04300 \\
\hline IF INDEX(SRCHLINE,'\$') \(=0\) & MSF04310 \\
\hline THEN OO; & MSP04320 \\
\hline SRCHLINE \(=\) SUSSTR(SRCHLINE,1, INDEX(SRCHLINE,';')-1); & MSPO4330 \\
\hline CALL LOGOPD(SRCHLINE); & MSPO4340 \\
\hline RETURN; & MSP04350 \\
\hline END; & MSP04360 \\
\hline ELSE DO; & MSF04370 \\
\hline SRCHLINE \(=\) SUSSTR(SRCHLINE,1,INDEX(SRCHLINE,';') - 2); & MSPO43S0 \\
\hline
\end{tabular}

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4650
```

            CALL LOGOPD(SRCHLINE);
            RETURN;
        END;
    END;
    IF SUSSTR(DSPLINE,3) ص= ' '
THEN DO;
WRITEVAR = SUESTR(DSPLINE,3);
END;
IF SUSSTR(DSPLINE,1,2) = 'P:'
THEN DO;
FREP = ' ' || WRITEVAR || ' ';
CALL LOGOFD(SUSSTR(SRCHLINE,1,INDEX(SRCHLINE,PREF) - 1));
CALL LOGOFR(hRITEVAR);
TXTLINE = SUBSTR(SRCHLINE,INDEX(SRCHLINE,PREP) + 1);
TXTLINE = SUSSTR(TXTLINE,INDEX(TXTLINE,' ') + 1);
TXTWD = SUSSTR(TXTLINE,1,INDEX(TXTLINE,' ') - 1);
IF INOEX(TXTWD,';') = 0
THEN
ENDLINE = '0'B;
ELSE DO;
ENDLINE = '1's;
TXTND = SUBSTR(TXTWD,1,LENGTH(TXTWD) - 1);
IF INDEX(TXTWD,'\$') }=
THEN TXTWD = SUBSTR(TXTND,1,LENGTH(TXTWD) - 1);
CALL LOGOFD(TXTHD);
END;
RETURN;
END;
IF SUBSTR(OSPLINE,1,2) = 'I:'
THEN DO;
CALL LOGOPD(SUBSTR(SRCHLINE,1,INDEX(SRCHLINE,WRITEVAR) - 2));
CALL LOGCFR(WRITEVAR);
TXTLINE = SUSSTR(SRCHLINE,INDEX(SRCHLINE,WRITEVAR) + 3);
TXTND = SUSSTR(TXTLINE,1,INDEX(TXTLINE,' 1) - 1);
IF INDEX(TXTND,';') -= 0
THEN
ENDLINE = '1'S;
ELSE DO;
CALL NEXTWD;
IF ENDLINE = '1'B
THEN
CALL LOGOPD(TXTWD);
END;
RETURN;
END;
IF SUSSTR(DSFLINE,L,Z) = 'U:'
THEN DO;
DISPLAY('LINE UNPROCESSIBLE--PROGRAM ABORTED');
STOP;
MSP04390
MSP04400
MSP04410
MSF04420
MSP04430
MSPO4440
MSFO4450
MSFO4460
MSPO4470
MSPO4450
MSP04490
MSP04500
MSPO4510
MSPO4520
MSPO4530
MSPO4540
MSP04550
MSP04560
MSP04570
MSP04530
MSP04590
MSP04600
MSP04610
MSF04620
MSP04630
MSF04640
MSFO4650
MSF04560
MSP04670
MSP04680
MSP04690
MSPO4700
MSP04710
MSP04720
MSP04750
MSP04740
MSPO4750
MSFO4750
MSF04770
MSPO4780
MSP04790
MSP04800
MSP04810
MSP04820
MSP04830
MSPO4840
MSF04850
MSF04S60
MSP04870

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\begin{tabular}{|c|c|c|}
\hline 5370 & RETURN; & MSP05370 \\
\hline 5380 & END; & MSP053S0 \\
\hline \multirow[t]{3}{*}{5390} & IF LAGOPD->OPDEOF \(=0\) & MSP05390 \\
\hline & THEN & MSP05400 \\
\hline & LAGOPD = LAGOPD->OPDNEXT; & MSP05410 \\
\hline 5420 & END; & MSP05420 \\
\hline \multirow[t]{2}{*}{5430} & IF POPD \(=\) LAGOPD->OPD & MSP05430 \\
\hline & THEN DO; & MSF05440 \\
\hline 5450 & LAGOFD->OPDCT \(=\) LAGOPD->OFDCT + 1; & MSP05450 \\
\hline 5460 & RETURN; & MSP05460 \\
\hline 5470 & END; & MSF05470 \\
\hline 5480 & ELSE DO; & MSP05480 \\
\hline 5490 & LAGOFD->OPDEOF \(=0\); & MSP05490 \\
\hline 5500 & ALLOCATE OPEPAND SET(LAGOPD->OPDNEXT); & MSF05500 \\
\hline 5510 & LAGOPD = LAGOPD->OFDNEXT; & MSP05510 \\
\hline 5520 & LAGOFD->A = LENGTH(POPD); & MSPC5520 \\
\hline 5530 & LAGOPD->OFD = POFD; & MSF05530 \\
\hline 5540 & LAGCFD->OPDCT \(=1\); & MSF05540 \\
\hline 5550 & LAGOFD->OPDEOF \(=1\); & MSP05550 \\
\hline 5560 & RETURN; & MSP05560 \\
\hline 5570 & END; & MSP05570 \\
\hline \multirow[t]{7}{*}{5500} & END LOGOPD; & MSP055s0 \\
\hline & \multicolumn{2}{|l|}{\multirow[t]{2}{*}{\begin{tabular}{l}
 \\

\end{tabular}}} \\
\hline & & \\
\hline & /* FROCEDURE FRINT PRODUCES TASLES OF OPERATOR AND OPERAND COUNTS & */MSP05010 \\
\hline & ** AND frints out the values of halstead's complexity measures for & */MSP05620 \\
\hline & /* A WARMIER-ORR DEAGRAM. & */MSF05630 \\
\hline & \multicolumn{2}{|l|}{} \\
\hline 5550 & FRINT: FROCEDURE; & MSP05650 \\
\hline 5660 & OCL (TOTOPRS, TOTOFDS, OFRS, OPDS) FIXED DECIMAL(10,5); & MSP05660 \\
\hline 5670 & DCL (EST_N,GAMMA,V_COM, EST_L,V,E,T,ETA,N) FIXED DECIMAL (10,5); & MSP05670 \\
\hline 5680 & OPEN FILĖ(OUTFILE) FAGESIZE(55) LINESIZE(80); & MSP056S0 \\
\hline 5590 & TOTOPRS \(=0\); & MSP05690 \\
\hline 5700 & OfRS \(=0\); & MSP05700 \\
\hline 5710 & TOTOFDS \(=0\); & MSP05710 \\
\hline 5720 & OFDS \(=0\); & MSP05720 \\
\hline \multirow[t]{2}{*}{5730} & FUT FILE(OUTFILE) SKIP(3) EDIT('TASLE 1. OFERATORS OF',TITLE) & MSP05730 \\
\hline & (COL(22), \((22), \times(1), A(30)) ;\) & MSP05740 \\
\hline \multirow[t]{3}{*}{5750} & FUT FILE(OUTFILE) SKIP(2) EDIT & MSP05750 \\
\hline & (' & - MSFO5T60 \\
\hline & (COL(7), A(72) ; & MSF05770 \\
\hline 5750 & FUT FILE(CUTFILE) SKIP; & MSP05780 \\
\hline \multirow[t]{2}{*}{5790} & PUT FILE(OUTFILE) SKIP EDIT 'OPERATOR', 'COUNT') & MSP05790 \\
\hline & (COL( 30\(), A(8), \times(21), A(5)) ;\) & MSP05800 \\
\hline \multirow[t]{3}{*}{5610} & FUT FILE(OUTFILE) SKIP EDIT & MSFOSS10 \\
\hline & (' & - MSPOSS20 \\
\hline & (COL(7), A(72)) ; & MSF05330 \\
\hline 5340 & PUT FILE(OUTFILE) SKIP; & MSP05S40 \\
\hline 5550 & LAGOPR \(=\) HEADOFR; & MSP05850 \\
\hline
\end{tabular}

\section*{number}
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5560
5870
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5 9 2 0
5 9 3 0
5940
5 9 5 0
FUT FILE(OUTFILE)
SKIP EDIT('ETA-1 =',OPRS,LAGOPR->OPR,LAGORR->OFRCT)
(COL(9),A(7),X(1),F(3),X(4),A(25),X(10),F(3));
5980 PUT FILE(OUTFILE) SKIP EOIT('

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\(\qquad\)
```

    DO WHILE(LAGOFR->OFREOF = 0);
    TOTOFRS = TOTOPRS + LAGOPR->OPRCT;
    ORRS = OPRS + 1;
    PUT FILE(OUTFILE) SKIP EDIT(OPRS,LAGOPR->OFR,LAGOPR->OPRCT)
        (COL(17),F(3),X(4),A(25),X(10),F(3));
    LAGOPR = LAGOFR->OFPNEXT;
    END;
    TOTOFRS = TOTOFRS + LAGOPR->OPRCT;
    OPRS = OPRS + 1;
    ' ' '(\overline{COL(7),A(35),X(15),A(10));}
FUT FILE(OUTFILE) SKIP EDIT(TOTOPRS,'=N1')(COL(59),F(3),X(1),A(4));
PUT FILE(OUTFILE) PAGE;
PUT FILE(OUTFILE) SKIP(3) EDIT('TABLE 2. OPERANOS OF',TITLE)
(COL(22),A(21),X(1),A(30));
PUT FILE(OUTFILE) SKIP(2) EDIT
('
(COL(7),A(72));
6070 PUT FILE(OUTFILE) SKIP;
6080 FUT FILE(CUTFILE) SKIP EDIT('OPERAND','COUNT')(COL(30),A,X(22),A);
6090 FUT FILE(OUTFILE) SKIP EDIT
('
(COL(7),A(72));
PUT FILE(OUTFILE) SKIP;
LAGOPD = HEADOPD;
DO WHILE(LAGOFD->OFDEOF = 0);
TOTOPDS = TOTOPDS + LAGOPD->OFDCT;
OPDS = OPOS + 1;
PUT FILE(OUTFILE) SKIP EDIT(OPDS,LAGOPD->OFD,LAGOPD->OPDCT)
(COL(17),F(3),X(4),A(25),X(10),F(3));
END;
6210 TOTOFDS = TOTOFDS + LAGOFD->OFDCT;
6220 OPDS = OPDS + 1;
6230 PUT FILE(OUTFILE)
SKIP EDIT('ETA-2 =',OFDS,LAGOPD->OPD,LAGGPD->OPDCT)
(COL(9),A(7),X(1),F(3),X(4),A(25),X(10),F(3));
6260 PUT FILE(OUTFILE) SKIP EDIT('_

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\(\qquad\)
``` ',
            ' ')(COL(7),A(35),X(15),A(10));
6280 PUT FILE(OUTFILE) SKIP EDIT(TOTOPDS,'= N2')(COL(59),F(3),X(1),A(4));
```



```
6290 FUT FILE(CUTFILE) PAGE;
                        TITLE)(COL(11),A(34),X(1),A(30));
6320 PUT FILE(OUTFILE) SKIP(2);
6330 ETA = OFRS + CFOS;
6340 PUT FILE(OUTFILE) SKIF EDIT('VOCABULARY = ETA = ETA-1 + ETA-2 =', MSP06340
6010 PUT FILE(OUTFILE) PAGE; \(\quad\) PO20 PUT FILE(OUTFILE) SKIP(3) EDIT('TABLE 2. OPERANOS OF',TITLE) (COL(22), A(21), X(1),A(30));
6040 PUT FILE(OUTFILE) SKIP(2) EDIT (COL(7),A(72));
6070 PUT FILE(OUTFILE) SKIP;
6090 FUT FILE(OUTFILE) SKIP EDIT
( 1 (COL(7),A(72));
6120 PUT FILE(OUTFILE) SKIP;
6130 LAGOPD \(=\) HEADOFD;
6140 DO WHILE(LAGOFD->OFDEOF = 0);
OPDS \(=\) CPDS +1
PUT FILE(OUTFILE) SKIP EDIT(OFDS,LAGOPD->OFO,LAGOPD->OPDCT)
(COL(17),F(3),X(4),A(25),X(10),F(3));
6170 PUT FILE(OUTFILE) SKIP EDIT(OFDS,LAGOPD->OFO,LAGOPD->OPDCT) MSP06170
```

```
    LAGOFD = LAGOPD->OPDNEXT;
```

    LAGOFD = LAGOPD->OPDNEXT;
    LAGOFD $=$ LAGOPD->OFDNEXT; MSFO6190

```
6190 LagOFO = Lagopd->OPDNEX,
```

6190 LagOFO = Lagopd->OPDNEX,
6200 END;

```

MSP05860
MSF05S70
MSF05380
MSP05690
MSP05900
MSP05910
HSP05920
MSF05930
MSP05940
MSF05950
MSP05950
MSF05970
MSP05950
MSP05990
MSP06000
MSP06010
MSP06020
MSP06030
MSF06040
1)MSF06050

MSF06060
MSF06070
MSPOSOSO
MSP06090
1) MSF06100

MSF06110
MSPOOL20
MSF06130
MSP06140
MSP06150
MSP06160
MSP06180
MSF06190
MSP06200
MSP06210
MSP06220
MSPOS230
MSP06240
MSF06250
MSPOS250
MSP06270
MSP06280
MSP06290
MSF06300
MSP06310
MSP06320
MSP06330

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ETA)(COL(9),A(34),F(4)); MSF06350
```

6360 N = TOTOFRS + TOTOPOS;
MSPC6360

```
63:0 PUT FILE(OUTFILE) SKIF(2) EDIT
    ('LENGTH \(=N=N 1+N 2=1, N\) )
    (COL(9),A(22),F(5));
\(6400 E S T \_N=(O P R S *\) LOG2 \((\) OFRS \())+(O P D S *\) LOG2(OPDS)); MSP06400
6410 PUT FILE(CUTFILE) SǨIP(2) EDIT MSPO6410
    ('EST. \(N=E T A-1\) LOG2 ETA-1 \(+E T A-2\) LOG2 ETA-2 =',EST_N) MSF06420
    (COL(9), A(46),X(1),F(5,1)); MSP06430
\(6440 \quad V=N * \operatorname{LOG2(ETA)} ;\)
6450 PUT FILE(OUTFILE) SKIP(2) EDIT
    ('VOLUAE \(=V=N\) LOS2 ETA \(=1, V\) )
    (COL(9), A(25),X(1),F(7,1));
6480 EST_L \(=(2 /\) OPRS \() *\) (OPDS / TOTOPDS); MSP06480
6490 PUT FILE(OUTFILE) SKIP(2) EDIT
    ('EST. AESTRACTION LEVEL \(=\) EST. \(L=(2 / E T A-1)(E T A-2 / N 2)=1, \quad\) MSPO6500
    \(\left.E S T_{\_} L\right)(C O L(9), A(55), X(1), F(6,4)) ; \quad\) MSFOS510
    MSFO6370
    MSFO6350
    MSPO6390
    MSP06
        MSF06450
        MSP06460
        MSP06470
6520 V_COM \(=E S T_{-} L^{*} V ; \quad\) MSPO6520
6530 PUT FILE(CUTFILE) SKIP(2) EDIT
    MSPO6530
    ('MOST COMPACT VOLUME \(=V *=L V=', V_{-C O M)}\)
    MSF06540
    \((\operatorname{COL}(9), A(32), X(1), F(4,1)) ; \quad\) MSP06550
6560 GAMMA \(=\left(E S T_{2} L * * 2\right) * V\);
6570 FUT FILE(CUTFILE) SKIP(2) EDIT
    MSP06560
    MSFOO570
    \(\begin{array}{lr}\text { (LANGUAGE LEVEL }=\text { GAMMA }=(L * * 2) * V=1, \text { GAMMA }) & \text { MSF06580 } \\ \text { (COLY } 9), A(37), X(1), F(6,2)) ; & \text { MSP06590 }\end{array}\)
    \(\begin{array}{ll}(\text { LANGUAGE LEVEL }=G A M M A=(L * * 2) * V=1, G A M M A) & \text { MSF06580 } \\ (C O L Y(9), A(37), X(1), F(6,2)) ; & M S P 06590\end{array}\)
\(6600 E=V / E S T\) L; MSPO6600
6610 PUT FILE(OUTFILE) SKIP(2) EDIT
    ('MENTAL ĒFFORT = \(=V / L=', E\) )
    (COL(9), A(25), X(1),F(7,1));
\(6640 T=E / 1080 ;\)
6650 FUT FILE(OUTFILE) SKIP(2) EDIT
    MSP06600
    MSP06610
    MSPO6620
    MSFOSS 30
    MSPO6640
MSPOSÓ50
    ('TIME (IN MINUTES) \(=T=E /(5 * 60)=1, T)\) MSPOS600
    (CCL(9), A( 38\(), X(1), F(5,1)) ; \quad\) MSF06670
6680 END FRINT; MSPOSÓO

6700 END COUNT;
MSP06700

\section*{BARBARA WHITE}
\[
\begin{gathered}
\text { B.A., University of Kansas, } 1965 \\
\text { M.A., University of Missouri, } 1968
\end{gathered}
\]

\section*{ABSTRACT OF A MASTER'S REPORT}
submitted in partial fulfillment of the
requirements for the degree

MASTER OF SCIENCE

Department of Computer Science

Halstead's complexity metrics are an objective measure of program complexity based on counts of the operators and operands in a program. They include formulas for vocabulary, length, estimated length, language level, abstraction level, mental effort, and programming time, and considerable interest has been manifested in their practical applications. In the present experiment, Halstead's metrics were adapted to Warnier-Orr diagrams of program designs, and the Halstead values for diagrams were compared to those for the programs written from them. Six WO diagrams, six high-level-language programs and three assembler-language programs were analyzed using an operator and operand counting program. A statistically significant relationship was found for diagram and high-level-language program estimated abstraction level, and values of diagram and assembler-language programs for these three metrics were also apparently related. From the results of this preliminary study, it seems likely that Halstead values derived from a WO diagram may be used to predict those of the program to be written from the diagram.```

