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MICROPROCESSOR BASED STEP MOTOR CONTROLLER

by

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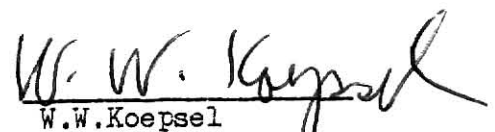
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CHAPTER 1

STEP MOTORS

1.0 INTRODUCTION

With the advent of digital electronics and associated devices like microprocessors and digital controllers, it has become increasingly important to be able to convert signals from the analog form to the digital form and vice-versa. This would be necessary to allow the interfacing of digital devices with the real world environment, which is an analog one.

The step motor is one of many such devices which provide an interface between the digital and analog worlds. It is essentially an electromagnetic device which converts input pulses (digital signal) to angular motion (analog shaft rotation). One of the earliest forms of a step motor was used by the British Royal Navy in the early 1930's to transmit shaft rotations(1)

At the present time, step motors are used in a wide variety of computer peripheral equipment (such as printers and disk drives) as well as in industrial control systems like machine tool systems, process control systems and robotics.

There are many different types of step motors, such as the solenoid and ratchet motor, the harmonic drive motor and the phase pulsed motor to name a few. However the most commonly used types are the VARIABLE RELUCTANCE motor and the PERMANENT MAGNET motor. The variable reluctance motor has a wound stator and an unexcited rotor, while the permanent magnet motor has a wound stator and a permanent magnet rotor. Another type of step motor developed recently in 1969, is the linear step-motor (1). This motor, as the name implies, has a linear motion output and eliminates the need for rotary to linear motion conversion, as is the case with rotary step motors. The rotor of a step motor moves through a predetermined angle (a design constant of the particular motor) in response to an input pulse. In the case

of a linear step motor, the response consists of the armature moving linearly along the stator bed . When properly controlled, the discrete steps (linear or angular) of the armature maintain synchronism with the input pulses.

Besides electrical step motors, industrial needs also led to the development of the electro-hydraulic step motor. These motors are capable of providing high power output more efficiently than electrical motors, which provide high power output at the expense of high heat losses. The electro-hydraulic step motor consists of an electrical step motor servo-valve and hydraulic motor. By virtue of their construction the electro-hydraulic motors are slower in responding to control signals than their electrical counterparts.

1.1 MOTOR OPERATING PRINCIPLES

The step motor is a means of converting electrical energy to mechanical energy, just like the more common direct current and alternating current motors. However, it differs greatly from both these types of motors as regards its principle of operation. The stator phase windings, in the step motor, are driven by square waves (digital signal) of the same frequency but shifted in phase. This applies to both, the variable reluctance and permanent magnet step motors, the major difference between the two is the rotor which is a magnet in the case of the permanent magnet motor and made of magnetic material in the variable reluctance motor. The motor used in this study was a permanent magnet type. A summary of the characteristics of the permanent magnet step motor and the variable reluctance step motor is included in the appendix on step motors.

In the permanent magnet motor rotary motion is obtained by energizing the stator phases in a particular sequence, causing the permanent-magnet rotor to follow the excitation sequence. The following example illustrates the principle of operation of a permanent magnet step motor. Fig.1.1 shows a motor with four stator windings and a two pole permanent-magnet rotor with a step size of

ninety degrees. The step size represents the angle through which the rotor moves for a sequential change in the phase excitation pattern.

The arrow associated with each phase winding indicates the direction of the magnetic flux produced inside the coil when it is energised. shows the single phase excitation sequence: A_2, B_2, A_1, B_1 . In this mode of operation only one phase of the motor is energized at a time. As the excitation pattern changes (Fig.1.2a----- d) , the rotor follows the changing pattern and thus rotates in the clockwise direction in steps of ninety degrees. To reverse the direction of rotation the sequence must be inverted to read: B_1, A_1, B_2, A_2 . Next, one can consider the double phase excitation sequence: $A_2B_2, A_1B_2, A_1B_1, A_2B_1$, in this mode of operation two phases of the motor are excited simultaneously (Fig.1.3a----- d). Once again the rotor moves in steps of ninety degrees as it follows the changing excitation sequence, but the distinct equilibrium positions are forty-five degrees displaced from those of the single phase excitation sequence. Again, to reverse the direction of rotation the sequence must simply be inverted.

The fact that the rotor-equilibrium positions are forty-five degrees out of phase in the two modes of operation mentioned above gives rise to the concept of the mixed-mode excitation sequence: $A_2, A_2B_2, B_2, A_1B_2, A_1, A_1B_1, B_1, A_2B_1$. The rotor again moves in the clockwise direction but with a step size of forty-five degrees.

The motor used in this study had a step size of 1.8 degrees for the single phase excitation mode of operation and double phase excitation mode of operation, respectively and a step size of 0.9 degrees for the mixed-mode of operation. Figures 1.4, 1.5, 1.6 show the timing diagrams as well as excitation tables for the three modes of operation.

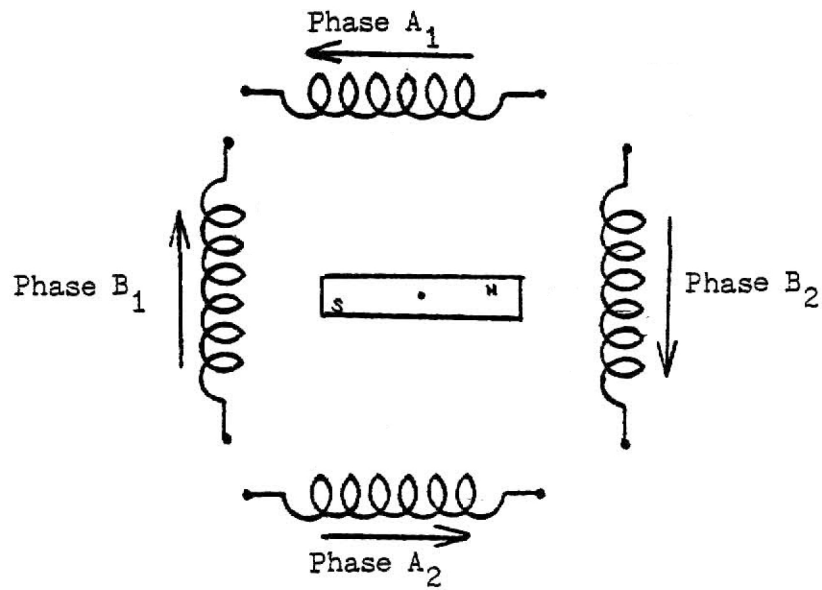


Fig.1.1 Motor Representation

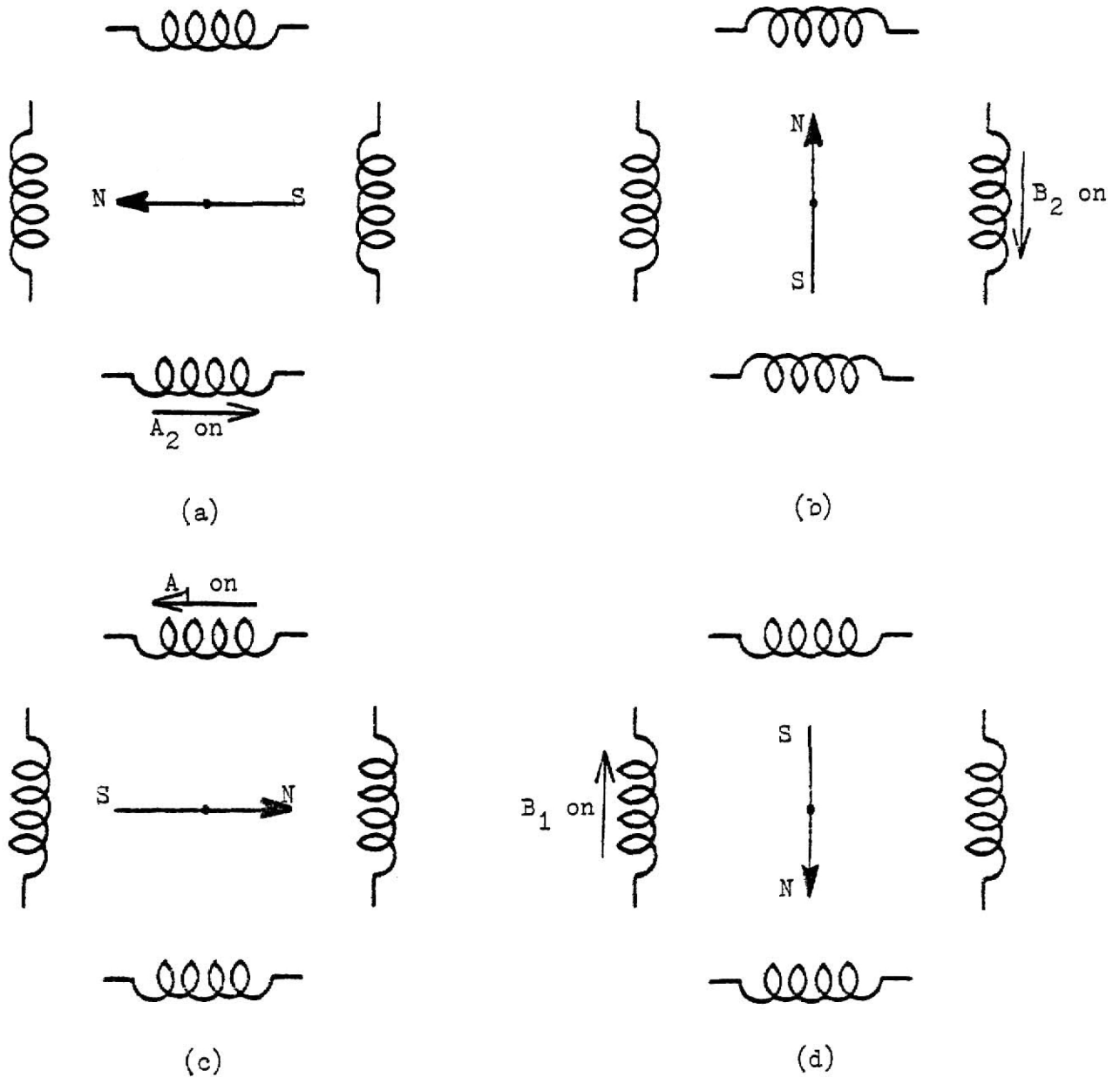


Fig.1.2 One phase on mode of operation

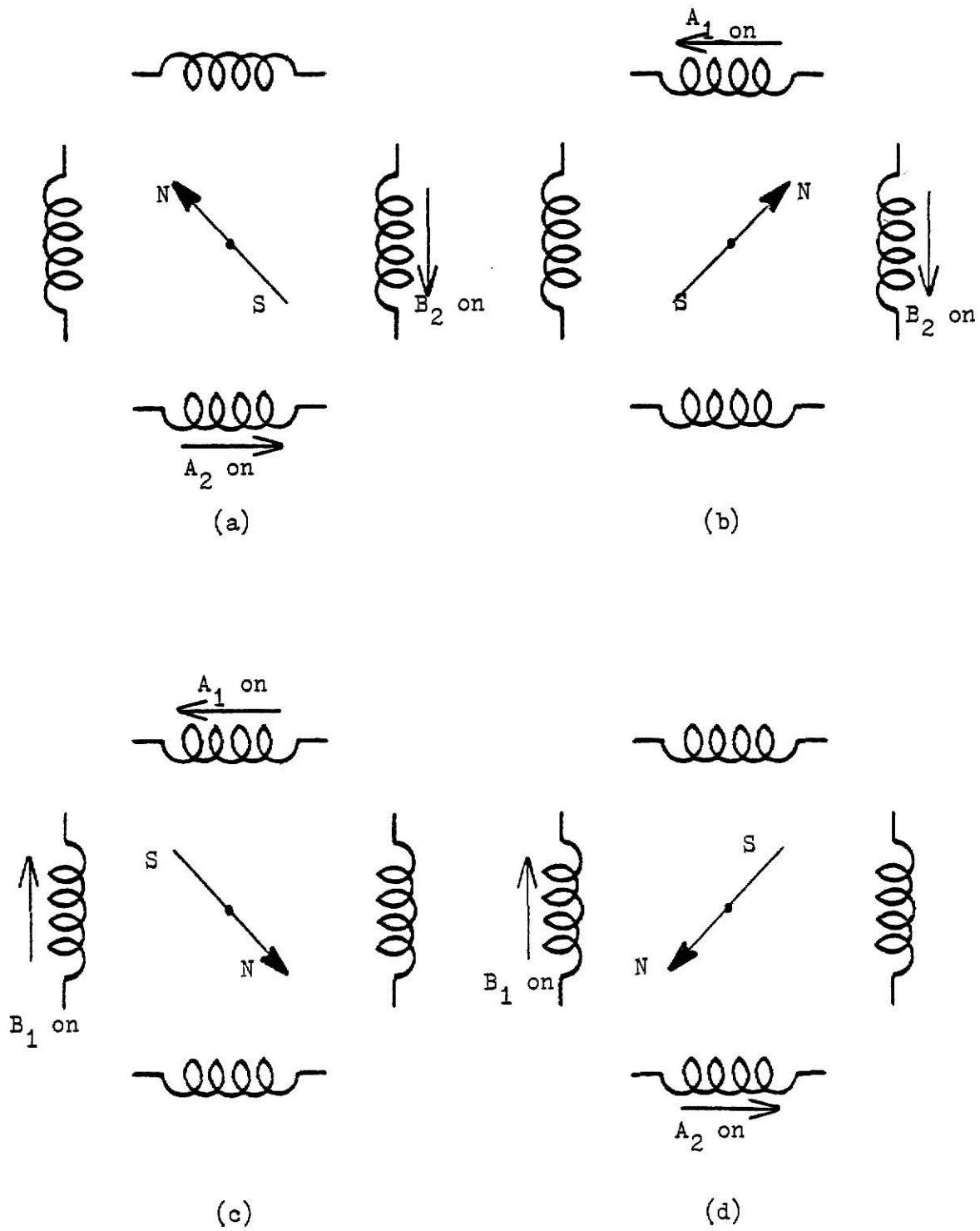
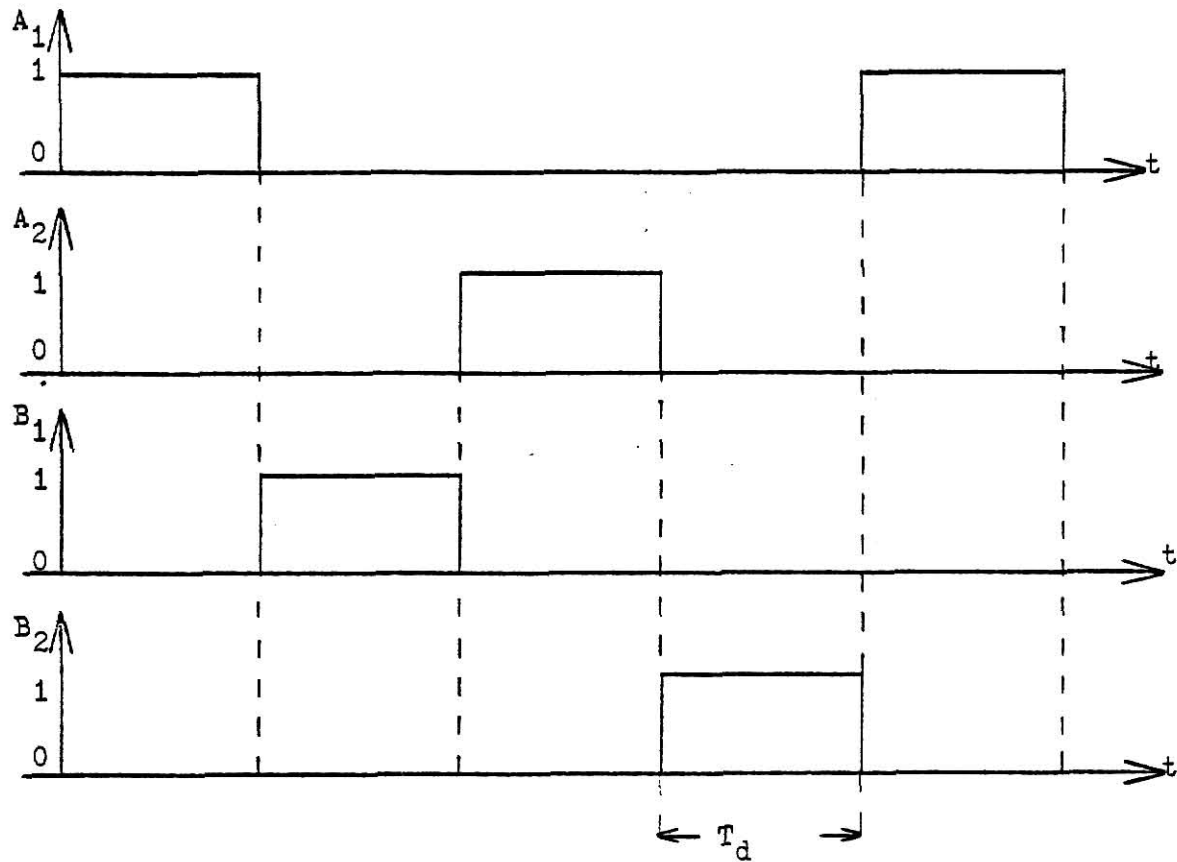


Fig.1.3 'Two phase on' mode of operation



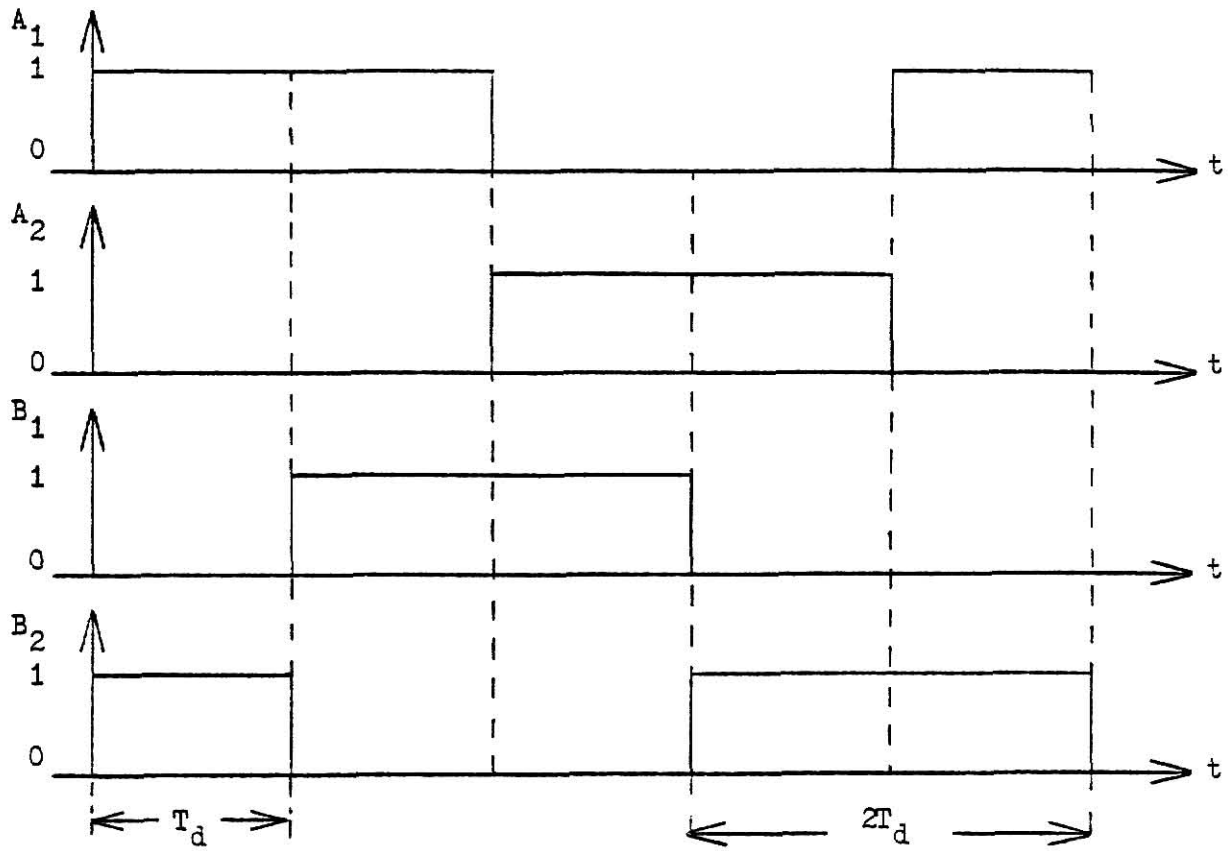
A_1	A_2	B_1	B_2
1	0	0	0
0	0	1	0
0	1	0	0
0	0	0	1

'0' = 'OFF'

'1' = 'ON'

T_d = Time for which a particular excitation pattern remains constant.

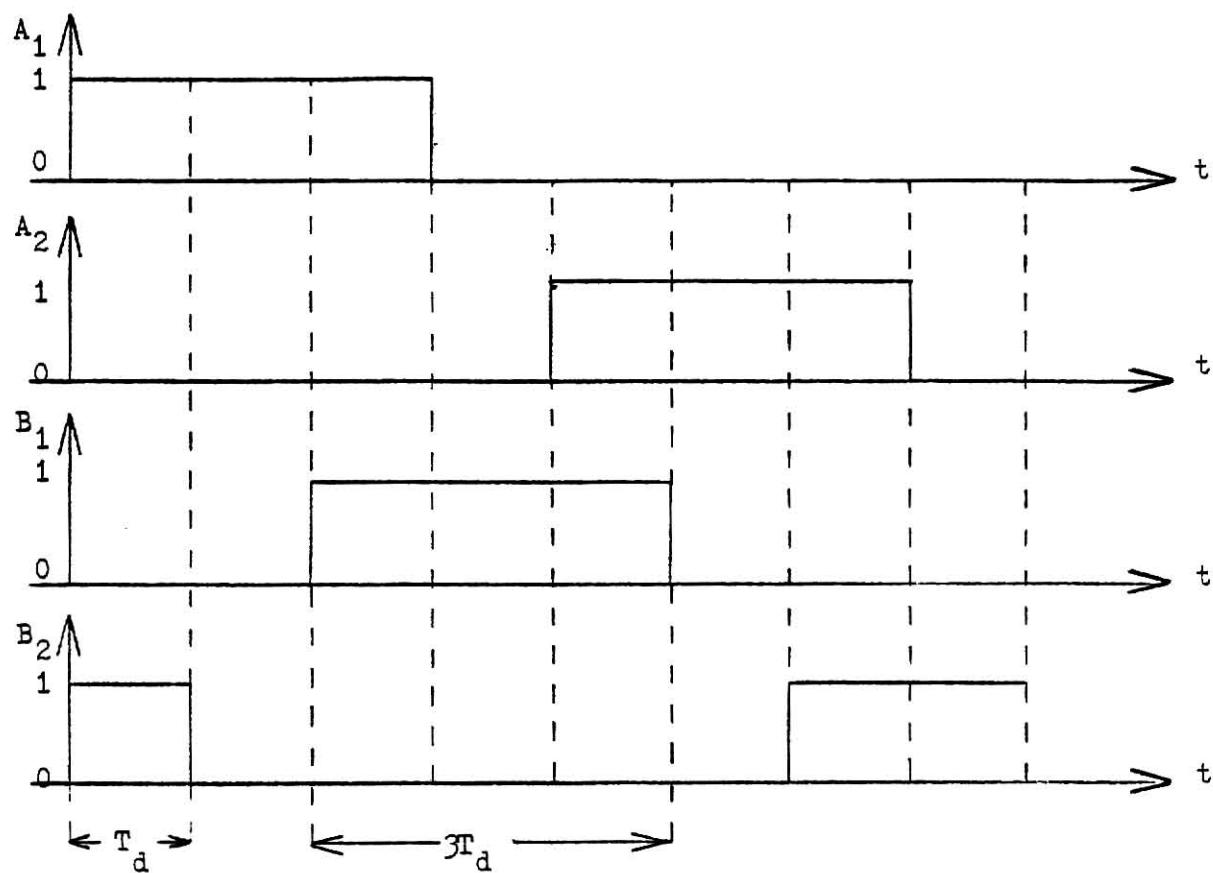
Fig1.4 Timing diagram and Excitation table for 'One phase on' mode



A_1	A_2	B_1	B_2
1	0	0	1
1	0	1	0
0	1	1	0
0	1	0	1

'0' = 'OFF'
'1' = 'ON'

Fig.1.5 Timing diagram and Excitation table for 'Two phase on' mode



A_1	A_2	B_1	B_2
1	0	0	1
1	0	0	0
1	0	1	0
0	0	1	0
0	1	1	0
0	1	0	0
0	1	0	1
0	0	0	1

'0' = 'OFF'
'1' = 'ON'

Fig.1.6 Timing diagram and Excitation table for Mixed mode

1.2 POWER DRIVERS

For a permanent magnet motor to step effectively (deliver rated torque) at high stepping rates, it is essential to ensure that, whenever a particular phase is energized and subsequently de-energized, the phase current swings between zero and its rated maximum. This becomes critical especially when the reciprocal of the stepping rate approaches the time constant of the motor phase winding.

The phase current waveform shown in Fig.1.7c results when the stepping rate reciprocal becomes comparable to the phase time constant (L/R). This is not desirable, since in the time interval ($t_2 - t_1$), some other phase of the motor would be on and the residual current in this phase, which is supposedly 'off', would weaken the net magnetomotive-force acting on the rotor and thereby reduce the resulting torque.

Some of the schemes adopted to overcome the above problem, that is to permit effective motor operation at high stepping rates, are as follows:

(A) RESISTANCE DRIVE

(B) CHOPPER DRIVE

(C) BILEVEL DRIVE

(D) CONSTANT CURRENT SOURCE DRIVE

Of the different schemes listed above the first two were implemented in the course of this study. Implementation details for these are included in the chapter on hardware aspects. Each of the above schemes is outlined in some detail in the remainder of this section on power drivers. Theoretical equations have been developed for the first two schemes and computer simulation results of some of these equations have been included as an appendix.

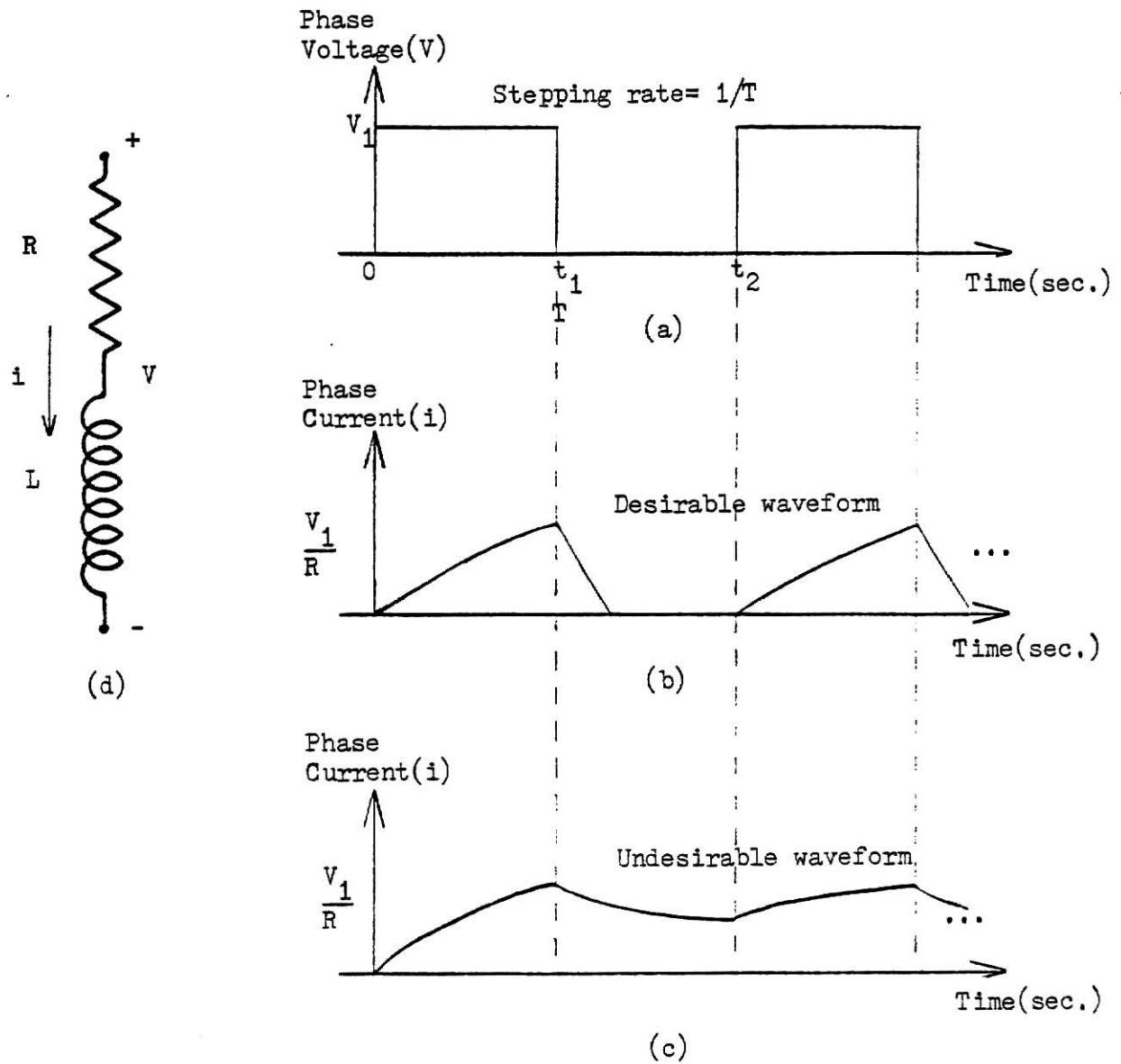


Fig.1.7 Phase voltage and current waveforms

A. Resistive drive

The resistive drive is the simplest of all the step motor drives. It is based on the fact that the time constant of a L-R circuit is inversely proportional to the resistor in series with the inductor. As shown in Fig.1.8a, a series resistance is added to each motor phase winding to reduce its time constant. The following are assumed:

- a) Transistor Q_1 'on' state resistance = R_q
- b) Diode D_1 'on' state resistance = R_d
- c) The motor winding inductance/resistance = L_m/R_m

The charging τ_c and discharging τ_d time constants can be expressed as

$$\tau_c = \frac{L_m}{R_m + R_s + R_q} = L_m/R_c \quad (1.1a)$$

$$\tau_d = \frac{L_m}{R_m + R_s + R_d} = L_m/R_c \quad (1.1b)$$

The corresponding charging and discharging equations are as follows

Charging (Phase on) :

The charging current i_c is expressed as

$$i_c = (V_s / R_c)(1 - e^{-t/\tau_c}) \quad (1.2a)$$

with the initial condition

$$i_c(0_+) = 0$$

The discharging current i_d is given by the equation

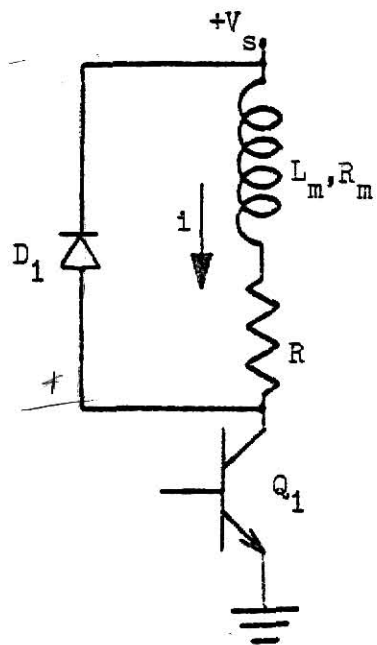
$$i_d = (V_s / R_d)e^{-t/\tau_d} \quad (1.2b)$$

with the initial condition

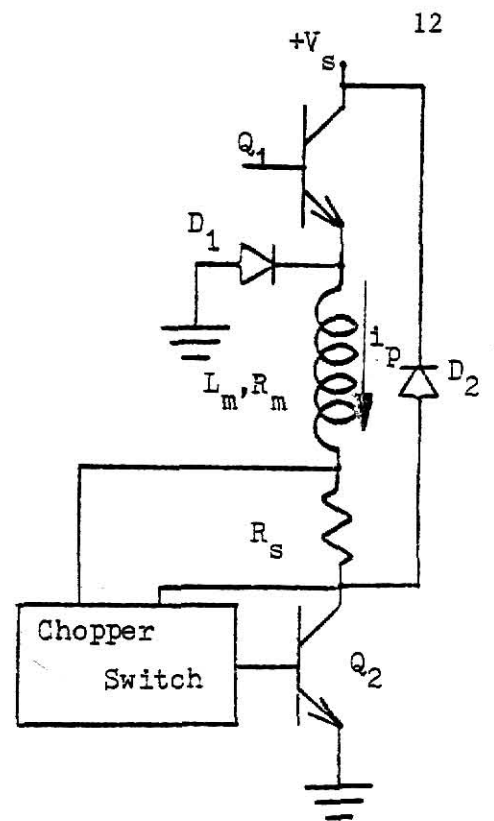
$$i_d(0_+) = (V_s / R_c)$$

this initial condition is true assuming that the phase current reaches its maximum value while the phase is switched on.

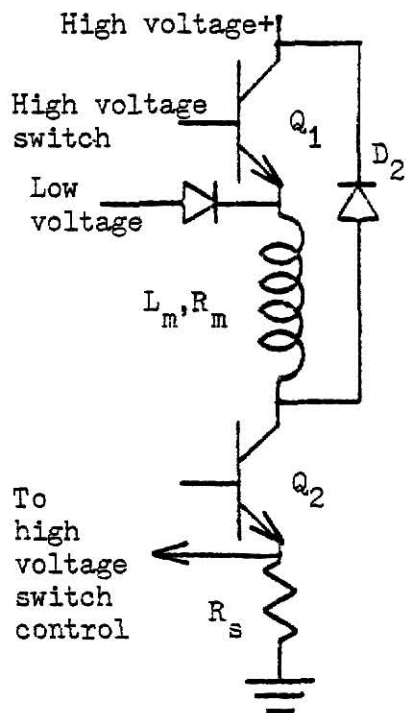
This scheme is fairly expensive, power-wise, since the entire phase current flows through the series resistance and causes a considerable I^2R loss. Another point to note is the fact that when the phase is off, the entire supply



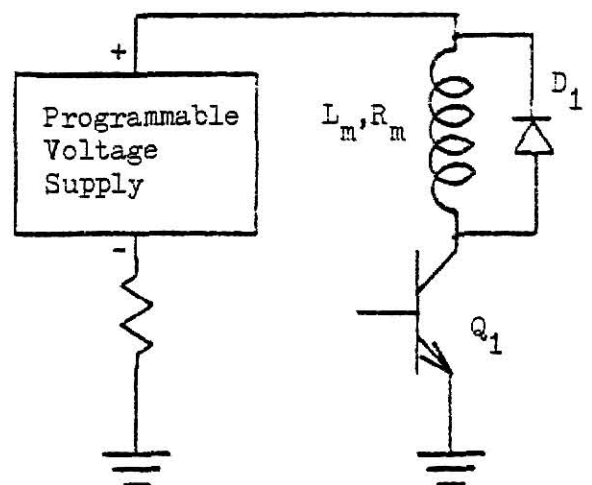
(a) Resistive Drive



(b) Chopper Drive



(c) Bi-level Drive



(d) Constant Current Drive

Fig. 1.8 Stepmotor Power Drives

voltage (V_s) appears across the transistor Q_1 , which implies that its V_{CEO} rating must equal or exceed the value of the supply voltage.

B. Chopper drive

The chopper drive is a form of voltage modulation. In Fig.1.8b transistor Q_1 switches the phase winding on and off, and while Q_1 is on transistor Q_2 acts as the chopping switch. The voltage supply used (V_s) is in the range of ten times the motor's rated voltage. As soon as the phase current overshoots the rated value by a certain percentage (a circuit design parameter usually about 10%) (the chopper switch Q_2 goes off and the current free wheels via diodes D_1 and D_2 until it undershoots the rated value by a certain percentage (again, about 10%).

To derive expressions for the phase current $i_p(t)$, it is convenient to consider the following time intervals, shown in Fig. 1.9

- (1) In the interval ($0 < t < t_1$), with the initial condition

$$i_p(0_+) = 0$$

and the assumptions

$$a) \quad T_1 = L_m / R_1$$

$$b) \quad R_1 = R_m + R_{q1} + R_{q2} + R_s$$

$i_p(t)$ would be expressed as

$$i_p(t) = (V_s / R_1)(1 - e^{-t/T_1}). \quad (1.3a)$$

With a 10% overshoot, and assuming a rated current value of i_r the value of the phase current at the end of this interval can be expressed as

$$i_p(t_1) = 1.1 i_r.$$

- (2) To derive an expression for $i_p(t)$ in the interval ($t_1 < t < t_2$) with diodes D_1 and D_2 on, the following voltage loop equation is used

$$V_s = R_2 i_s(t) + L_m \frac{di_s(t)}{dt} \quad (1.4a)$$

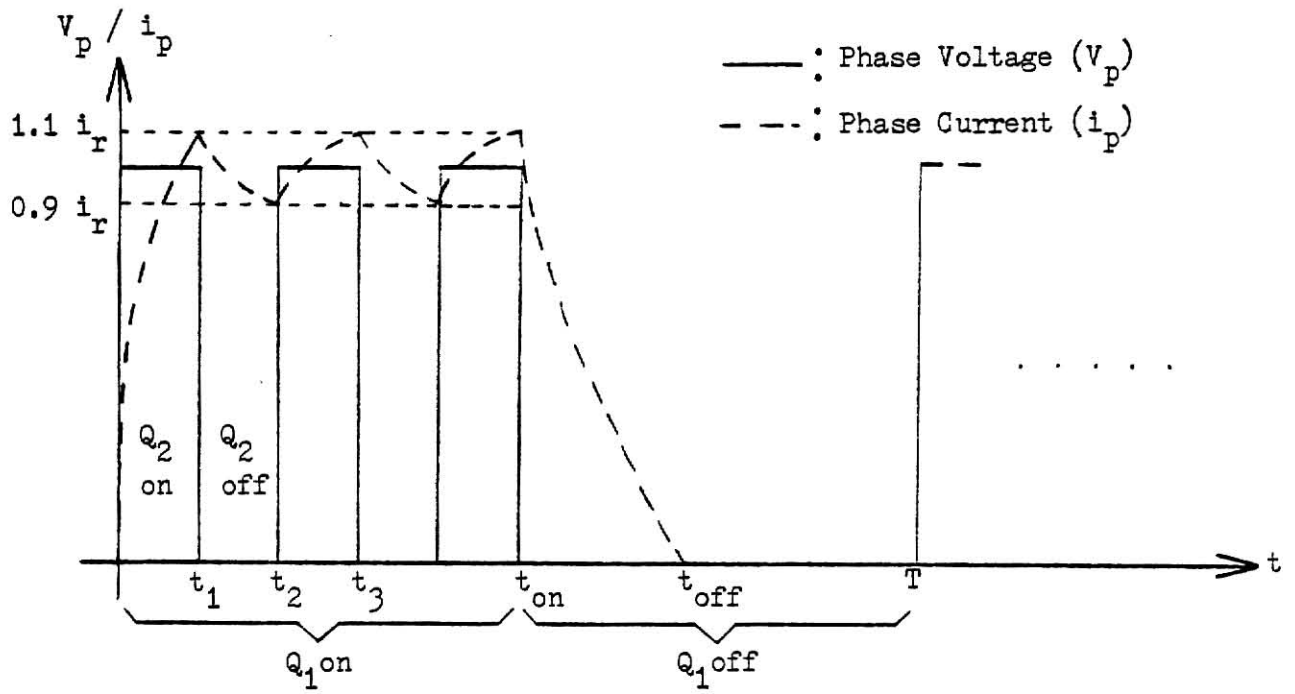


Fig. 1.9 Chopper drive waveform

where $R_2 = R_m + R_{d1} + R_{d2} + R_s$

$$\text{and } i_s(t) = -i_p(t)$$

The initial condition is $i_s(0_+) = -1.1 i_r$

and time constant is $\tau_2 = L_m / R_2$.

Upon solving for $i_s(t)$ one finds

$$i_s(t) = \frac{V_s}{R_2} - (1.1 i_r + \frac{V_s}{R_2}) e^{-t/\tau_2} \quad (1.4b)$$

which implies

$$i_p(t) = -\frac{V_s}{R_2} + (1.1 i_r + \frac{V_s}{R_2}) e^{-t/\tau_2} \quad (1.4c)$$

at the end of this time interval

$$i_p(t) = 0.9 i_r$$

(3) The expression for $i_p(t)$ in the next time interval ($t_2 < t < t_3$) is similar to the one derived in the interval ($0 < t < t_1$) except for the initial condition

$$i_p(t_2) = 0.9 i_r$$

The phase current is given by the equation

$$i_p(t) = \frac{V_s}{R_1} + (0.9 i_r - \frac{V_s}{R_1}) e^{-t/\tau_1} \quad (1.4d)$$

at the end of this interval $i_p(t_3) = 1.1 i_r$.

(4) Finally in the interval ($t_{on} < t < t_{off}$) with the initial condition

$$i_p(t_{on}) = 1.1 i_r$$

the phase current

$$i_p(t) = -\frac{V_s}{R_2} + (1.1 i_r + \frac{V_s}{R_2}) e^{-t/\tau_2} \quad (1.4e)$$

The time for the phase current to decay to zero is given by the equation

$$(t_{off} - t_{on}) = -\tau_2 \ln \left[\frac{(V_s / R_2)}{1.1 i_r + V_s / R_2} \right]$$

C Bilevel drive

The bilevel drive (Fig.1.8c) involves the use of a dual voltage supply, having a high voltage level to build up current at a rapid rate in the phase winding, and a low level supply to maintain the rated current once it is reached.

A sensing resistor, in series with the phase winding, is used to switch from the high voltage supply to the low voltage supply by controlling the transistor switches Q_1 and Q_2 .

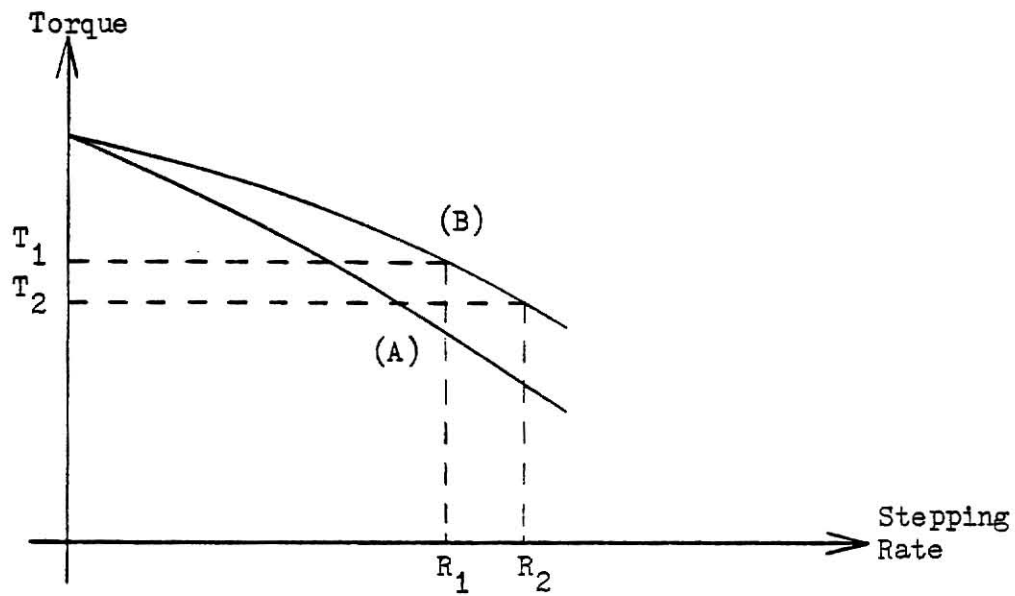
D Constant current source drive (Fig.1.8d)

This scheme involves the use of a programmable voltage source which ensures rated current supply regardless of the stepping rate. A major drawback of this drive is its slow response time, the motor speed would be limited by the slew rate of the voltage supply, thus limiting the motor's start-stop operation. However, in a system where the motor is ramped to its operating speed, this drive would be most suitable.

1.4 CONTROL ASPECTS

When energized, the step motor rotates and comes to rest in one of its distinct detent positions. Depending on the application, the motor can either be used in the single stepping mode (e.g. for positioning control) or in the continuous stepping mode (slewing mode). Since the rotor moves through a fixed angle for each input pulse, the step motor can be used in an open loop control scheme provided synchronism is maintained between the rotor steps and input pulses. This implies ensuring that the motor start / stop speed and operating speed (all measured in steps per second) do not exceed their rated values for a given load torque (Fig. 1.10).

For most hard-wired controllers, using an open loop mode of control, that is, with no feedback at all, it is fairly easy for the motor to lose synchronism, and the motor speed fluctuates widely. Closed loop control aids



- (A) Torque vs. operating speed
- (B) Torque vs. start-stop speed

Fig. 1.10 Step motor torque vs. speed characteristic

in achieving higher speeds and improved speed stability. The feedback is obtained by means of optical encoders or magnetic Hall effect devices. Fig.1.11 shows a block diagram of a step motor control system.

One of the problems encountered in step motor control is the phenomenon of resonance. If the motor is operated at no-load over its entire speed range one or more natural resonance points might be detected, to compensate for this problem external dampers must be employed. A permanent magnet motor, as a result of its high rotor inertia and detent torque, does not show the instability and loss of steps often found in variable reluctance step motors.

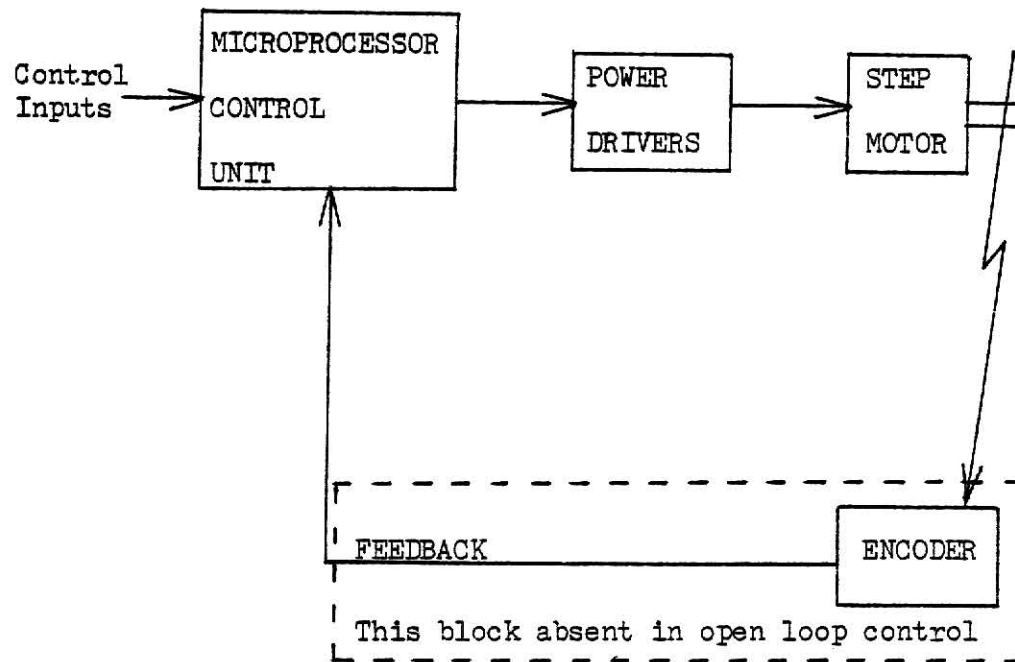


Fig. 1.11 Block diagram of step motor controller

CHAPTER 2

MATHEMATICAL MODELLING OF STEP MOTORS

2.0 DEVELOPMENT OF ELECTROMAGNETIC EQUATIONS

Essentially the theory underlying the operation of step-motors is the same as that of any rotating electromagnetic energy converter. It involves four laws :

- 1) Law of conservation of energy
- 2) Laws of electrical circuits
- 3) Laws of magnetic fields
- 4) Laws of mechanics

A physical device implies nonlinearities and losses which have to be suitably modelled. A primary model would incorporate the losses (for example, electrical and mechanical losses) while neglecting the nonlinearities. The results of such a study could then be corrected for the effects of the neglected factors.

The step-motor model for which the equations are developed is assumed to have four phases, but the equations can easily be extended for an n-phase motor. Fig. 2.1 shows a functional circuit diagram of a step motor. The flux linkage λ for each coil is a function of the rotor angle θ , winding currents (i_{1-4}) and the rotor current i_r .

$$\lambda_j = f_j(\theta, i_1, i_2, i_3, i_4, i_r) \quad 1 \leq j \leq 4 \quad (2.1)$$

The phase voltages would then be

$$v_j = i_j r_j + \frac{d\lambda_j}{dt} \quad 1 \leq j \leq 4 \quad (2.2)$$

For a permanent magnet step-motor, the magnetomotive force (MMF_r) developed by the rotor can be expressed as

$$\text{MMF}_r = N_r i_r$$

where i_r is the effective equivalent current and N_r is the effective number of

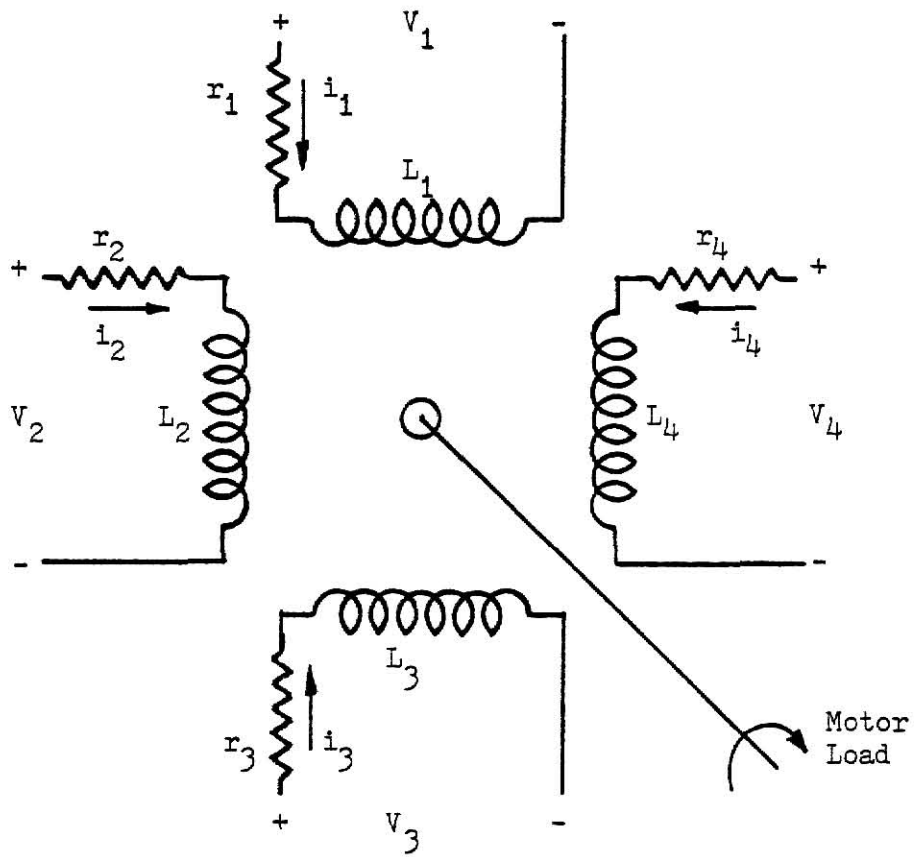


Fig. 2.1 Motor circuit representation

of turns.

The flux linkage of each stator coil (λ_j) can be expressed as

$$\lambda_j = \sum_{k=1}^4 L_{jk} i_k + L_{jr} i_r \quad 1 \leq j \leq 4 . \quad (2.3)$$

The above equation assumes that the magnetic circuit does not saturate. L_{jj} represents the self inductance of each stator coil ($j=1$ to 4), L_{jk} ($j \neq k$) represents the mutual inductance between the j^{th} and k^{th} stator coil, L_{jr} represents the coupling between the j^{th} stator coil and the rotor. Combining equations 2.1 and 2.2, and applying the chain rule of differentiation yields the following result

$$v_j = i_j r_j + \sum_{k=1}^4 \frac{d\lambda_j}{di_k} \frac{di_k}{dt} + \frac{d\lambda_j}{d\theta} \frac{d\theta}{dt} \quad 1 \leq j \leq 4 . \quad (2.4)$$

Assuming a linear magnetic circuit equations 2.3 and 2.4 can be combined to yield

$$v_j = i_j r_j + \sum_{k=1}^4 L_{jk} \frac{di_k}{dt} + i_r \frac{dL_{jr}}{d\theta} + \sum_{m=1}^4 i_m \frac{dL_{jm}}{d\theta} \frac{d\theta}{dt} \quad 1 \leq j \leq 4 . \quad (2.5)$$

In the above equations r_j represents the resistance of the j^{th} stator phase, the inductance terms (L_{jk}) are all functions of θ , the rotor angle measured from a fixed reference. This is to be expected since the rotor forms a closing link in the magnetic circuit for each of the stator phases.

The equations developed so far describe the electrical circuit of the step-motor where the phase voltages represent the external stimuli.

To develop an equation for the torque developed by the motor, the electrical and magnetic circuits must be interlinked. For a linear magnetic circuit, energy and coenergy can be used interchangeably. The energy W and coenergy W' of a magnetic system, with flux linkage λ and magnetising current i , are related as

$$W' = i\lambda - W .$$

The torque developed by a linear magnetic circuit, can be expressed as

$$\text{Torque}(T) = \frac{-dW(\lambda, \theta)}{d\theta} = \frac{dW'(i, \theta)}{d\theta} \quad \begin{array}{l} W = \text{magnetic fld. energy} \\ W' = \text{magnetic fld. coenergy} \end{array}$$

In the above equation it is assumed that the magnetizing current is held constant.

The torque developed acts in a direction so as to decrease the stored energy at constant flux or to increase the stored energy and coenergy at constant magnetomotive-force (MMF), or to decrease the reluctance and to increase the permeance and inductance.

The magnetic field energy relationship, when used to develop an equation

$$W = W(\lambda_1, \lambda_2, \lambda_3, \lambda_4, \lambda_r, \theta) \quad (2.6)$$

For the static case

$$dW = i d\lambda$$

Hence,

$$W = \int_0^1 i_1 d\lambda_1 + \int_0^2 i_2 d\lambda_2 + \int_0^3 i_3 d\lambda_3 + \int_0^4 i_4 d\lambda_4 + \int_0^r i_r d\lambda_r \quad (2.7)$$

Using equations 2.3 and 2.7 yields the result

$$W = \frac{1}{2} \sum_{j=1}^4 L_{jj} i_j^2 + \frac{1}{2} L_{rr} i_r^2 + \sum_{k=1}^4 \sum_{m=1}^{j-1} L_{km} i_k i_m + \sum_{n=1}^4 L_{nr} i_n i_r \quad (2.8)$$

In deriving the above equation the rotor has been represented by a coil carrying a current of i_r , self inductance of L_{rr} , and mutual inductance of L_{jr} (between the rotor coil and the j^{th} stator coil).

Since energy and coenergy can be used interchangeably, the torque can be expressed as

$$\text{Torque}(T) = \frac{dW}{d\theta}$$

combining this with equation 2.8 yields

$$T = \frac{1}{2} \sum_{j=1}^4 i_j^2 \frac{dL_{jj}}{d\theta} + \frac{1}{2} i_r^2 \frac{dL_{rr}}{d\theta} + \sum_{k=1}^4 \sum_{m=1}^{j-1} i_k i_m \frac{dL_{km}}{d\theta} + \sum_{n=1}^4 i_n i_r \frac{dL_{nr}}{d\theta} \quad (2.9)$$

2.1 PERMANENT MAGNET STEP MOTOR MODEL

The following discussion is based on a paper by H.D.Chai(1). Some of the equations have been developed to a greater length, and also take into consideration additional harmonic terms.

The motor under consideration in the following discussion is the same as the one used in the project, and has been described in the hardware appendix. However, for the purpose of developing the step motor model some of the physical design considerations have to be dealt with. The rotor has the permanent magnet attached to its length, parallel to its axis, and it has two pole pieces attached at either end (Fig.2.2). Each pole piece has 50 teeth.

The stator windings (four phases) are bifilar wound. As shown in Fig. 2.3 this implies that phases A_1 and A_2 are wound on the same set of four pole pieces, but in opposite directions so that they produce opposing magnetic flux. Fig.2.3 represents the stator pole pieces corresponding to the left pole piece on the rotor, a similar set of pole pieces surround the right rotor pole piece as well. The above description applies to phase windings B_1 and B_2 as well. Each stator pole piece has 48 teeth and the right and left rotor pole pieces are offset by one-half of a rotor tooth pitch. This construction gives the step motor a step size of 1.8 degrees for the single phase on or the two phase on modes of operation, and a step size of 0.9 degrees for the mixed mode of operation.

Fig.2.4, which represents the motor equivalent circuit, has been constructed on the basis of the principle of superposition. Upon suppressing

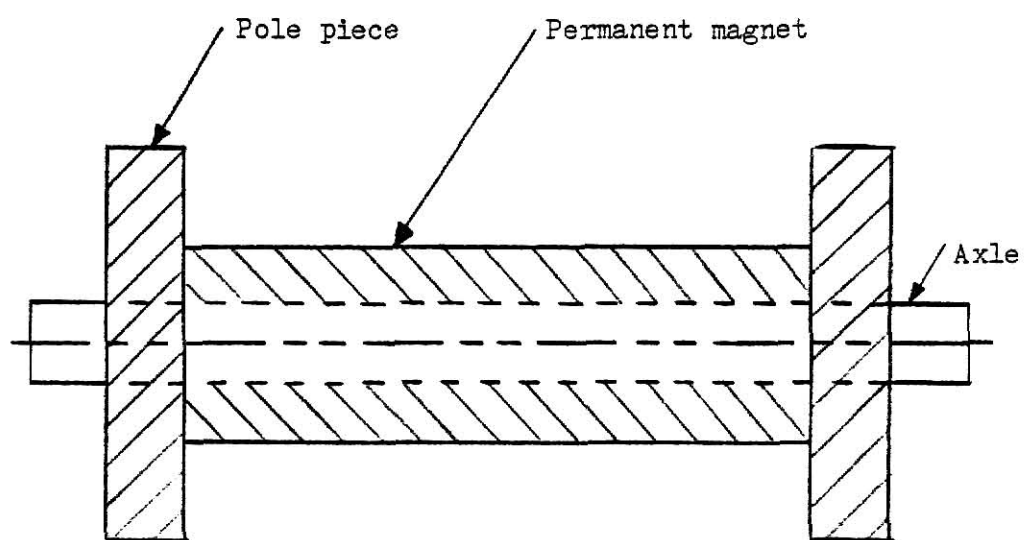


Fig. 2.2 Permanent magnet rotor

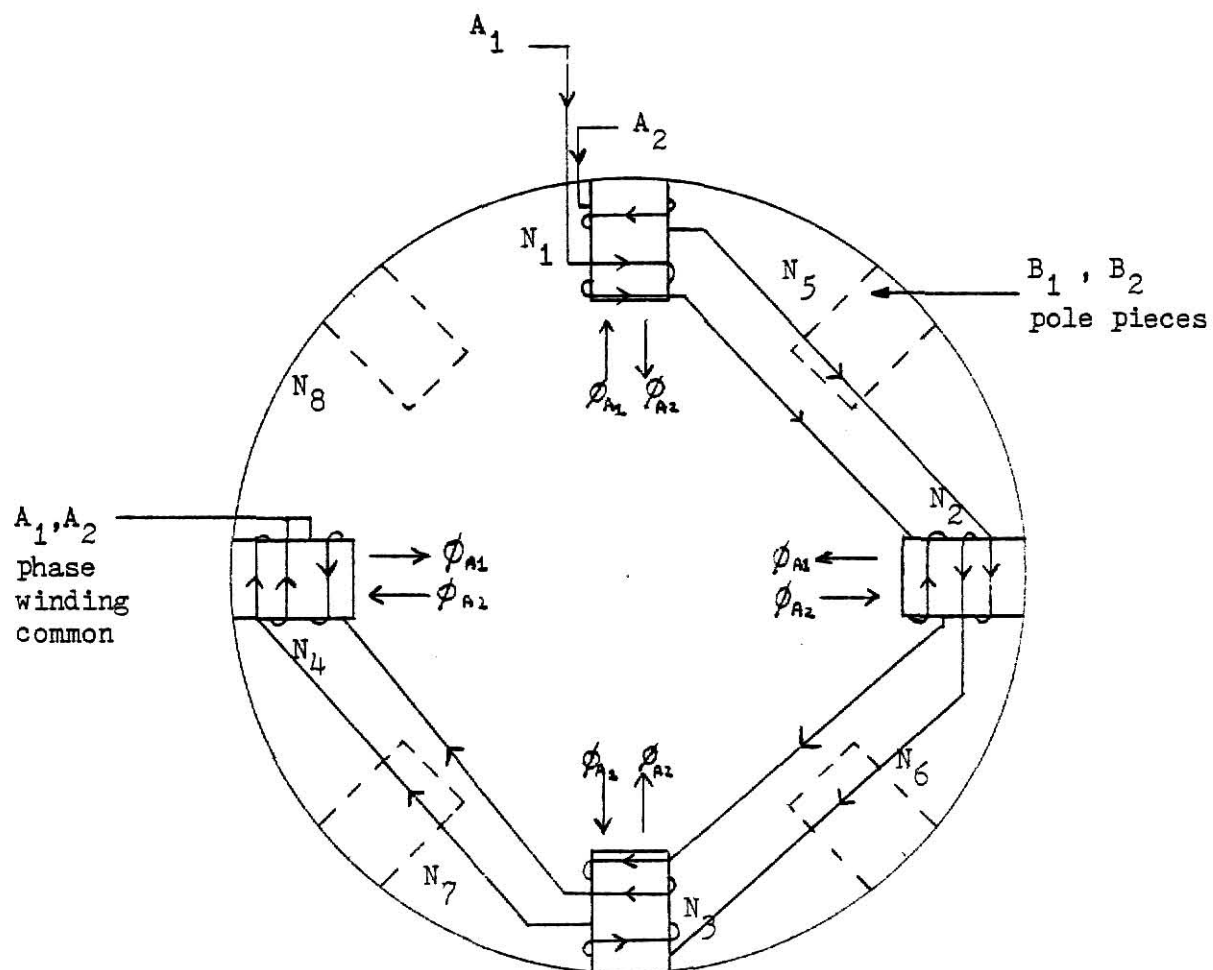
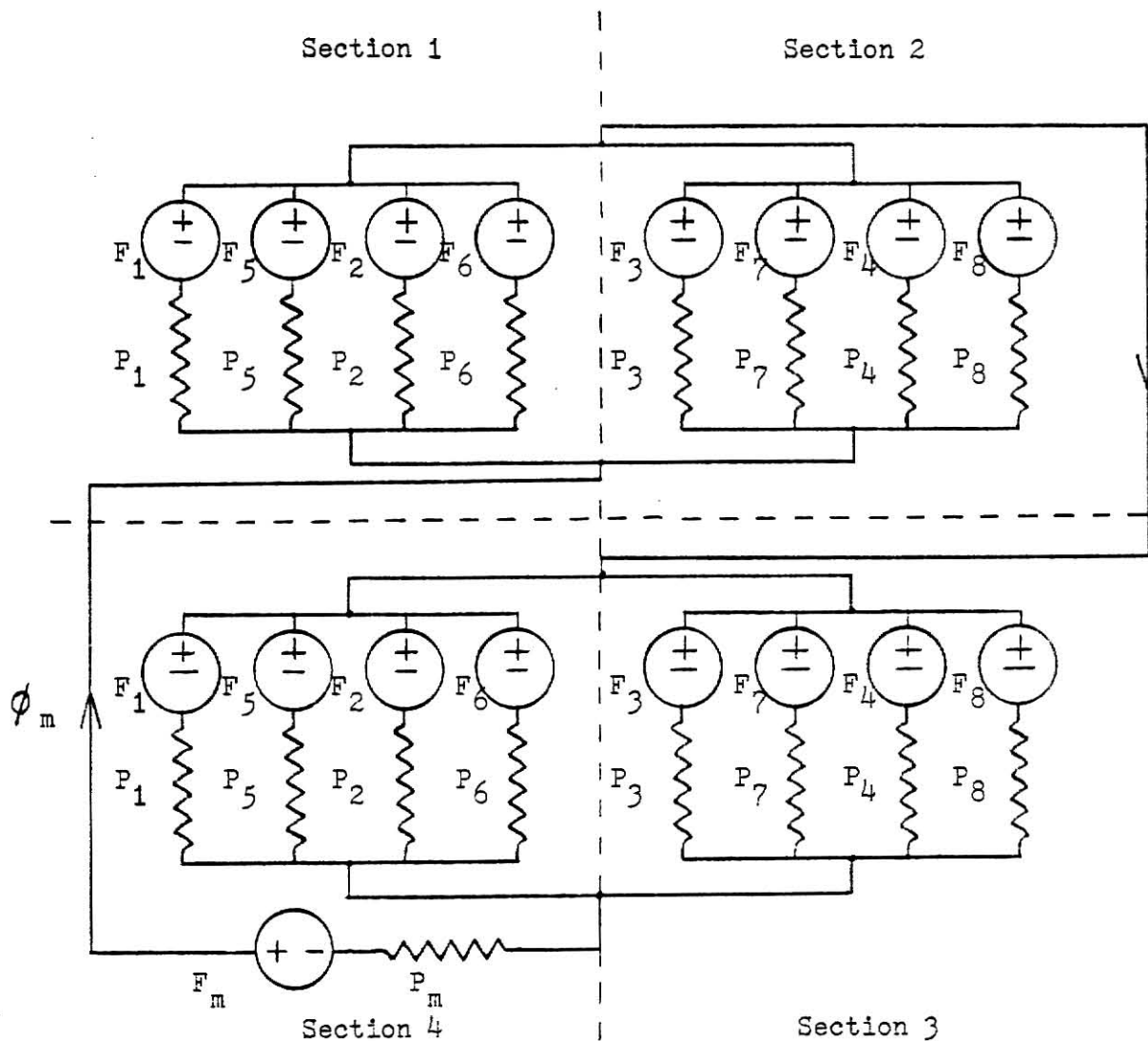


Fig. 2.3 Bifilar phase winding for stator phases



P_j : Respective stator winding air gap permeances. $1 < j < 8$

F_j : Respective stator winding MMF's

P_m : Permanent magnet permeance

F_m : Permanent magnet MMF

ϕ_m : Flux in magnetic circuit

Fig. 2.4 Magnetic circuit equivalent of step motor

MMF sources save for the permanent magnet (F_m), Fig. 2.4 represents the effective reluctance seen by the permanent magnet. To complete the equivalent circuit the stator coil MMF's are superposed. The construction symmetry is such that when a particular phase is energized (phase A_1 in Fig. 2.3) the flux enters the rotor via poles which are diametrically apart (N_1, N_3) and exists via a pair of poles (N_2, N_4) which are 90 degrees out of phase with the poles through which the flux entered the rotor. The symmetry implies that the magnetic equivalent circuit can be split into four identical sections, numbered 1 through 4 in Fig. 2.4. This reduces the analysis of the step motor circuit to the analysis of one of these sections, since the effect of each one of the four sections is additive. Fig. 2.5 shows the equivalent circuit of one of these sections.

Performing a Thevenin-Norton transformation on the circuit shown in Fig. 2.5 yields the Norton equivalent (Fig. 2.6). It is this circuit which is used to develop most of the following equations. In Fig. 2.6, since all the circuit elements are in parallel, the following equation holds true

$$F_0 = \frac{P_1 F_1 + P_2 F_2 + P_3 F_3 + P_4 F_4 + P_m F_m}{P_1 + P_2 + P_3 + P_4 + P_m} \quad (2.10)$$

The circuit in Fig. 2.5 yields the following equations

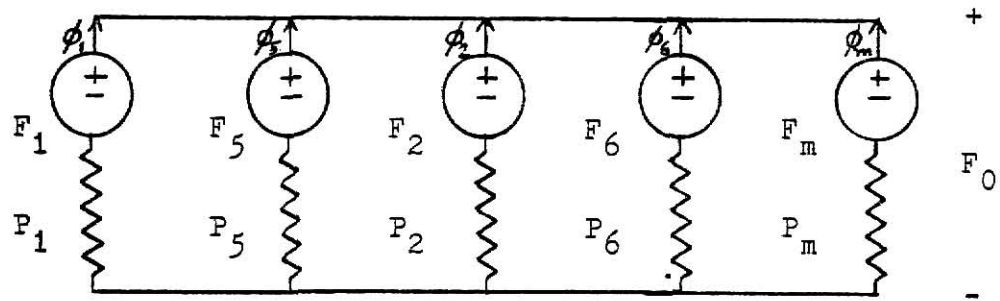
$$\phi_i = (F_i - F_0)P_i \quad i = 1, 2, 3, 4 \quad (2.11)$$

To derive an equation for the static torque on the rotor, the law of conservation of energy is used. Since the change in mechanical energy is zero for the static case

$$dW_{\text{mech}} = 0$$

therefore the electrical energy input to the motor will be equal to the change in stored magnetic field energy

$$dW_{\text{elec}} = dW_{\text{fld}} = Fd\phi$$



F_j : Corresponding MMF values.

P_j : Corresponding permeance values.

ϕ_j : Corresponding flux in each branch of the circuit.

F_0 : MMF drop across stator rotor gap.

Fig. 2.5 Magnetic circuit equivalent of Sec. 1 of fig.2.4

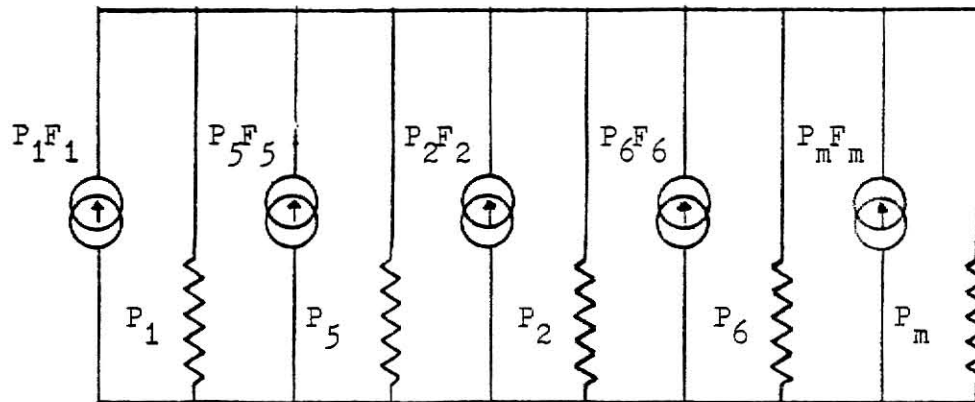


Fig. 2.6 : Norton's equivalent of circuit shown in fig.2.5

The above definition for magnetic field energy combined with the definition of torque as a function of the stored magnetic field energy

$$T_j = \frac{-dW_{fld_j}}{d\theta} \quad j = 1, 2, 3, 4 \quad (2.12)$$

yields a solution for the static torque as follows

$$W_{fld_j} = \int_0^{\phi_j} (F_j - F_0) d\phi_j \quad j = 1, 2, 3, 4 \quad (2.13)$$

substituting equation 2.11 in equation 2.13 and integrating yields

$$W_{fld_j} = \frac{1}{2} \phi_j^2 R_j \quad j = 1, 2, 3, 4 \quad (2.14a)$$

which, when substituted in equation 2.12 results in

$$T_j = \frac{-d}{d\theta} \left(\frac{1}{2} \phi_j^2 R_j \right) \quad j = 1, 2, 3, 4 \quad (2.14b)$$

Using the principle of superposition to obtain the total torque

$$T = \sum_{j=1}^4 T_j$$

implies

$$T = -\frac{1}{2} \sum_{j=1}^4 \phi_j^2 \frac{dR_j}{d\theta} \quad (2.15)$$

since $R_j = 1/P_j$, $dR_j = -P_j^{-2} dP_j$. $j = 1, 2, 3, 4$

Upon substituting this in equation 2.15

$$T = \frac{1}{2} \sum_{j=1}^4 \frac{\phi_j^2}{P_j^2} \frac{dP_j}{d\theta}$$

which when combined with equation 2.11 yields

$$T = \frac{1}{2} \sum_{j=1}^4 (F_j - F_0) \frac{d\phi_j}{d\theta_m} \quad (2.16)$$

In the last equation θ_m represents the mechanical (physical) angle moved by the rotor. For the step motor, it would be easier to express angles in electrical degrees or radians rather than mechanical degrees or radians, since the number

of permeance cycles for every mechanical cycle (revolution) performed by the rotor will equal the number of rotor teeth, to this end one defines

$$\theta_e = N_r \theta_m \quad (2.17)$$

where θ_e = Electrical angle
 θ_m = Mechanical angle
 N_r = Number of rotor teeth

Therefore
$$d\theta_e = N_r d\theta_m$$

and substituting this in equation 2.16 yields

$$T = (N_r/2) \sum_{j=1}^4 (F_j - F_0)^2 \frac{dP_j}{d\theta_e} \quad (2.18)$$

Next one needs to derive an expression for the permeance seen by each stator coil. These expressions will all be periodic with respect to θ_e , assuming symmetric teeth on the rotor, however they will differ in phase. This implies that the permeance values (P_j , $j=1,2,3,4$) can be expressed as a Fourier Cosine series. Retaining terms only till the fourth harmonic, the expressions are as follows

$$P_1 = P_{10} + P_{11} \cos \theta_e + P_{12} \cos 2\theta_e + P_{13} \cos 3\theta_e + P_{14} \cos 4\theta_e \quad \text{--(2.19a)}$$

$$P_2 = P_{10} + P_{11} \cos(\theta_e - 90) + P_{12} \cos 2(\theta_e - 90) + P_{13} \cos 3(\theta_e - 90) + P_{14} \cos 4(\theta_e - 90) \quad \text{--(2.19b)}$$

$$P_3 = P_{10} + P_{11} \cos(\theta_e - 180) + P_{12} \cos 2(\theta_e - 180) + P_{13} \cos 3(\theta_e - 180) + P_{14} \cos 4(\theta_e - 180) \quad \text{--(2.19c)}$$

$$P_4 = P_{10} + P_{11} \cos(\theta_e - 270) + P_{12} \cos 2(\theta_e - 270) + P_{13} \cos 3(\theta_e - 270) + P_{14} \cos 4(\theta_e - 270) \quad \text{--(2.19d)}$$

Adding up the above permeance expressions and applying some trigonometric identities yields

$$\sum_{j=1}^4 P_j = 4P_{10} + 4P_{14} \cos 4\theta_e \quad (2.20)$$

Differentiating the permeance expressions and adding up the results yields, after some manipulations,

$$\sum_{j=1}^4 \frac{dP_j}{d\theta_e} = -16P_{14} \sin 4\theta_e \quad (2.21)$$

Permanent magnet step motors possess detent torque and an expression is derived for this torque (T_{rd}) using the equations developed so far. From equation 2.10, setting $F_1 = F_2 = F_3 = F_4 = 0$, to signify zero stator excitation, yields

$$F_0 = \frac{P_m F_m}{4P_{10} + 4P_{14} \cos 4\theta_e + P_m} \quad (2.22)$$

Substituting the above result for F_0 in equation 2.18 and neglecting the fourth order harmonic coefficient (P_{14}) in comparison to P_{10} and $(P_m/4)$, in the denominator, leads to the result

$$T_{rd} = - (N_r^2 P_m^2 P_{14}) / 2(P_{10} + \frac{1}{4}P_m)^2 \sin 4\theta_e \quad (2.23)$$

The above equation shows that T_{rd} varies sinusoidally with respect to θ_e . The stable points (minimum reluctance with respect to one of the stator poles) exist at $\theta_e = 0, 90, 180$, and 270 degrees respectively, while the unstable points are at $\theta_e = 45, 135, 225$, and 315 degrees. The high order harmonic terms which have been neglected tend to shift these stable/unstable points but the effect is negligible.

The same strategy which was used to develop an equation for the detent torque, can be used to develop an equation for the static torque when the stator windings are energized. As an example the expression for static torque for the case of single phase excitation has been derived. The basic assumption made is that opposing stator windings in the 4-phase single section equivalent motor are connected in series. In fig. 2.5, this would imply that F_1 and F_3 are in series and F_2 and F_4 are in series. Furthermore the coils are connected such that $F_1 = -F_3$ and $F_2 = -F_4$. Thus, if coils F_1 and F_3 are excited

$$F_1 = -F = -F_3$$

$$\text{and } F_2 = F_4 = 0$$

Substituting the above values in equation 2.10 and using the permeance values from equations 2.19(a-d) yields

$$F_0 = \frac{-2F(P_{11}\cos\theta_e + P_{13}\cos3\theta_e) + F_m P_m}{4P_{10} + 4P_{14}\cos4\theta_e + P_m} \quad (2.24)$$

Denoting the static torque developed by the step motor in the one phase on mode of operation, as T_{2s} and applying the superposition rule, one gets the following expression from equation 2.18 after substituting for F_j , ($j=1,2,3,4$) and the derivatives of the permeances

$$T_{2s} = 4(N_r/2) \left[F^2(-4P_{12}\sin2\theta_e - 8P_{14}\sin4\theta_e) - 16F_0^2 P_{14}\sin4\theta_e - 4FF_0(P_{11}\sin\theta_e + 3P_{13}\sin3\theta_e) \right] \quad --(2.25)$$

Substituting for F_0 from equation 2.24 (neglecting the P_{14} term in the denominator) and ignoring cross product terms involving the product $P_{13}P_{14}$ yields

$$\begin{aligned} T_{2s} = 2N_r \left[\frac{-4FF_m P_{11}}{(4P_{10} + P_m)} \sin\theta_e + \left[-4F^2 P_{12} - \frac{16F^2 P_{11}^2 P_{14}}{(4P_{10} + P_m)^2} + \frac{4F^2 P_{11}^2}{(4P_{10} + P_m)} - \frac{4F^2 P_{11} P_{13}}{(4P_{10} + P_m)} \right. \right. \\ \left. \left. + \frac{24F^2 P_{11} P_{13}}{(4P_{10} + P_m)} \right] \sin2\theta_e + \left[\frac{32FF_m P_{11} P_{14}}{(4P_{10} + P_m)^2} - \frac{12FF_m P_{13} P_m}{(4P_{10} + P_m)} \right] \sin3\theta_e \right. \\ \left. + \left[-8F^2 P_{14} - \frac{16P_{14}(F_m^2 P_{11}^2 + 2F^2 P_{11}^2)}{(4P_{10} + P_m)^2} + \frac{28F^2 P_{11} P_{13}}{(4P_{10} + P_m)} \right] \sin4\theta_e \right] \quad --(2.26) \end{aligned}$$

The above equation for T_{2s} contains terms upto its fourth harmonic component deleting terms involving higher order permeance coefficients (P_{12} and on), the equation simplifies to

$$T = -2N_r \frac{4F_{mP}^2 P_{11}}{(4P_{10} + P_m)} \cdot \sin \theta_e + \frac{4F_{P11}^2}{(4P_{10} + P_m)} \cdot \sin 2\theta_e \quad (2.27)$$

normalizing the above equation by a factor (NF) equal to

$$NF = \frac{4N_r F_{mP}^2 P_{11}}{(4P_{10} + P_m)}$$

results in

$$T'_{2s} = -(\sin \theta_e + \frac{2F_{P11}}{N_r F_{mP}} \cdot \sin 2\theta_e) \quad (2.28)$$

Equation 2.28 represents the normalized static torque developed by the step motor in the single phase on mode of operation, a similar analysis to the one used above yields an expression for the static torque developed in the two phase on mode of excitation. In this case the stator MMF's are as follows

$$\begin{aligned} F_1 &= -F_3 = -F \\ \text{and} \quad F_2 &= -F_4 = -F \end{aligned}$$

The result is the same as equation 2.27 with F replaced by $2F$ and θ_e replaced by $(\theta_e - 45^\circ)$.

Another interesting observation that can be made from equation 2.28 is the fact that as the magnitude of the stator coil MMF (F) is increased the effect of the second harmonic component increases and the variation of torque with θ_e approaches that of a variable reluctance step motor (proportional to $\sin 2\theta_e$). This is true assuming that the magnetic circuit remains linear with the increasing MMF.

2.2 CSMP SIMULATION

A computer simulation was carried out for a simplified motor phase model for the resistive and chopper drives. The programs were written in CSMP and the listings have been included as an appendix.

In both cases, resistive drive and chopper drive, the simulation considers a single motor phase as a simple L-R circuit, subject to a pulse train voltage input $V(t)$, with different charging τ_c and discharging τ_d time constants ($\tau_d \ll \tau_c$). If the amplitude of the pulse train is assumed to be V_o , then the Laplace transform of $V(t)$ is given by the equation

$$V(s) = \frac{V_o}{s} \cdot \frac{(1 - e^{-ps/2})}{(1 - e^{-ps})} \quad (2.20a)$$

p : reciprocal of pulse train frequency

The above equation holds true for the two phase on mode of operation.

For the one phase on mode of operation the equation becomes

$$V(s) = \frac{V_o}{s} \cdot \frac{(1 - e^{-ps/4})}{(1 - e^{-ps})} \quad (2.20b)$$

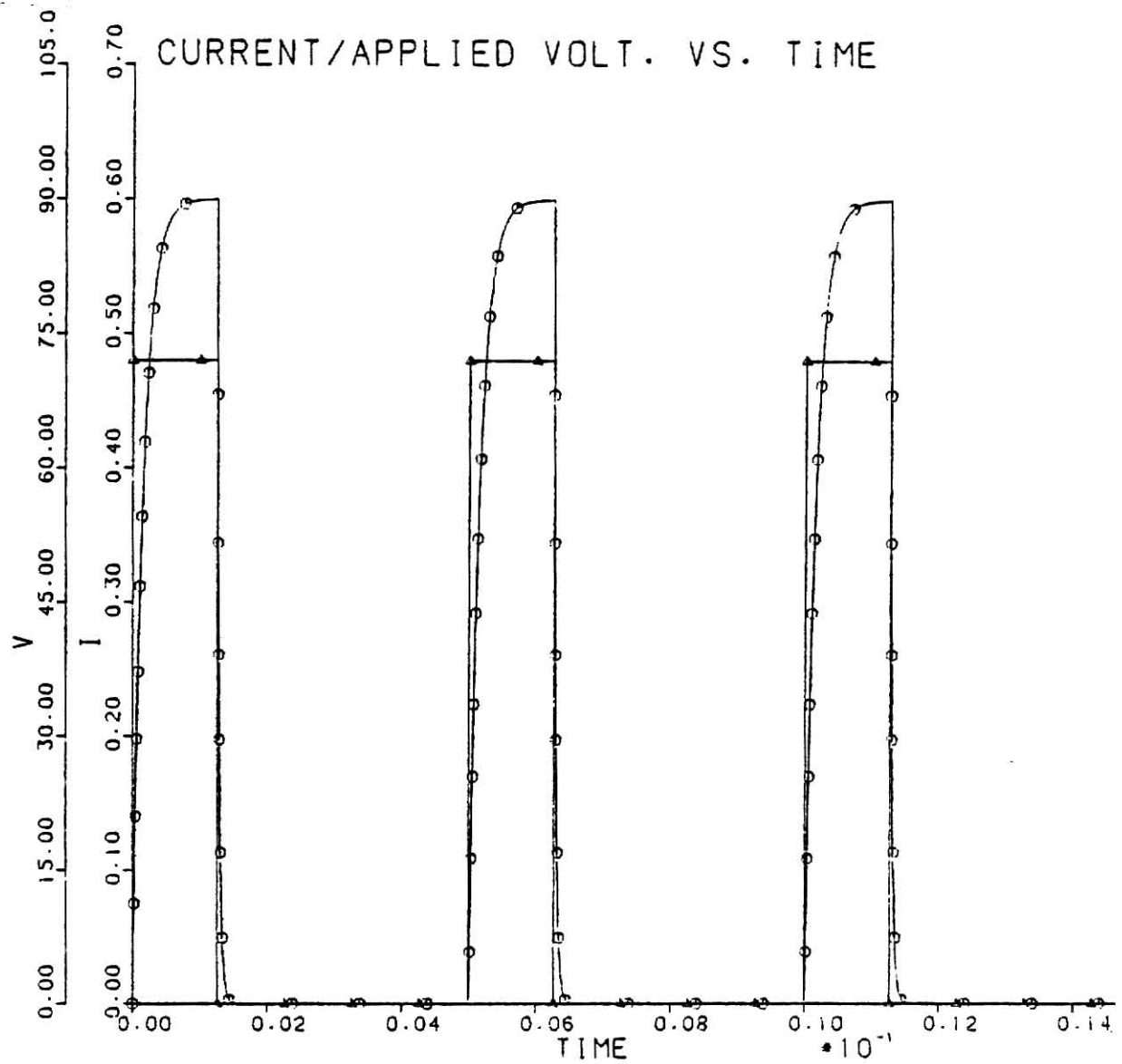
The Laplace transform $I(s)$ of the phase current $i(t)$ is then given by the equation

$$I(s) = \frac{V(s)}{R + sL} \quad (2.21)$$

In the above equation L is the phase inductance in Henries while R is the phase resistance in ohms.

In the CSMP programs, a set of FORTRAN statements accomplish the simulation of different charging and discharging time constants and, in the case of the chopper drive, the chopping action. The resulting phase current versus time plots are shown in Figs. 2.7 - 2.9.

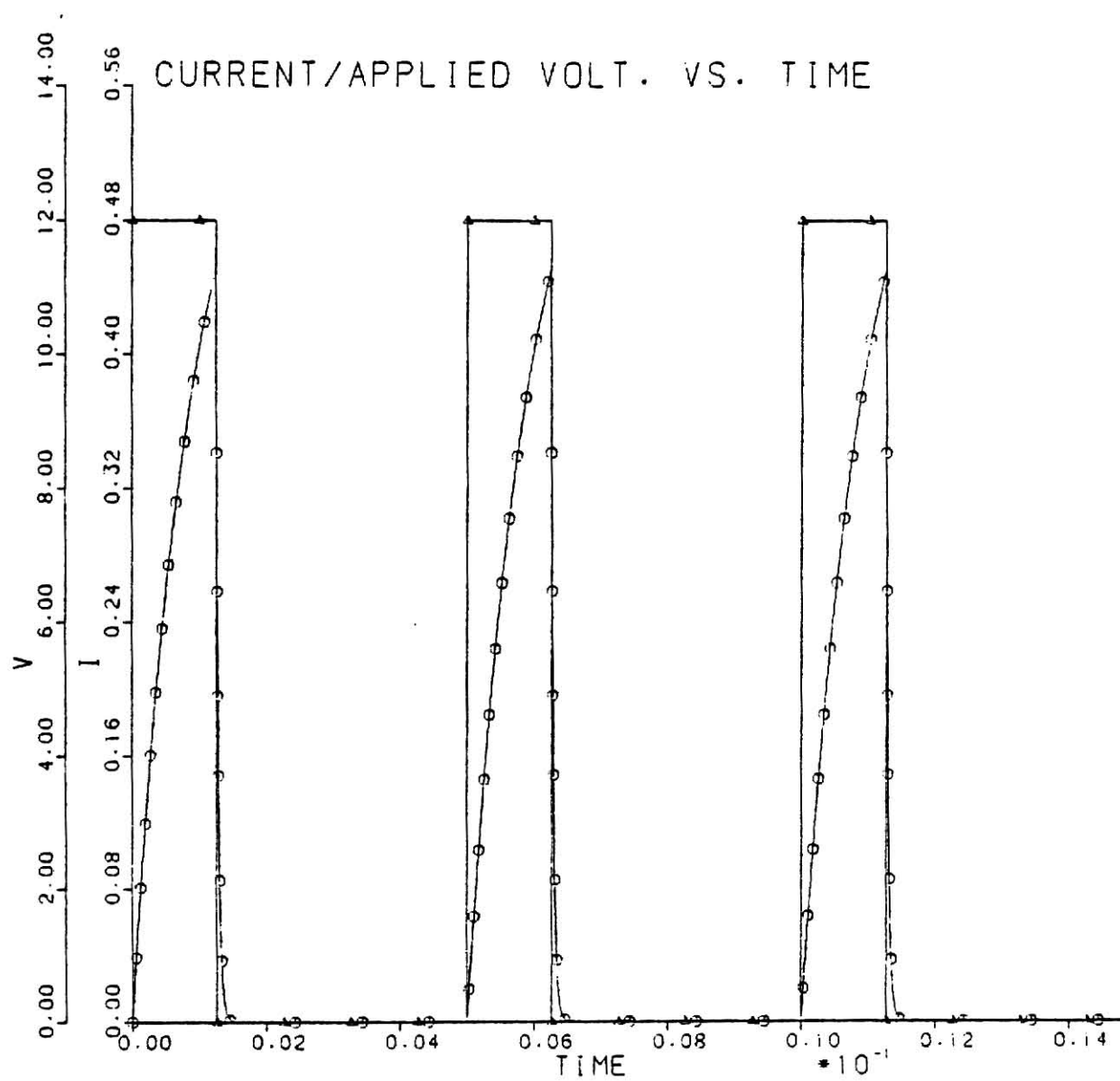
The plot shown in Fig. 2.7 results when no special drives are used and the phase current barely reaches a maximum of 0.45 amp., which is far below the rated phase current (0.6 amp.). Hence the motor tends to stall due to insufficient output torque. Fig. 2.8 shows the current plot for a resistive drive with an external resistor of 100 ohms and supply voltage of 72 volts. The phase current rapidly attains its maximum value, thus ensuring a strong output torque. However, it also implies an I^2R loss of approximately 36W in the external resistor. The final plot shown in Fig. 2.9 is the resulting phase current for a chopper drive. Only a fraction of the pulse time was plotted since the rapidly changing waveform drastically increased the program execution cost. This chopper drive yields a strong phase current and high output torque without increasing the I^2R losses.



Stepping rate = 800 sps.

One phase on mode of operation.

Fig. 2.7 Simulation Plot #1



Stepping rate = 800sps.

One phase on mode of operation.

Fig. 2.8 Simulation Plot #2

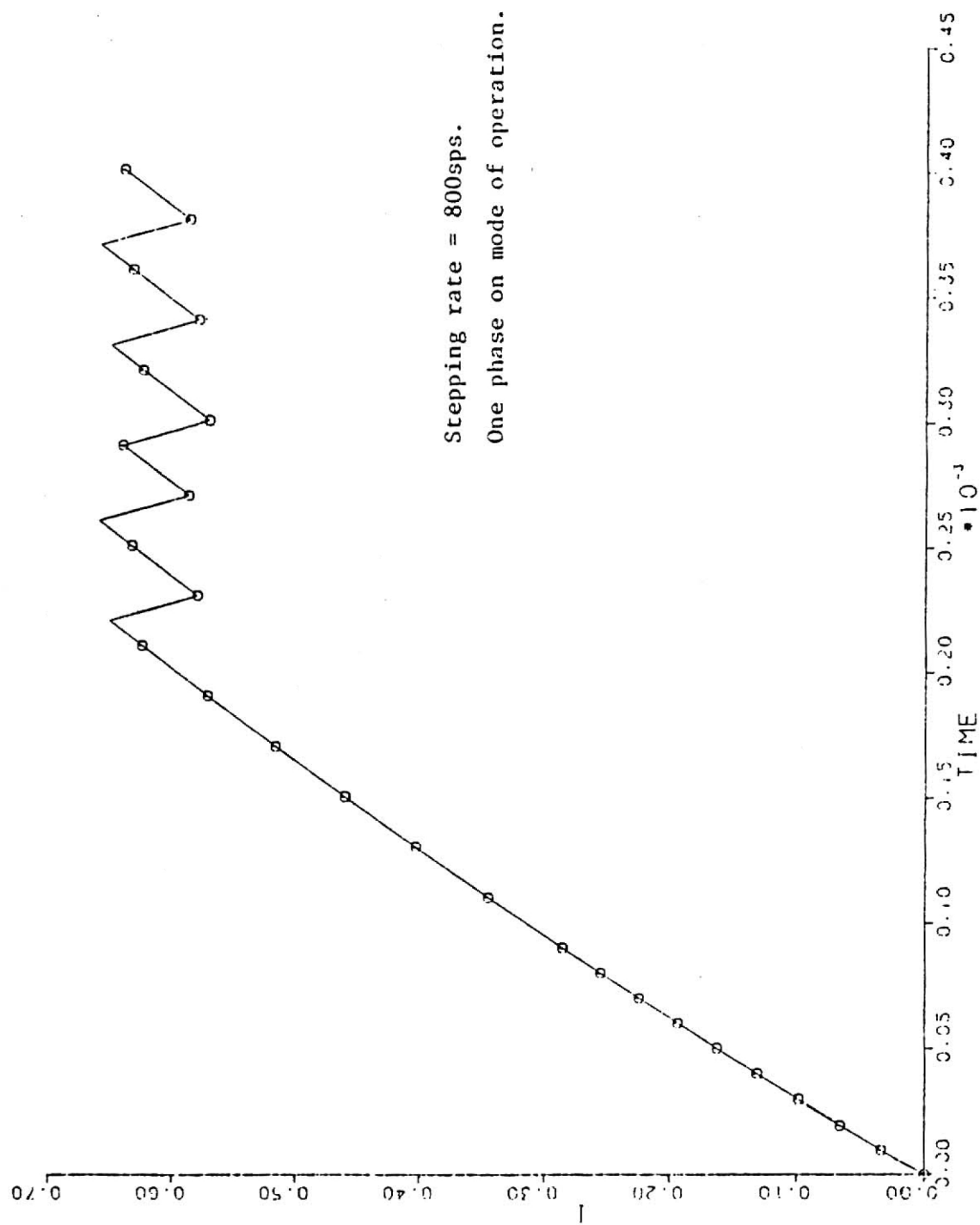


Fig. 2.9 Simulation Plot #3

CHAPTER 3

HARDWARE IMPLEMENTATION

3.0 OVERVIEW

The step motor used in the course of this study was a permanent magnet, bifilar wound four phase motor with a step size of 1.8° . The step size remains the same for the single phase and double phase modes of operation. However, for the mixed phase mode (single and double phase modes alternating) the step size is 0.9° .

The controller for the step motor was built around the KIM-1 microcomputer. This is a 8-bit microcomputer system with a 6502-nmos CPU chip. Further details about the KIM, including layout diagrams, are included in the following control section. The rest of the system consisted of the power drivers to energize the motor phases in a chosen fashion, power supplies and the feedback loop.

Two different types of power drives were implemented, the resistive drive and the chopper drive, for each of these types, different configurations were tried out and in both cases, the motor operated most smoothly if one end of each phase could be held at ground potential in the de-energizing, or free-wheeling, mode.

For the purpose of providing feedback, for closed loop control, an encoder disc with fifty slots was used along with a matched LED-photo transistor pair to provide a pulse train which was fed back to the microcomputer via a 4-bit counter.

The last section of this chapter lists some observations as well as comparisons between the resistive and chopper drive. Details of the hardware implementation including specifications and ratings have been included in the hardware appendix.

3.1 CONTROL SYSTEM

The overall system comprised of the KIM-1 microcomputer, the step motor and a protoboard setup with all the drive circuitry on board. A block diagram of the KIM-1 is shown in Fig. 3.1a. The KIM-1 system is built around the MCS6502 nmos 8-bit microprocessor. It has two 6530 multifunction device interrupts units on board, each of which provides 1-K of ROM, 64 bytes of RAM, 15 I/O pins and an interval timer. There is also an additional 1-K of RAM on board. The system clock operates at a frequency of 1 MHz. The KIM operates in the memory mapped mode of I/O and has dual means of program input, output, the keyboard display unit and the TTY. For application purposes the system provides 15 I/O lines.

The least significant four bits of port B, on the 6530-3 chip, are used to control the motor phases (PB_0 for phase B_2 , PB_1 for phase B_1 , PB_2 for phase A_2 , PB_3 for phase A_1). The least significant four bits of port A ($PA_0 - 3$) were used to read in the counter feedback, PA_6 was used to reset the counter, PA_5 controlled the LED which indicated the end of deramping and PA_4 was set up as an input bit to read in the 'start deramping' switch status.

Fig. 3.1b shows a memory map of the KIM-1 system. A description of the protoboard is included as part of the motor drive description in following sections.

* 3.2 RESISTIVE POWER DRIVE

The resistive power drive is the simplest step motor drive to implement. Fig. 3.2 shows the overall drive circuit. Each motor phase L_m , R_m has a resistor R_s in series with it. Since the phase time constant τ_p is given by the equation

$$\tau_p = \frac{L_m}{R_m + R_s}$$

As the value of R_s is increased, τ_p decreases thus permitting higher motor operating speeds. The cost entailed by this scheme is the I^2R loss in the series

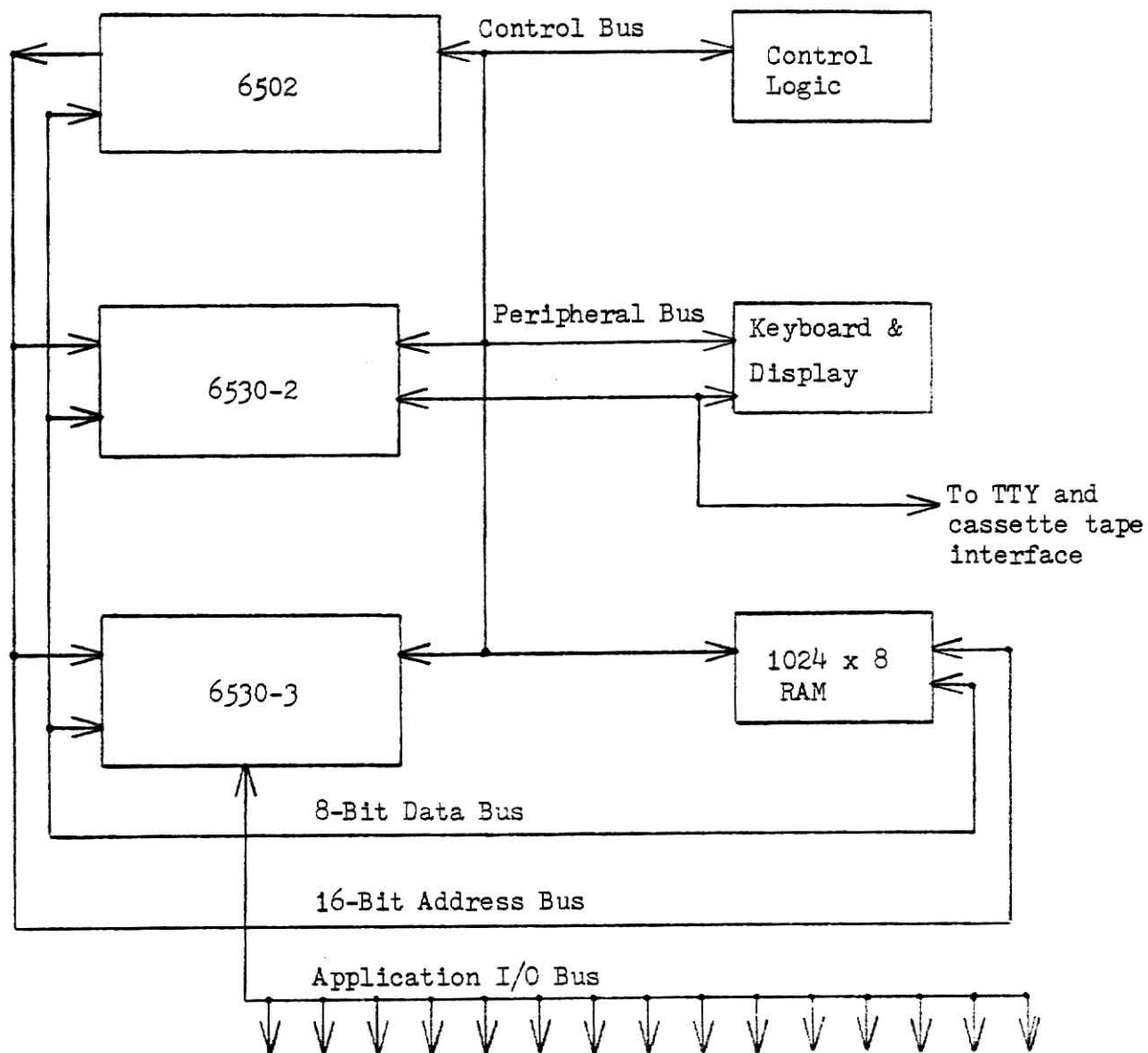


Fig. 3.1a . KIM-1 block diagram

(Hex. Address)

17FF	KIM RAM
17EC	(6530-2)
17EB	
17C0	User RAM
17BF	User RAM (6530-3)
1780	
177F	KIM I/O & Timer
	(6530-2)
1740	
173F	User I/O & Timer
	(6530-3)
1700	
03FF	User Program Storage Area
0300	User Program Storage Area
02FF	
0200	Stack Area
01FF	
0100	KIM usage
00FF	
00EF	
00EE	
0000	User Scratchpad

Note : Address space 0400_{16} to $16FF_{16}$
and 1800_{16} is available for expansion.

Fig. 3.1b KIM Memory Map

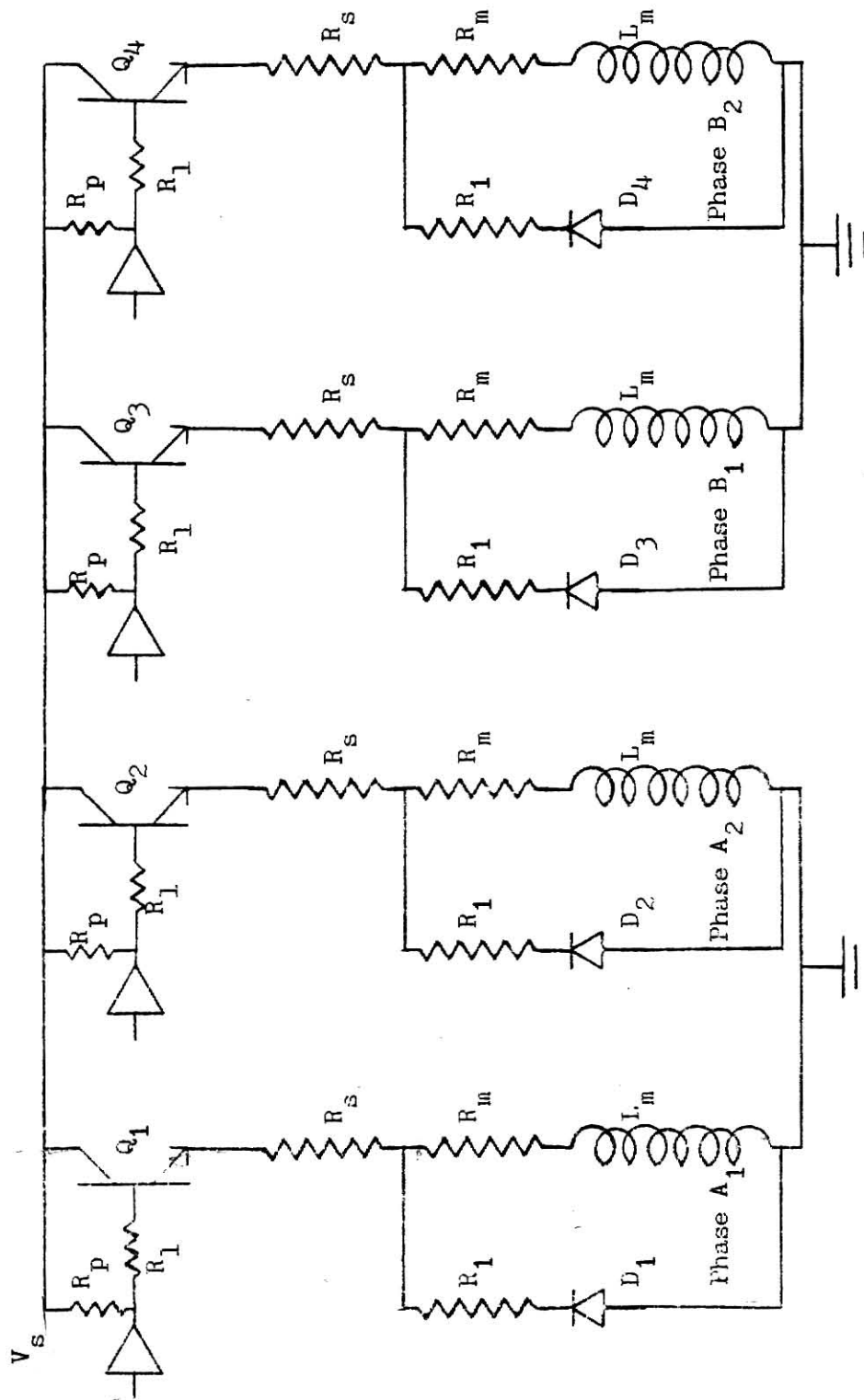


Fig. 3.2 Resistive step motor drive

resistor. Diodes D_j and resistors R_j ($1 < j < 4$) allow the phase current i_j to free-wheel when the particular phase is de-energized.

Another problem encountered with the resistive drive is the fact that as the value of the external resistor is increased, the voltage supply rating must also be increased to maintain the flow of rated current in the windings. This implies that the V_{ceo} rating requirement of the transistors, used as switches to control the motor phases, must also increase.

The control bits from the KIM-1 microcomputer were connected to the base inputs (via buffers) of the respective transistor switches via which they controlled the motor phase switching. The buffers used were TTL 7407's, noninverting, open collector buffers. These were connected in the manner shown in Fig. 3.2. The values of R_p (pull up resistor) and R_l (current limiting resistor) were selected so as to ensure a V_{be} for each transistor of approximately 0.7 - 0.75 V. One can consider phase A as a typical example:

$$V_{El} = i_R (R_m + R_s)$$

$$i_B = i_R / h_{FE}$$

$$V_s = V_{El} + 0.75 + i_B (R_p + R_l)$$

Typical values for R_l and R_p were as follows:

R_p is approximately 1 K

R_l is approximately (500-600) ohms

In order to limit excessive $I^2 R$ losses in the external resistor the supply voltage was raised to a maximum value of 30 volts allowing a value of 20 ohms for R_s , this allowed the motor to be operated at a maximum speed of 550 steps per second, as compared to 400-450 steps per second with no external resistors in series with each phase.

3.3 CHOPPER DRIVE

The chopper drive is a high efficiency step motor drive. Fig. 3.3 shows the circuit diagram of the system implemented. Each motor phase, instead of having a resistor in series with it, has an extra transistor (QC_1) in series with it. For each phase, transistor Q_1 controls the phase switching and these transistors are driven by the control bits from the microprocessor. Transistors QC_j ($j=1,2,3,4$) control the chopping action for their respective phase windings when the particular phase is turned on by its Q_1 transistor switch.

To study the action of the chopping transistors, one can take a particular phase A_1 for example, since all four phase drives are identical. The chopping action is controlled by a means of current feedback. Each phase has a current sensing resistor ($R_E = 2.2$ ohms) in series with it and the voltage across this resistor is fed to a Schmitt trigger circuit (ST_1 block in Fig. 3.3) via a differential amplifier stage (DA_1 in Fig. 3.3). When the phase is turned on transistor Q_1 , C_1 is in the on state, as the current in the motor phase increases and crosses an upper threshold value (approximately 0.66 amp.) the Schmitt trigger is turned off by the voltage across the sensing resistor so the phase current starts to decrease as it freewheels through diode D_1 . When the current drops to a lower threshold value (approximately 0.54 amp.) the Schmitt trigger turns transistor on again. This chopping action continues for as long as phase A_1 is on.

Fig. 3.4 shows a detailed circuit diagram of the differential amplifier stage. It has two stages, a buffer stage to ensure that the current through the sensing resistor is not disturbed and an amplifier stage. Both stages utilize operational amplifiers. The output voltage (V_o) is given by the equation

$$V_o = n (V_1 - V_2) .$$

A block diagram of the Schmitt trigger is shown in Fig. 3.5. As long as the input voltage (V_1) is less than V_1 , the output of the Schmitt trigger stays high. When V_1 exceeds V_1 , the output goes to zero and stays at zero volts until

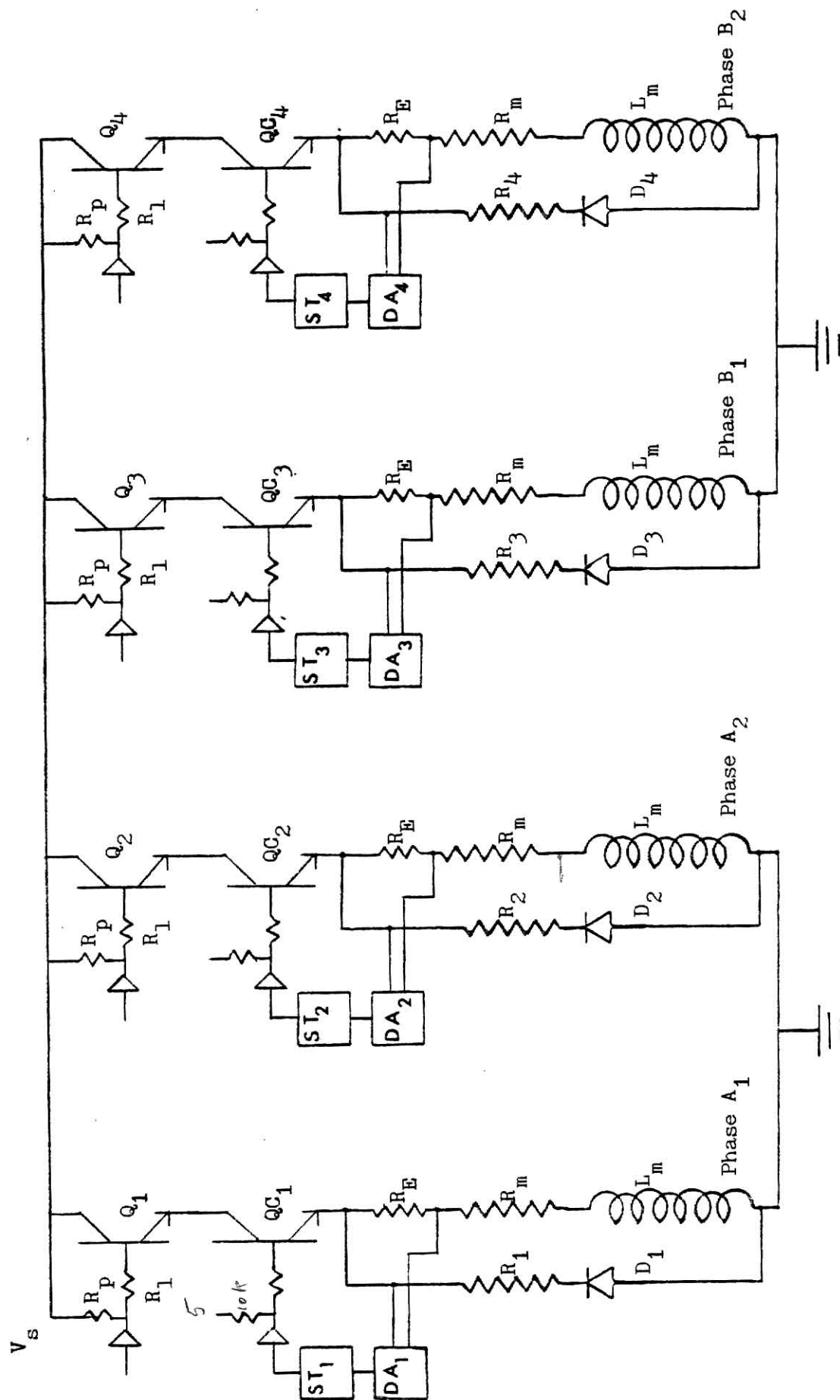


Fig. 3.3 Chopper step motor drive

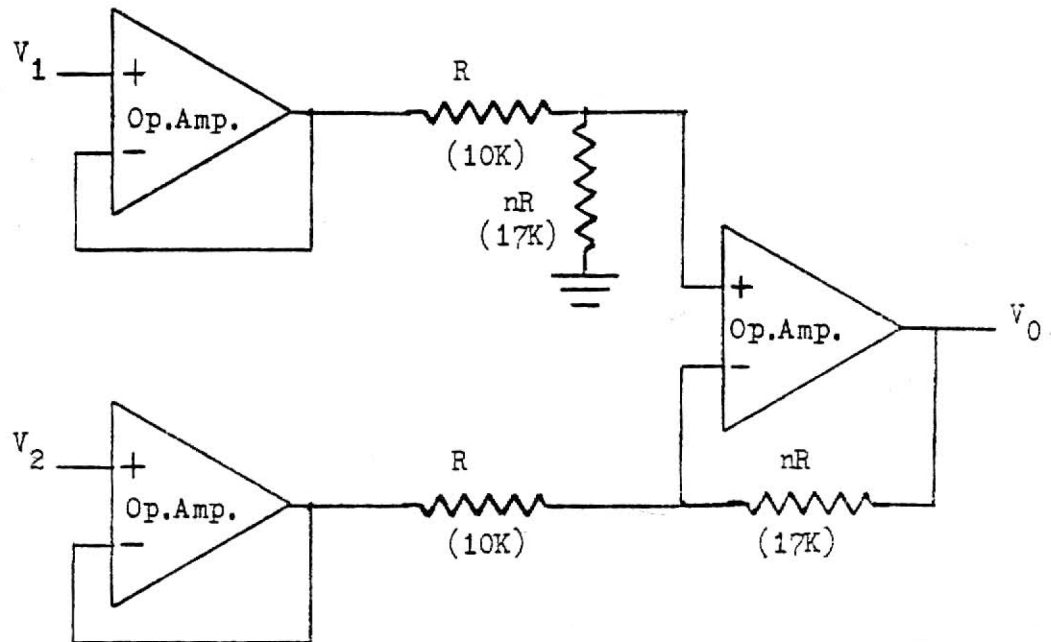


Fig. 3.4 Differential Amplifier Stage (DA₁)

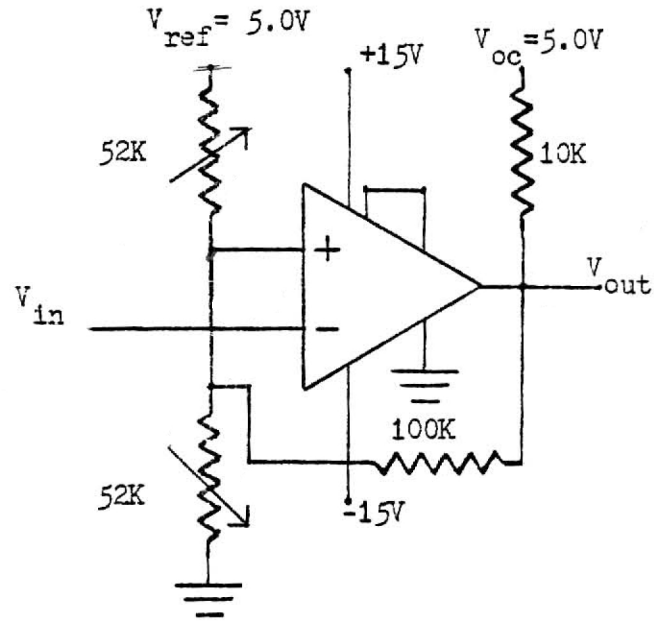


Fig.3.5 Schmitt trigger circuit (ST₁) with LM311 comparator

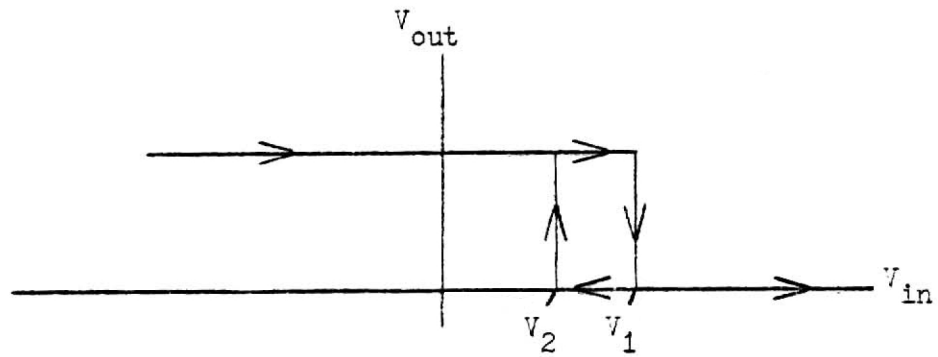


Fig.3.6 Schmitt trigger transfer characteristic

V_1 falls to a value of V_2 . The equations for V_1 and V_2 can be expressed as:

$$V_1 = \frac{R_2 R_3}{R_2 R_3 + R_1 (R_2 + R_3)} \cdot V_{\text{ref}} + \frac{R_1 R_2}{R_1 R_2 + R_3 (R_1 + R_2)} \cdot V_{\text{out}}.$$

$$V_2 = \frac{R_2 R_3}{R_2 R_3 + R_1 (R_2 + R_3)} \cdot V_{\text{ref}}.$$

R_1 and R_2 are variable resistors, hence the trigger points V_1 and V_2 can be varied. This implies that the upper and lower phase current threshold values can be set to a value, in a desired range, by varying the values of R_1 and R_2 . The transfer characteristic of the Schmitt trigger is shown in Fig. 3.6.

Fig. 3.7 shows the circuit diagram for the matched LED photo-transistor pair used in the feedback loop. The output of the photo-transistor was fed to the counter clock input via a Schmitt-triggered buffer (TTL 7414). The Schmitt-triggered gate changed the output of the photo-transistor from a slow-changing waveform to a fast-changing one with well-defined positive and negative edges. The counter is reset by pin 6 of output port A and its output bits are connected to pins (0 - 3) of port A (the lsb to pin 0 and the msb to pin 3).

Fig. 3.8 shows the circuit diagram for the LED used to indicate the end of deramping. A circuit diagram for the 'start deramping' switch is shown in Fig. 3.9, the switch is debounced before being connected to bit 4 of port A.

Details of the circuit components have been included in the hardware appendix.

Normally, for a chopper drive, the supply voltage used is of the order of ten times the motor's rated supply voltage since this would imply that the current would reach its upper threshold value faster. However, for comparison purposes the supply voltage was restricted to a maximum of 30 V as in the resistive drive. In spite of this limitation on the maximum supply voltage, the motor operated satisfactorily at a maximum speed of 650 - 700 steps per second, about

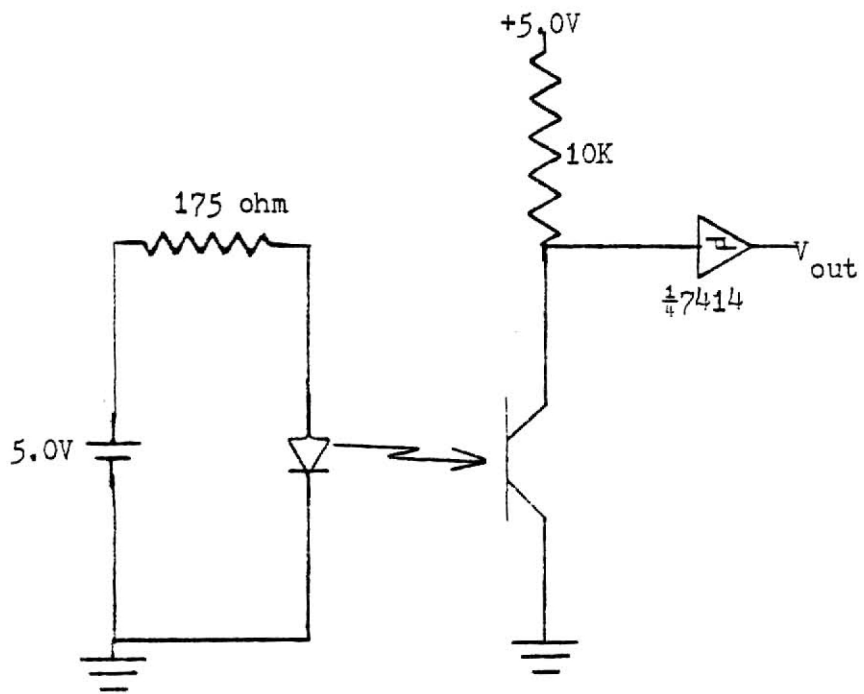


Fig.3.7 MCT-8 matched LED photo-transistor pair

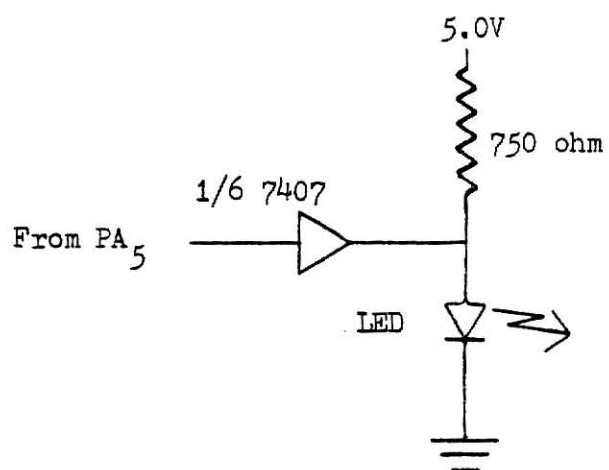


Fig. 3.8 LED circuit to indicate end of deramping

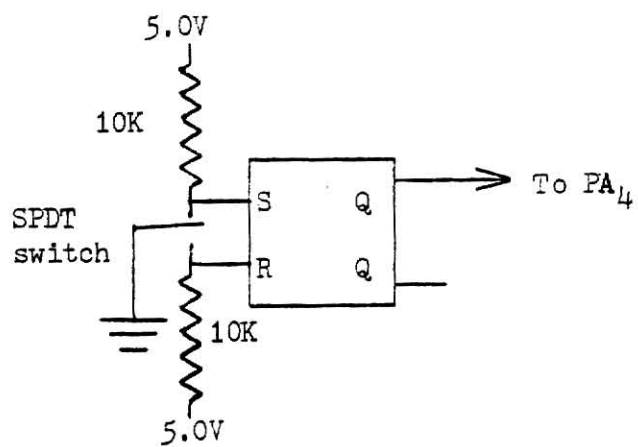


Fig. 3.9 Debouncing circuit for deramping switch

100 steps per second more than the maximum speed attained in the case of the resistive drive.

The chopper drive is a high efficiency step motor drive since it enables high stepping speeds without the high I^2R losses associated with the resistive drive. However, since it maintains a higher level of current in the motor phase windings, it also causes the motor to heat up rapidly thus necessitating some means of aiding the step motor to dissipate heat more rapidly. This problem though is associated with all high speed step motor drives.

CONTROLLER SOFTWARE

4.0 OVERVIEW

For any microprocessor based control system, it is the system software which offers the greatest amount of flexibility in system modification and adaptability as compared to a hardwired control system. The software developed for controlling the step motor can be grouped under three headings:

- (A) Position Control Program
- (B) Ramping/De-ramping Table Generating Program
- (C) Stepping Control Program.

All the programs were written in the 6502 assembly language, and a detailed listing of each, including "User Instructions", has been included in the software appendix.

Initially a couple of test programs were written which served the dual purpose of testing out the system hardware and comparing two alternative software schemes for driving the step motor.

4.1 TEST PROGRAM

The two software schemes for driving the step motor were implemented via programs "TLU" and "ROW". In both cases, the four motor phase windings were each controlled by one output bit thus implying a four-bit motor control word (MCW). This was necessary since, in the one-phase-on and mixed modes of operation (Fig. 1.4 and 1.6), none of the motor phase states are complementary as is the case in the two-phase-on mode of operation (Fig. 1.5).

Program TLU (Flowchart in Fig. 4.1) uses the Table Look-up Method. The excitation tables (Fig. 1.4-1.6) were stored in memory; each word in the table occupied a byte of memory and each table was stored in the sequence shown in Fig. 1.4 through Fig. 1.6 as well as in a reversed sequence to offer directionality (clockwise/counterclockwise) controls. The resulting look-up table is shown

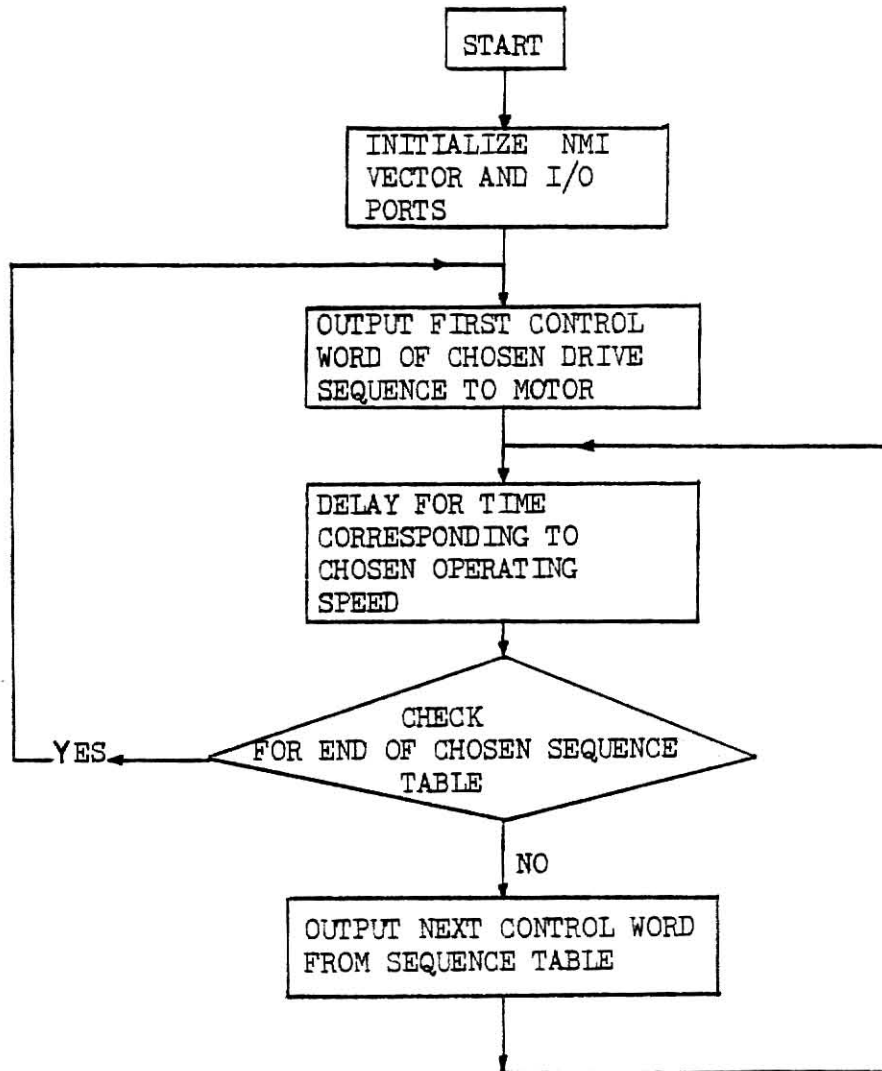


Fig. 4.1 Flowchart for program 'TLU'

in Fig. 4.2. To drive the motor the program needs a specified delay time (in milliseconds) and sequence code. The delay time is the reciprocal of the desired speed (steps per second) while the sequence code is the starting memory address of the chosen excitation table.

For example, if it were desired to step the motor in a clockwise direction in the two-phase-on mode of operation at a stepping rate of 200 steps per second, the corresponding delay time and sequence code would be as follows

$$\text{Delay time} = \frac{1000}{200} \text{ milliseconds} = 5 \text{ ms.}$$

$$\text{Sequence code (from Fig. 4.2)} = (00)_{16}$$

With this information the program outputs a control word from the chosen table to the MCW, delays for the specified time and then outputs the next control word in the table. It keeps stepping through the table sequentially (Fig. 4.3) thereby stepping the motor in the desired manner.

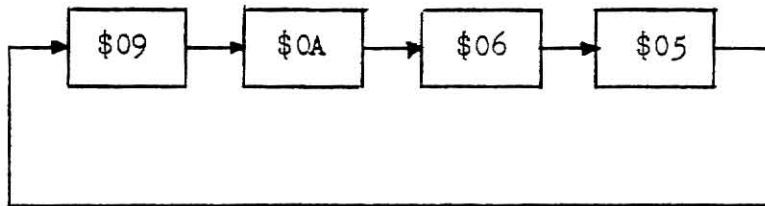
Control of the direction of rotation could have been carried out in the software program itself by traversing the same excitation table in a particular direction for clockwise rotation and in a reversed direction for counterclockwise rotation, but this merely increased the complexity of the program and did not save any significant amount of memory space. Hence the option of storing the same excitation table for a particular mode of operation (one-phase-on, two-phase-on, mixed) in reversed sequence was used to control the choice of direction of rotation. This drive technique has also been used in the positioning control and stepping control programs.

Program "ROW" (Flowchart in Fig. 4.4) uses the Rotating Control Word Method to achieve the same result as program TLU. Instead of using look-up tables this technique consists of rotating the MCW one bit, to the right or to the left depending on the direction of rotation required, after delaying for a specified time (depending on the required motor speed). Since the MCW is a 4-bit word (nibble) and the KIM microcomputer handles byte-sized words, a pseudo-nibble rotate instruction was implemented as follows. An 8-bit memory location was loaded

Starting Address(Hex)	Memory Contents(Hex)	
\$0000	\$09	Two phase on clockwise sequence
	\$0A	
	\$06	
	\$05	
\$0004	\$08	One phase on clockwise sequence
	\$02	
	\$C4	
	\$01	
\$0008	\$09	Mixed mode clockwise sequence
	\$08	
	\$0A	
	\$02	
	\$06	
	\$04	
	\$05	
	\$01	
\$0010	\$05	Two phase on counter-clockwise sequence
	\$06	
	\$0A	
	\$09	
\$0014	\$01	One phase on counter-clockwise sequence
	\$04	
	\$02	
	\$08	
\$0018	\$01	Mixed mode counter-clockwise sequence
	\$05	
	\$04	
	\$06	
	\$02	
	\$0A	
	\$08	
	\$09	

Note : The two least significant hexadecimal digits of the starting address of each seqn. is the seqn. code.

Fig. 4.2 Memory map for motor drive sequence tables



Sequence code = \$00 (from fig.4.2)

Two phase on, clockwise drive sequence

Fig. 4.3 Program example for 'TLU'

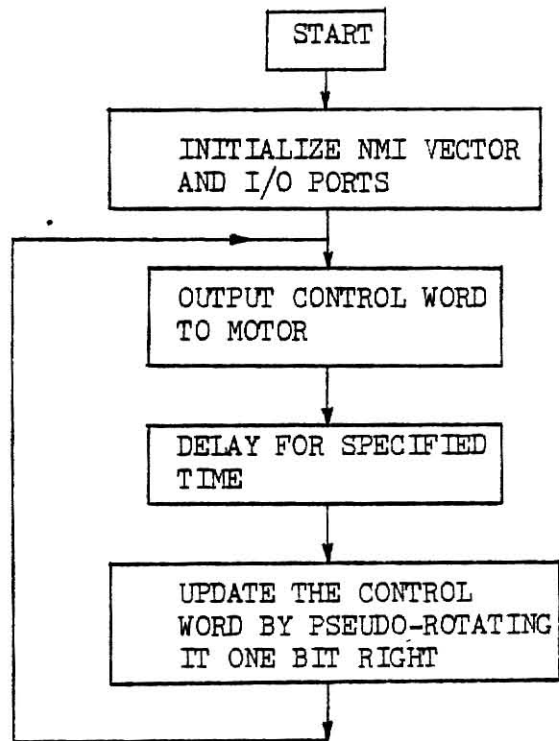


Fig. 4.4 Flowchart for program 'ROW'

with the control word (different for the one-phase-on mode of excitation and the two-phase-on mode of excitation), its four least significant bits comprised the MCW while the four most significant bits merely duplicated the same bit pattern (Fig. 4.5), next, before a rotate instruction is performed the carry is set to equal the least significant bit of the 8-bit control word or the most significant bit, depending on whether a rotate right or rotate left instruction is to be performed, respectively. Fig. 4.5 illustrates an example of this procedure with a control word for the two-phase-on mode of excitation.

The drive method used in program ROW saves the trouble of storing look-up tables, but it does so at the cost of increased program complexity. The program would have to have different segments for clockwise and counterclockwise rotation as a result of the pseudo-nibble rotate instruction and also, to incorporate the mixed mode of operation, the program would have to alternately output and update the two-phase-on mode control word as well as the one-phase-on mode control word. Incorporating these features in the program would offset any memory requirement savings as a result of eliminating the look-up tables.

The same method of generating time delays via software was used in both programs, ROW and TLU. The KIM-1 system has on-board timers which can also be used to generate time delays. Once they have been initialized to the delay count, they generate an interrupt when the delay is over.

4.1 POSITION CONTROL PROGRAM

Many applications of the step motor require it to act as a position control device. In profile cutting, for example, step motors can be used to control the X and Y coordinates of the cutting tool. In machine tools step motors can be used to position the drill or drill bit; in assembly line robots these motors could be used to position the robot's arms. With the growing sophistication and availability of digital controllers, there has been a corresponding increase in the application of a step motor as a digital position control actuator. Being an inherently discrete motor device with noncumulative position error, it is possible

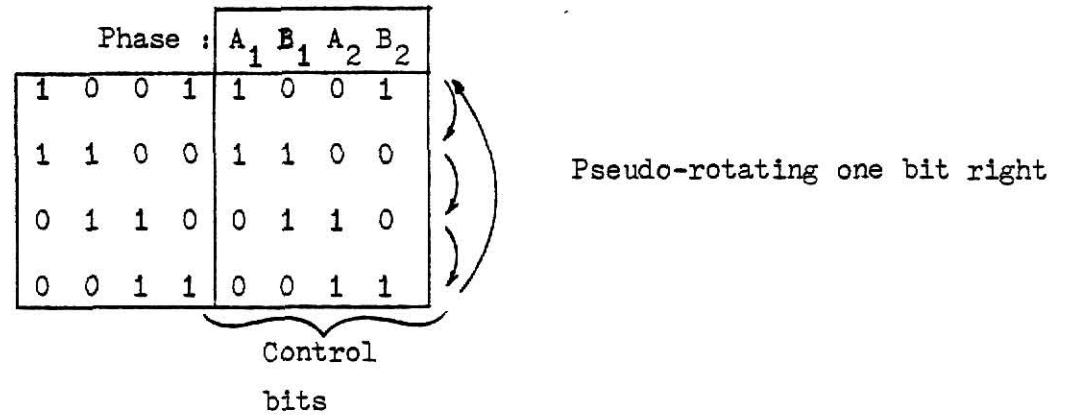


Fig. 4.5 Program example for 'ROW'

to achieve accurate position control with a step motor in an open-loop system, eliminating many instability problems and transducers such as tachometers and the need for gear trains.

The position control program (POSCON) controls the step motor in the positioning mode of operation. A flowchart of the program is shown in Fig. 4.6. This routine causes the motor to oscillate. Each oscillation consists of two phases. Since the table look-up method of driving the motor is used, the user can specify the number of steps (less than 255) to be moved, the speed, and the particular sequence table to be used for each phase of the oscillation and also the total number of oscillations (less than 255) the motor must complete before coming to a halt.

The parameters to be specified for each phase of the oscillation can be chosen independently for each phase, this implies that the phases could differ in direction of movement, number of steps, and choice of sequence table. This offers a considerable amount of flexibility in controlling the step motor. However, to ensure that no loss of steps occurs in switching back and forth between the phases, the sequences chosen must each be subsets of the other. This is so because the program, while switching from the old phase of the oscillation to the new phase, searches the new phase sequence table for the last control word output by the old phase sequence table and once a match is found, it outputs the next control word in the new phase sequence. This ensures stepping continuity. For a greater degree of flexibility, programs in which each oscillation consists of more than two phases could be developed, using essentially the same techniques as POSCON.

Program usage details and a listing have been included in the software appendix.

4.3 RAMP GENERATOR PROGRAM

The acceleration of the step motor from its start-stop speed to its operating speed is known as ramping and the deceleration process is referred to

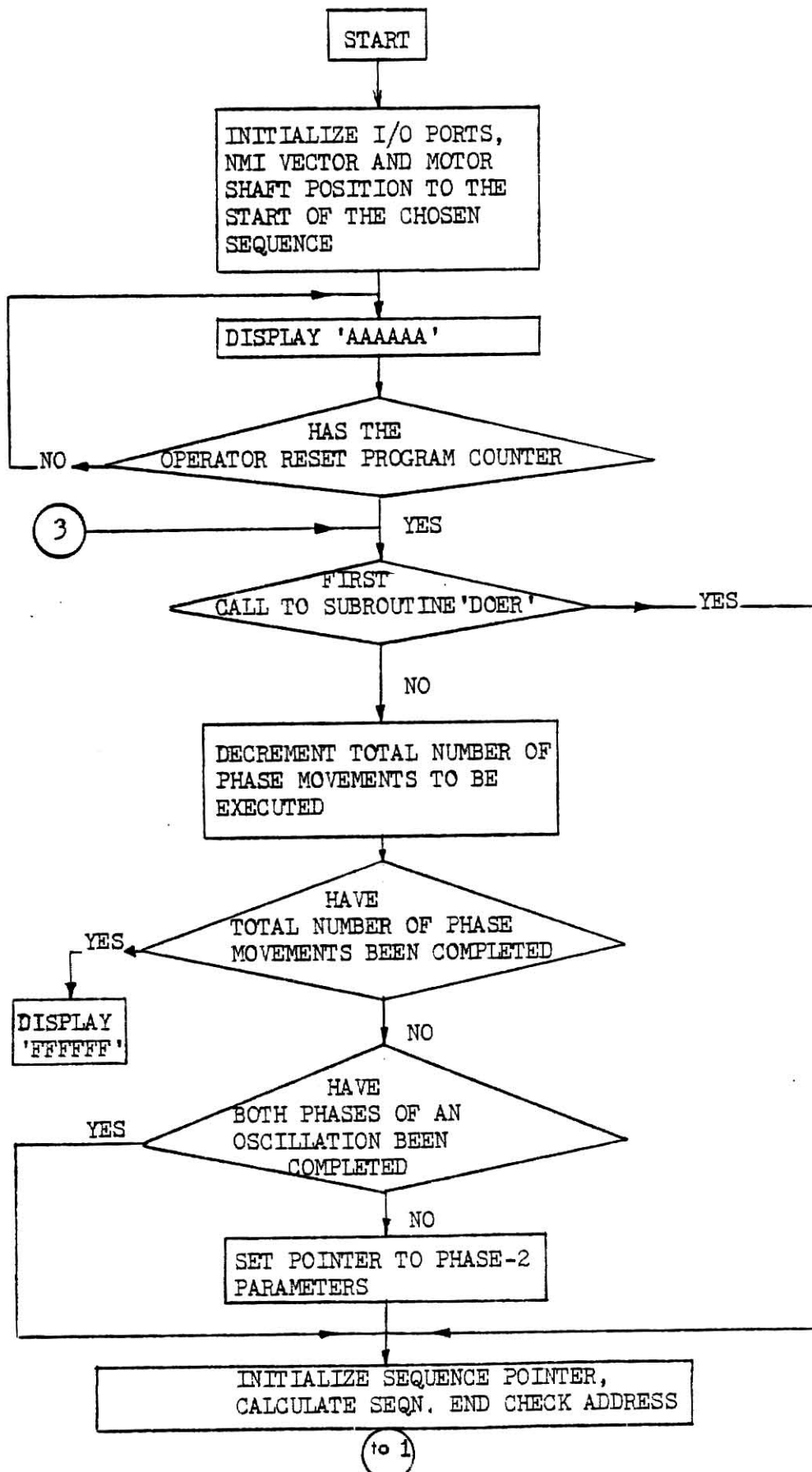


Fig.4.6 Flowchart for program 'POSCON'

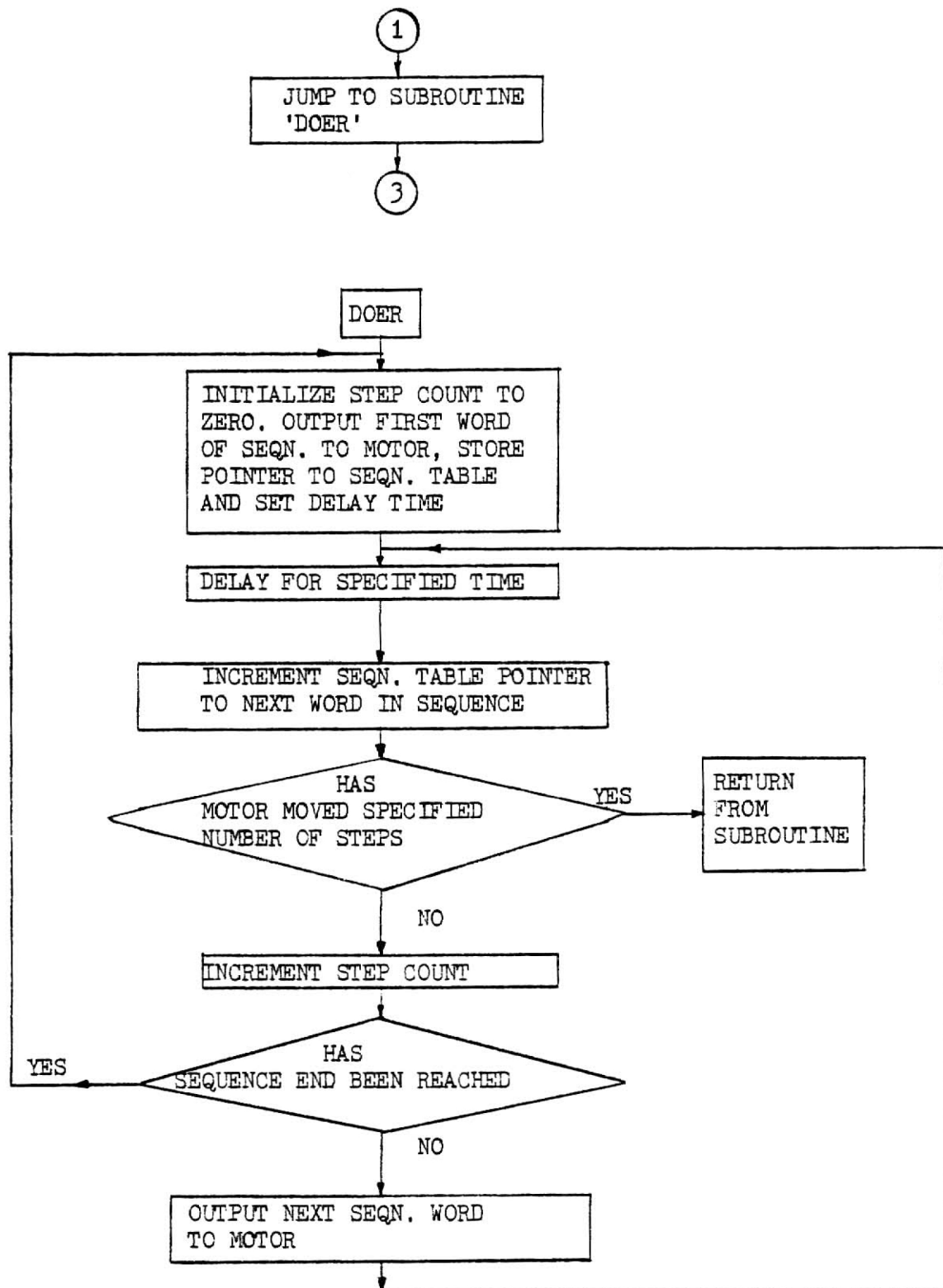


Fig.4.6 (contd.) Subroutine 'DOER'

as de-ramping. Generally, this task is carried out by analog circuits; an example of such a circuit has been presented in a paper by V. V. Athani and J. G. Mundhada (2). Such hardware circuits usually permit a particular ramping pattern. The speed can be varied, for example, in a linear, parabolic or exponential manner, but each pattern would require special hardware.

Program STEPCON which controls the motor in the slewing mode, incorporates software ramping/deramping via a ramping/deramping look-up table. Hence, the same program and drive hardware can be used to implement virtually any ramping/deramping pattern by merely modifying the look-up table. This leads to the idea of ramping/deramping look-up table generating programs. RAMGEN is an example of such a program. It generates a linear ramping/deramping look-up table.

RAMGEN, in essence, solves the linear equation

$$v = u + at \quad . \quad (4.1)$$

over a specified time (t) range. Given the motor's starting (initial) velocity (u), the final velocity (v_f) and the time in which it has to attain its final velocity (t_f), the program calculates the acceleration constant (a) as

$$a = \frac{v_f - u}{t_f} \quad . \quad (4.2)$$

It then divides the final time (t_f) into a specified number of intervals, the minimum interval resolution being one-quarter ($1/4$) of a second. The next task that it handles is the calculation of the motor velocity at the boundaries of each interval. For example, if the time specified (t_f) were ten seconds and the specified time interval was one second, the program would evaluate the motor speed at time 0, 1, 2, 3, 4, 5, 6, 7, 8, 9, and 10 seconds (Fig. 4.8). Once this procedure is completed the program computes the delay times (T_d) corresponding to the calculated velocities. Each delay time is calculated to the nearest tenth of a millisecond. Finally, corresponding to each velocity, the program calculates the number of steps the rotor would move in the specified time interval.

The ramping/deramping table consists of stored values of delay time (one byte) followed by the corresponding number of rotor steps for which this

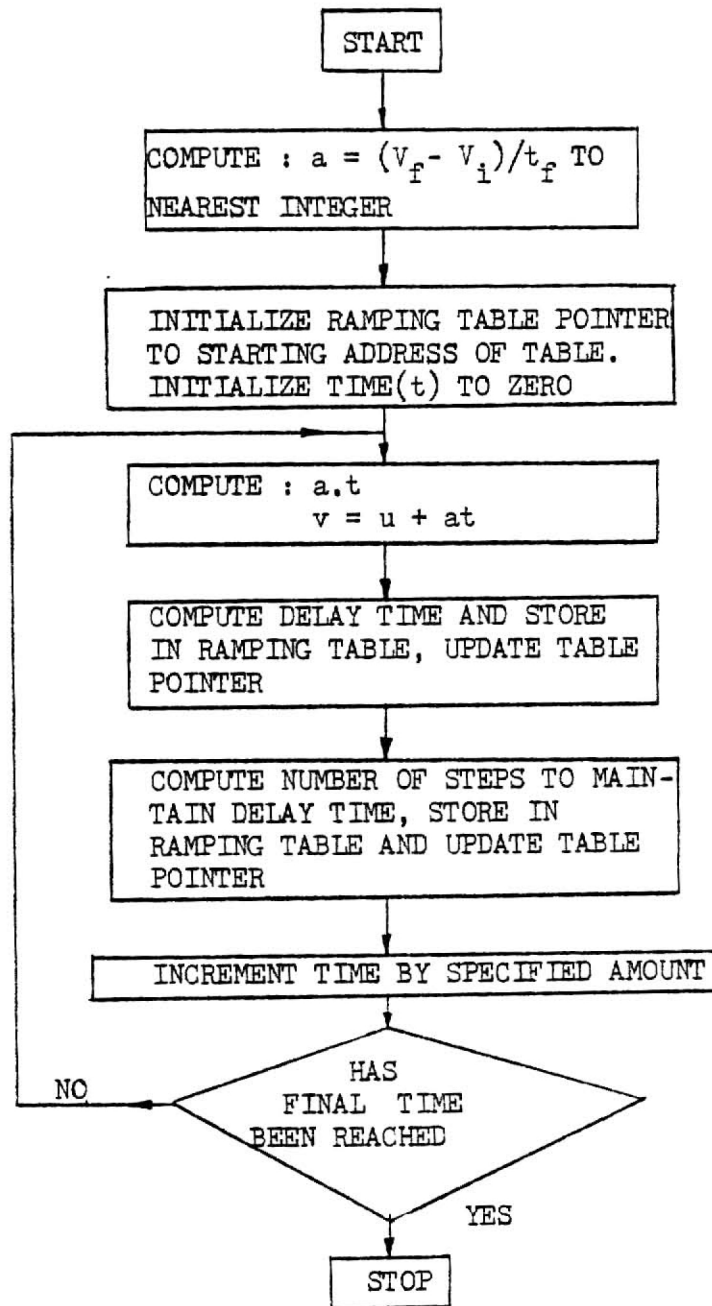


Fig. 4.7 Flowchart for program 'RAMGEN'

delay time value is to be used. The number of steps is stored in a two-byte location, most significant byte followed by the least significant byte (Fig. 4.9). The acceleration constant is stored in a 8-bit location. Of the values which must be supplied to the program, t_f is an 8-bit word, while the initial and final motor speed values are each 16-bit words. A flowchart for the program is shown in Fig. 4.7.

Program RAMGEN generates a ramping table, which starts the motor at its start-stop speed and accelerates it, linearly, up to its operating speed; de-ramping is accomplished by merely traversing the table in reverse order. This implies that the acceleration constant (a) computed is always positive, as are the delay time values and the number of steps for maintaining each calculated delay time. Hence the program calls subroutines MPLY and DIVN which perform 8 bit by 8 bit unsigned division. RAMGEN also uses a form of "pseudo-floating point" arithmetic to permit delay time calculating with an accuracy of one tenth of a millisecond, and a time interval resolution of $1/4$ of a second.

To permit the one-quarter of a second time interval resolution the program requires the user to specify the time interval (SPIN) as a multiple of $1/4$ of a second and also initialize a constant (FRAC) to any non-zero value, the program then uses the time value specified and divides all calculations in which the value is used by four (rotate right twice) resulting in a fractional time interval specification. If the constant is initialized to zero the program assumes the time interval specification to be an integer.

For the accuracy required in delay time specification, a process of repeated division is employed to yield a result which has a unit specification of one-tenth of a second rounded off to the nearest integer. The rounding off is accomplished by comparing the remainder of the division process with the divisor and if it turns out to be equal to or greater than half the divisor, the quotient is incremented by one.

Time (Sec.)	Speed (Hex.) (sps)
0	00C8
1	00F0
2	0118
3	0140
4	0168
5	0190
6	01B8
7	01E0
8	0208
9	0230
10	0258

Initial speed : 200 sps

Final speed : 600 sps

Acceleration time : 10 sec.

Time interbal : 1 sec.

Fig. 4.8 Program example for 'RAMGEN'

Table entry number	Delay time (0.1 ms,Hex.)	Number of steps to maintain delay time(Hex.)
1	32	00C8
2	2A	00F0
3	24	0118
4	20	0140
5	1B	0168
6	19	0190
7	17	01B8
8	15	01E0
9	14	0208
10	11	0230
11	11	0258

1-byte
2-bytes

Fig. 4.9 Table output produced by RAMGEN (corresponding to fig.4.8)

Program RAMGEN has been developed as a "sample" program to give some idea of the versatility of software controlled open-loop ramping of a step motor. More sophisticated programs can be developed to generate parabolic or exponential ramping curves. These programs would essentially be equation-solving routines which would solve parabolic or exponential equations with enhanced arithmetic capability, generating their respective ramping curves. Hence, it is evident that this technique, of open-loop ramping of a step motor, facilitates virtually any form of ramping curve which can be expressed as an equation.

Details on program usage have been included in the software appendix along with a listing of the program.

4.4 STEPPING CONTROL PROGRAM

The step motor, besides being used in the single stepping (position control) mode is also used in the continuous stepping (slewing) mode. To operate the step motor in this mode, the most important control task is to accelerate (ramp) the step motor from its start-stop speed to its operating speed, for a given load torque, and then again decelerating (deramping) the motor from its operating speed to its start-stop speed before bringing it to a complete halt. This is necessary to ensure that the motor does not lose stepping synchronism with the input voltage pulses.

Program STEPCON (flowchart shown in Fig. 4.10) is designed to ramp the step motor from its start-stop speed up to its operating speed and, when it is time to halt the motor, to deramp the motor from its operating speed back to its start-stop speed before halting it. It is essentially an open-loop scheme, but it does use a feedback loop, via an encoder disc and a 4-bit binary counter to ensure that the motor is not stalling. It does this by ~~reading~~ reading in the counter after a specified number of steps and then comparing the count, obtained via the counter, with the specified number of steps. If the two do not match to within a

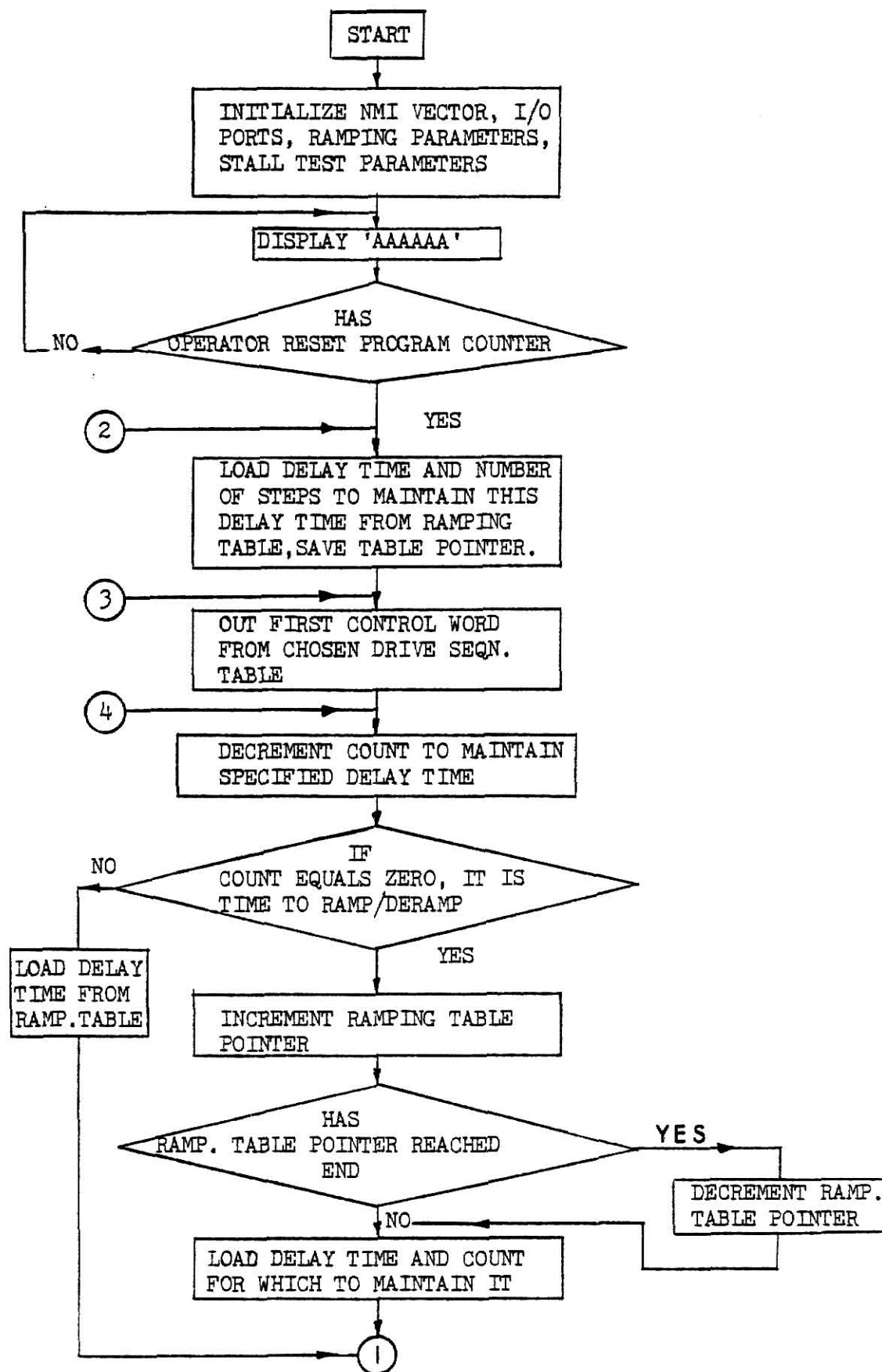


Fig. 4.10 Flowchart for program 'STEPCON'

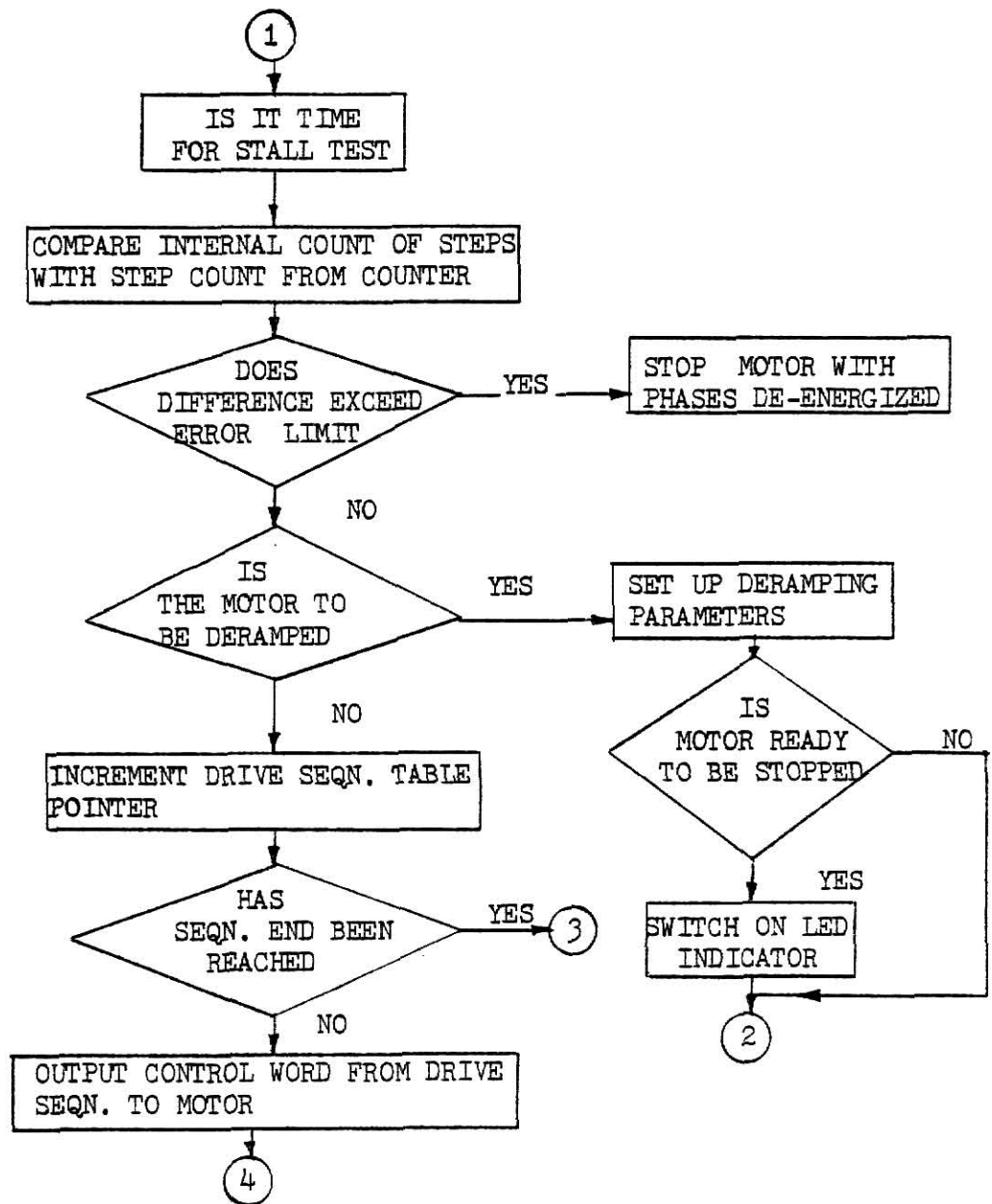


Fig. 4.10 (contd.)

specified error limit, the program halts the motor with its phases in the de-energized state. The maximum specified number of steps to perform the stall test is restricted to fifteen since a 4-bit counter is used.

STEPCON uses the ramping table, generated by program RAMGEN, to ramp and deramp the motor. STEPCON accesses three bytes of the table at a time. The first byte contains the delay time corresponding to the required motor speed while the next two bytes contain a 16-bit count of the number of steps for which the particular speed is to be maintained. Once this count reaches zero the program accesses the next three bytes from the table. The same table is used to ramp and deramp the step motor; while ramping, successive accesses to the table speed up the motor and while deramping, the sequence of accessing the table is anti-parallel to that of ramping the motor.

Program STEPCON uses the table look-up method of driving the step motor thus giving a choice of direction control, step size control (1.8° for the two-phase-on mode and for the one-phase-on mode, 0.9° for the mixed mode of operation), and torque output level since the output torque, at a given speed, is highest for the two-phase-on mode of operation, lowest for the one-phase-on mode of operation and in-between for the mixed mode of operation.

In a study done by W.D. Page, G. Singh and B.C. Kuo (4) on open-loop acceleration of step motors, it was observed that the most commonly used acceleration schemes, in which the speed is increased linearly or exponentially with time, do not necessarily yield the best result. The results were obtained for a particular step motor and for a given load, but they still indicate that the best acceleration scheme for a particular application could well depend on the application itself. In the case of the motor used by Page, et al., both the linear and exponential acceleration schemes produced an overshoot and oscillation in final speed (while ramping). The parabolic scheme, however, yielded a nearly constant final speed.

Implementing different ramping schemes via hardware would greatly increase the system complexity, especially if a choice of ramping schemes were required of the same control unit. Implementation via software, however, would simply require different ramping table generating programs (of which RAMGEN is an example) and the same stepping control program (STEPCON). Hence the software implementation would merely require additional memory space to implement a variety of acceleration schemes.

In view of the results presented by Page, et al., namely, the dependence of the step motor acceleration scheme on factors such as the choice of step motor and loading conditions it would be advantageous to have a controller with the ability to implement different acceleration schemes with a minimum of difficulty in switching from one scheme to another. A software control scheme, of the type described in this section, would seem to satisfy the above requirement.

RESULTS AND CONCLUSIONS

In the course of this study two different kinds of step motor drives were implemented and tested, within limitations. The first of these drives the resistive drive increased the maximum stepping rate of the motor from 450 sps (with no external modifications to the motor phases) to about 550 sps. However, it entailed high energy loss (I^2R) in the external series resistance connected to each motor phase. The chopper drive allowed a maximum stepping rate in the range of (650-700) sps, this was in spite of the fact that the supply voltage was limited to 30 V (the maximum value used in the resistive drive). Normally the supply voltage used in a chopper drive is as high as ten times the motor's rated supply voltage (12 V for the motor used).

In the position control mode, the motor exhibited good start-stop capability, with a loss of accuracy limited to ± 2 steps. The linear ramping/de-ramping table used to accelerate/decelerate the motor had its delay time entries calculated to an accuracy of one-tenth of a millisecond which provided for smooth motor acceleration. In the continuous mode of operation the feedback loop also performed satisfactorily in switching off the power to the motor phases whenever the motor tended to stall.

The software developed for the microprocessor based controller demonstrated the flexibility of software control. The controller could be used in any positioning or continuous stepping application of the step motor and would offer different motor acceleration schemes without requiring hardware modifications. The idea of a microprocessor based controller seems ever more attractive in view of the growing availability of low cost single chip microprocessors which are virtual mini-computers.

APPENDIX A: STEP-MOTORS

Step-motor Terminology:

- (1) Step angle: This is the angle through which the motor shaft moves for a change in excitation pattern.
- (2) Accuracy: Step-motor accuracy is the per step deviation from the rated step angle. This error is non-cumulative, that is, even after n -steps, if synchronization between the input pulses and rotor steps has been maintained by design constraints, the total error is still equal to a percentage (about 5%) of a single step angle.
- (3) Holding torque: Torque required to deflect the rotor a full step with the motor energized and in a standstill condition.
- (4) Detent torque: Torque exerted on the rotor in the un-excited state.
- (5) Ramping: The term ramping implies the acceleration/deceleration of the motor from/to a safe start-stop speed to/from its operating speed (Fig. A.1).
- (6) Torque vs. Stepping rate curve: The motor, for a given load torque T_1 (Fig. A.2) can be started at a rate R_1 given by its response (start-stop) curve (R), and can attain a maximum operating speed R_2 given by the slewing (operating) curve (S).
- (7) Pull in torque: Maximum torque against which the motor can start at a given speed. In Fig. A.2, this equals T_1 for a speed of R_1 .
- (8) Pull out torque: This is the maximum operating torque the motor can supply for a given speed, and it equals T_0 for a speed of R_1 (Fig. A.2).
- (9) Pull in rate: The maximum start-stop speed for a given load torque, equals R_1 for T_1 in Fig. A.2.

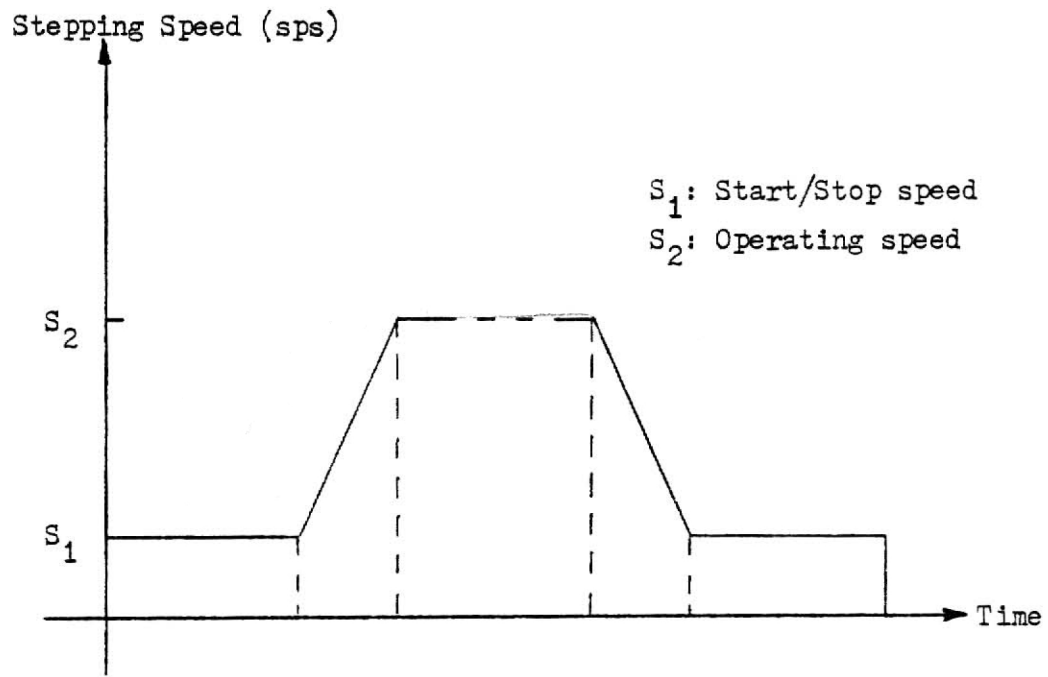


Fig. A.1 Linear Ramping/Deramping graph

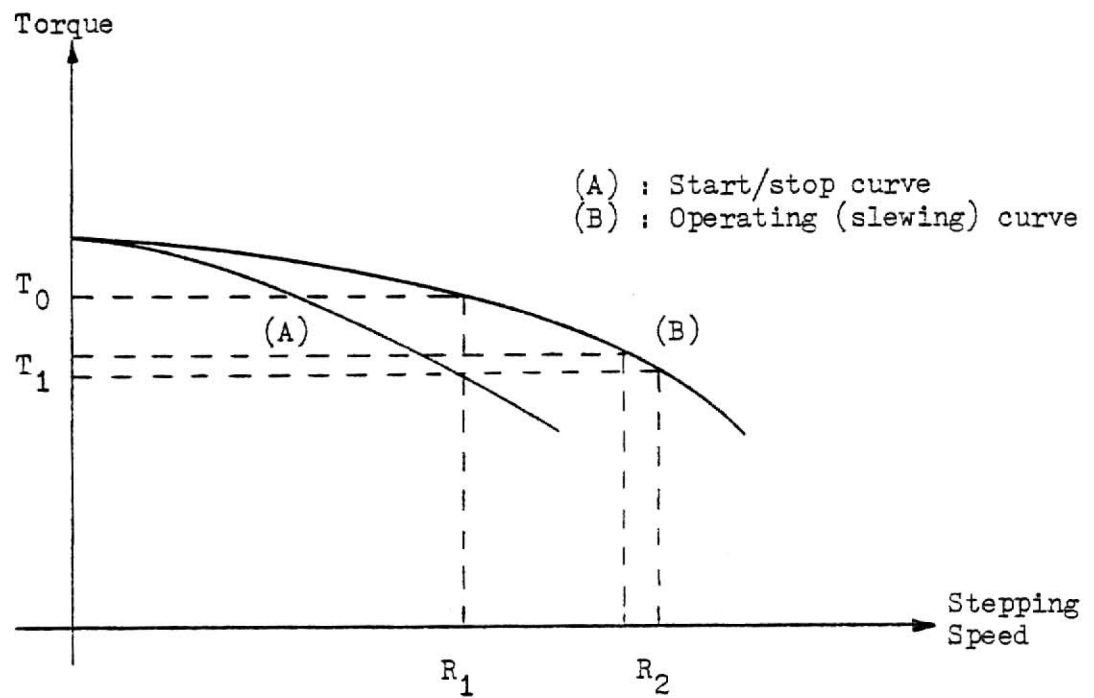


Fig. A.2 Torque vs. speed characteristic

- (10) Pull out rate : Maximum operating speed for a given load torque, equals R_2 for T_1 in Fig. A2.

Summary of Permanent magnet and Variable reluctance motor characteristics :

Variable reluctance motor :

- (a) High stepping rates possible.
- (b) High torque to inertia ratio.
- (c) Fast step response.
- (d) Ability to free wheel.
- (e) Bi-directional rotation, requires at least three phases for directional control.
- (f) No detent torque.
- (g) Oscillatory step response with overshoots.

Permanent magnet motor :

- (a) High torque to inertia ratio.
- (b) Bi-directional rotation possible.
- (c) Detent torque, implies no free-wheeling.
- (d) Low power consumption.
- (e) Less oscillatory than a variable reluctance motor.

Motor selection & System design criteria :

- (a) Estimate the output torque required of the motor as the sum of acceleration torque, load torque, and frictional torque.
- (b) From the positional accuracy required, determine the step angle.
- (c) From the response and slewing curves, using the torque value obtained in (a) above, determine the allowable start-stop and operating speeds.
- (d) From the minimum allowable time to reach the operating speed from the start-stop speed, determine the angular acceleration required.

APPENDIX B : HARDWARE SPECIFICATIONS

The step motor used in the project was a model manufactured Eastern Air Devices. Its construction details were as follows :

- a) Four, bifilar wound, phase windings.
- b) Two rotor pole pieces with 50 teeth each and out of phase by one-half of a tooth pitch.
- c) Permanent magnet fitted along the length of the rotor axis.
- d) 48 teeth on the stator, 6 teeth per pole piece.
- e) 1.8° basic angle.
- f) For a step motor, the relationship between the pole pitch (P_p) and the tooth pitch (P_t) is given by

$$P_p = (m \pm 1/n) P_t$$

where m is a positive integer chosen from packaging considerations, and n equals the number of steps used for one tooth pitch rotation.

For the given motor, $n=4$ and $m=6$

$$\text{therefore } P_t = 360^\circ / 50 = 7.2^\circ$$

$$P_p = 45^\circ$$

Motor specifications

EAD : LA23GCK-20

Rated voltage = 12V (d.c.)

Rated current = 0.6 amps (per phase)

Resistance = 20 ohms (per phase)

Inductance = 18 mh (per phase)

Step accuracy = 3 %

Holding torque = 30 oz.in.

Rotor inertia = 57 gm.cm.²

Weight = 15 oz.

Power Transistor ratings :

GE-273 : medium power NPN silicon transistors.

Power dissipation = 7W @ 25°C

$I_C = 1.5$ amps.

BVCBO = 50 V

BVCEO = 40 V

BVEBO = 5 V

Freq. = 70 MHz

$H_{fe} = 300$ (max.)

Figures D.1a-c show the pin outs for the comparator (LM311) and operational amplifiers (MC1747 & TL084C) used.

Figures D.2a-c show the pin outs for the counter (CMOS 4516), the buffers (TTL 7407) and D-Flip-Flops used in the circuit.

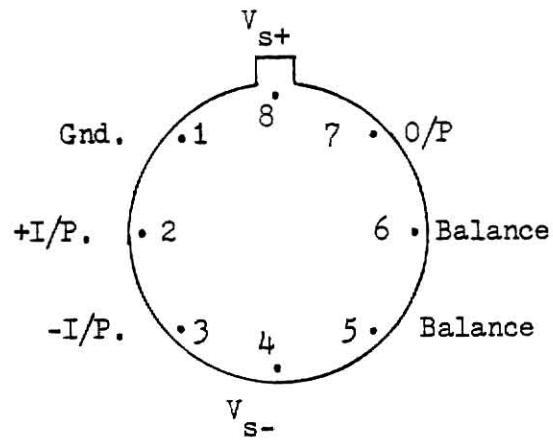


Fig. D.1a Pin out for LM311 comparator(Top view)

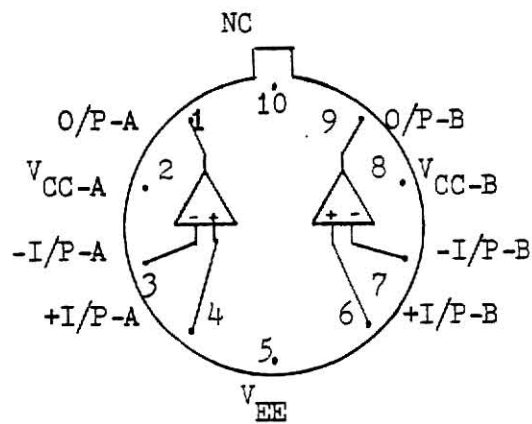


Fig. D.1b Pin out for 747 dual op. amp. (Top view)

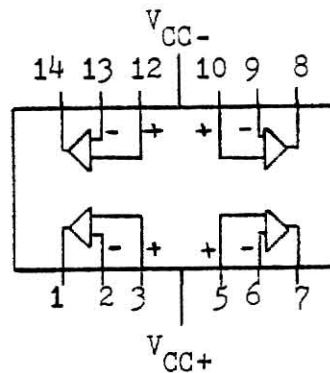


Fig. D.1c Pin out for TL084C quad. op. amp.

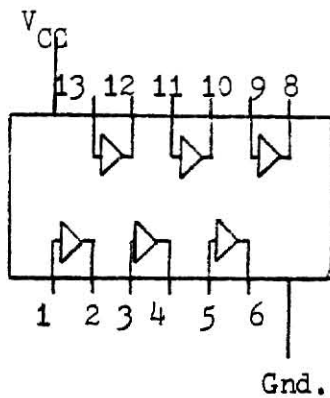


Fig.D.2a Hex. buffers (7407)

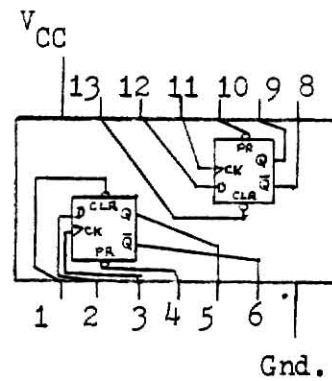


Fig.D.2b Dual D-F/F (7474)

Reset	1	16	V_{DD}
Q_4	2	15	Clk.
P_4	3	14	Q_3
P_1	4	13	P_3
C_{in}	5	12	P_2
Q_1	6	11	Q_2
C_{out}	7	10	Up/Dn.
V_{SS}	8	9	Reset

Fig.D.2c Pin designation for CD4516 4-bit CMOS counter

APPENDIX C SOFTWARE LISTINGS

The system software has been developed for the KIM-1 system described in the hardware appendix. The programs were stored on magnetic tape and entered via the teletype. The keypad was used to run the programs once they had been loaded into the KIM-1 system memory. All parameters, required as user inputs by any one of the programs, are entered in hexadecimal (\$), and all numerical outputs from the programs are specified in hexadecimal too.

TEST PROGRAMS:

(a) TLU : Program TLU implements the table look-up method of driving the step motor. It requires, as inputs, a delay time value which corresponds to the motor speed required and an excitation table. To run the program, the above inputs must be specified and the 'GO' key, on the keypad, depressed. The motor can be halted by depressing the 'ST' key.

(b) ROW : This program drives the step motor by rotating the control word. To run the program, the delay time and chosen control word must be specified. The motor can then be started by depressing the 'GO' key and halted by depressing the 'ST' key.

CARD #	LCC	CODE	CARD 10	20	30	40	50
1	0000		;*****				
2	0000		;MOTOR DRIVE PROGRAM (TLU)				
3	0000		;*****				
4	0000		;VARIABLE STORAGE ADDRESSES				
5	0000		;*****				
6	0000		;DRIVE TABLE STORED IN LCCN. \$00-\$03				
7	0000		TEMP=\$0004				
8	0000		DELT=\$0005 ;DELAY TIME (MS)				
9	0000		;*****				
10	0000		;OPERATIONAL				
11	0000		;*****				
12	0000		*=\$0006				
13	0006	A9 00	LDA	\$00	;INIT. NMI VECTOR		
14	0008	8D FA 17	STA	\$17FA			
15	0008	A9 1C	LDA	\$1C			
16	000D	3D FB 17	STA	\$17FB			
17	0010	A9 7F	LDA	\$7F	;INIT. PB (0-6) AS O/P BITS		
18	0012	3D 03 17	STA	\$1703			
19	0015	A2 00	BLOOP	LDX	\$00		
20	0017	85 00	SLOOP	LDA	\$00,X	;C/P CONTROL WORD TO MOTOR	
21	0019	3D 02 17	STA	\$1702			
22	001C	86 04	STX	TEMP			
23	001E	A4 05	LDY	DELT	;DELAY LOOP		
24	0020	A2 C7	DELAY	LDX	\$C7		
25	0022	CA	DLY1	DEX			
26	0023	DC FD		BNE	DLY1		
27	0025	38		DEY			
28	0026	DC F8		BNE	DELAY		
29	0028	A6 04		LDX	TEMP	;UPDATE TABLE PTR.	
30	002A	E8		INX			
31	002B	EC 04		CPX	\$04		
32	002C	F0 E6		BEQ	BLOOP		
33	002F	4C 17 C0		JMP	SLOOP		
34	0032			END			

CARD #	LCC	CODE	CARD	10	20	30	40	50
1	0000							
2	0000							
3	0000							
4	0000							
5	0000							
6	0000							
7	0000							
8	0000							
9	0000							
10	0000							
11	0000							
12	0005	A9 00	START	LOA #00				
13	0007	80 FA 17		STA \$17FA				
14	000A	A9 1C		LOA #1C				
15	000C	8C FB 17		STA \$17FB				
16	000F	A9 7F		LOA #7F				
17	0011	80 03 17		STA \$1703				
18	0014	A5 00		LOA SECO				
19	0016	85 02		STA \$02				
20	0018	8C 02 17	LOOP	STA \$1702				
21	001B	A4 01		LDY DELT				
22	001C	A2 C7	DELAY	LDX #C7				
23	001F	CA	DLY1	DEX				
24	0020	D0 FD		BNE DLY1				
25	0022	88		DEY				
26	0023	0C FB		BNE DELAY				
27	0025	A9 01		LOA #01				
28	0027	24 02		BIT \$02				
29	0029	F0 04		BEQ NEXT1				
30	002B	33		SEC				
31	002C	4C 30 00		JMP OUT				
32	002F	18	NEXT1	CLC				
33	0030	56 02	OUT	ROR \$02				
34	0032	A5 02		LOA \$02				
35	0034	4C 18 00		JMP LOOP				
36	0037			.END				

POSITION CONTROL PROGRAM:

Before running program POSCON, the following initializations must be carried out:

- (i) Specify number of steps to be moved by the motor in phase one of its oscillation.
- (ii) Specify number of steps to be moved by the motor in phase two of its oscillation.
- (iii) Specify stepping speed (corresponding delay time in ms.) for the first phase of the oscillation.
- (iv) Specify stepping speed (corresponding delay time in ms.) for the second phase of the oscillation.
- (v) Specify the chosen excitation table code for phase one.
- (vi) Specify the chosen excitation table code for phase two.
- (vii) Specify the total number of phase movements required.

Once the above parameters have been initialized, the program execution is started at address \$3E by initializing the address display to this value and depressing the 'GO' key. The program initializes the rotor position and displays 'AAAAAA' on the keypad display, at which point program execution is started at address \$5D by depressing the 'ST' key, initializing the address display to \$005D and depressing the 'GO' key. When the positioning job is over, the display reads 'FFFFFF'.

CARD #	LOC	CODE	CARD 10	20	30	40	50
1	0000		;*****				
2	0000		;POSITION CONTRL PROGRAM (PCSCON)				
3	0000		;*****				
4	0000		;VARIABLE STORAGE ADDRESSES				
5	0000		;*****				
6	0000		NOST=\$002A	;NO. OF STEPS MOVED IN PHASE/UF GS			
7	0000		RATE=\$002C	;STEPPING RATE FOR PHASE U OF OSC.			
8	0000		SECC=\$002E	;SEQN. CODE FOR PHASE U OF OSC.			
9	0000		ENCH=\$0030	;END CHECK ADD. FOR CHOSEN SEQN.			
10	0000		TIME=\$0031	;NO. OF REPTITIONS OF OSC.			
11	0000		INTI=\$0032	;TEMP. STORAGE FOR INCO			
12	0000		INCO=\$0033	;NO. OF PHASES IN ONE OSC (MAX.=2)			
13	0000		STEC=\$0034	;MOTOR STEP COUNT			
14	0000		TEM1=\$0035	;TEMP. STORAGE LCCN.			
15	0000		TEM2=\$0036	;TEMP. STORAGE LCCN.			
16	0000		TEM3=\$0037	;TEMP. STORAGE L			
17	0000		TEM4=\$0038	;TEMP. STORAGE LCCN.			
18	0000		;*****				
19	0000		;INITIALIZATIONS				
20	0000		;*****				
21	0000		*=\$0040				
22	004C	A9 7F	LDA #7F	;INIT. PE (0-6) AS C/P			
23	0042	8C 03 17	STA \$17C3				
24	0045	A2 00	LDX #00	;C/P CONTROL WORD TO MOTOR			
25	0047	A1 2E	LDA (SECC,X)	;TO INIT. MOTOR POSITION			
26	0049	8C 02 17	STA \$1702				
27	004C	A9 AA	LDA #AA	;DISPLAY 'AAAAAA'			
28	004E	85 F9	STA \$F9				
29	0050	85 FA	STA \$FA				
30	0052	85 FB	STA \$FB				
31	0054	2C 1F 1F	JSR \$1F1F				
32	0057	4C 54 00	JMP IS1				
33	005A		;OPERATIONAL				
34	005A		;*****				
35	005A	A2 00	MAST LDX #00	;INIT. INTI TO VALUE OF INCO			
36	005C	A5 33	LDA INCO				
37	005E	85 32	STA INTI				
38	0060	85 2E	MS1 LDA SECC,X	;CALC. SEQN. END CHECK ADD.			
39	0062	C9 08	CMP #08				
40	0064	FC 0C	BEC MS2				
41	0066	C9 13	CMP #13				
42	0068	FC 08	BEC MS2				
43	006A	18	CLC				
44	006B	69 04	ADC #04				
45	006C	85 30	STA ENCH				
46	006F	4C 77 00	JMP MS3				
47	0072	18	MS2 CLC				
48	0073	69 08	ADC #08				
49	0075	85 30	STA ENCH				
50	0077	86 35	MS3 STX TEM1	;STORE PHASE NO. PTR.			
51	0079	2C 98 00	JSR DOER				
52	007C	A6 35	LDX TEM1				
53	007E	C6 31	DEC TIME	;CHECK FOR END OF JCB			
54	008C	FC 08	BEC MS4				
55	0082	C6 32	DEC INTI	;CHECK FOR END OF CSC.			

CARD #	LOC	CODE	CARD	10	20	30	40	50
56	0034	FC D4		BEC MAST				
57	0036	E8		INX				
58	0087	4C 60 CO		JMP MS1				
59	008A	A9 FF	MS4	LDA #FFF			;DISPLAY 'FFFFFF'	
60	003C	85 F9		STA \$F9				
61	008E	85 FA		STA \$FA				
62	0090	85 FB		STA \$FB				
63	0092	2C 1F 1F	MS5	JSR \$1F1F				
64	0095	4C 92 CO		JMP MS5				
65	0098			;*****				
66	0098			;SUB. : DCER				
67	0098			;*****				
68	0098	A9 00	DOER	LDA #00			;INIT. STEC TO ZERO	
69	009A	85 34		STA STEC				
70	009C	85 37		STA TEM3				
71	009E	A4 35	DS1	LDY TEM1				
72	00A0	86 2E		LDX SECO,Y				
73	00A2	86 36		STX TEM2				
74	00A4	A5 37		LDA TEM3			;CHECK TC MAINTAIN STEP SYNCH.	
75	00A6	D0 13		BNE DS2			;BETWEEN PHASES	
76	00A8	E6 37		INC TEM3				
77	00AA	AC 02 17	MAT	LDA \$1702				
78	00AD	29 0F		AND #0F				
79	00AF	85 38		STA TEM4				
80	0031	85 00		LDA \$00,X				
81	0083	C5 36		CMP TEM4				
82	0085	FC 04		BEC DS2				
83	0087	E8		INX				
84	0088	4C AA CO		JMP MAT				
85	0088	85 00	DS2	LDA \$00,X			;C/P CONTROL WORD TC MOTOR	
86	008D	8D 02 17		STA \$1702				
87	00C0	A6 35		LDX TEM1				
88	00C2	B4 2C		LDY RATE,X				
89	00C4	A2 C7	DS3	LDX #C7			;DELAY LOOP	
90	00C6	CA	DS4	DEX				
91	00C7	DC FD		BNE DS4				
92	00C9	88		DEY				
93	00CA	DC F8		BNE DS3				
94	00CC	E6 36		INC TEM2			;UPDATE SEQN. TABLE PNTR.	
95	00CE	A6 35		LDX TEM1				
96	00D0	B5 2A		LDA NOST,X				
97	00D2	C5 34		CMP STEC				
98	00D4	FC 08		BEC DS5				
99	00D6	E6 34		INC STEC				
100	00D8	A6 36		LDX TEM2				
101	00DA	E4 30		CPY ENCH				
102	00DC	FC C0		BEC CS1				
103	00DE	4C 88 CO		JMP DS2				
104	00E1	6C	DS5	RTS				
105	00E2			;*****				
106	00E2			; DRIVE SEQUENCE TABLES				
107	00E2			;*****				
108	00E2			*=\$0000				
109	0000	09		.BYTE \$09,\$0A,\$06,\$C5,\$08,\$C2,\$C4,\$01,\$09				
109	0001	0A						

CARD #	LCC	CODE	CARD	10	20	30	40	50
109	0002	06						
109	0003	05						
109	0004	08						
109	0005	02						
109	0006	04						
109	0007	01						
109	0008	09						
110	0009	08						
110	000A	0A						
110	000B	02						
110	000C	0E						
110	000D	04						
110	000E	05						
110	000F	01						
111	0010	05						
111	0011	0E						
111	0012	0A						
111	0013	09						
111	0014	01						
111	0015	04						
111	0016	02						
111	0017	0E						
111	0018	01						
112	0019	05						
112	001A	04						
112	001B	0E						
112	001C	02						
112	001D	0A						
112	001E	08						
112	001F	09						
113	0020							

.BYTE \$08,\$0A,\$02,\$06,\$04,\$05,\$01

.BYTE \$05,\$06,\$0A,\$09,\$01,\$04,\$02,\$08,\$01

.BYTE \$05,\$04,\$06,\$02,\$0A,\$0E,\$09

.END

RAMP TABLE GENERATION PROGRAM:

Program RAMGEN needs the following parameter initializations to be carried out before it can generate the ramp table:

- (i) Final (operational) velocity required (16 bits).
- (ii) Initial (start-up) velocity required (16 bits).
- (iii) Total acceleration time (8 bits).
- (iv) Incremental time for changing the motor speed (8 bits).
- (v) Fractional (0.25 sec.) incremental time required
(FRAC = 1) or integer incremental time required
(FRAC = 0).

Once the initializations have been carried out, program execution is started at address \$200 and when execution ends, the display reads 'FFFFFF', which implies that the ramp table has been stored, starting at location \$30.

CARD #	LCC	CODE	CARD	10	20	30	40	50
1	0000			;*****				
2	0000			;PROGRAM:RANGEN.				
3	0000			; THIS PROGRAM COMPUTES THE RAMP/DERAMP				
4	0000			;TABLE, FOR THE LINEAR CASE AND STORES IT START-				
5	0000			;ING AT ADDRESS \$0030.				
6	0000			;*****				
7	0000			;VARIABLE STORAGE ADDRESSES.				
8	0000			;*****				
9	0000			FHI=\$0060	;M.S.B. OF FINAL VELOCITY			
10	0000			FLC=\$0061	;L.S.B. OF FINAL VELOCITY			
11	0000			IHI=\$0062	;M.S.B. OF INITIAL VELOCITY			
12	0000			ILC=\$0063	;L.S.B. OF INITIAL VELOCITY			
13	0000			FINT=\$0064	;ACCN. TIME IN SEC.			
14	0000			TEMP1=\$0065	;TEMP. RAMP./DERAMP TABLE PNTR.			
15	0000			AAV=\$0066	;ACCN. CONSTANT			
16	0000			LDIV=\$0067	;L.S.B. OF DIVIDEND			
17	0000			MOIV=\$0068	;M.S.B. OF DIVIDEND			
18	0000			DSCR=\$0069	;DIVISOR			
19	0000			QUC=\$006A	;QUOTIENT			
20	0000			REM=\$006B	;REMAINDER			
21	0000			MAC=\$006C	;MULTPLICAND			
22	0000			MER=\$006D	;MULTIPLIER			
23	0000			MMPL=\$006E	;M.S.B. OF MULT. RESULT			
24	0000			LMPL=\$006F	;L.S.B. OF MULT. RESULT			
25	0000			SPIN=\$0070	;INCREMENTAL TIME			
26	0000			FRAC=\$0071	;EQUALS ONE IF SPIN IS FRACTIONAL			
27	0000			TIME=\$0072	;STORES TOTAL TIME			
28	0000			TEMP2=\$0073	;TEMP. REMAINDER			
29	0000			COUNT=\$0074	;TEMP. STORAGE FOR SPIN			
30	0000			TEMP3=\$0075	;TEMP. STORAGE FOR X-REG.			
31	0000			;*****				
32	0000			;OPERATIONAL				
33	0000			;*****				
34	0000			*=\$0200				
35	0200	38		RAG	SEC	;CALCULATE ACCN. CONST. TO		
36	0201	A5 61			LDA FLO	;NEAREST INTEGER		
37	0203	E5 63			SBC ILC			
38	0205	85 67			STA LDIV			
39	0207	A5 60			LDA FHI			
40	0209	E5 62			SBC IHI			
41	020B	85 68			STA MOIV			
42	020D	A5 64			LDA FINT			
43	020F	85 69			STA DSCR			
44	0211	20 27 C3			JSR DIVN			
45	0214	A5 64			LDA FINT			
46	0216				LSRA			
47	0218	C5 6B			CMP REM			
48	021A	10 06			BPL RG1			
49	021C	E6 6A			INC QUC			
50	021E	A5 6A			LDA QUC			
51	021F	85 66			STA AAV			
52	0220	A9 30		RG1	LDA #30	;TEMP1 POINTS TO START OF		
53	0222	85 65			STA TEMP1	;RAMP/DERAMP TABLE		
54	0224	A9 00			LDA #00	;INIT. TIME LOCN. TO ZERO		
55	0226	85 72			STA TIME			

CARD #	LCC	CODE	CARD	10	20	30	40	50
56	0228	A5 72	RAG0	LDA TIME	;CALCULATE (ACCN.CONST.)(TIME)			
57	022A	85 6C		STA MAD				
58	022C	A5 66		LDA AAY				
59	022E	85 6D		STA MER				
60	0230	2C 44	C3	JSR MPLY				
61	0233	A5 71		LDA FRAC	;CHECK & ADJUST FOR FRAC. TIME			
62	0235	FC 17		BEC RG2				
63	0237	46 6E		LSR MMPL				
64	0239	66 6F		ROR LMPL				
65	023B	46 6E		LSR MMPL				
66	023D	66 6F		ROR LMPL				
67	023F	90 0D		BCC RG2				
68	0241	A5 6F		LDA LMPL				
69	0243	18		CLC				
70	0244	65 01		ADC #501	;ROUND OFF RESULT			
71	0246	85 6F		STA LMPL				
72	0248	A5 6E		LDA MMPL				
73	024A	65 0C		ADC #500				
74	024C	85 6E		STA MMPL				
75	024E	A5 63	RG2	LDA ILC	;CALC. VEL. AT END OF INC. TIME			
76	0250	18		CLC	;ROUNDED OFF TO NEAREST INTEGER			
77	0251	65 6F		ADC LMPL				
78	0253	85 63		STA ILC				
79	0255	85 67		STA LDIV				
80	0257	A5 62		LDA IHI				
81	0259	65 6E		ADC MMPL				
82	025B	85 62		STA IHI				
83	025D	85 68		STA MDIV				
84	025F	A9 0A		LDA #50A				
85	0261	85 69		STA DSCR				
86	0263	2C 27	C3	JSR DIVN				
87	0266	A5 68		LDA REM				
88	0268	C9 05		CMP #505				
89	026A	30 02		BHI RG3				
90	026C	E6 6A		INC CUC				
91	026E	A9 64	RG3	LDA #564	;CALC. DELAY TIME TO NEAREST			
92	0270	85 67		STA LDIV	;TENTH OF A MILLISECOND			
93	0272	A9 00		LDA #500				
94	0274	85 68		STA MDIV				
95	0276	A5 6A		LDA CUC				
96	0278	85 69		STA DSCR				
97	027A	2C 27	C3	JSR DIVN				
98	027D	A5 0A		LDA #50A				
99	027F	85 6C		STA MAD				
100	0281	A5 6A		LDA CUC				
101	0283	85 6D		STA MER				
102	0285	2C 44	C3	JSR MPLY				
103	0288	A5 68		LDA REM				
104	028A	85 73		STA TEMP2				
105	028C	A9 0C		LDA #500				
106	028E	85 68		STA MDIV				
107	0290	A5 69		LDA DSCR				
108	0292	85 67		STA LDIV				
109	0294	A9 0A		LDA #50A				
110	0296	85 69		STA DSCR				

CARD #	LCC	CODE	CARD	10	20	30	40	50
111	0298	2C 27 C3		JSR DIVN				
112	0298	A5 68		LDA REM				
113	029D	C9 05		CMF #505				
114	029F	3C 02		BMI RG4				
115	02A1	E6 6A		INC QUO				
116	02A3	A9 00	RG4	LDA #500				
117	02A5	85 68		STA MDIV				
118	02A7	A5 73		LDA TEMP2				
119	02A9	85 67		STA LDIV				
120	02A8	A5 6A		LDA QUO				
121	02AD	85 69		STA DSUR				
122	02AF	20 27 03		JSP DIVN				
123	02B2	A5 69		LDA CSOR				
124	02B4	4A		LSR A				
125	02B5	C5 68		CMP REM				
126	02B7	1C 02		BPL RG6				
127	02B9	E6 6A	RG5	INC QUO				
128	02BB	FC FC	RG6	BEC RG5				
129	02BC	A5 6A		LDA QUO				
130	02BF	18		CLC				
131	02C0	A6 65		LDX TEMP1				:STORE DELAY TIME IN TABLE
132	02C2	95 00		STA \$00,X				
133	02C4	A5 7C		LDA SPIN				
134	02C6	85 74		STA COUNT				:CALC. # OF STEPS TO MAINTAIN
135	02C8	A9 00		LDA #500				:DELAY TIME
136	02CA	85 60		STA FHI				
137	02CC	85 61		STA FLO				
138	02CE	18	RG7	CLC				
139	02CF	A5 63		LDA ILO				
140	02D1	65 61		ADC FLO				
141	02D3	95 61		STA FLC				
142	02D5	A5 62		LDA IHI				
143	02D7	65 60		ADC FHI				
144	02D9	85 60		STA FHI				
145	02DB	C6 74		DEC COUNT				
146	02DC	DC EF		BNE RG7				
147	02DF	A5 71		LDA FRAC				
148	02E1	FC 08		BEC RG8				
149	02E3	46 6C		LSR FHI				
150	02E5	66 61		ROR FLC				
151	02E7	46 6C		LSR FHI				
152	02E9	66 61		ROR FLO				
153	02EB	A5 60	RG8	LDA FHI				
154	02ED	95 01		STA \$01,X				
155	02EF	A5 61		LDA FLC				
156	02F1	95 02		STA \$02,X				
157	02F3	EE		INX				
158	02F4	EE		INX				
159	02F5	EE		INX				
160	02F6	18		CLC				
161	02F7	A5 72		LDA TIME				
162	02F9	65 70		ADC SPIN				
163	02FB	85 72		STA TIME				
164	02FD	A5 71		LDA FRAC				
165	02FF	FC 09		BEC RG9				

CARD #	LCC	CODE	CARD	10	20	30	40	50
166	0301	A5 64		LDA FINT				
167	0303	0A		ASL A				
168	0304	0A		ASL A				
169	0305	85 75		STA TEMP3				
170	0307	4C 0E C3		JMP RGA				
171	030A	A5 64	RG9	LDA FINT				
172	030C	85 75		STA TEMP3				
173	030E	A5 72	RGA	LDA TIME				
174	0310	C5 75		CMP TEMP3				
175	0312	FC 02		BEC RGM				
176	0314	1C 03		BPL RGB				
177	0316	4C 28 C2	RGM	JMP RAG0				
178	0319	A9 00	RGB	LDA #000				
179	031B	95 F9		STA \$F9				
180	031D	85 FA		STA \$FA				
181	031F	85 FB		STA \$FB				
182	0321	2C 1F 1F	RGC	JSR \$1F1F				
183	0324	4C 21 C3		JMP RGC				
184	0327			;*****				
185	0327			;SUB. : DIVN				
186	0327			; THIS SUB. DIVIDES A 16-BIT UNSIGNED NO. BY				
187	0327			;AN 8-BIT UNSIGNED NO., GIVING AN 8-BIT QUOTIENT				
188	0327			;AND AN 8-BIT REMAINDER				
189	0327			;*****				
190	0327	86 75	DIVN	STX TEMP3				
191	0329	A2 08		LDX #08				
192	032B	A5 67		LDA LDIV				
193	032D	85 6A		STA QUO				
194	032F	A5 68		LCA MDIV				
195	0331	06 6A	D11	ASL QUC				
196	0333	2A		ROL A				
197	0334	C5 69		CMP DSCR				
198	0336	9C 04		BCC D12				
199	0338	E5 69		SBC DSCR				
200	033A	E6 6A		INC QUC				
201	033C	CA	D12	DEX				
202	033D	0C F2		BNE D11				
203	033F	85 6B		STA REM				
204	0341	A6 75		LDX TEMP3				
205	0343	6C		RTS				
206	0344			;*****				
207	0344			;SUB. : MPLY				
208	0344			; THIS SUB. MULTIPLIES TWO UNSIGNED 8-BIT				
209	0344			;BINARY NOS., GIVING A 6-BIT RESULT.				
210	0344			;*****				
211	0344	86 75	MPLY	STX TEMP3				
212	0346	A9 00		LDA #00				
213	0348	85 6E		STA MMPL				
214	034A	A2 08		LDX #08				
215	034C	0A	MP1	ASL A				
216	034D	26 6E		ROL MMPL				
217	034F	06 6D		ASL MER				
218	0351	9C 07		BCC MP2				
219	0353	18		CLC				
220	0354	65 6C		ADC MAD				

CARD #	LOC	CODE	CARD	10	20	30	40	50
221	0356	9C 02		BCC	MP2			
222	0358	E6 6E		INC	MMPL			
223	035A	CA	MP2	DEX				
224	035B	DC EF		BNE	MP1			
225	035D	85 6F		STA	LMPL			
226	035F	A6 75		LDA	TEMP3			
227	0361	60		RTS				
228	0362			.END				

STEPPING CONTROL PROGRAM:

Program STEPCON requires the following parameter initializations:

- (i) Specify chosen excitation table (sequence) code.
- (ii) Specify length of ramping table, i.e., total number of stages in accelerating from the start-stop speed to the operating speed.
- (iii) Specify the starting address of the ramping table.
- (iv) Specify the ending address of the ramping table.
- (v) Specify the number of steps after which the stall test must be performed.
- (vi) Specify if the motor should be halted with its phases energized or de-energized.

Program execution is started at address \$200. The program initializes the rotor position and displays 'AAAAAA', at which point program execution is started at address \$300 by depressing the 'ST' key, initializing the address display to \$0300 and depressing the 'GO' key. The motor gets ramped up to its operating speed and continues to operate at this speed until the control switch on the hardware board is switched from '0' to the '1' position. The program then de-ramps the motor and lights up the LED on the hardware board, which implies that the motor is running at its start-stop speed and can be halted by depressing the 'ST' key.

CARD #	LOC	CODE	CARD 10	20	30	40	50
1	0000		;*****				
2	0000		;STEPPING CONTROL PROGRAM (STEPCCN)				
3	0000		;*****				
4	0000		;VARIABLE STORAGE ADDRESSES				
5	0000		;*****				
6	0000		STEP=\$0020 ;STEP CNT. LOCN. FOR STALL TEST				
7	0000		SECD=\$0021 ;CHOSEN SEQN. CCDE				
8	0000		ENCH=\$0022 ;SEQN. END CHECK ADDRESS				
9	0000		CHEL=\$0023 ;STOP CHECK LOCN.				
10	0000		TALEN=\$0024 ;RAMP/DERAMP TABLE LENGTH				
11	0000		TEM4=\$0025 ;TEMP. STORAGE FOR TALEN				
12	0000		RADN=\$0026 ;END ADD. OF RAMP/DERAMP TABLE				
13	0000		RAUP=\$0027 ;START ADD. OF RAMP/DERAMP TABLE				
14	0000		TEM1=\$0028 ;TEMP. RAMP TABLE PNTR.				
15	0000		TEM2=\$0029 ;TEMP. SEQN. TABLE PNTR.				
16	0000		RATEH=\$002A ;M.S.B. CF #OF STEPS				
17	0000		RATEL=\$002B ;L.S.B. CF # CF STEPS				
18	0000		STAL=\$002C ;# OF STEPS TO REPEAT STALL TEST				
19	0000		TEM3=\$002D ;TEMP. STORAGE LOCN.				
20	0000		POWR=\$002E ;POWER ON/OFF SPEC. LOCN.				
21	0000		;THE RAMP/DERAMP TABLE IS STOPED STARTING AT \$0030				
22	0000		;*****				
23	0000		;INITIALIZATIONS				
24	0000		;*****				
25	0000		** \$0200				
26	020C	A9 E0	INIT	LDA #SE0	;INITIALIZE PORT A,BITS(0-4) I/P		
27	0202	80 01 17		STA \$1701	;AND BITS(5-7) C/P		
28	0205	A9 1F		LDA #S1F	;INITIALIZE PORT B,BITS(0-4) C/P		
29	0207	80 03 17		STA \$1703	;AND BITS(5-7) I/P		
30	020A	A9 00		LDA #S00	;INITIALIZE STEP-COUNT LOCATION		
31	020C	85 23		STA CHEL	;AND STEP CHECK LOCATION TO ZERO		
32	020E	85 20		STA STEP			
33	0210	80 00 17		STA \$1700	;INITIALIZE PORT A C/P TO ZERO		
34	0213	A6 21		LDX SECD	;C/P FIRST CONTROL WORD TO MOTOR		
35	0215	85 00		LDA \$00,X			
36	0217	8C 02 17		STA \$1702			
37	021A	A9 00		LDA #S00	;INITIALIZE NMI VECTOR		
38	021C	8C FA 17		STA \$17FA			
39	021F	A9 1C		LDA #S1C			
40	0221	8C FB 17		STA \$17FB			
41	0224	A5 24		LDA TALEN	;INITIALIZE TEM4 TO R/D TABLE		
42	0226	85 25		STA TEM4	;LENGTH		
43	0228	A5 21		LDA SECD	;COMPUTE CONTROL WORD SEQUENCE END		
44	022A	C9 08		CMR #S08	;CHECK ADDRESS		
45	022C	F0 0C		BEQ IN1			
46	022E	C9 18		CMR #S18			
47	0230	FC 08		BEQ IN1			
48	0232	18		CLC			
49	0233	65 04		ADC #S04			
50	0235	85 22		STA ENCH			
51	0237	4C 3F C2		JMP IN2			
52	023A	18	IN1	CLC			
53	023B	69 08		ADC #S08			
54	023D	85 22		STA ENCH			
55	023F	A9 AA	IN2	LDA #SAA	;DISPLAY "AAAAAA"		

CARD #	LOC	CODE	CARD	10	20	30	40	50
56	0241	85 F9		STA \$F9				
57	0243	85 FA		STA \$FA				
58	0245	85 FB		STA \$FB				
59	0247	2C 1F 1F	IN3	JSR \$1F1F				
60	024A	4C 47 C2		JMP IN3				
61	024D			;*****				
62	024C			;OPERATIONAL				
63	024D			;*****				
64	024D			**\$0300				
65	0300	A9 E2	RAM	LDA \$E2				;RE-INITIALIZE NMI VECTOR
66	0302	80 FA 17		STA \$17FA				
67	0305	A9 03		LDA \$03				
68	0307	3D FB 17		STA \$17FB				
69	030A	A6 27		LDX RAUP				;LOAD Y-REG. WITH DELAY TIME
70	030C	84 00		LDY \$00,X				
71	030E	85 01		LDA \$01,X				;LOAD 16-BIT LOCN. RATEH-RATEL
72	0310	85 2A		STA RATEH				;WITH STEP COUNT FOR WHICH ABOVE
73	0312	85 02		LDA \$02,X				;DELAY TIME IS TO BE MAINTAINED
74	0314	95 28		STA RATEL				
75	0316	36 28		STX TEM1				;SAVE R/D TABLE POINTER
76	0318	A6 21	R1	LDX SECC				;C/P CONTROL WORD TO MOTOR
77	031A	85 00	R2	LDA \$00,X				
78	031C	8C 02 17		STA \$1702				
79	031F	86 29		STX TEM2				;SAVE SECN. TABLE PCINTER
80	0321	A2 14	R3	LDX \$14				;DELAY GENERATING LOOP
81	0323	CA	R4	DEX				
82	0324	DC FD		BNE R4				
83	0326	3E		DEY				
84	0327	DC F8		BNE R3				
85	0329	A6 28		LDX TEM1				;X-REG. POINTS TO R/D TABLE
86	032B	A5 25		LDA TEM4				;TEST FOR END OF R/D OPERATION
87	032D	FC 32		BEQ RH				
88	032F	A5 28		LDA RATEL				;DEC. RATEH-RATEL TO CHECK IF
89	0331	38		SEC				;SPEED MUST BE CHANGED
90	0332	E9 01		SBC \$01				
91	0334	85 28		STA RATEL				
92	0336	A5 2A		LDA RATEH				
93	0338	E9 00		SBC \$00				
94	033A	35 2A		STA RATEH				
95	033C	05 28		CRA RATEL				
96	033E	DC 21		BNE RH				
97	0340	A5 23		LDA CHEL				;CHECK IF RAMPINGOR DERAMPING
98	0342	FC 06		BEQ RL				
99	0344	CA		DEX				;SET R/D POINTER FOR DERAMPING
100	0345	CA		DEX				
101	0346	CA		DEX				
102	0347	4C 4D 03		JMP R5				
103	034A	E8	RL	INX				SET R/D TABLE PCINTER FOR RAMPING
104	034B	E8		INX				
105	034C	E8		INX				
106	034D	C6 25	R5	DEC TEM4				;DECREMENT R/D TABLE LENGTH COUNTS
107	034F	DC 03		BNE R6				
108	0351	4C 03 03		JMP FIX				
109	0354	B4 00	R6	LDY \$00,X				;LOAD Y-REG. WITH NEW DELAY TIME
110	0356	85 01		LDA \$01,X				;AND RATEH-RATEL WITH STEP COUNT

CARD #	LOC	CODE		CARD	10	20	30	40	50
111	0358	85 2A			STA RATEH				
112	035A	85 02			LDA \$02,X				;FOR WHICH TO MAINTAIN THIS TIME
113	035C	85 28			STA RATEL				
114	035E	4C 63	03		JMP AN				
115	0361	B4 00		RH	LDY \$00,X				;LOAD CLC DELAY TIME
116	0363	86 28		AN	STX TEM1				;SAVE R/D TABLE PCINTER
117	0365	A5 25			LDA TEM4				;ENSURE R/D OVER BEFORE PERFORMING
118	0367	DC 31			BNE R8				;STALL TEST
119	0369	E6 20			INC STEP				;INC. STALL TEST CNTR AND CHECK
120	036B	A5 2C			LDA STAL				;IF TIME TO PERFORM STALL TEST
121	036D	C5 20			CMP STEP				
122	036F	DC 29			BNE R8				
123	0371	A9 00			LDA \$500				;STALL TEST: CLEAR STALL TEST CNTR
124	0373	85 20			STA STEP				
125	0375	AC 00	17		LDA \$1700				;READ IN CNTR. AND MULT. BY 4
126	0378	29 0F			AND \$50F				
127	037A	0A			ASL A				
128	037B	0A			ASL A				
129	037C	85 2D			STA TEM3				
130	037E	A9 40			LDA \$540				;CLR. CNTR. VIA PCRT A BIT 6
131	0380	8C 00	17		STA \$1700				
132	0383	A5 2D			LDA TEM3				;CHECK IF EXT. CNTR. COUNT EQUALS
133	0385	38			SEC				;THE NO. OF STEPS THE MOTOR SHOULD
134	0386	E5 2C			SBC STAL				;HAVE MOVED BY FINDING THE ABS.
135	0388	1C 07			BPL R7				;VALUE OF DIFF. AND BRANCHING TO
136	038A	38			SEC				;STALL ROUTINE IF DIFF. EXCEEDS
137	038B	85 2D			STA TEM3				;A SET LIMIT
138	038D	A9 00			LDA \$500				
139	038F	E5 2D			SBC TEM3				
140	0391	29 FC		R7	AND \$5FC				
141	0393	DC 54			BNE INTS				
142	0395	A9 00			LDA \$5C0				;REACTIVATE CNTR.,END OF STALL TES
143	0397	8D 00	17		STA \$1700				
144	039A	A0 0C	17	R8	LDA \$1700				;STOP CHECK VIA PORT A BIT 4
145	039D	29 10			AND \$510				
146	039F	FC 25			BEC M7				
147	03A1	A5 23			LDA CHEL				;CHECK IF DERAMPING OVER
148	03A3	DC 14			BNE M6				
149	03A5	A5 24			LDA TALEN				;INITIALIZE DERAMPING PARAMETERS
150	03A7	85 25			STA TEM4				
151	03A9	A5 28			LDA TEM1				
152	03AB	AA			TAX				
153	03AC	85 01			LDA \$01,X				
154	03AE	85 2A			STA RATEH				
155	03B0	85 02			LDA \$02,X				
156	03B2	85 28			STA RATEL				
157	03B4	E6 23			INC CHEL				
158	03B6	4C C6	03		JMP M7				
159	03B9	A5 25		M6	LDA TEM4				;O/P A '1' VIA PCRT A BIT 5 IF
160	03BB	DC 09			BNE M7				;DERAMPING IS OVER
161	03BD	A5 23			LDA CHEL				
162	03BF	F0 05			BEC M7				
163	03C1	A5 40			LDA \$540				
164	03C3	8C 00	17		STA \$1700				
165	03C6	A6 29		M7	LDX TEM2				

CARD #	LOC	CODE	CARD	10	20	30	40	50
166	03C8	E8		INX				
167	03C9	E4 22		CPX ENCH				
168	03C8	DC 03		BNE R9				
169	03CC	4C 18 03		JMP R1				
170	03D0	4C 1A 03	R9	JMP R2				
171	03D3	A5 23	FIX	LDA CHEL				
172	03D5	FC 06		SEC M1				
173	03D7	E8		INX				
174	03D8	E8		INX				
175	03D9	E8		INX				
176	03DA	4C 50 C3		JMP M2				
177	03DC	CA	M1	DEX				
178	03DE	CA		DEX				
179	03DF	CA		DEX				
180	03E0	86 28	M2	STX TEM1				
181	03E2	4C 54 C3		JMP R6				
182	03E5	A5 2E	STOSU	LDA POWR				
183	03E7	DC 05		BNE FINI				
184	03E9	A9 00	INTS	LDA #300				
185	03EB	80 02 17		STA \$1702				
186	03EE	4C 00 1C	FINI	JMP \$1C00				
187	03F1			; *****				
188	03F1			; DPIPE SEQUENCE TABLES				
189	03F1			; *****				
190	03F1			**\$U000				
191	0000	09		.BYTE \$09,\$0A,\$06,\$05,\$08,\$02,\$04,\$01,\$09				
191	0001	0A						
191	0002	06						
191	0003	05						
191	0004	08						
191	0005	02						
191	0006	04						
191	0007	01						
191	0008	09						
192	0009	08		.BYTE \$08,\$0A,\$02,\$06,\$04,\$05,\$01				
192	000A	0A						
192	000B	02						
192	000C	06						
192	000D	04						
192	000E	05						
192	000F	01						
193	0010	05		.BYTE \$05,\$06,\$0A,\$09,\$01,\$04,\$02,\$08,\$01				
193	0011	06						
193	0012	0A						
193	0013	09						
193	0014	01						
193	0015	04						
193	0016	02						
193	0017	08						
193	0018	01						
194	0019	05		.BYTE \$05,\$04,\$06,\$02,\$0A,\$08,\$09				
194	001A	04						
194	001B	06						
194	001C	02						
194	001D	0A						

APPENDIX : COMPUTER SIMULATION

A computer simulation was carried out for the resistive and chopper drives. The supply voltage used in the simulation was much higher than could be applied to the test circuit, thus permitting high speed simulation.

The programs were written in CSMP and a listing of the programs used, along with plots of the results obtained, has been included in this appendix. In both drive circuit simulations the charging and discharging time constants are different, the discharging time constant being much smaller than the charging time constant. The plotted results show satisfactory results for both the drives under the simulated conditions. The simulation conditions have been included in the program listings.

```
***CONTINUOUS SYSTEM MODELING PROGRAM *** VMS TRANSLATOR OUTPUT***
```

```
*
*PROGRAM: RESIM
*      THIS PROGRAM SIMULATES THE RESPONSE OF A STEP MOTOR PHASE
*      WHEN DRIVEN BY A RESISTIVE POWER DRIVE. THE INPUT VOLTAGE(VI) IS A
*      PULSE TRAIN WITH FREQUENCY (1/(TON+TOF)). TON IS THE PULSE-ON
*      TIME (WITHIN A PERIOD) AND TOF IS THE PULSE-OFF TIME, BOTH SPECIFIED
*      IN SECONDS. ALL OTHER VARIABLES ARE DESCRIBED BELOW.
*      L=PHASE INDUCTANCE(HENRIES).
*      R=TOTAL SERIES RESIST. IN THE PHASE(OHMS).
*      SR=REQUIRED STEPPING RATE(STEPS PER SECOND)
*      RB=FREE-WHEELING RESISTANCE(OHMS).
*      FOR 1-PHASE ON MODE: TOF=3*TON.
*      FOR 2-PHASE ON MODE: TOF=2*TON.
*      FOR BOTH MODES : TON+TOF=4/SR
*
INITIAL
CONSTANT R=20.0,L=0.012,SR=200,VL=12.0,IB=500
CCR=1/R
TON=1/50
TOF=3/50
TOT=TON+TOF
DYNAMIC
X1=[PULSE(0.0,TOT)]
V=VL=PULSE(TON,X1)
  NCSCRT
    IF (V.EQ.0.0) GO TO 10
    TAU=L/R
    GO TO 20
  10  TAU=L/RB
  20  CONTINUE
  SCRT
IT=REALPL(0.0,TAU,V)
I=IT*CCR
TERMINAL
TIME# FINIT#=0.015,OUTDEL=0.00001
OUTPUT TIME,I,V
PAGE XYPLOT
LABEL CURRENT/APPLIED VOLT. VS. TIME
END
STOP
```

```

$$$CONTINUOUS SYSTEM MODELING PROGRAM *** V1.02 TRANSLATOR OUTPUT$$$

```

```

*
*PROGRAM: RES17
*   THIS PROGRAM SIMULATES THE RESPONSE OF A STEP MOTOR PHASE
*WHEN DRIVEN BY A RESISTIVE POWER DRIVE. THE INPUT VOLTAGE(VI) IS A
*PULSE TRAIN WITH FREQUENCY (1/(TON+TOFF)). TON IS THE PULSE-ON
*TIME (WITHIN A PERIOD) AND TOFF IS THE PULSE-OFF TIME, BOTH SPECIFIED
*IN SECONDS. ALL OTHER VARIABLES ARE DESCRIBED BELOW.
*  L=PHASE INDUCTANCE(HENRIES).
*  R=TOTAL SERIES RESIST. IN THE PHASE(OHMS).
*  SP=REQUIRED STEPPING RATE(STEPS PER SECOND)
*  PR=FREE-WHEELING RESISTANCE(OHMS).
*FOR 1-PHASE ON MODE: TOFF=3*TON.
*FOR 2-PHASE ON MODE: TOFF=3*TON.
*FOR BOTH MODES : TON+TOFF=4/SP
*
INITIAL
CONSTANT R=120.0,L=0.015,SP=600,VL=72.0,PR=500.0
CCR=1/4
TON=1/SP
TOFF=3/SP
TOT=TON+TOFF
DYNAMIC
X1=1/PULS(0.0,TOT)
V=VL*PULSE(1,X1)
NGSORT
  IF (V.EQ.0.0) GO TO 10
  TAU=L/R
  GO TO 20
10  TAU=L/PR
20  CONTINUE
  SORT
IT=FALPL(0.0,TAU,V)
I=IT*CCR
TERMINAL
TIMER FINTIM=0.015,OUTDEL=0.00001
OUTPUT TIME,I,V
PAGE XYPLT
LABEL CURRENT/APPLIED VOLT. VS. TIME
END
STOP

```

```
***CONTINUOUS SYSTEM MODELING PROGRAM III MIMB TRANSLATOR OUTPUT***
```

```
*
*PROGRAM: CHOPSIM
*      PROGRAM CHOPSIM SIMULATES THE CHOPPER DRIVE FOR A SINGLE
*PHASE OF THE STEP MOTOR. ALL VARIABLES ARE THE SAME AS THOSE DEFINED
*FOR PROGRAM WFSIM. THE MOTOR'S RATED CURRENT IS 0.6 AMPS, HENCE THE
*UPPER LIMIT FOR THE PHASE CURRENT HAS BEEN SET EQUAL TO 0.66 AMPS
*AND THE LOWER LIMIT EQUAL TO 0.54 AMPS.
*
INITIAL
CONSTANT R=20,L=0.015,SR=500,VL=50.0,VR=500,CNT=0.0
COP=1/R
TCN=1/SR
TCF=3/SR
TCT=TCN+TCF
DYNAMIC
XI=IMPULS(0.0,TCT)
V=VL*PULSE(TCN,XI)
  NOCSET
    IF (I.LT.0.66) GO TO 3
    CNT=1.0
  2   IF (I.LT.0.54) GO TO 4
    VI=0.0
    GO TO 5
  3   IF (CNT.NE.0.0) GO TO 2
  4   CNT=0.0
    VI=V
  6   CONTINUE
    IF (VI.EQ.0.0) GO TO 10
    TAU=L/R
    GO TO 20
  10  TAU=L/VR
  20  CONTINUE
    SORT
    IT=FEALPL(0.0,TAU,VI)
    I=IT*COP
  TERMINAL
  TIME=FIN.TIM=0.0004,OUTDEL=0.00001
  OUTPUT TIME,I,V
  PAGE XYPLT
  LABEL CURRENT/APPLIED VOLT. VS. TIME
  END
  STOP
```

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MICROPROCESSOR BASED STEP MOTOR CONTROLLER

by

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AN ABSTRACT OF A MASTER'S THESIS

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College of Engineering

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ABSTRACT

The rapid growth in recent years in the field of digital electronics has spurred a growing interest in devices which interface between the digital and analog worlds. The step motor, the subject of this study, is one such device which has found numerous applications in the fields of robotics, industrial control and computer peripheral equipment.

Two different kinds of step motor drives were tested out, within equipment limitations, in the course of this study. The first of these drives, the resistive drive, improved the stepping rate of the motor but at a cost of high energy (I^2R) losses. The second drive, a form of chopper control, further improved the stepping speeds attainable by the motor without entailing high energy losses since it eliminates the need for a series resistance being connected to the motor phase windings.

The study also dwelled on the software aspects of controlling the step motor. Several programs were developed for the microprocessor based controller to demonstrate the flexibility of software control. The first of these programs (POSCON) controlled the motor in its positioning mode of operation, a mode of control used frequently in machine tools and robotics. The second program (RAMGEN) solves a linear velocity equation to develop a linear acceleration/decceleration table used by program STEPCON, which controls the motor in the slewing (continous running) mode of operation.

Most hardware controllers permit linear or exponential acceleration of the step motor. However in a study done by Page, Singh and Kuo (4), several different acceleration schemes were tried out and the results seemed to suggest that other schemes such as parabolic and different forms of parabolic and exponential acceleration schemes could result in performance improvement. This is where the flexibility of software control is a decided advantage over hardware control.

By simply storing several different software routines to generate acceleration/decceleration tables, the user could implement any one of the acceleration schemes with a minimum of trouble, using the same drive software (STEPCON) and hardware. Using one of the new "piggy-back" microprocessors, the drive and control software could be stored in on-board memory, while the table (acceleration) generating programs could be stored in the piggy-back memory chip. This would virtually comprise a single chip step motor controller far more powerful than any of the single chip controllers presently available.

Program STEPCON uses the acceleration table generated by RAMGEN to accelerate the motor from a safe starting speed to its operating speed. When the motor is to be turned off, the program deccelerates the motor to a safe stopping speed before bringing it to a halt.

The study served to highlight the versatility of a microprocessor based step motor controller. An idea which seems ever more attractive with the growing availability of low-cost single chip microprocessors which are virtual mini-computers.